

Machine learning and the Iterated Prisoner's Dilemma

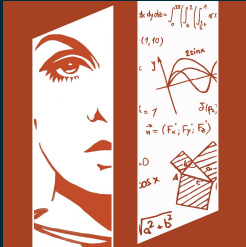
SECOND YEAR REPORT

Dr. Vincent KNIGHT

Dr. Jonathan GILLARD







- ✓ **Reinforcement Learning Produces Dominant Strategies for the Iterated Prisoner's Dilemma.** PLOS One. 2017.
- **An Evolutionary Game Theoretic Model of Rhino Horn Devaluation.** Arxiv pre print. 2017. (under review with Ecological Modelling)
- **Evolution Reinforces Cooperation with the Emergence of Self-Recognition Mechanisms: an empirical study of the Moran process for the iterated Prisoner's dilemma.** Vincent Knight, Arxiv pre print. 2017. (under review with PLOS One)



- ✓ Machine Learning. Duration: **88 hours**.
- ✓ MA3600 Game Theory. Duration: **40 hours**.
- ✓ NATCOR Stochastic Modelling. Duration: **40 hours**.
- ✓ NATCOR Simulation. Duration: **40 hours**.
- ✓ NATCOR Combinatorial Optimisation. Duration: **40 hours**.

Resultant Theory

$$\mathbf{f} = \mathbf{0}$$

$$\mathbf{M} = \begin{bmatrix} \dots \\ \dots \\ \dots \end{bmatrix}$$



$$\det(\mathbf{M}) = 0$$

$$\mathbf{g} = \mathbf{0}$$



$$f = x^2 - 5x + 6$$

$$g = x^2 - 3x + 2$$

$$f = x^2 - 5x + 6$$

$$g = x^2 - 3x + 2$$

$$S = \begin{bmatrix} 1 & -5 & 6 & 0 \\ 0 & 1 & -5 & 6 \\ 1 & -3 & 2 & 0 \\ 0 & 1 & -3 & 2 \end{bmatrix}, \text{ where } \det(S) = 0$$

$$f = x^2 + xy + 2x + y - 1$$

$$g = x^2 + 3x - y^2 + 2y - 1$$

$$f = x^2 + xy + 2x + y - 1$$

$$g = x^2 + 3x - y^2 + 2y - 1$$

$$S = \begin{bmatrix} x+1 & x^2+2x-1 & 0 \\ 0 & x+1 & x^2+2x-1 \\ -1 & 2 & x^2+3x-1 \end{bmatrix}$$

$$f = x^2 + xy + 2x + y - 1$$

$$g = x^2 + 3x - y^2 + 2y - 1$$

$$S = \begin{bmatrix} x+1 & x^2+2x-1 & 0 \\ 0 & x+1 & x^2+2x-1 \\ -1 & 2 & x^2+3x-1 \end{bmatrix}$$

$$\det(S) = -x(x-1)(x+3)$$

Sylvester

Bezout

Macauley

Dixon



This repository Search

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sympy / sympy

Unwatch 316

Star 4,837

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<> Code

Issues 2,763

Pull requests 560

Projects 0

Wiki

Insights

implementation of multivariate resultants. #14370

Edit

Merged jksuom merged 19 commits into `sympy:master` from `Nikoleta-v3:multivariate-resultants` on 30 Mar

Conversation 63

Commits 19

Checks 0

Files changed 6

+3,033 -0



Nikoleta-v3 commented on 2 Mar

Contributor + @

Brief description

Adds a new file `multivariate_resultants` that contains two classes.
These classes are implementations of the following multivariate resultants:

- Dixons
- Macaulay

They are a natural follow up from the resultants implemented withing the library:

- `subresultants_qq_zz.py`

Resultants are used to indentify if polynomials have common roots. The multivariate version is for multivariate systems.

Other comments

Tests have been implemented and are currently passing. I added relevant literature and some notebooks with examples in the `example/notebooks/` directory.

References to other Issues or PRs

Reviewers

asmeurer

smichr

jksuom

normalhuman

Assignees

No one assigned

Labels

PR: sympy's turn

Projects

None yet

Milestone

No milestone

Thank you!