# How good is your model?

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George Boorman
Core Curriculum Manager, DataCamp



#### Classification metrics

- Measuring model performance with accuracy:
  - Fraction of correctly classified samples
  - Not always a useful metric Accuracy is not always a useful metric



#### Class imbalance

- Classification for predicting fraudulent bank transactions
  - 99% of transactions are legitimate; 1% are fraudulent (Assume this)
- Could build a classifier that predicts NONE of the transactions are fraudulent
  - 99% accurate!
  - But terrible at actually predicting fraudulent transactions
  - Fails at its original purpose
- Class imbalance: Uneven frequency of classes
- Need a different way to assess performance

So we need a different way to assess the performance of a model.

This situation where one class in more frequent is known as class imbalance. Here the class of legitimate transactions has way more instances than the class of fraudulent transactions. This is a common situation in practise.



# Confusion matrix for assessing classification performance Given a binary classifier such as a fraudulent transaction example we describe the confusion of the c

Confusion matrix

Given a binary classifier such as a fraudulent transaction example we can create a 2\*2 matrix that summarizes performance called a confusion matrix. Given any model we can fill up the confusion matrix given its predictions.

Predicted:	Predicted:
Legitimate	Fraudulent

Actual: Legitimate

True Negative	False Positive	
False Negative	True Positive	

Predicted: Predicted: Legitimate Fraudulent

Actual: Legitimate

True Negative	False Positive	
False Negative	True Positive	

Predicted: Predicted: Legitimate Fraudulent

Actual: Legitimate

True Negative	False Positive	
False Negative	True Positive	

Predicted: Predicted: Legitimate Fraudulent

Actual: Legitimate

True Negative	False Positive	
False Negative	True Positive	

Predicted: Legitimate

Predicted: Fraudulent

Actual: Legitimate

Actual: Fraudulent

True Negative False Positive
False Negative True Positive

True positive: Number of fraudulent transactions correctly labeled.



Predicted: Predicted: Legitimate Fraudulent

Actual: Legitimate

Actual: Fraudulent

True Negative	False Positive	
False Negative	True Positive	

True negatives: Number of legitimate transactions that are correctly labeled



Predicted: Legitimate

Predicted: Fraudulent

Actual: Legitimate

Actual: Fraudulent

True Negative False Positive

False Negative True Positive

False negatives: Number of fraudulent transactions incorrectly labeled



Predicted: Legitimate

Predicted: Fraudulent

Actual: Legitimate

Actual: Fraudulent

True Negative	False Positive	
False Negative	True Positive	

False positives: Number of legitimate transactions incorrectly labeled

Usually the class of interest is called the positive class. Here the positive class is the illegitimate transactions.



Predicted:	Predicted:
Legitimate	Fraudulent

Actual: Legitimate

Actual: Fraudulent

True Negative	False Positive	
False Negative	True Positive	

• Accuracy: This is the sum of true predictions divided by the total sum of the matrix

$$\frac{tp+tn}{tp+tn+fp+fn}$$

#### **Precision**

Predicted: Predicted: Legitimate Fraudulent

Actual: Legitimate

Actual: Fraudulent

True Negative False Positive
False Negative True Positive

Precision

Number of true positives divided by the sum of all the positive predictions. It is also known as the positive

predictive value.

 $\frac{true\ positives}{true\ positives + false\ positives}$ 

- High precision = lower false positive rate
- High precision: Not many legitimate transactions are predicted to be fraudulent

In our case precision is the number of correctly labeled fraudulent transactions divided by the total number of transactions that are classified as fraudulent.

#### Recall

Predicted: Predicted: Legitimate Fraudulent

Actual: Legitimate

Actual: Fraudulent

True Negative False Positive
False Negative True Positive

Recall This is also called sensitivity.

$$\frac{true\ positives}{true\ positives + false\ negatives}$$

- High recall = lower false negative rate
- High recall: Predicted most fraudulent transactions correctly

#### F1 score

• F1 Score:  $2*\frac{precision*recall}{precision+recall}$ 

This is the harmonic mean of precision and recall. This metric gives equal weight to precision and recall. Therefore it factors in the number of errors made by the model and type of errors. The F1 score favours models with similar precision and recall and is a useful metric if we are seeking a model which performs reasonably well across both metrics.

