Project Phase - 3 (Final Project Evaluation)

- Use Project Phase -2 code for solving the constraints optimization problems
- The code should have comments that will be describing the steps/procedure of an optimization algorithm
 - Solve three test problems using bracket-operator penalty method
 - The range on α should be found from the bounds on x vector. Therefore, no need to consider bounds on x –vector in bracket-operator penalty method.
- Final Presentation
 - Choose proper title of the project
 - Description of method and flow chart
 - o Results and Discussion: Include your results, discuss them and also write observations
 - o Conclusions: Conclude your study
- Deadline of uploading the code and presentation in a zip file is 30 Oct. 2023, 10 PM.

Important points for results and discussion section:

- Parameter setting for the algorithm, parameters setting for the test problems
- Run your algorithm from **10 different starting points** and tabulate the function values as (1) best, (2) worst, (3) mean, (4) median, and (5) standard deviation
- Include convergence plots of function value vs no. of iterations, Plot for no. of function evaluations vs no. of iterations, contour plots, etc.
- Note that in case you are not getting the correct results, those results should also be reported and write the possible reason for the same.

Appendix: Constraint Optimization Problems

Problem 1:

$$\min f(x) = (x_1 - 10)^3 + (x_2 - 20)^3,$$
subject to $g_1(x) = (x_1 - 5)^2 + (x_2 - 5)^2 - 100 \ge 0,$

$$g_2(x) = (x_1 - 6)^2 + (x_2 - 5)^2 - 82.81 \le 0,$$

$$13 \le x_1 \le 20, \qquad 0 \le x_2 \le 4.$$

- Number of variables: 2 variables.
- The global minima: $x^* = (14.0950000000000004, 0.8429607892154795668),$ $f(x^*) = -0.6961:81387558015$

Problem 2:

$$max f(x) = \frac{sin^{3}(2\pi x_{1}) sin(2\pi x_{2})}{x_{1}^{3}(x_{1} + x_{2})},$$

$$subject to g_{1}(x) = x_{1}^{2} - x_{2} + 1 \leq 0,$$

$$g_{2}(x) = 1 - x_{1} + (x_{2} - 4)^{2} \leq 0,$$

$$0 \leq x_{1} \leq 10, \quad 0 \leq x_{2} \leq 10$$

- Number of variables: 2 variables.
- The global minima: x* = (1.227, 4.245), f(x*) = 0.0958.

Problem 3:

$$\min f(x) = x_1 + x_2 + x_3$$

$$subject \ to \ g_1(x) = -1 + 0.0025(x_4 + x_6) \le 0,$$

$$g_2(x) = -1 + 0.0025(-x_4 + x_5 + x_7) \le 0,$$

$$g_3(x) = -1 + 0.01(-x_6 + x_8) \le 0,$$

$$g_4(x) = 100x_1 - x_1x_6 + 833.33252x_4 - 83333.333 \le 0,$$

$$g_5(x) = x_2x_4 - x_2x_7 - 1250x_4 + 1250x_5 \le 0,$$

$$g_6(x) = x_3x_5 - x_3x_8 - 2500x_5 + 1250000 \le 0,$$

$$100 \le x_1 \le 10000$$

$$1000 \le x_i \le 10000, i = 2, 3$$

$$10 \le x_i \le 1000, i = 4, 5, ..., 8$$

- Number of variables: 8 variables.
- The global minima: x* = (579.3167, 1359.943, 5110.071, 182.0174, 295.5985, 217.9799, 286.4162,395.5979), f(x*) = 7049.3307.