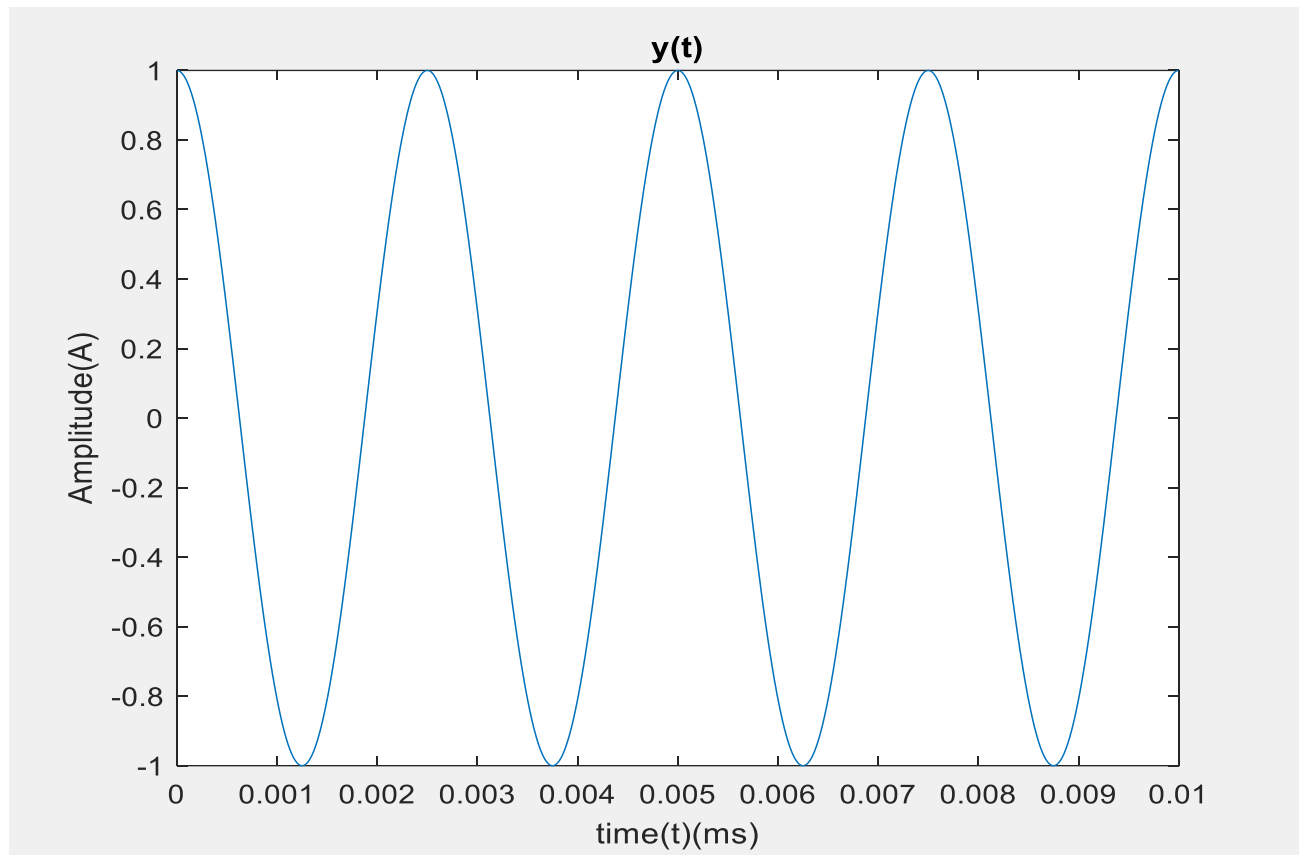


1.

