```
clc
clear
a=[2 4 4 1; 10 3 7 7; 6 7 20 5];d=[50 100 150
200];s=[150;200;150];m=3;n=4;
Given_Problem=[a s;d sum(d)]
fprintf("The initial Matrix,") %%%%%
                                        Initial function created %%%
[b,Initial_LCM_Cost]=LCM(a,d,s,m,n)%Initial_Solution=[b s;d sum(d)]
fprintf("\n\n\nRoundwise Cij-Ui-Vj Matrix,")
c=optCheck(a,b,m,n) %%%%%%%%% Optimality
                                          88888888888
88888888888
[p,q]=find(min(min(c))==c,1);
T=0;
for i=1:m
   for j=1:n
        if(b(i,j)\sim=0 \&\& (i==p||j==q))
           if(i==p)
               for k=1:m
                   if(b(k,q) \sim = 0 \&\& b(k,j) \sim = 0)
                         T = -5;
                         dsub=min(b(k,q),b(i,j));
                         b(p,q)=b(p,q)+dsub;
                         b(k,q)=b(k,q)-dsub;
                         b(k,j)=b(k,j)+dsub;
                         b(i,j)=b(i,j)-dsub;
                         break
                   end
               end
           else
               for k=1:n
                   if(b(k,q)\sim=0 \&\& b(k,j)\sim=0)
                         T = -5;
                         dsub=min(b(i,j),b(p,k));
                         b(p,q)=b(p,q)-dsub;
                         b(i,j)=b(i,j)-dsub;
                         b(i,k)=b(i,k)-dsub;
                         b(p,k)=b(p,k)-dsub;
                         break
                   end
               end
           end
           break
       end
    end
    if(T==-5)
       break
    end
end
```

```
fprintf("\n\nROundwise Cij-Ui-Vj Matrix,")
fprintf("Solution Matrix,")
b
end
fprintf("The optimality condition satisfied and hence the cost is: %d
n^n, sum(sum(b.*a)))
function[c]=optCheck(a,b,m,n)
c=zeros(m,n);
[pq]=find(0\sim=b);
u(1:m) = intmax;
v(1:n)=intmax;
u(p(1))=0;%%% Initialisation for u v
while(sum(intmax==u)+sum(intmax==v)~=0)
    [u\ v]=solv(u,v,p,q,a); %Solve with a simple function
end
for i=1:m %%%%% Optimality Checking at empty cell
    for j=1:n
       if(b(i,j)==0)
            c(i,j)=a(i,j)-u(i)-v(j);
        end
    end
end
end
function[u v]=solv(u,v,p,q,a)
k=length(p);
for i=1:k
    if(u(p(i)) \sim = intmax)
        v(q(i))=a(p(i),q(i))-u(p(i));
   end
% end
% for i=1:k
    if(v(q(i)) \sim = intmax)
        u(p(i))=a(p(i),q(i))-v(q(i));
    end
end
end
function [outputArg2,outputArg1] = LCM(Cost,d,s,m,n)
a=Cost;
b=zeros(m,n);
while ((sum(d) + sum(s) > 0))
   mm=min(min(a));
    [p,q] = find(a==mm,1);
   b(p,q)=min(s(p),d(q));
    s(p)=s(p)-b(p,q);d(q)=d(q)-b(p,q);
    if(s(p)==0)
       a(p,:)=intmax;
   else
       a(:,q)=intmax;
```

```
end
end
sm=sum(sum(Cost.*b));
outputArg1 = sm;
outputArg2 = b;
end
Given_Problem =
    2
          4
             4 1
                       150
   10
          3
              7
                   7
                        200
          7
    6
              20
                   5
                        150
   50
      100
             150
                   200
                        500
The initial Matrix,
b =
    0
                   150
        0
              0
    0
      100
            100
                   0
   50
        0
              50
                   50
Initial_LCM_Cost =
       2700
Roundwise Cij-Ui-Vj Matrix,
c =
    0
        -8 -12
                   0
   17
         0
                    15
              0
    0
         -9
              0
ROundwise Cij-Ui-Vj Matrix,
c =
    0
          4
              0
                    0
    5
          0
              0
                    3
    0
          3
                    0
              12
Solution Matrix,
b =
                  100
          0
    0
             50
```

0 100

The optimality condition satisfied and hence the cost is: 2100

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