### T tests and ANOVA

#### Your name and student ID today's date

#### Part 1: T tests and NHANES

The NHANES is a large national survey conducted by the CDC. We will look at a reduced set of data from the NHANES for this lab.

```
##
## Attaching package: 'readr'

## The following objects are masked from 'package:testthat': ##
## edition_get, local_edition

##
## Attaching package: 'dplyr'

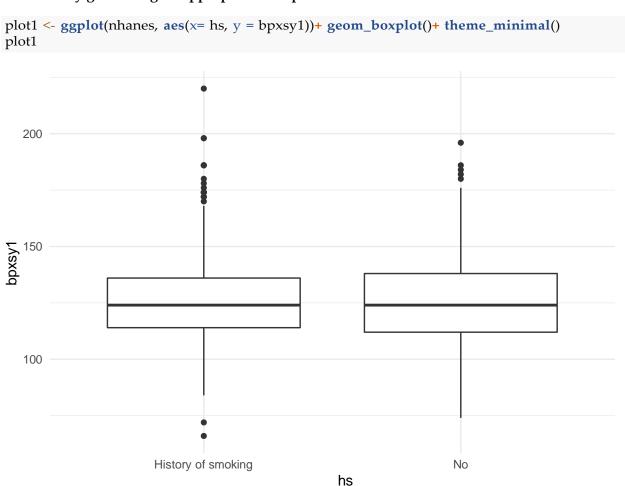
## The following object is masked from 'package:testthat': ##
## matches

## The following objects are masked from 'package:stats': ##
## filter, lag

## The following objects are masked from 'package:base': ##
## intersect, setdiff, setequal, union
```

```
## Rows: 2503 Columns: 40 ## Column specification ## Delimiter: ","
## -ehr (27): agegroup, gender,-military,--born,--eitizen,--drinkseat,--bmicat,--sys1... ## dbl (13):
ridageyr, drinks, bmxwt, bmxht, bmxbmi, bpxpls, bpxsy1, bpxsy2, bp... ##
## i Use 'spec()' to retrieve the full column specification for this data.
## i Specify the column types or set 'show_col_types = FALSE' to quiet this message.
```

### 1. [1 point] We are interested in looking at the systolic blood pressure, bpxsy, by history of smoking, hs. Start by generating an appropriate box plot to look at these data.