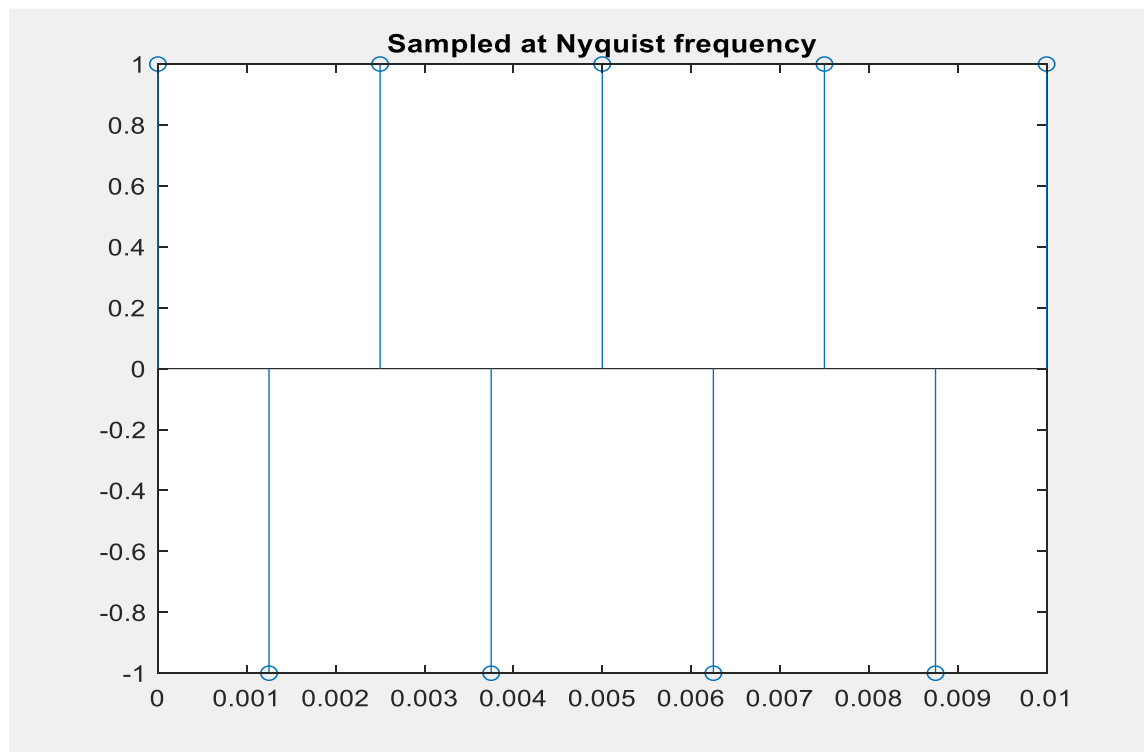


2.

