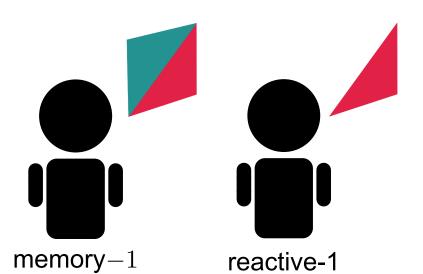


# reactive-1 vs memory-1



Player 1	Player 2
$m_{CC} = 0.1$	$p_C = 0.8$
$m_{CD} = 0.6$	$p_D = 0.5$
$m_{DC} = 0.2$	
$m_{DD} = 0.3$	

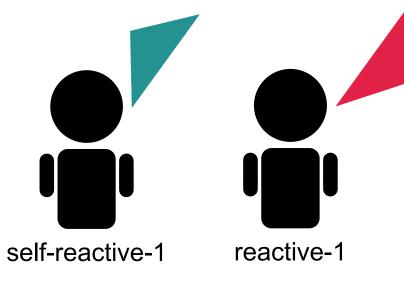
# **Realized Repeated Game**

Player 1 DDCDD...Player 2  $C C D D \dots$ 

#### **Outcome distribution**

<i>C C</i> 15.3%	<i>CD</i> 10.6%
<i>D C</i>	DD
42.5%	31.7%

#### reactive-1 vs equivalent self-reactive-1



#### Player 1

Player 1
 Player 2

 
$$\tilde{p}_C = 0.304$$
 $p_C = 0.8$ 
 $\tilde{p}_D = 0.242$ 
 $p_D = 0.5$ 

# **Realized Repeated Game**

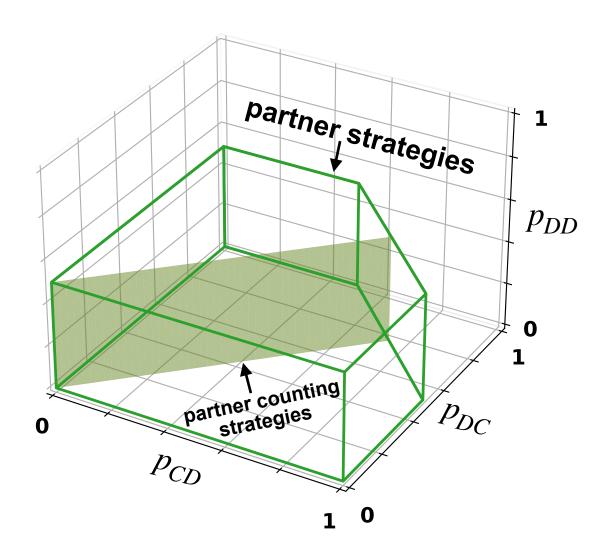
Player 1 DDCDD...Player 2  $C C D D \dots$ 

#### **Outcome distribution**

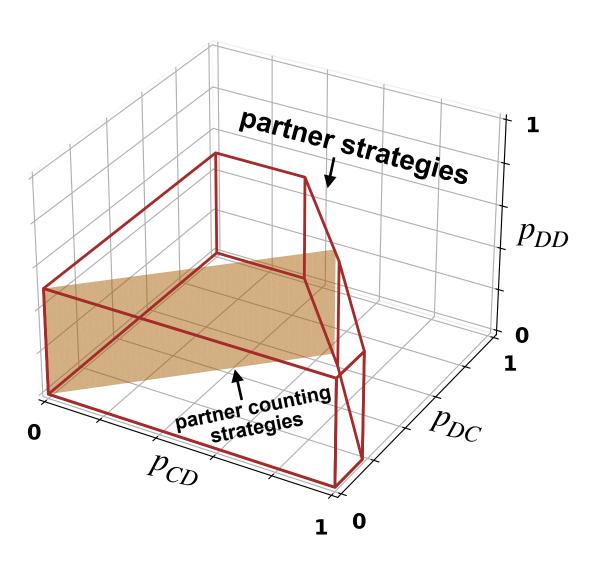
<i>C C</i> 15.3%	<i>C D</i> 10.6%
D C	DD
42.5%	31.7%