#### nhanes\$bpxdi1 # [1] # # [19] # # [37] # # [55] # # # # [73] [91] # [109]

#	[4 8	5 4	9 4	5 4	1 0	6	8 4	8 6	7 2	6 0	7 0	7 2	8 2	7 6	5 2	7 4	5 2	0	7 8
#	7] [5 0	8 2	3 4	5 6	6 9 8	0	6 6	7 2	7 6	8 2	7 4	7 2	5 6	7 8	8 4	5 6	7 6	7 4	8 4
#	5] [5 2 3]	7 6	6 6	5 8	7 8	6 2	7 0	5 0	6 0	7 4	9 2	5 8	7 4	8 6	7 0	8 2	7 8	8 6	9 8
#	[5 4 1]	7 6	5 8	7 4	6 8	9 2	5 6	7 0	7 6	6 8	7 4	6 4	5 8	6 4	6 8	7 2	7 0	7 6	7 6
#	[5 5 9]	6 4	1 0 6	6 2	6 8	4 6	6 2	8 8	7 4	9 6	6 6	8 2	5 2	8 6	8 6	8 4	7 0	7 2	6 8
#	[5 7	7 8	7 2	8 2	7 4	6 0	7 8	7 0	8 0	5 4	6 8	7 8	4 4	5 4	6 4	1 1 2	7 6	7 6	6 6
#	7] [5 9	7 4	8 8	7 0	0	7 0	8 2	7 0	8 0	7 6	7 4	6 4	5 8	7 8	7 2	7 2	7 8	7 8	6 0
#	5] [6 1	5 8	7 4	6 4	8 8	5 8	7 4	7 6	7 4	6 8	7 2	7 6	7 6	7 8	0	6 4	7 6	7 2	6 6
#	3] [6 3	9 4	8	6 6	7 4	5 0	7 2	4 8	8 4	7 4	7 2	6 2	7 4	8 8	5 8	6 2	4 2	5 6	7 2
#	1] [6 4	5 6	7 6	8 6	6 6	4 8	7 4	3	7 2	6 4	0	5 6	8	7 2	0	6 4	7 0	6 2	5 0
#	9] [6 6	9 2	7 6	8	7 0	8 0	8 4	5 6	5 2	7 6	6 6	6 4	7 0	6 8	6 8	6 0	6 4	6 2	7 2
#	7] [6 8	6 4	6 4	6 8	6 4	7 0	1 0	6 8	7 8	7 2	6 6	9	5 6	8 2	7 2	1 2	7 0	6 2	7 6
#	5] [7 0	6 6	7 2	6 6	1 0 0	6 8	4 5 8	7 2	7 8	6 6	5 6	6 8	5 8	7 8	7 2	2 6 4	7 6	5 8	7 2
#	3] [7 2	8 6	8 0	7 4	5 0	7 4	7 6	7 6	6 0	8 2	7 8	7 2	7 0	7 4	8	0	7 0	8 2	8 0
#	1] [7 3	5 0	7 2	8 4	7 6	7 4	7 4	5 4	8 4	6 8	7 8	5 4	7 2	<b>4</b> 0	7 6	7 6	8	7 4	9 0
#	9] [7 5	5 6	8 0	5 8	6 8	8 2	$\frac{4}{4}$	7 0	7 0	7 0	6 8	8 2	7 2	9 8	7 6	6 4	5 4	8 2	7 0
#	7] [7 7	7 6	6 8	7 4	7 6	6 6	6 2	8	7 6	8 2	6 0	7 2	5 8	6 6		7 6	7 2	7 2	4 8
#	5] [7 9	7 0	8 2	8 2	7 0	5 8	6 0	6 6	8 4	6 8	8	5 8	7 6	7 0		6 4	6 6	6 6	7 2
#	3] [8 1	$\begin{array}{c} 4 \\ 4 \end{array}$	7 0	6 4	6	7 2	6 8	7 2	6 2	6 8	9 6	5 8	6 6	6 2		7 8	6 8	2 8	6 6
#	1] [8 2 9]	6 8	7 0	8 2	7 0	6 0	5 6	8 0	7 4	7 4	5 0	6	5 8	8 0		9 4	6 2	8 4	7 4