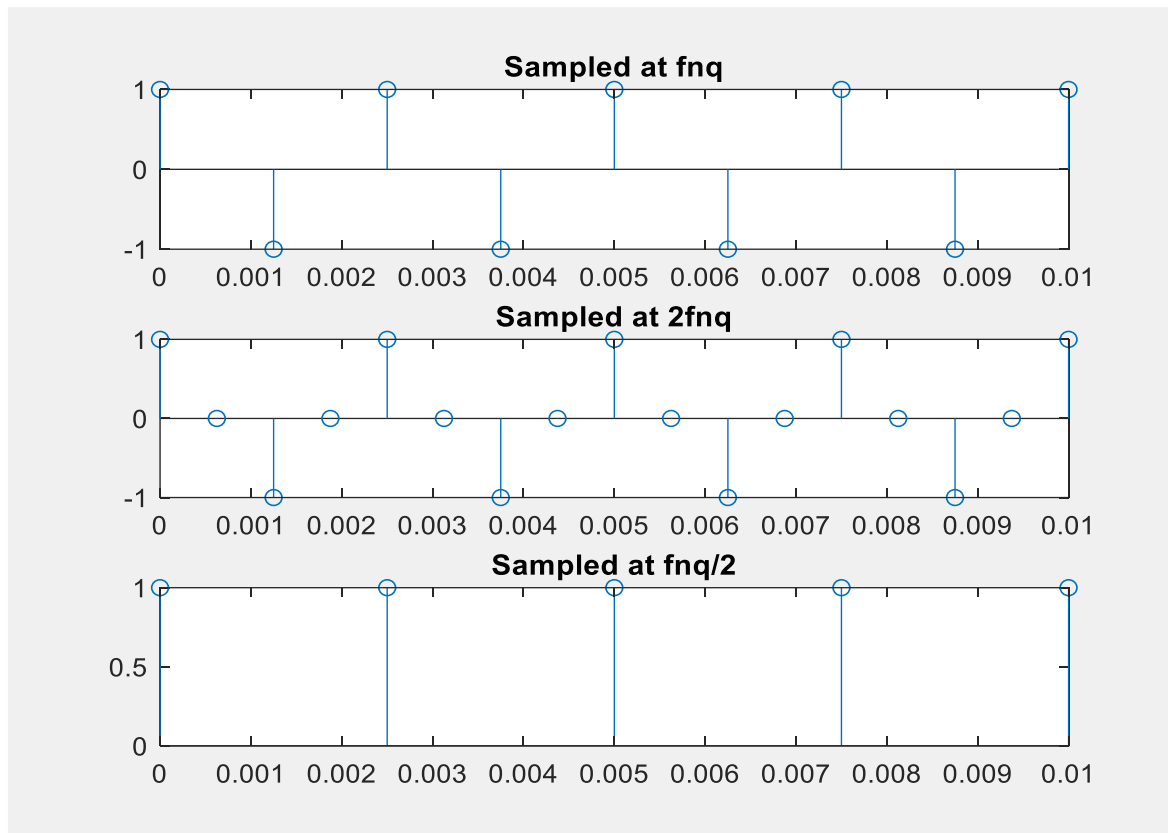
$$\begin{aligned}\text{Nyquist Sampling frequency } (f_{\text{ny}}) &= 2 \times f \\ &= 2 \times 400 = 800 \text{ Hz}\end{aligned}$$

s

### 3. Sampled signal



4.



When the sampling frequency increases from  $f_{nq}$  to  $2f_{nq}$  the number of samples increases. Since sampling frequency is doubled the number of samples also doubled.

On the other hand, when sampling frequency decreases from  $f_{nq}$  to  $f_{nq}/2$  the number of samples decreases. Since sampling frequency is halved the number of samples also halved. Further there is no negative value samples when sampling frequency is halved( $f_{nq}/2$ ).

5.

05)

Let's assume that quantization error is equally likely distributed over the range of  $\{-\frac{\Delta v}{2}, \frac{\Delta v}{2}\}$ .

$\Delta v \rightarrow$  gap between two quantized levels.

In this case  $SN_{qR}$  can be derived as,

$$SN_{qR} = \frac{3L^2 \overline{y^2(t)}}{A^2}$$

$$y(t) = A \cos(2\pi ft) = 1 \cdot \cos(2\pi ft)$$

$$\overline{y^2(t)} = \frac{A^2}{2} = \frac{1}{2}$$

$L =$  No. of intervals (levels)

$$\begin{aligned}
 \text{SNR} &\geq 25\text{dB} \\
 \frac{3L^2 \overline{y^2(t)}}{A^2} &\geq 10^{2.5} \\
 L^2 &\geq \frac{10^{2.5} \times 1}{3 \times 1/2} \\
 L^2 &\geq 210.81 \\
 L &\geq 14.5 \\
 \text{So, the number quantization level is } 16, \\
 &\text{(minimum)}
 \end{aligned}$$