#### Confusion matrix in scikit-learn

#### Confusion matrix in scikit-learn

```
print(confusion_matrix(y_test, y_pred))
```

```
[[1106 11]
[ 183 34]]
```



## Classification report in scikit-learn

print(classification\_report(y\_test, y\_pred))

	precision	recall	f1-score	support
0	0.86	0.99	0.92	1117
1	0.76	0.16	0.26	217
accuracy			0.85	1334
macro avg	0.81	0.57	0.59	1334
weighted avg	0.84	0.85	0.81	1334

0.76 and 0.16 for the churn class highlights how poor the models recall is for the churn class. Support represents the number of instances for each class within the true labels.



# Let's practice!

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# Logistic regression and the ROC curve

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George Boorman
Core Curriculum Manager, DataCamp



# Logistic regression for binary classification

- Logistic regression is used for classification problems
- Logistic regression outputs probabilities
- If the probability,  $\,p>0.5$ :
  - The data is labeled 1
- If the probability, p < 0.5:
  - The data is labeled 0

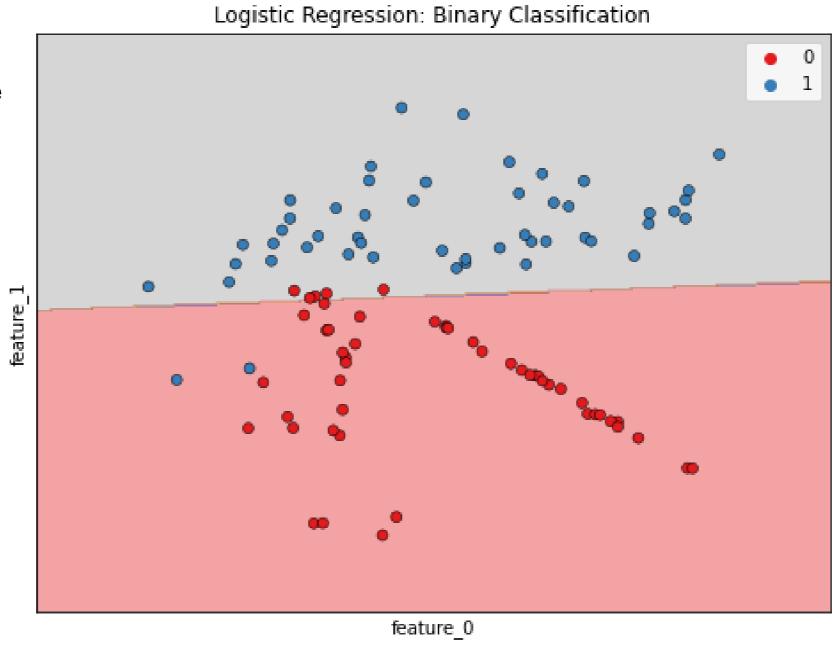
This model calculates the probability p that an observation belongs to a binary class.

Using the diabetes dataset as an example, if p > or equal to 0.5 we label the data is 1 representing a prediction that an individual is more likely to have diabetes.

If p < 0.5 we label it as 0 to represent that they are more likely to not have diabetes.

# Linear decision boundary

Logistic regression produces a linear decision boundary as we can see in this image.



# Logistic regression in scikit-learn

In this video we use the churn dataset

# Predicting probabilities

```
y_pred_probs = logreg.predict_proba(X_test)[:, 1]
print(y_pred_probs[0])
```

#### [0.08961376]

We can predict the probabilities of each instance belonging to a class by calling logistic regression's predict\_proba method and passing the test features. This returns a 2 dimensional array with probabilities for both classes. In this case that the individual did not churn or did churn respectively. We slice the second column representing the positive class probabilities and store the results as y\_pred\_probs.

Here we see that the model predicts a probability of 0.089 that the first observation has churned.



