```
22222
          ASSIGNMENT 07
                          22222
%%%%%%%% PROBLEM 01 %%%%%%%%%%%%
fprintf('\nOutput for problem 01:\n')
clc
k=48;s0=50;r=.12;s1=60;s2=42;t=.5;
u=s1/s0;d=s2/s0;
Cu=max(s1-k,0); Cd=max(s2-k,0);
delta=(Cu-Cd)/(s0*(u-d));
C_0=delta*s0*(1-u*exp(-r*t))+Cu*(exp(-r*t))
p=(exp(r*t)-d)/(u-d);
C_1 = \exp(-r*t)*(p*Cu+(1-p)*Cd)
if(C_0-C_1<10^-12)</pre>
  fprintf('\t\t\same value\n\n\n')
end
clear
%%%%%%%% PROBLEM 02 %%%%%%%%%%%%
fprintf('\nOutput for problem 02:\n')
s0=30;k=30;u=1+.08;d=1-.1;r=.05;
s1=s0*u;s2=s0*d;s11=s0*u*u;s12=s0*u*d;s22=s0*d*d;
T=4/12;L=2;t=T/L;
Cuu = (max(30-s11,0))^2;
Cud=(\max(30-s12,0))^2;
Cdd = (max(30-s22,0))^2;
p=(exp(r*t)-d)/(u-d);
Cu=max(exp(-r*t)*(p*Cuu+(1-p)*Cud),(max(30-s1,0))^2);
Cd=max(exp(-r*t)*(p*Cud+(1-p)*Cdd),(max(30-s2,0))^2);
C01=exp(-r*t)*(p*Cu+(1-p)*Cd);
```

```
fprintf('\n\nAmericano: %f\n\n',C01);
Cu = \exp(-r*t)*(p*Cuu+(1-p)*Cud);
Cd = exp(-r*t)*(p*Cud+(1-p)*Cdd);
C02=exp(-r*t)*(p*Cu+(1-p)*Cd);
fprintf('Europa: %f\n\n',C02);
if(abs(C01-C02)<10^-8)
   disp('No need to exercise early')
end
응응응응응응응응응응
fprintf('\nN-Step Binomial Tree\n\n')
c=zeros(1000,1000);
p=(exp(r*t)-d)/(u-d);
for j=L+1:-1:1
   for i=1:j
      if(j==L+1)
         c(i,j)=(\max(30-s0*u^{(L-i+1)*d^{(i-1)},0)})^2;
      else
         c(i,j)=exp(-r*t)*(p*c(i,j+1)+(1-p)*c(i+1,j+1));
      end
   end
end
for i1=1:i-1
      fprintf('
                      ')
   end
  for j=i:L+1
      fprintf(" %10.6f",c(i,j))
   end
   disp(' ')
end
%%%%%%%% PROBLEM 03 %%%%%%%%%%%%
fprintf('\nOutput for problem 03:\n')
clear
s0=40; k=40; r=.04; v=.3; T=0.5;L=5%input('Step size= ');
c=zeros(1000,1000);
t=T/L;
u=exp(v*sqrt(t))
```

```
d=1/u
p=(exp(r*t)-d)/(u-d)
for j=L+1:-1:1
   for i=1:j
      if(j==L+1)
         c(i,j)=(\max(s0*u^{(L+1-i)*d^{(i-1)-k,0)});
      else
         c(i,j)=exp(-r*t)*(p*c(i,j+1)+(1-p)*c(i+1,j+1));
      end
   end
end
fprintf('Option Value: %f \n\nThe %d step binomial tree is:\n
n', c(1,1), L
for i=1:L+1%%%%%%%%%% Tree Printing %%%%%%% Print na korleo hobe
   for i1=1:i-1
      fprintf('
                     ')%%%%%%%%%% Space Printing
   end
  for j=i:L+1
      fprintf(" %10.6f",c(i,j))
   end
   disp('')
end
fprintf('\nOutput for problem 04:\n')
disp('')
clear
s=[30.2\ 32\ 31.1\ 30.1\ 30.2\ 30.3\ 30.6\ 33\ 32.9\ 33\ 33.5\ 33.5\ 33.7\ 33.5
33.2]';
n=length(s)-1;
for i=1:n
   u(i) = log(s(i+1)/s(i));
```

```
end
SD=sqrt(sum(u.*u)/(n-1)-(sum(u))^2/(n*(n-1)));%(u*u')
Volatility=SD/sqrt(5/252)
Standard Error=Volatility/(sgrt(2*n))
fprintf('\nOutput for problem 05:\n')
disp('')
clear
k=5; r=.04; v=.2; T=.5; s(1)=5; ic=0; L=1000; R=10^4; m=10^3; step=[L:m:R];
for n=step
   phi=randn(n,1);t=T/n;
   for i=1:n
      s(i+1)=s(i)*exp((r-.5*v*v)*t+v*phi(i)*sqrt(t));
      p(i) = (\max(k-s(i), 0)) * \exp(-i*r*t);
      c(i) = (\max(s(i)-k,0))*\exp(-i*r*t);
          N(x) = (1 + Erf(x/?2))/2
                              N(-d1)=1-N(d1)
   end
   ic=ic+1;s0=s(ic);
   Call(ic)=mean(c);Put(ic)=mean(p);
                                 응응응응
                                         Option Values
   CallParity(ic)=Call(ic)+s0;PutParity(ic)=Put(ic)+k*exp(-r*T);; %%
Parity Checking
   d1=(log(s0/k)+(r+v^2/2)*T)/(v*sqrt(T));
                                       d2=d1-(v*sqrt(T));
   Nd1=(1+erf(d1/sqrt(2)))/2;
                                    Nd2=(1+erf(d2/sqrt(2)))/2;
   C0(ic)=s0*Nd1-k*exp(-r*T)*Nd2;
                               P0(ic)=k*exp(-r*T)*(1-Nd2)-
s0*(1-Nd1);
end
CallOption____Put__CallParity__PutParity__CO____PO_Error=[Call'
Put' CallParity' PutParity' C0' P0',abs(CallParity'-PutParity')] %%%
Parity checking
plot(step,Call,'*',step,Put,'d',step,CallParity,step,PutParity,step,C0,'*',step,P0
PutParity'), 'h')
legend('Call','Put','CallParity','PutParity','Exact_C','Exact_P','Error')
title('Figure showing all the derivatives')
xlabel('Steps')
ylabel('Value of the derivatives')
Output for problem 01:
C\_0 =
```