$(L = 2^n)$   
 $n = \text{no. of bits}$

Minimum Quantization levels(L) = 16. , number of bits = 4

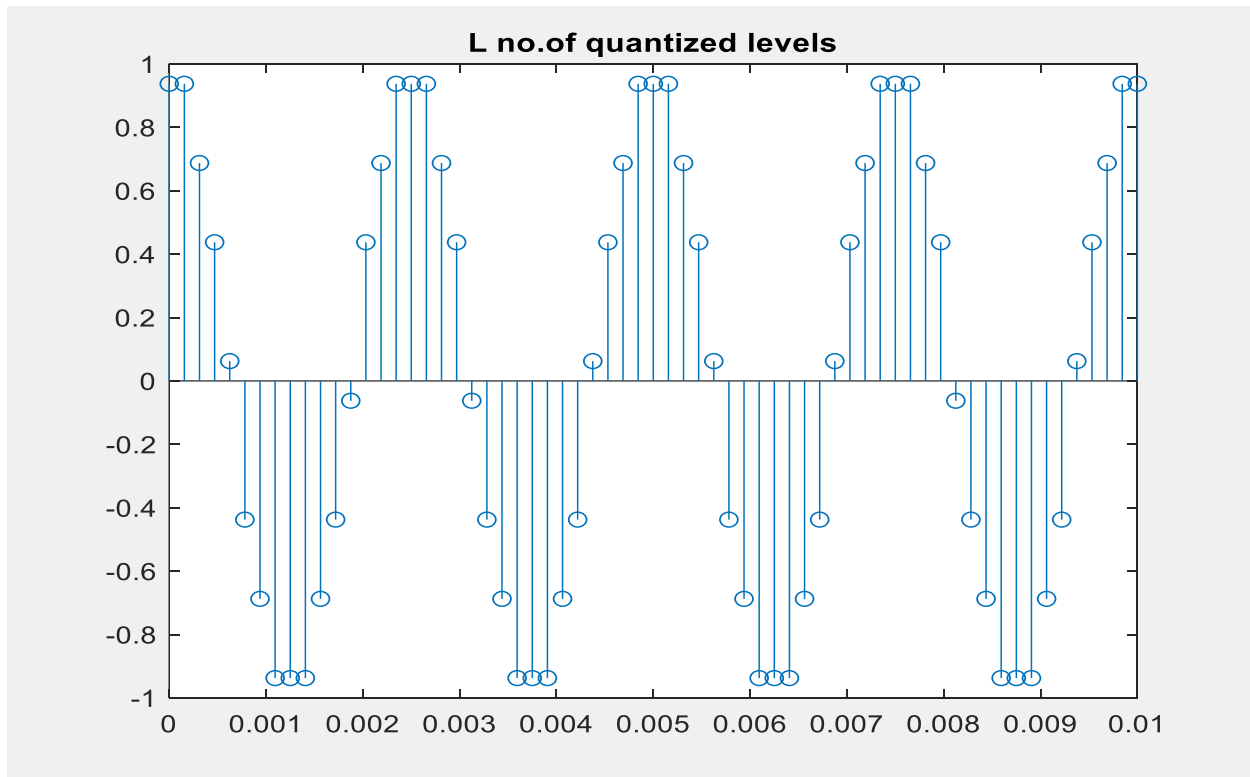
6.

```

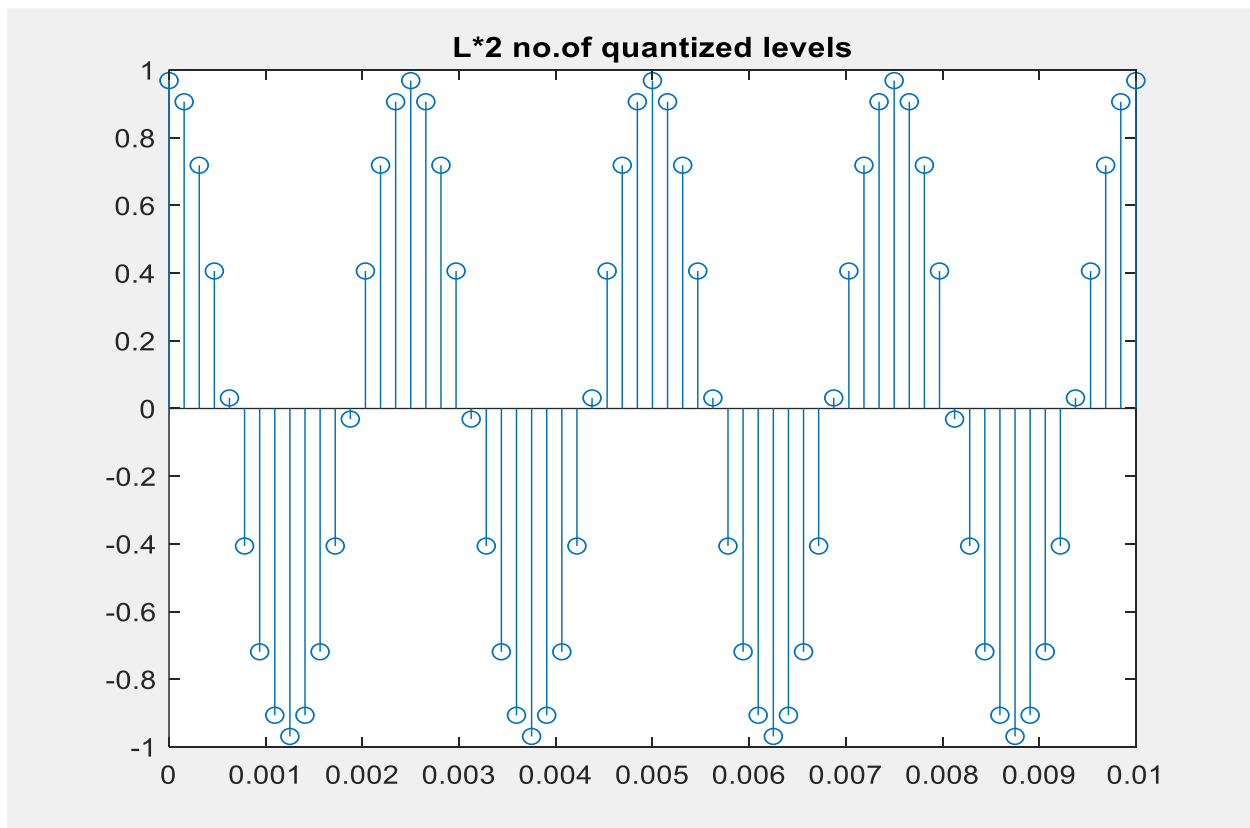
function [q_values] = Quantized_value(sampled_val,L, range)
% no.of quantized value
pp = range(1); % positive peak
np = range(2); % negative peak
delta_v = (pp - np)/L; % gap between levels
q_level = np+ delta_v/2: delta_v : pp - delta_v/2; %quantized levels
q_index = round((sampled_val - np)/delta_v + 0.5); %indices
q_index = min(q_index, L); % removing L+1 index
q_values = q_level(q_index);
end