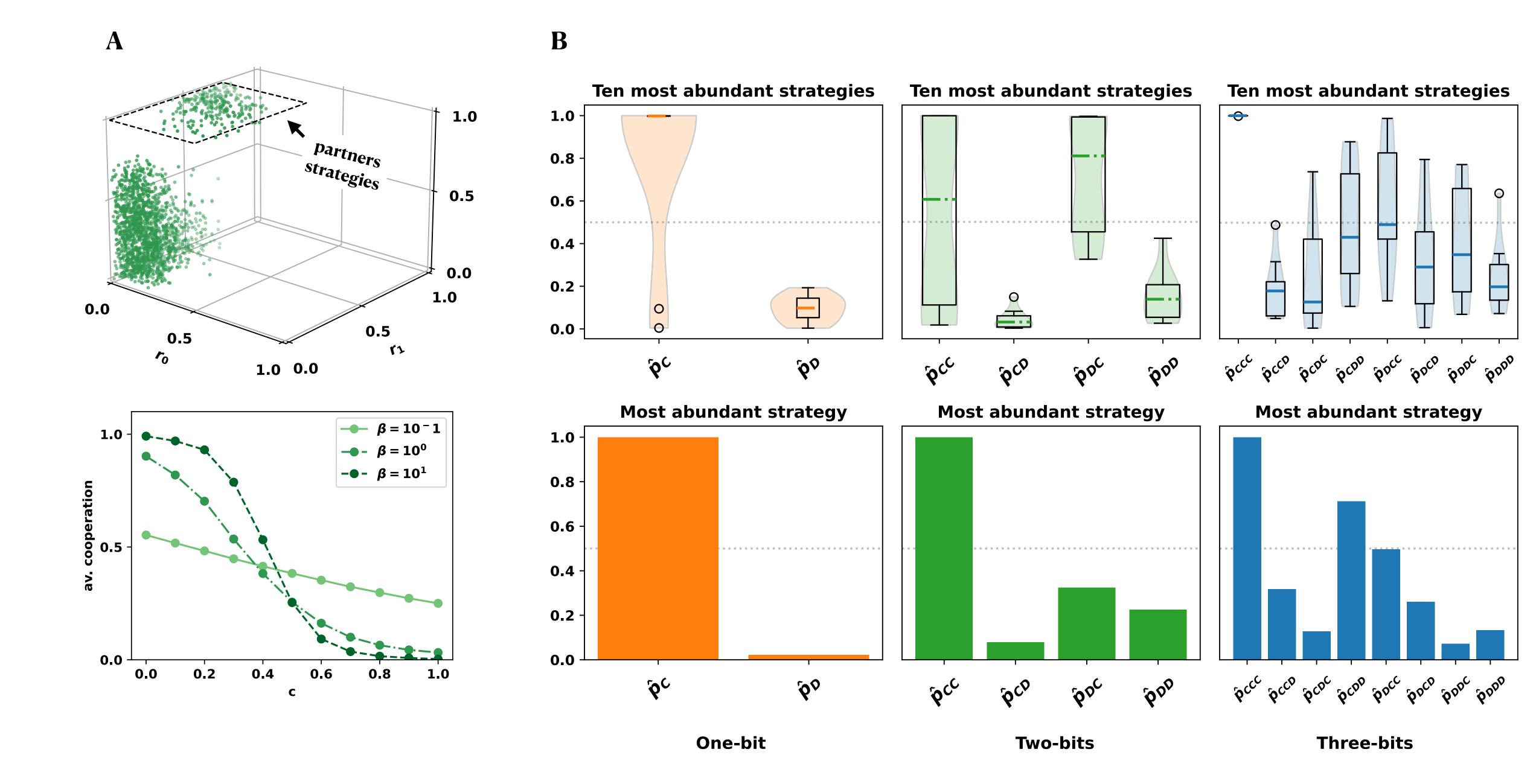
# Partners among the reactive-2 strategies