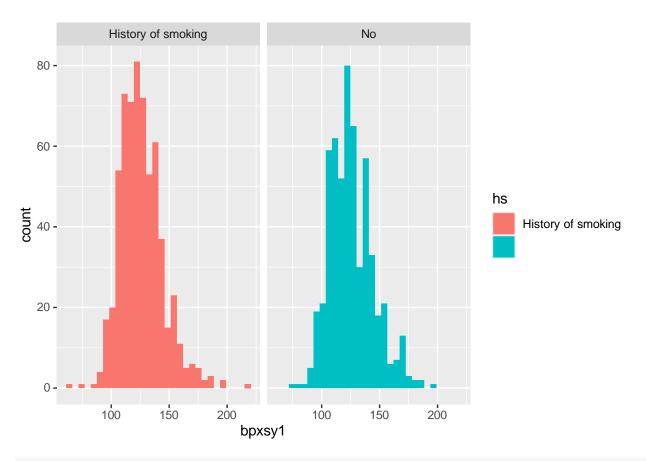
#	[8 4 7]	5 8	6 8	7 4	7 2	7 6	6 8	4 8	7 2	7 6	8 0	7 2	6 4	8 6	7 2	6 0	5 2	7 6	6 6
#	[8 6 5]	7 0	5 6	6 0	5 4	5 2	9 4	9 6	4 6	5 6	7 0	7 8	7 6	9	6 2	7 4	8 2	7 6	6 0
#	[8 8 3]	7 4	4 4	7 8	6 6	6 0	1 0 0	6 6	8	6 0	6 2	6 0	6 4	7 8	8 6	4	6 2	6 6	5 8
#	[9 0 1]	8 0	7 4	$7\\4$	7 8	5 8	7 8	5 8	8 0	7 2	7 6	5 6	8 4	7 2	7 8	6 0	6 4	6 6	8 2
#	[9 1 9]	6 6	7 8	8 8	4 8	5 8	8 2	$\begin{array}{c} 4 \\ 4 \end{array}$	7 4	8 6	7 8	7 2	6 8	8 0	7 2	8	7 8	8 8	6 8
#	[9 3 7]	6 8	8 2	7 0	6 8	6 2	7 2	7 2	6 6	8 4	6 8	7 4	8 0	8 6	8 6	8	7 0	7 4	8 4
#	[9 5	3 8	8 0	7 6	8 4	5 8	6 4	7 2	7 8	2 6	7 2	8 0	7 4	7 8	5 6	7 4	8 2	6 8	7 8
#	5] [9 <i>7</i> 3]	7 2	6 4	6 8	6 4	7 8	7 8	7 4	6 4	7 2	7 8	6 4	6 6	9 0	7 4	7 0	8 0	7 0	6 6
#	[9 9 1]	5 6	6 8	6 2	5 6	7 4	8 4	6 6	5 6	6 4	5 8	7 6	6 8	5 8	7 2	8 2	6 6	7 4	5 8
#	[10 09]	6 2	7 2	7 4	7 8	1 0	7 8	6 2	4 0	7 2	6 6	6 0	8 2	6 6	8 4	8	8 4	7 4	5 6
# # # #	[10 27] [10 45] [10 63]	7 8 8 0 1 0 0	8 2 5 2 7 0	7 2 3 4 7 2	6 4 7 6 5 6	0 7 2 6 2 7 6	6 2 7 2 8 8	6 4 5 6 7 8	7 0 9 8 7 2	6 8 7 4 5 2	5 4 6 0 8 2	7 8 8 4 6 2	8 8 6 8 7 0	6 0 7 8 6 0	7 4 6 8 6 0	5 2 6 8 6 2	5 6 6 8 7 6	0 0 7 4	7 4 7 4 6 6
# # # #	[10 81] [10 99] [11 17]	6 4 7 8 9	7 6 8 4 9 4	6 8 6 0 6 8	7 0 8 2 6 8	7 0 6 4 6	5 8 7 6 5 8	5 2 7 4 5 8	8 0 6 8 8	6 0 7 2 4 6	7 0 8 2 7 0	5 0 7 2 8 2	0 7 8 6 6	7 4 7 6 6 8	5 8 7 4 6 4	5 4 5 4 5 6	7 4 7 8 8 2	7 4 8 2 7 0	8 4 6 6 7 2

. = ottr::check("tests/p1.R")

##

#### 2. [1 point] Now generate a set of faceted histograms that show the same data.

## 'stat\_bin()' using 'bins = 30'. Pick better value with 'binwidth'.



No

. = ottr::check("tests/p2.R")

3. [1 point] Summarize the means and standard deviations of the systolic blood pressurea for each category of hs. Assign p3 to a dataframe with the mean systolic blood pressures assigned to mean\_bp and the standard deviations assigned to sd\_bp.

- 4. Do we meet the all of the assumptions to run a two-sample t-test? Why or why not?
  - 1. The observation are independent. 2, Mean (group) is normally distributed.
  - 2. The sample(group) variance needs to be equal.
- 5. State the null and alternative hypotheses in the context of this question.

Ho: The mean SBP of smokers is equal to the mean SBP of non-smokers. Ha: The mean SBP of smokers is not equal to the mean SBP of non-smokers.

6. [1 point] Use an R function to test if the variability gives enough evidence to reject the null hypothesis of no difference between mean blood pressure by smoking history.

```
p6 <- t.test(bpxsy1 ~ hs, data = nhanes)
p6
   Welch Two Sample t-test ##
         bpxsy1 by hs
## data:
## t = 0.23094, df = 1161.9, p-value = 0.8174
## alternative hypothesis: true difference in means between group History of smoking and group No
is no ## 95 percent confidence interval:
## -1.883164 2.385630
## sample estimates:
## mean in group History of smoking
                                                     mean in group No
                           126.1260
                                                             125.8748
##
. = ottr::check("tests/p6.R")
## All tests passed!
```

### 7. Use these results to interpret your p-value in the context of this question. Do you reject or fail to reject the null hypothesis?

