

explo-
itation
Markov
de-
cision
process
MDP

t
 S_t
 S_t
 $A_t \in$
 $\mathcal{A}(S_t)$
 S_{t+1}
 R_{t+1}
 $\mathcal{A}(s)$
 s
 A
 $A:$
 $S \rightarrow$
 $P(A)^1$
 \mathcal{R}
 $S_0, A_0, R_1, S_1, A_1, R_2, S_2, \dots$
 p

$$(1) \quad p(s', r | s, a) P(S_{t+1} = s', R_{t+1} = r | S_t = s, A_t = a)$$

$$\sum_{s', r} p(s', r | s, a) = 1$$

$$(2) \quad \begin{aligned} & a \in \mathcal{A}(s) \\ & r \in \mathcal{R} \\ & s \in S \\ & P(S_t, R_t | S_0, A_0, R_1, \dots, S_{t-1}, A_{t-1}) = P(S_t, R_t | S_{t-1}, A_{t-1}) \end{aligned}$$

$$(3) \quad \begin{aligned} & t \\ & G_t = \sum_{i=0}^{\infty} \gamma^i R_{t+i+1} \end{aligned}$$

$$(4) \quad \begin{aligned} & \gamma = \\ & 0^2 \\ & \gamma \\ & \frac{1}{t+1} \\ & 1 \end{aligned}$$

$$G_t = \sum_{i=0}^{\infty} \gamma^i R_{t+i+1} = R_{t+1} + \gamma \sum_{i=0}^{\infty} \gamma^i R_{(t+1)+i+1} = R_{t+1} + \gamma G_{t+1}$$

$$(5) \quad (\mathcal{S}, \mathcal{A}, \mathcal{R}, p, \gamma)$$

\mathcal{S}
 \mathcal{R}
 $\mathcal{A}(s)$
 s
 $\mathcal{A}(s)$
 s
 A

umapretpostavljasedanizinterakcijasaokruenjem, tj.putanja, trajebeskonano, tosevidiizgornjegraniceusumi.Meutini
 $\gamma <$
 R_t
umakonvergirati.Ukolikotasumadivergira,odnosnoakojenjenavrednost ∞

$P(A)$
oz-
načava
par-
ti-
tivni
skup
skupa
 $A.$
 0^0
definiše