Edward: Getting Started

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Preface

This is an R implementation of the Edward tutorial "Getting Started" (jupyter notebook).

Done per Edward's license instructions, i.e., Apache License, version 2.0.

Assuming R and RStudio already installed, this implementation (under Windows 10) was made possible by installing Python and the TensorFlow and Edward modules, and then the reticulate and tensorflow packages in R, per the instructions at the following links:

- Python setup:
 - Python: Python, Download the latest version for Windows
 - TensorFlow: Installing TensorFlow on Windows
 - Edward: Edward, Getting Started
 - Also pip-ed numpy and jupyter.
- R setup:
 - Package reticulate: R Interface to Python
 - Package tensorflow: TensorFlow for R

I'm absolutely thrilled all of this worked on the first shot!

(This notebook also uses R packages magnitur & tidyverse, which are my go-to tools for data science in R.)

But, why bother?...

Although the performance is nothing to brag about, this does give someone like me – who is an old hand in R programming – a nice way to test advanced probabilistic programming and deep learning ideas. I can do it without continually referencing the documentation for Python & its various modules each time I need to manipulate the data structures and to implement the algorithms that I can do almost unconsciously in R. So my productivity in ideation is greatly increased by using this Edward-&-Tensorflow-via-R implementation. I don't need to think nearly as much about the "how to do" and can concentrate on the "what to do" of my ideas.

All that said, I'm still compelled to ultimately do a lot more in Python directly. Guess, this is just my security-blanket/training-wheels phase

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Setup

Load the R packages and the Python modules we need.

Note that in all that follows, the R code explicitly specifies integer constants as being long integers by appending "L" to the number. This is necessary for proper interfacing with Python using the reticulate package in R.

```
library( magrittr )
library( tidyverse )
library( reticulate )
library( tensorflow )
     <- import( module = "edward" )
ed
     <- import( module = "numpy" )
np
# Assign the Edward models used in the script.
Normal <- ed$models$Normal
build_toy_dataset <- function( N = 50L, noise_std = 0.1 ){</pre>
  x = seq(-3, 3, length.out = N)
  y = cos(3*x) + rnorm(n = N, mean = 0, sd = noise_std)
  return( data_frame( x = x, y = y ) )
neural_network <- function( x, W_0, W_1, b_0, b_1 ){</pre>
  h \leftarrow tf tanh(tf matmul(x, W_0) + b_0)
 h <- tf$matmul(h, W_1) + b_1
  return( tf$reshape(h,array(-1L,1L)) )
```

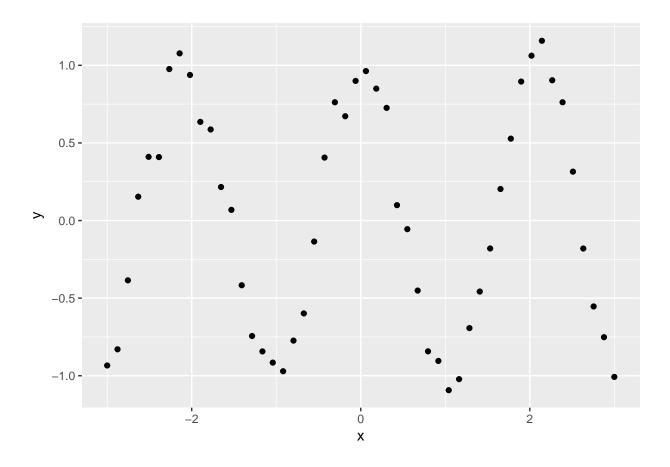
Build Data

First, simulate a toy dataset of 50 observations with a cosine relationship.

```
tf$reset_default_graph()
ed$set_seed( 42L )

N <- 50L # number of data points
D <- 1L # number of features

xy_train <- build_toy_dataset( N )
quickplot(x,y,data=xy_train)</pre>
```



Define Bayesian Neural Network

Next, define a two-layer Bayesian neural network. Here, we define the neural network manually with tanh nonlinearities.

Build Computational Graph

Next, make inferences about the model from data. We will use variational inference. Specify a normal approximation over the weights and biases.

```
qW_0 <- Normal(
  loc = tf$Variable(tf$random_normal(c(D, n_hidden))),
  scale = tf$nn$softplus(tf$Variable(tf$random_normal(c(D, n_hidden))))
)
qb_0 = Normal(</pre>
```

```
loc = tf$Variable(tf$random_normal(array(n_hidden,1L), stddev = 3*tf$ones( array(n_hidden,1L) ) )),
    scale = tf$nn$softplus(tf$Variable(tf$random_normal(array(n_hidden,1L))))
)

qW_1 = Normal(
    loc = tf$Variable(tf$random_normal(c(n_hidden, 1L))),
    scale = tf$nn$softplus(tf$Variable(tf$random_normal(c(n_hidden, 1L))))
)

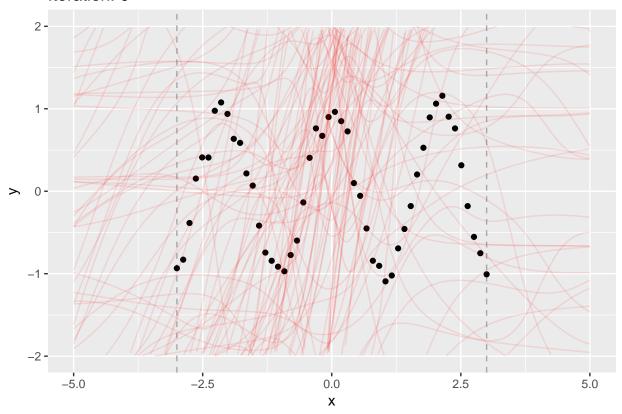
qb_1 = Normal(
    loc = tf$Variable(tf$random_normal(array(1L,1L))),
    scale = tf$nn$softplus(tf$Variable(tf$random_normal(array(1L,1L))))
)
```

