

Multiple Choice Questions

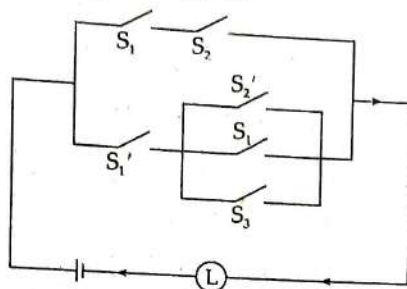
[MHT-CET 2022]
(online shift)

- The statement pattern $(p \wedge q) \vee (\sim p \wedge q) \vee (r \wedge \sim q)$ is logically equivalent to
 - $p \wedge r$
 - $q \wedge r$
 - $q \vee r$
 - $p \vee r$
- Which of the following statement patterns is contradiction?
 - $S_3 \equiv (\sim p \wedge q) \wedge (\sim q)$
 - $S_1 = (\sim p \vee \sim q) \vee (p \vee \sim q)$
 - $S_2 = (p \rightarrow q) \vee (p \wedge \sim q)$
 - $S_4 = (\sim p \wedge q) \vee (\sim q)$
- Negation of the statement 'If $\forall x$, x is a complex number, then $x^2 < 0$ ' is
 - $\exists x$, x is not a complex number and $x^2 \geq 0$
 - $\forall x$, x is not a complex number and $x^2 < 0$
 - $\exists x$, x is not a complex number and $x^2 < 0$
 - $\forall x$, x is complex number and $x^2 \geq 0$
- Which of the following is correct statement?

$S_1: (p \wedge q) = \sim(p \rightarrow \sim q)$
 $S_2: (p \wedge q) \wedge (\sim p \vee \sim q)$ is tautology
 $S_3: [p \wedge (p \rightarrow \sim q)] \rightarrow q$ is contradiction
 $S_4: p \rightarrow (q \rightarrow p)$ is contingency

 - Statement S_1 is correct
 - Statement S_4 is correct
 - Statement S_3 is correct
 - Statements S_1 and S_2 are correct
- If Statement I : If a quadrilateral ABCD is a square, then all of its sides are equal.
Statement II : All the sides of a quadrilateral ABCD are equal, then ABCD is a square then
 - statement II is a negation of statement I
 - statement II is an inverse of statement I
 - statement II is a converse of statement I
 - statement II is a contrapositive of statement I
- The statement pattern $p \rightarrow (q \rightarrow p)$ is equivalent to
 - $p \rightarrow (p \vee q)$
 - $p \rightarrow (p \leftrightarrow q)$
 - $p \rightarrow (p \rightarrow q)$
 - $p \rightarrow (p \wedge q)$
- The negation of $\sim s \vee (\sim r \wedge s)$ is equivalent to
 - $s \wedge (r \vee \sim s)$
 - $\sim r \wedge s$
 - $s \wedge (r \wedge \sim s)$
 - $s \wedge r$
- Consider the following three statements :
 P : 11 is a prime number
 Q : 7 is a factor of 176
 R : LCM of 3 and 7 is 21
 Then the truth value of which of the following statements is true ?
 - $P \vee (\sim Q \wedge R)$
 - $(\sim P) \vee (Q \wedge R)$
 - $(\sim P) \wedge (\sim Q \wedge R)$
 - $(P \wedge Q) \vee (\sim R)$
- The negation of the statement pattern, $p \vee (q \rightarrow \sim r)$ is
 - $\sim p \wedge (q \wedge \sim r)$
 - $\sim p \wedge (q \wedge r)$
 - $\sim p \wedge (\sim q \wedge r)$
 - $\sim p \wedge (\sim q \wedge \sim r)$
- If p : A man is happy, q : A man is rich, then the symbolic form of 'A man is neither happy nor rich' is
 - $\sim p \wedge q$
 - $\sim (p \vee q)$
 - $p \vee q$
 - $\sim p \vee \sim q$