Under the null hypothesis, we have 81.74% of chance of seeing a difference between our two sample is 0.2512. There we would fail to reject the null hypothesis and not conclude that there is a significance difference between the SBP of smokers vs non-smokers.

Repeat your analysis above without using the t.test() function.

8. [1 point] First calculate the test statistic by hand. Do not round and assign this value to t\_stat.

```
# this code gives you the number of smokers in the dataset
n_s <- nrow(nhanes %>% filter(hs == 'History of smoking'))
n_s
## [1] 619
# this code gives you the number of non-smokers in the dataset
n_ns <- nrow(nhanes %>% filter(hs == 'No'))
n_ns
## [1] 559
# calculate your test statistic. You can make more objects if you wish.
t_stat <- 0.2512/ sqrt((18.56617^2 / n_s) + (18.71515^2/ n_ns))
t_stat
## [1] 0.2309112
. = ottr::check("tests/p8.R")
##
## All tests passed!
9. [1 point] Now compare your test statistic to a t-distribution with df = 558 and calculate the p-
value. This is an approximation using the smaller of the two sample sizes - 1.
p_value \leftarrow pt(0.2309112, df = 558, lower.tail = FALSE) *2
p_value
## [1] 0.8174684
. = ottr::check("tests/p9.R")
## All tests passed!
```

10. [1 point] Finally, construct a 99% confidence interval for these data. Interpret the interval in the context of this question and decide whether or not to reject the null hypothesis.

```
CV <- qt(0.005, df = 558, lower.tail = FALSE)

SE <- sqrt((18.56617^2 / n_s) + (18.71515^2 / n_ns))

lowerbound <- 0.2512 - CV * SE

upperbound <- 0.2512 + CV * SE

conf_int <- c(lowerbound, upperbound)

conf_int
```

```
## [1] -2.560568 3.062968
```

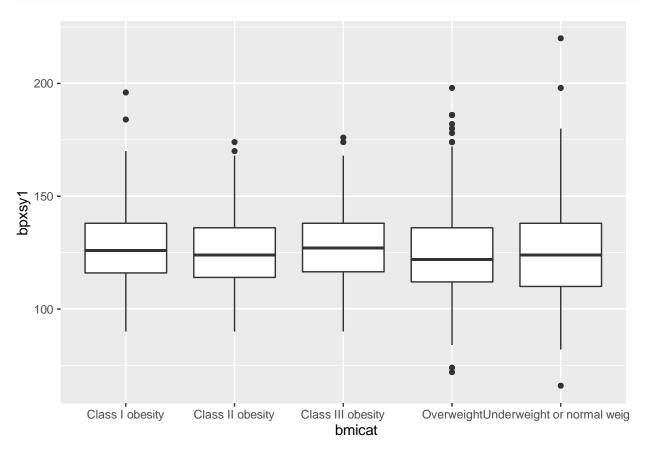
Our 99% conifdence interval for mean difference of SBP in smoker and non-smokers is (-2.560568 3.062968)

```
. = ottr::check("tests/p10.R")

##
## All tests passed!
```

#### Part 2: ANOVA

11. [1 point] We are interested in looking at the systolic blood pressure, bpxsy1, by BMI category, bmicat. Generate an appropriate box plot to visualize these data.

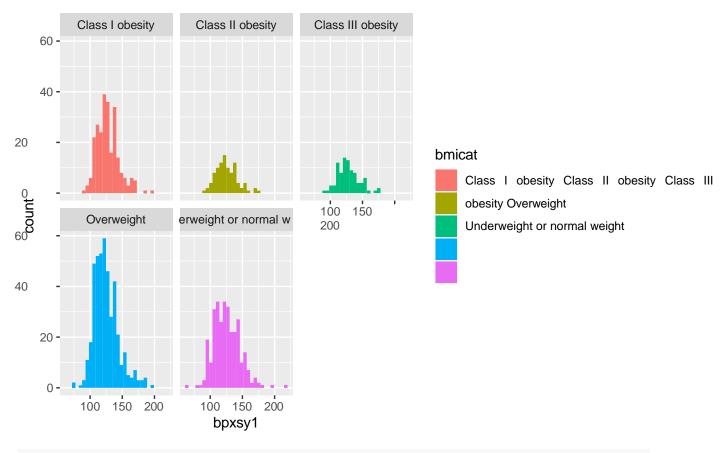


. = ottr::check("tests/p11.R")

##

## 12. [1 point] Now generate a set of faceted histograms that show the same data. It might be useful to assign a fill color to each category.