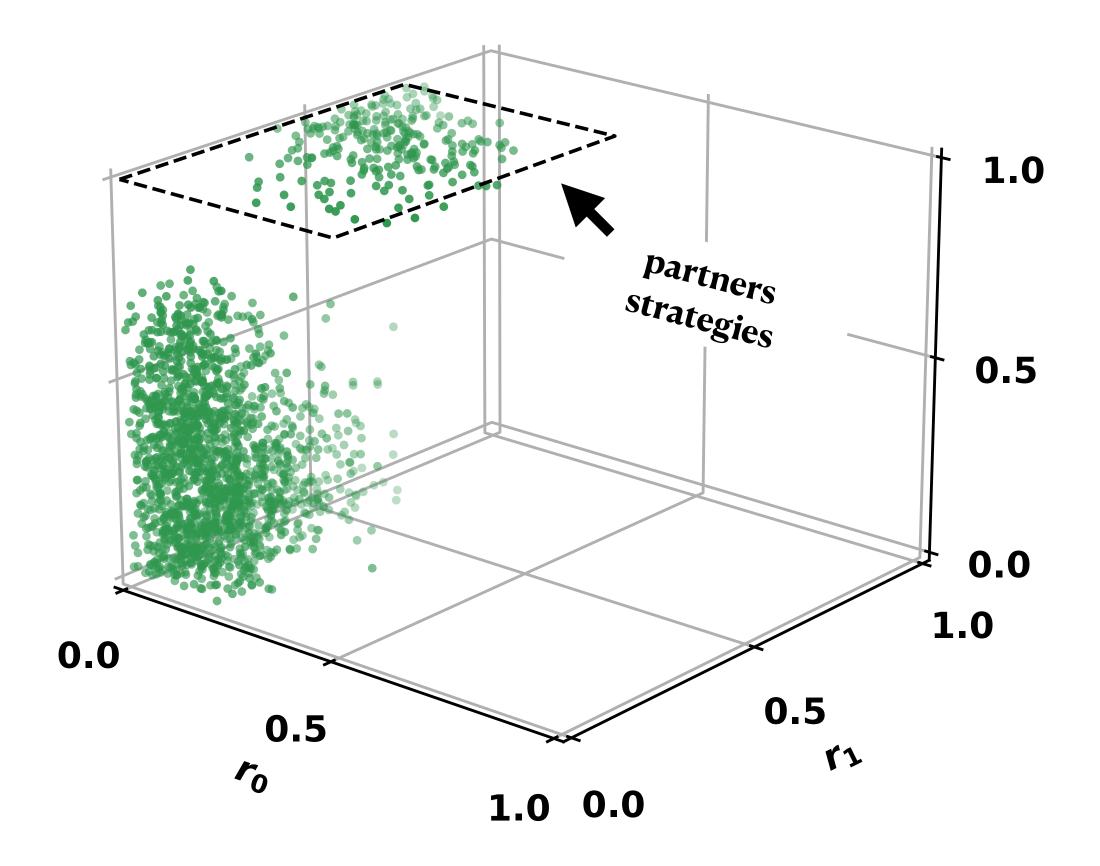
Donation Game (b/c = 2)

