

HW01

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1 Computer Vision - HW01

Mohammad Doosti Lakhani - 98722278

This notebooks consists of:

1. Importing Libraries
2. Loading a Grayscale Image
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 3. Compare Using RMSE
5. Gaussian vs. 2X Gaussian
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 2. Applying a Gaussian Filter with Proper Size *Once*
 3. Compare Using RMSE

1.1 1 Importing Libraries

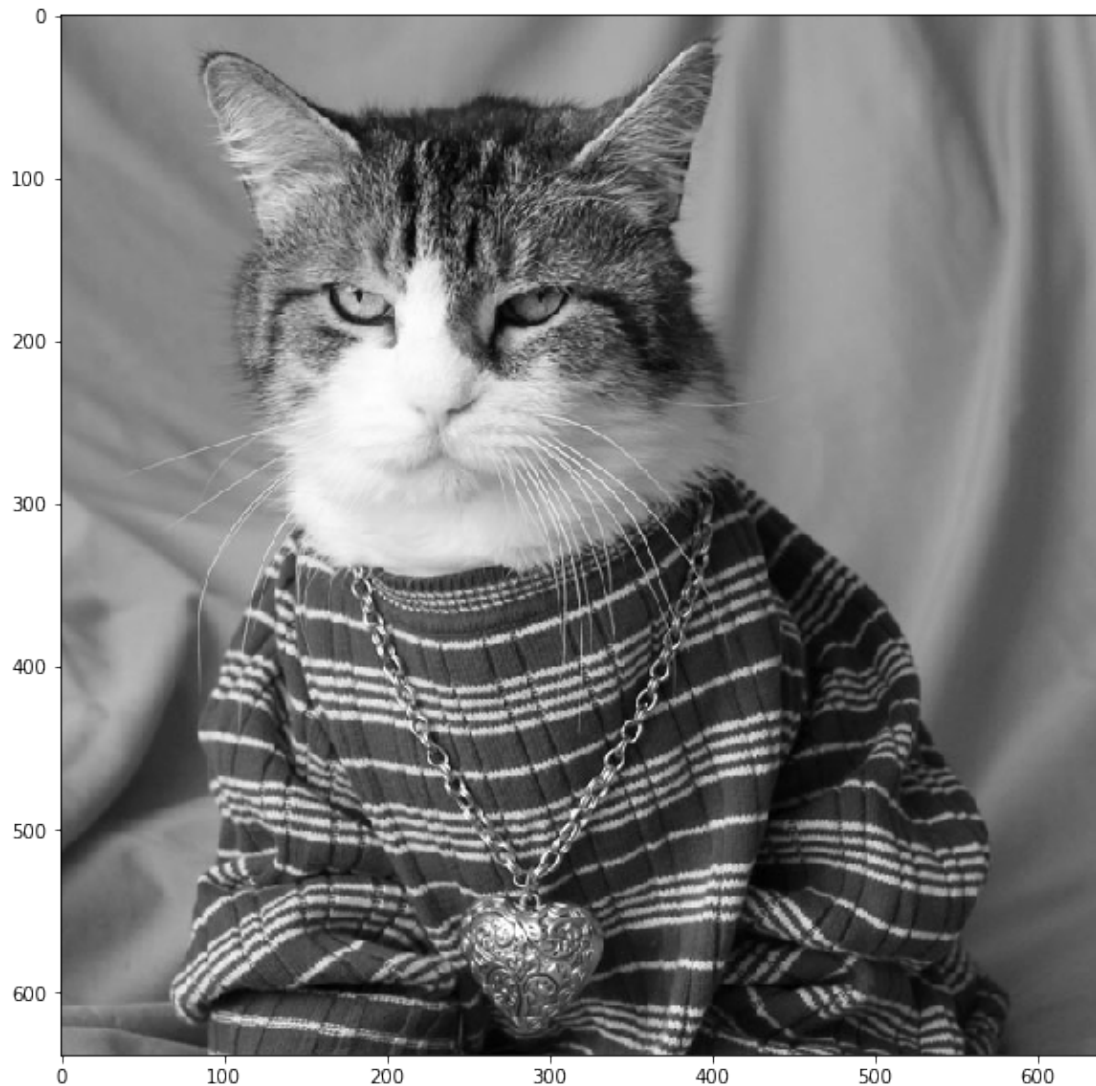
```
In [15]: import cv2
import numpy as np
import matplotlib.pyplot as plt
from scipy import ndimage

%matplotlib inline
```

1.2 2 Loading a Grayscale Image

```
In [23]: image = cv2.imread('images/cat.jpg', 0)
plt.figure(figsize=(15,10))
plt.imshow(image, cmap='gray')
```

```
Out [23]: <matplotlib.image.AxesImage at 0x1609dde8588>
```