## 'stat\_bin()' using 'bins = 30'. Pick better value with 'binwidth'.



. = ottr::check("tests/p12.R")

##

13. [1 point] Summarize the means and standard deviations of the outcome for each BMI category. Assign p13 to a dataframe with the mean systolic blood pressure assigned to mean\_bp and the standard deviation assigned to sd\_bp.

```
p13 <- nhanes %>% group_by(bmicat) %>% summarize(mean_bp = mean(bpxsy1),
                                                  sd bp = sd(bpxsy1)
p13
## # A tibble: 5 x 3
##
                                  mean bp sd bp
     bmicat
##
     <chr>
                                     <dbl> <dbl>
## 1 Class I obesity
                                      128. 17.0
## 2 Class II obesity
                                      126.
                                            16.9
## 3 Class III obesity
                                            17.0
                                      128.
## 4 Overweight
                                            19.0
                                      125.
## 5 Underweight or normal weight
                                      125.
                                            20.3
. = ottr::check("tests/p13.R")
## All tests passed!
```

14. [1 point] Use an R function to test whether there is evidence to reject the null hypothesis of no difference between mean blood pressure by BMI category.

```
p14 <- aov(bpxsy1 ~ bmicat, data = nhanes)
tidy(p14) # tidy displays your output. It lives in the `broom` package
## # A tibble: 2 x 6
                       sumsq meansq statistic p.value
##
                  df
     term
                        <dbl>
##
     <chr>
               <dbl>
                               <dbl>
                                         <dbl>
                                                  <dbl>
                                          1.19
## 1 bmicat
                        1651.
                                413.
                                                  0.314
## 2 Residuals
                1173 406837.
                                347.
                                         NA
                                                NA
. = ottr::check("tests/p14.R")
                                                                                              ##
## All tests passed!
```

# 15. [1 point] Conduct a Tukey's HSD test using these data. What can you conclude assuming a standard error rate of 5%?

p15 <- TukeyHSD(p14) tidy(p15)

## ##	# A tibb? term <chr></chr>	le: 10 x 7 contrast	null.value <dbl></dbl>	estimate c	onf.low cor <dbl></dbl>	nf.high adj. <sub>]</sub> <dbl></dbl>	p.value ##
# #	1 bm	Class II obesity-C~		-2.09	-8.19	4.01	0
	t						8 8 3
2 bm ica	Class III obesity-~	0	0.63 8	-5.61	6.89	0	
	t						9 9 9
	3 bm ica	Overweight-Class I~	0	-2.60	-6.63	1.43	0 3
	t						3 9 6
4 bm ica	ica	Underweight or nor~	0	-2.18	-6.51	2.16	0
	t						6 4 6
5 bm ica	Class III obesity-~	0	2.73	-4.74	10.2	0	
	t						8 5 6
	6 bm ica t	Overweight-Class I~	0	0.51 0	-6.25	5.23	0 9
				O			9 9
	7 bm ica t	Underweight or nor~	0	- 0.08 71	-6.04	5.87	1 0
	8 bm	Overweight-Class I~	0	-3.24	-9.13	2.66	0 0
	ica t						5 6
9 bm		Underweight or nor~	0	-2.81	-8.92	3.29	6 2 0
	ica t						7 1
	1 bm	Underweight or nor~	0	0.42	-3.38	4.22	6 0
	0 ica t			3			9 9
							8

Based on the Tukey's HSD test results and a standard error rate of 5%, we can conclude that there is statistically significant differences between the group means we have compared. Therefore, we fail to reject the null hypothesis of no difference between mean blood pressure by BMI category.

. = ottr::check("tests/p15.R")