22. The statement pattern $[(p \vee q) \wedge \sim p] \wedge (\sim q)$ is
 a) a contingency b) a contradiction c) a tautology d) equivalent to $p \wedge q$
23. The negation of the statement 'If $5 < 7$ and $7 > 2$ then $5 > 2$ ' is
 a) $5 < 7$ and $7 > 2$ or $5 < 2$ b) $5 < 7$ and $7 > 2$ and $5 > 2$
 c) $5 > 7$ and $7 > 2$ or $5 \leq 2$ d) $5 < 7$ and $7 > 2$ or $5 \leq 2$
24. The statement pattern $p \wedge (q \vee \sim p)$ is equivalent to
 a) $p \rightarrow q$ b) $p \vee q$ c) $p \wedge q$ d) $q \wedge \sim p$
25. The symbolic form of the following circuit is



- a) $(p \wedge q) \vee \sim p \vee [\sim p \vee p \vee r] = 1$ b) $[(p \vee q) \wedge \sim p] \vee [\sim p \vee q \vee r] = 1$
 c) $(p \wedge q) \vee [\sim p \wedge (\sim q \vee p \vee r)] = 1$ d) $(p \vee q) \wedge [\sim p \vee (\sim q \wedge p \wedge r)] = 1$
26. Which of the following statement patterns is a contradiction?
 $S_1 = (p \rightarrow q) \wedge (p \wedge \sim q)$ $S_2 = [p \wedge (p \rightarrow q)] \rightarrow q$
 $S_3 = (p \vee q) \rightarrow \sim p$ $S_4 = [p \wedge (p \rightarrow q)] \leftrightarrow q$
 a) S_3 b) S_4 c) S_2 d) S_1
27. The dual of the statement pattern $\sim p \wedge (q \vee t)$ is (where t is tautology and c is contradiction)
 a) $\sim p \vee (q \wedge t)$ b) $\sim p \vee (q \wedge c)$ c) $p \vee (q \wedge c)$ d) $p \vee (q \wedge t)$
28. If $(\sim p \wedge q) \rightarrow r$ is false, then the truth values of p, q, r are respectively
 a) F, T, F b) T, T, F c) F, F, T d) F, T, T
29. Write the statement in symbolic form 'Sandeep neither likes tea nor coffee but enjoys a soft drink'
 where p : Sandeep likes tea,
 q : Sandeep likes coffee,
 r : Sandeep enjoys a soft drink
 a) $(\sim p \vee \sim q) \wedge r$ b) $(\sim p \vee \sim q) \vee r$ c) $(\sim p \wedge q) \vee r$ d) $(\sim p \wedge \sim q) \wedge r$
30. Which of the following is logically equivalent to $\sim(\sim p \Rightarrow q)$?
 a) $p \wedge q$ b) $p \wedge \sim q$ c) $\sim p \wedge q$ d) $\sim p \wedge \sim q$
- [MHT-CET 2019]**
31. The equivalent form of the statement $\sim(p \rightarrow \sim q)$ is
 a) $\sim p \vee q$ b) $p \wedge q$ c) $p \wedge \sim q$ d) $p \vee \sim q$
32. Which of the following is NOT equivalent to $p \rightarrow q$?
 a) p is sufficient for q b) p only if q c) q only if p d) q is necessary for p

43. The statement pattern $p \wedge (\sim p \wedge q)$ is

- a) a tautology
b) a contradiction
c) equivalent to $p \wedge q$
d) equivalent to $p \vee q$

[MHT-CET 2017]

44. The statement pattern $(\sim p \wedge q)$ is logically equivalent to

- a) $(p \vee q) \vee \sim p$ b) $(p \vee q) \wedge \sim p$ c) $(p \wedge q) \rightarrow p$ d) $(p \vee q) \rightarrow p$

45. Which of the following statement patterns is a tautology ?

- a) $p \vee (q \rightarrow p)$ b) $\sim q \rightarrow \sim p$
c) $(q \rightarrow p) \vee (\sim p \leftrightarrow q)$ d) $p \wedge \sim p$

46. If c denotes the contradiction then dual of the compound statement $\sim p \wedge (q \vee c)$ is

- a) $\sim p \vee (q \wedge t)$ b) $\sim p \wedge (q \vee t)$ c) $p \vee (\sim q \vee t)$ d) $\sim p \vee (q \wedge c)$

[MHT-CET 2016]

47. If p : Every square is a rectangle

q : Every rhombus is a kite

then truth values of $p \rightarrow q$ and $p \leftrightarrow q$ are '..... and'.