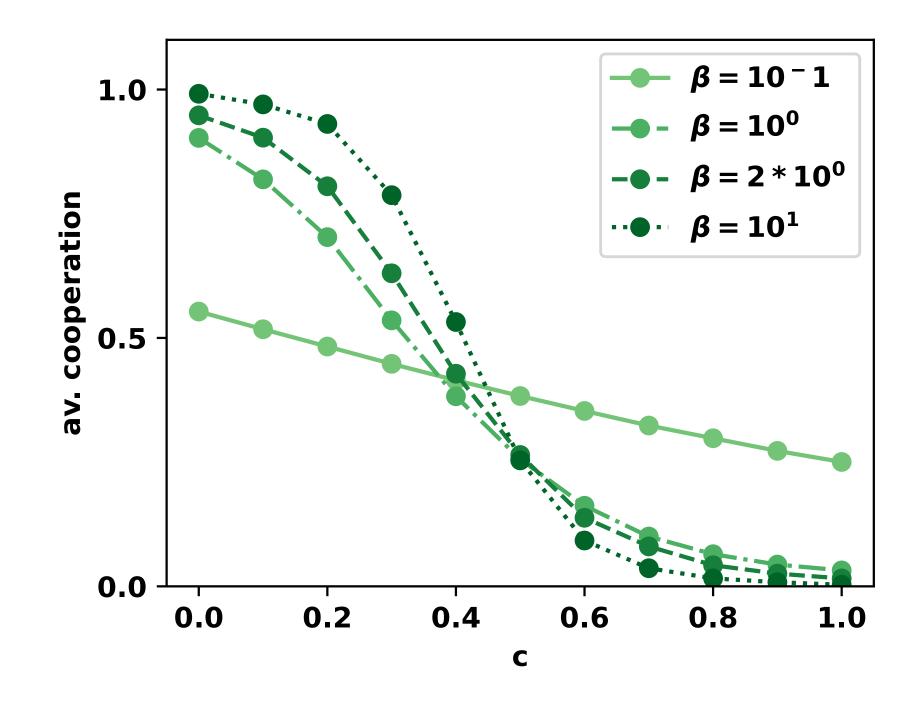


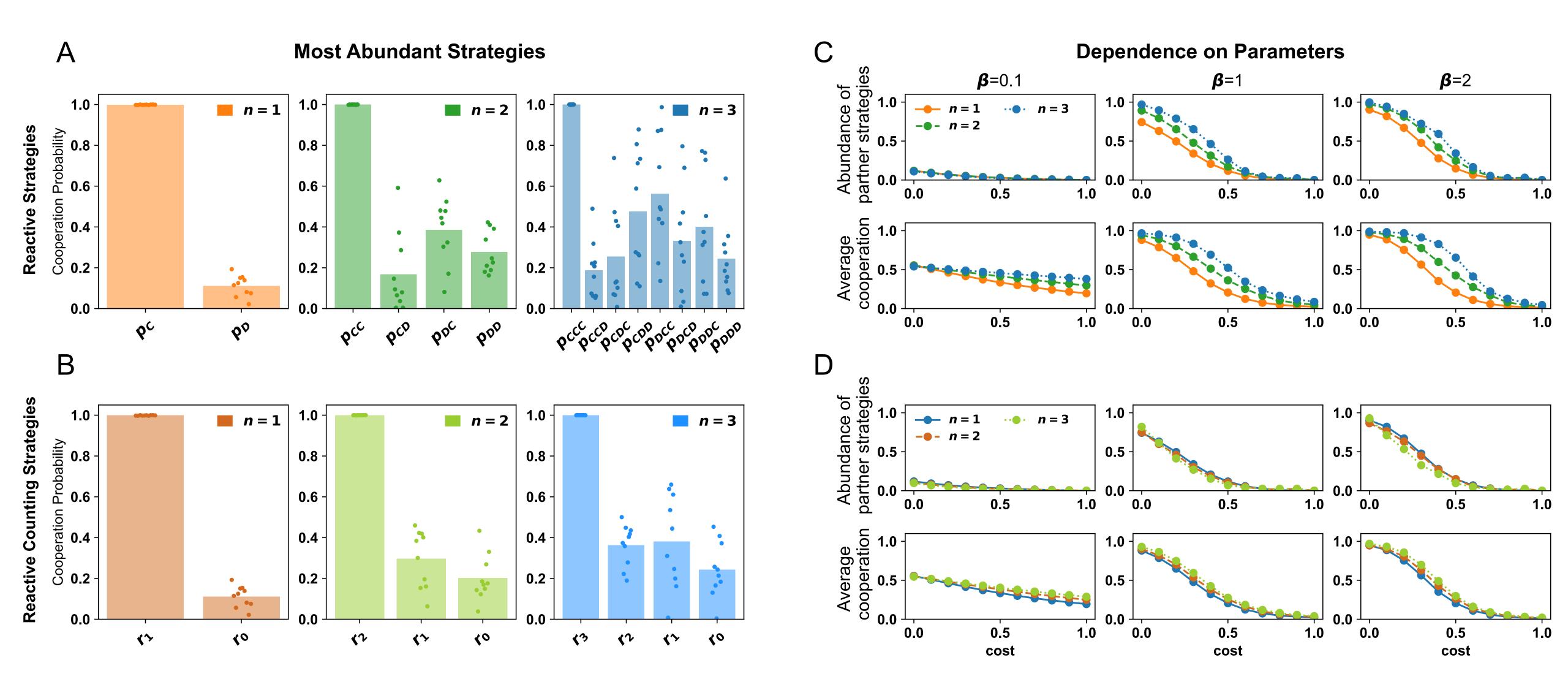
Axelrod's Prisoner's Dilemma











# A Baseline Sequence

D

D C

D

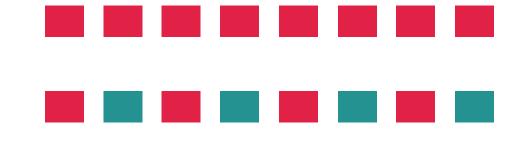
 $D \mid C$ 

 $C \mid C \mid D$ 

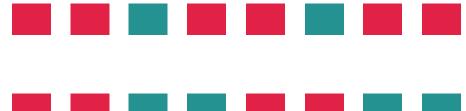
 $D \mid D \mid C$ 

D D C

# B Repeated Sequence







# Partner Conditions

$$p_{DD} \le 1 - \frac{c}{b}$$

$$p_{CD} + p_{DC} \le 2 - \frac{c}{b}^*$$

$$p_{DDD} \le 1 - \frac{c}{b}$$

$$p_{CDC} + p_{DCD} \le 2 - \frac{c}{b}$$

$$p_{CCD} + p_{CDC} + p_{DCC} \le 3 - \frac{c^{\dagger}}{b}$$

$$p_{CDD} + p_{DCD} + p_{DDC} \le 3 - 2 \cdot \frac{c}{b}$$

$$p_{CCD} + p_{CDD} + p_{DCC} + p_{DDC} \le 4 - 2 \cdot \frac{c}{b}$$

# **Example of deriving condition**











Sequence Round Payoff:

Payoff:  $p_{DC} \cdot b \quad p_{CD} \cdot b - c$ 

Total Payoff:

 $(p_{CD} + p_{DC}) \cdot b - c$ 

Partner condition:

 $(p_{CD} + p_{DC}) \cdot b - c \le 2 \cdot (b - c)$ 

$$p_{CD} + p_{DC} \le 2 - \frac{c}{b}^*$$

Sequence

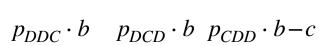












Sequence Round Payoff:

Total Payoff:

 $(p_{DDC} + p_{DCD} + p_{CDD}) \cdot b - c$ 

Partner condition:

 $(p_{DDC} + p_{DCD} + p_{CDD}) \cdot b - c \le 3 \cdot (b - c)$ 

Equivalent condition:

 $p_{CCD} + p_{CDC} + p_{DCC} \le 3 - \frac{c^{\dagger}}{b}$ 

# **Baseline Sequence Repeated Sequence** $D \mid C$

#### B **Partner Conditions**

$$p_{DD} \le 1 - \frac{c}{b}$$

$$p_{CD} + p_{DC} \le 2 - \frac{c}{b} \ (*)$$

$$p_{DDD} \le 1 - \frac{c}{b}$$

$$p_{CDC} + p_{DCD} \le 2 - \frac{c}{b}$$

$$p_{CCD} + p_{CDC} + p_{DCC} \le 3 - \frac{c}{b}$$

$$p_{CDD} + p_{DCD} + p_{DDC} \le 3 - 2 \cdot \frac{c}{b} (\dagger)$$

$$p_{CCD} + p_{CDD} + p_{DCC} + p_{DDC} \le 4 - 2 \cdot \frac{c}{b}$$

# **Example of deriving condition**

Sequence









Sequence Round Payoff:

C

 $bp_{DC}$   $bp_{CD}-c$ 

Total Payoff:

 $b(p_{CD} + p_{DC}) - c$ 

Partner condition:

 $b(p_{CD} + p_{DC}) - c \le 2(b - c)$ 

Equivalent condition:

$$p_{CD} + p_{DC} \le 2 - \frac{c}{b} \ (*)$$

Sequence









 $bp_{CDD}-c$ 



Sequence Round Payoff:

 $bp_{DCD}$ 

Total Payoff:

 $b(p_{DDC} + p_{DCD} + p_{CDD}) - c$ 

Partner condition:

 $b(p_{DDC} + p_{DCD} + p_{CDD}) - c \le 3(b - c)$ 

Equivalent condition:

 $p_{CDD} + p_{DCD} + p_{DDC} \le 3 - 2\frac{c}{b} \ (\dagger)$