```

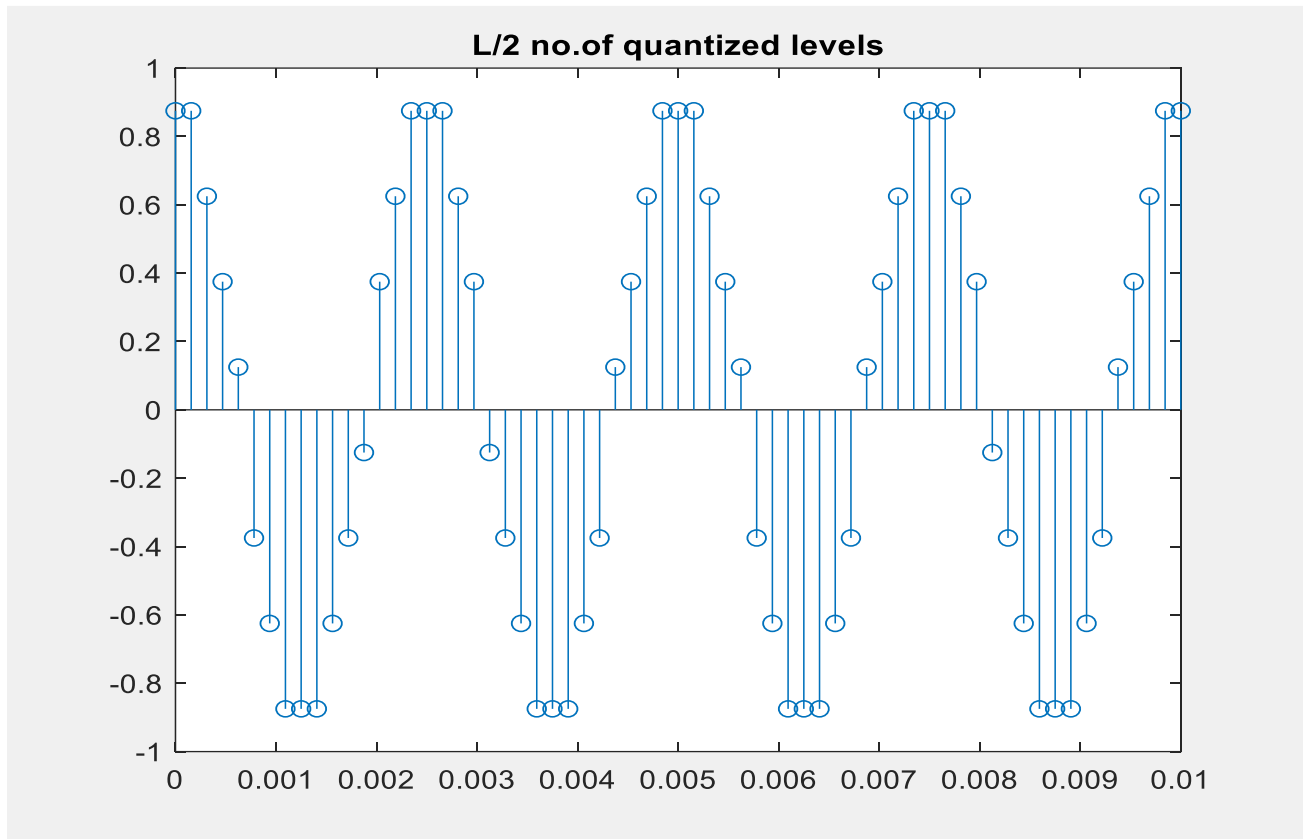
7. Quantized signal.  $L = 16$ .



8. Quantized signal with  $L*2$  (32) levels.



Quantized signal with  $L/2$  (8) levels.



When the number of levels increases from  $L$  to  $L*2$  the quantized signal is more likely our input signal. So, the quantization error is very low.

Similarly, we can see when the number of levels decreases from  $L$  to  $L/2$  the quantized signal is not more likely our input signal. In this case quantization error is high.

## Code

```
% Assignment 01
t = 0:10e-6:10e-3;
f = 400;
A = 1;
figure(1);
y = A*cos(2*pi*f*t);
plot(t,y);
xlabel("time(t) (ms)");
ylabel("Amplitude(A)");
title("y(t)");

fnq = 400*2;
n = 0:1/fnq:10e-3;
figure(2);
stem(n, cos(2*pi*f*n));
title("Sampled at Nyquist frequency");
figure;
n1 = 0:1/(2*fnq):10e-3;
n2 = 0:2/fnq:10e-3;
subplot(3,1,1); stem(n,cos(2*pi*f*n)); title("Sampled at fnq");
subplot(3,1,2); stem(n1,cos(2*pi*f*n1)); title("Sampled at 2fnq");
subplot(3,1,3); stem(n2,cos(2*pi*f*n2)); title("Sampled at fnq/2");
```

```
n_vec = 0:1/(8*fnq):10e-3;
samples = A*cos(2*pi*f*n_vec);
L = 16;
figure;
stem(n_vec, samples);
range = [1,-1]; % positive and negative peak
q_values_1 = Quantized_value(samples, L, range);

L1 = L*2;
q_values_2 = Quantized_value(samples, L1, range);

L2 = L/2;
q_values_3 = Quantized_value(samples, L2, range);
```



```
figure;  
stem(n_vec, q_values_1); title("L no.of quantized levels");  
figure;  
stem(n_vec, q_values_2); title("L*2 no.of quantized levels");  
figure;  
stem(n_vec, q_values_3); title("L/2 no.of quantized levels");
```