Defining tf\$Variable allows the variational factors' parameters to vary. They are initialized randomly. The standard deviation parameters are constrained to be greater than zero according to a softplus transformation.

Visualize the Prior Fit

```
# Sample functions from variational model to visualize fits.
inputs <- seq(-5, 5, length.out=400)
x <- tf\expand_dims(inputs, 1L)
N_sample <- 100L
mus <- tf$stack(</pre>
  lapply(
    seq_len( N_sample ),
    function(i) neural_network(x, qW_0$sample(), qW_1$sample(), qb_0$sample(), qb_1$sample())
  )
)
# FIRST VISUALIZATION (prior)
sess <- ed$get_session()</pre>
#sess$run(tf$qlobal variables initializer())
tf$global_variables_initializer()$run( )
outputs <- mus$eval()</pre>
prior <- data_frame( x = inputs ) %>%
  bind_cols( as_data_frame( as.matrix(t(outputs)) ) ) %>%
  gather(key=iteration, value=y, -x)
plt_prior <- xy_train %>%
    ggplot(., aes( x=x,y=y ) ) +
      geom_vline( xintercept = range((.)$x), linetype = 2, color = 'darkgray' ) +
      geom_line( data=prior,aes(x=x,y=y,group=iteration), na.rm=TRUE, alpha=0.1, color='red') +
      ggtitle( "Iteration: 0" ) +
      lims(x = c(-5,5), y = c(-2,2)) +
      theme( legend.position = "none")
  }
print( plt_prior )
```

Iteration: 0



Train the Model

Now, run variational inference with the Kullback-Leibler divergence in order to infer the model's latent variables given data. We specify 3000 iterations.

```
n_iter <- 3000L
inference <- ed$KLqp(
  dict( W_0 = qW_0, b_0 = qb_0, W_1 = qW_1, b_1 = qb_1),
  data = dict( y = tf$cast(xy_train$y, tf$float32)$eval() )
)

# KEYS:
# Arguments needed to be integer (with "L" designation) to get this to work.
# Also, it wouldn't get past the first printout, so had to set
# `n_print` to zero to kill all printing.
# Should provide feedback to the Edward team:
# Provide a way to get output without the special
# character printed progress bar.
inference$run( n_iter = n_iter, n_samples = 5L, n_print = 0L )</pre>
```

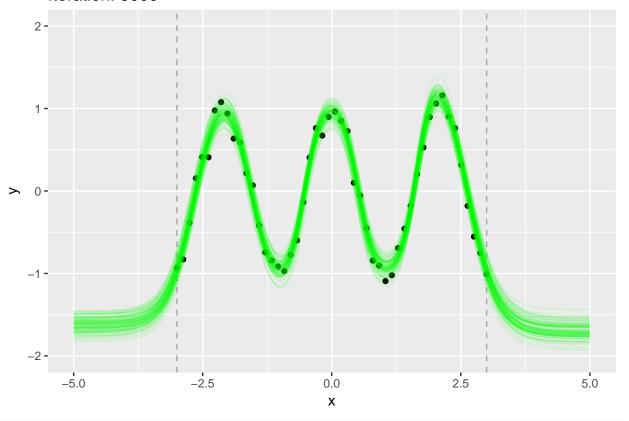
Visualize the Posterior Fit

Finally, criticize the model fit. Bayesian neural networks define a distribution over neural networks, so we can perform a graphical check. Draw neural networks from the inferred model and visualize how well it fits

the data.

```
# SECOND VISUALIZATION (posterior)
outputs <- mus$eval()</pre>
post <- data_frame( x = inputs ) %>%
  bind_cols( as_data_frame( t(outputs) ) ) %>%
  gather(key=iteration, value=y,-x)
plt_post <- xy_train %>%
  {
    ggplot(., aes(x=x,y=y)) +
      geom_vline( xintercept = range((.)$x), linetype = 2, color = 'darkgray' ) +
      geom_point() +
      geom_line( data=post,aes(x=x,y=y,group=iteration), na.rm=TRUE, alpha=0.1, color='green') +
      ggtitle( sprintf("Iteration: %d", n_iter) ) +
      lims(x = c(-5,5), y = c(-2,2)) +
      theme( legend.position = "none")
  }
print( plt_post )
```

Iteration: 3000



Conclusion

sess\$close()

The model has captured the cosine relationship between x and y in the observed domain.

To learn more about **Edward**, delve in!

If you prefer to learn via examples, then check out some tutorials.