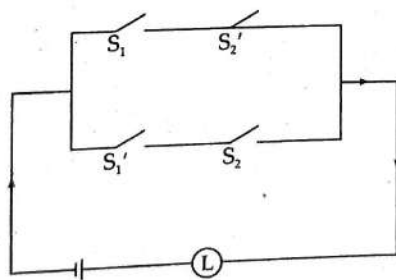
- a) F, F b) T, F c) F, T d) T, T

48. Which of the following quantified statements is True ?

- a) The square of every real number is positive.
b) There exists a real number whose square is negative.
c) There exists a real number whose square is not positive.
d) Every real number is rational.

49. Symbolic form of the switching circuit is equivalent to (Assume $S_1 = p$ and $S_2 = q$)

- a) $p \vee \sim q$ b) $p \wedge \sim q$ c) $p \leftrightarrow q$ d) $\sim (p \leftrightarrow q)$



[MHT-CET 2013]

50. Let p : A triangle is equilateral
 q : A triangle is equiangular

Then inverse of $q \rightarrow p$ is

- a) If a triangle is not equilateral, then it is not equiangular.
b) If a triangle is not equiangular, then it is not equilateral.
c) If triangle is equiangular, then it is not equilateral.
d) If a triangle is equiangular, then it is equilateral.

[MHT-CET 2008]

60. $(p \rightarrow \sim p) \vee (\sim p \rightarrow p)$ is equivalent to

a) $T \rightarrow F$

b) $p \wedge \sim p$

c) $T \vee p$

d) $T \leftrightarrow F$

61. $p \rightarrow$ Ram is rich. $q \rightarrow$ Ram is successful. $r \rightarrow$ Ram is talented

Write the symbolic form of the following statement :

Ram is neither rich nor successful and he is not talented.

a) $\sim p \wedge \sim q \vee \sim r$

b) $\sim p \vee \sim q \wedge \sim r$

c) $\sim p \vee \sim q \vee \sim r$

d) $\sim p \wedge \sim q \wedge \sim r$

[MHT-CET 2007]

62. If p and q are true statements in logic, which of the following statement patterns is true ?

a) $(p \vee q) \wedge \sim q$

b) $(p \vee q) \rightarrow \sim q$

c) $(p \wedge \sim q) \rightarrow q$

d) $(\sim p \wedge q) \wedge q$

63. The converse of 'If x is zero, then we cannot divide by x ' isa) If we cannot divide by x , then x is zerob) If we divide by x , then x is non-zeroc) If x is non-zero, then we can divide by x

d) none of these

64. $\sim(\sim p \wedge \sim q)$ is equivalent to

a) $p \wedge q$

b) $p \rightarrow q$

c) $p \vee q$

d) $p \leftrightarrow q$

[MHT-CET 2006]

65. Negation of the statement "A is rich but silly" is

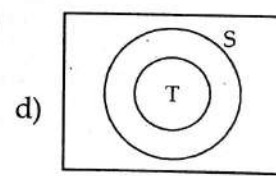
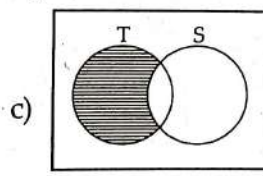
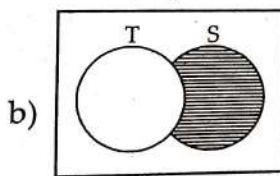
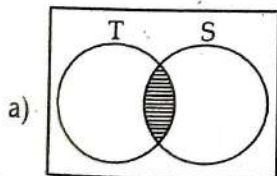
a) Either A is not rich or not silly

b) A is poor or clever

c) A is rich not silly

d) A is either rich or silly

66. All teachers are not sincere is represented by

67. If $p: x > y$ $q: y > z$ $r: x > z$

then which of the options represents :