1.3 3 Functions

Just a wrapper around built-in CV2 functions.

```
In [60]: def gaussian(image, size, std):
         """
         Applies gaussian filter to smooth image

         :param image: Open cv or numpy ndarray image
         :param size: The size of gaussian filter
         :param std: if 0, it will be calculated automatically, otherwise for x and y soul
         :return: An open cv image
         """
         return cv2.GaussianBlur(src=image, ksize=(size, size), sigmaX=std, sigmaY=std)
```

```
In [64]: def average(image, size):
        """
        Applies average filter to smooth image

        :param image: Open cv or numpy ndarray image
        :param size: The size of average filter
        :return: An open cv image
        """

        kernel = np.ones((size, size), dtype=np.float32) / (size ** 2)
        return cv2.filter2D(src=image, ddepth=-1, kernel=kernel)
```

1.4 4. Gaussian vs. Average

1. Applying 5x5 Average Filter
2. Applying 5x5 Gaussian Filter
3. Compare Using RMSE

1.4.1 4.A Applying 5x5 Average Filter

```
In [65]: size = 5
        average_blur = average(image, size)

        plt.figure(figsize=(15,10))
        plt.imshow(average_blur, cmap='gray')

Out[65]: <matplotlib.image.AxesImage at 0x1609e8f96d8>
```