 $C_1 =$ 6.9639 Same value Output for problem 02: Americano: 5.392846 Europa: 5.392846 No need to exercise early N-Step Binomial Tree 5.392846 0.278467 0.000000 13.243528 0.705600 32.490000 Output for problem 03: L = 5 u = 1.0995 d =0.9095 p =0.4974 Option Value: 3.922904

The 5 step binomial tree is:

6.9639

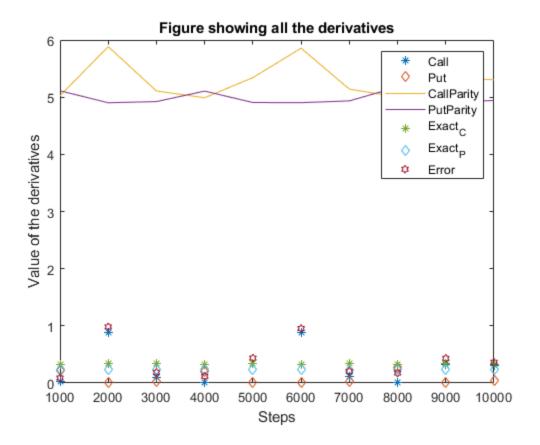
Volatility =

0.2047

Standard_Error =

0.0387

| CallOption | Put | _CallParity_ | _PutParityC0 | | P0_Error = | |
|------------|--------|--------------|--------------|--------|------------|--------|
| | | | | | | |
| 0.0243 | 0.2103 | 5.0243 | 5.1113 | 0.3314 | 0.2323 | 0.0870 |
| 0.8793 | 0.0011 | 5.8843 | 4.9021 | 0.3343 | 0.2303 | 0.9822 |
| 0.0966 | 0.0219 | 5.1082 | 4.9229 | 0.3381 | 0.2276 | 0.1853 |
| 0.0010 | 0.2052 | 4.9901 | 5.1062 | 0.3250 | 0.2369 | 0.1161 |
| 0.3394 | 0.0055 | 5.3422 | 4.9065 | 0.3330 | 0.2312 | 0.4357 |
| 0.8753 | 0.0026 | 5.8568 | 4.9036 | 0.3206 | 0.2401 | 0.9532 |
| 0.1170 | 0.0341 | 5.1408 | 4.9351 | 0.3454 | 0.2226 | 0.2057 |
| 0.0170 | 0.2763 | 5.0034 | 5.1773 | 0.3235 | 0.2381 | 0.1739 |
| 0.3284 | 0.0067 | 5.3393 | 4.9077 | 0.3378 | 0.2278 | 0.4316 |
| 0.3141 | 0.0418 | 5.3052 | 4.9428 | 0.3262 | 0.2361 | 0.3624 |



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