'If $x > y$ and $y > z$ then $x > z$ '.

a) $(p \vee q) \rightarrow r$

b) $(p \vee r) \rightarrow q$

c) $(p \wedge q) \rightarrow r$

d) $p \rightarrow (r \wedge q)$

[MHT-CET 2005]

68. Which of the following statements is not a statement in logic ?

a) Earth is a planet

b) Planets are living objects

c) $\sqrt{-9}$ is rational number

d) I am lying

69. Negation of $p \leftrightarrow q$ is

a) $(p \wedge q) \vee (p \wedge \sim q)$

b) $(p \wedge \sim q) \vee (q \wedge \sim p)$

c) $(\sim p \wedge q) \vee (q \wedge p)$

d) $(p \wedge q) \vee (\sim q \wedge p)$

- c) If the triangle is an equilateral or an isosceles triangle, then it is an isosceles or it is not right-angled
 d) If the triangle is an equilateral or an isosceles triangle, then it is not an isosceles and it is not right-angled

157. The negation of $(p \wedge \sim q) \rightarrow (p \vee \sim q)$ is
 a) a tautology b) a contradiction c) a contingency d) equivalent to $p \wedge q$

158. Which of the following statements has the truth value T?

S_1 : Cube roots of unity are in GP and their sum is 1

S_2 : $4 + 7 > 10$ iff $2 + 8 < 10$

S_3 : $\exists x \in \mathbb{N}$ such that $x^2 - 3x + 2 = 0$ and $\exists x \in \mathbb{N}$ such that x is an odd number

S_4 : $3 + i$ is a complex number or $\sqrt{2} + \sqrt{3} = \sqrt{5}$

- a) Only S_1 b) S_2, S_3 and S_4 c) Both S_1 and S_3 d) Both S_3 and S_4

159. Consider the three statements:

p : $\forall n \in \mathbb{N}$, $10n - 3$ is a prime number, when n is not divisible by 3.

q : $\frac{2}{\sqrt{3}}, -\frac{2}{\sqrt{3}}, -\frac{1}{\sqrt{3}}$ are the direction cosines of a directed line.

r : $\sin x$ is an increasing function in the interval $\left[-\frac{\pi}{2}, \frac{\pi}{2}\right]$.

Then which of the following statement pattern has truth value true?

- a) $(p \wedge q) \leftrightarrow r$ b) $(p \rightarrow q) \rightarrow \sim r$ c) $(\sim p \vee q) \wedge r$ d) $(\sim p \wedge \sim q) \leftrightarrow \sim r$

160. Negation of the statement 'For all $M > 0$, there exist $x \in S$ such that $x \geq M$ ' is

a) $\exists M > 0$ such that $x > M$ for all $x \in S$ b) $\exists M > 0, \exists x \in S$ such that $x > M$

c) $\exists M > 0$ such that $x < M$ for all $x \in S$ d) $\exists M > 0$, there exist $x \in S$ such that $x < M$

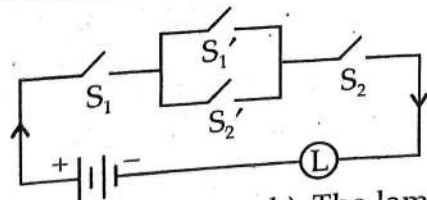
161. If the statements p, q and r are true, false and true statements respectively, then the truth value of the statement pattern $(\sim q \wedge (p \vee \sim q) \wedge \sim r) \vee p$ and the truth value of its dual statement respectively are

- a) T, T b) F, T c) T, F d) F, F

162. Let p : Switch S_1 is closed

q : Switch S_2 is closed

Then the correct interpretation from the following circuit is



b) The lamp is always off

d) Equivalent to $p \vee q$

a) The lamp is always on

c) Symbolic form is $p \vee (\sim p \wedge \sim q) \vee q$

163. Number of switches in alternative simple circuit for the following circuit is (are)