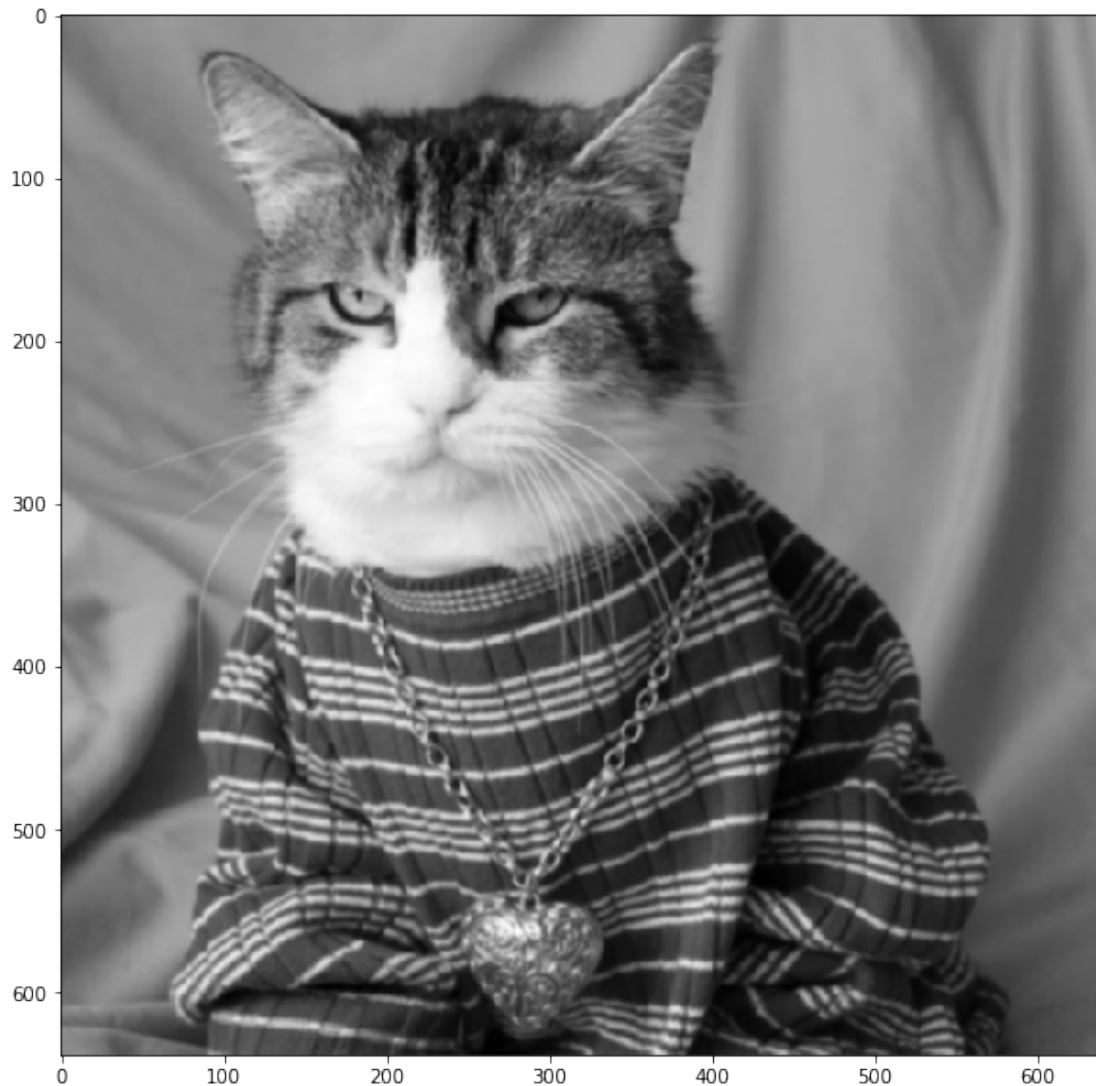


1.4.2 4.B Applying 5x5 Gaussian Filter

In this step we just need to use the defined gaussian filter then using `convolve2d` function for doing this.

```
In [66]: size = 5  
         std = 1  
         gaussian_blur = gaussian(image, size, std)  
  
         plt.figure(figsize=(15,10))  
         plt.imshow(gaussian_blur, cmap='gray')
```

```
Out[66]: <matplotlib.image.AxesImage at 0x1609e94c630>
```



1.4.3 4.C Compare Using RMSE

As images are same in term of size and content, RMSE can project the difference adequately.

```
In [67]: def RMSE(x, y):  
         """  
         Calculates Root Mean Squared Error of two ndim matrices  
  
         :param x: An ndim matrix  
         :param y: An ndim matrix  
         :return: A float number  
         """  
  
         return np.sqrt(np.sum((x - y) ** 2) / (x.shape[0] * x.shape[1]))
```

```
In [68]: print('RMSE between an image smoothed using a 5x5 average filter and original image: \n')
          print('RMSE between an image smoothed using a 5x5 gaussian filter with std=1 and orig: \n')
          print('RMSE between an image smoothed using a 5x5 gaussian filter with std=1 and a a !')
```

RMSE between an image smoothed using a 5x5 average filter and original image:

6.05276825272

RMSE between an image smoothed using a 5x5 gaussian filter with std=1 and original image:

5.25244116618

RMSE between an image smoothed using a 5x5 gaussian filter with std=1 and a 5x5 average filter

4.46572404171

1.5 5 Gaussian vs. 2X Gaussian

1. Applying 5x5 Gaussian Filter With $\sigma=1$ *Twice*
2. Applying a Gaussian Filter with Proper Size and $\sigma=\sqrt{2}$ *Once*
3. Compare Using RMSE

1.5.1 5.A Applying 5x5 Gaussian Filter With sigma1=1 Twice

This is same as previous step, the only difference is that we apply gaussian twice subsequently.

```
In [69]: size = 5
         std = 1
         gaussian_blur_twice = gaussian(image, size, std)
         gaussian_blur_twice = gaussian(gaussian_blur_twice, size, std)

         plt.figure(figsize=(15,10))
         plt.imshow(gaussian_blur_twice, cmap='gray')
```

```
Out[69]: <matplotlib.image.AxesImage at 0x1609eb2f278>
```



1.5.2 5.B Applying a Gaussian Filter with Proper Size and $\sigma = \sqrt{2}$ Once

To get the proper size, there is rule of thumb that says the filter size should be biggest odd number which is less than 6 times of sigma. In our case as sigma is $\sqrt{2}$, $6 \times \sigma = 8$ and the biggest odd number less than 8 is 7. So kernel size will be 7.

```
In [70]: size = 7
         std = np.sqrt(2)
         gaussian_blur = gaussian(image, size, std)

         plt.figure(figsize=(15,10))
         plt.imshow(gaussian_blur, cmap='gray')
```

```
Out [70]: <matplotlib.image.AxesImage at 0x1609eb85b70>
```




1.5.3 5.C Compare Using RMSE

As images are same in term of size and content, RMSE can project the difference adequately.

```
In [71]: print('RMSE between an image smoothed TWICE using a 5x5 gaussian filter with std=1 and
           RMSE(gaussian_blur_twice, image))
          print('RMSE between an image smoothed ONCE using a 7x7 gaussian filter with std=sqrt(2) and
           RMSE(gaussian_blur, image))
          print('RMSE between an image smoothed TWICE using a 5x5 gaussian filter with std=1 and
           RMSE(gaussian_blur, gaussian_blur_twice))
```

```
RMSE between an image smoothed TWICE using a 5x5 gaussian filter with std=1 and original image :
5.84284289425
```

```
RMSE between an image smoothed ONCE using a 7x7 gaussian filter with std=sqrt(2) and original image :
```


5.8536208248

RMSE between an image smoothed TWICE using a 5x5 gaussian filter with std=1 and ONCE using a 7x7 gaussian filter with std=1
0.297867518681

As we can see the last number which demonstrates the discrepancy between blurred image using 7x7 gaussian once and 5x5 gaussian twice is very small which is a depiction for high similarity between the outputs. So the idea of using multiple gaussians filter subsequently can be achieved using a higher (bigger size) gaussian is approximately true.