

Cryptography & Network Security

PRN - 2019BTECS00026

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Batch - B1

Assignment - 8

Title: Euclidean and Extended Euclidean Algorithm

Aim: To Demonstrate Euclidean and Extended Euclidean Algorithm

Theory:

In mathematics, the Euclidean algorithm, or Euclid's algorithm, is an efficient method for computing the greatest common divisor (GCD) of two integers (numbers), the largest number that divides them both without a remainder.

The extended Euclidean algorithm is particularly useful when a and b are coprime. With that provision, x is the modular multiplicative inverse of a modulo b , and y is the modular multiplicative inverse of b modulo a .

Code:

```
def gcd(A, M):  
    if A == 0:  
        return M  
    return gcd(M % A, A)  
  
def modInverse(A, M):  
    m = M  
    y = 0
```

```

x = 1

if (M == 1):
    return 0

while (A > 1):
    q = A // M
    t = M
    M = A % M
    A = t
    t = y
    y = x - q * y
    x = t

if (x < 0):
    x = x + m

return x

# A =
64324281538482737611873044701534200541037160135092884965685014532815140417
01282284606029140622859329

# X =
53211498504468033215839329915330337289153458911678113420678537605173972997
79591467187490852174391903

# M =
34227914108859549112090175664574780960566395810040863485466385078705233752
16157007565302295541354669484500347299470224831129942087853904154717533231
1829055758977182751275432094586376377033351685613086

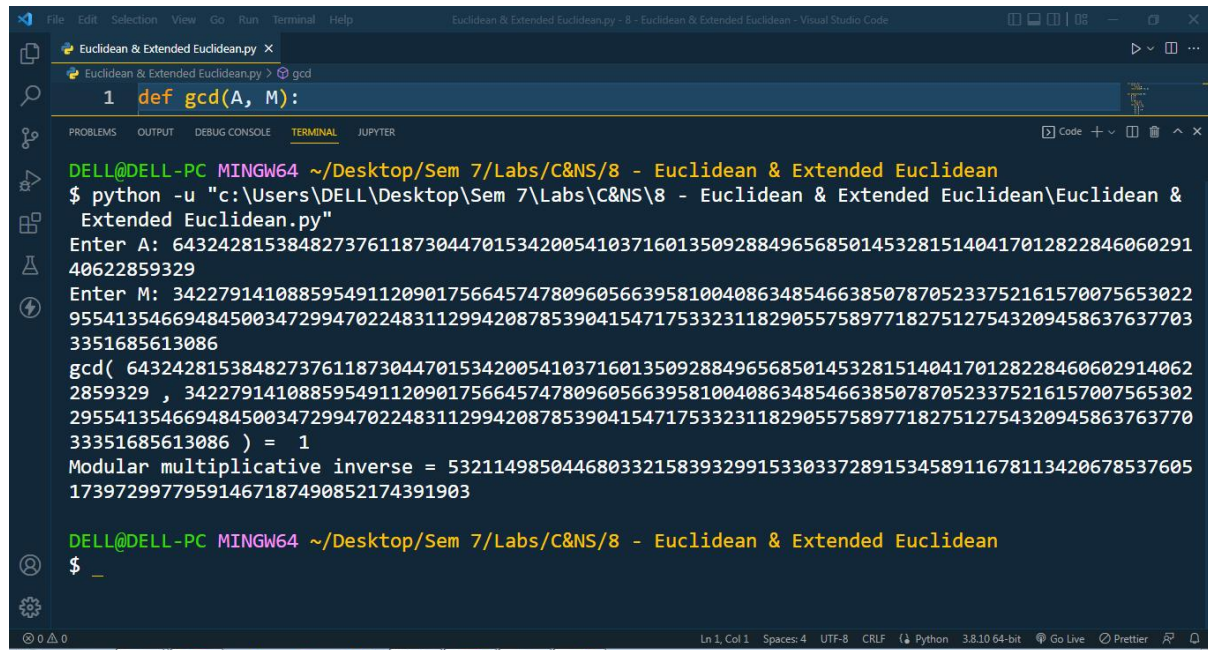
# A * X = 1 mod M

A = int(input("Enter A: "))
M = int(input("Enter M: "))

```

```
print("gcd(", A, ",", M, ") = ", gcd(A, M))  
print("Modular multiplicative inverse = ", modInverse(A, M))
```

Output:



```
Euclidean & Extended Euclidean.py - 8 - Euclidean & Extended Euclidean - Visual Studio Code  
Euclidean & Extended Euclidean.py > gcd  
1 def gcd(A, M):  
  
DELL@DELL-PC MINGW64 ~/Desktop/Sem 7/Labs/C&NS/8 - Euclidean & Extended Euclidean  
$ python -u "c:\Users\DELL\Desktop\Sem 7\Labs\C&NS\8 - Euclidean & Extended Euclidean\Euclidean &  
Extended Euclidean.py"  
Enter A: 64324281538482737611873044701534200541037160135092884965685014532815140417012822846060291  
40622859329  
Enter M: 34227914108859549112090175664574780960566395810040863485466385078705233752161570075653022  
95541354669484500347299470224831129942087853904154717533231182905575897718275127543209458637637703  
3351685613086  
gcd( 643242815384827376118730447015342005410371601350928849656850145328151404170128228460602914062  
2859329 , 3422791410885954911209017566457478096056639581004086348546638507870523375216157007565302  
29554135466948450034729947022483112994208785390415471753323118290557589771827512754320945863763770  
3351685613086 ) = 1  
Modular multiplicative inverse = 53211498504468033215839329915330337289153458911678113420678537605  
17397299779591467187490852174391903  
  
DELL@DELL-PC MINGW64 ~/Desktop/Sem 7/Labs/C&NS/8 - Euclidean & Extended Euclidean  
$ _
```

Conclusion:

The Euclidean and Extended Euclidean algorithm are used to find the GCD of numbers and the Multiplicative inverse of two coprime numbers respectively.