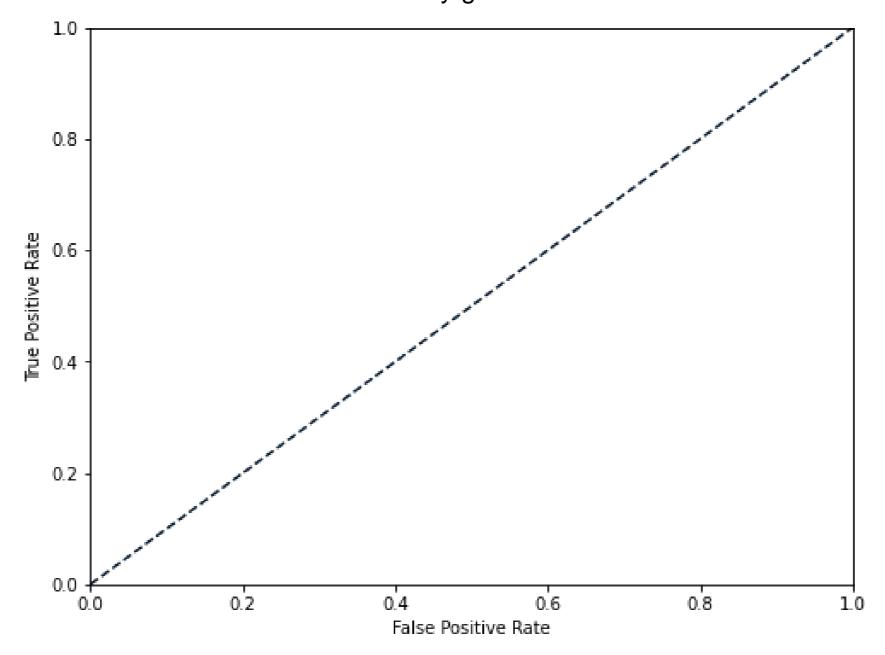
# **Probability thresholds**

The default probability threshold for logistic regression in scikit-learn is 0.5. This threshold can also be applied to other models such as KNN.

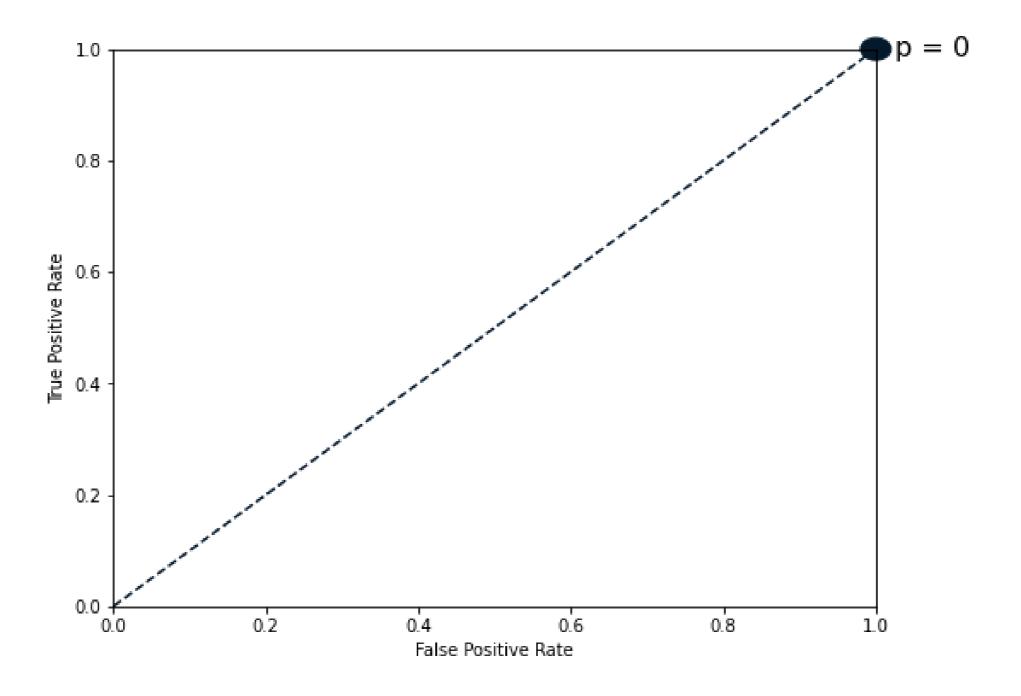
- By default, logistic regression threshold = 0.5
- Not specific to logistic regression
  - KNN classifiers also have thresholds
- What happens if we vary the threshold?

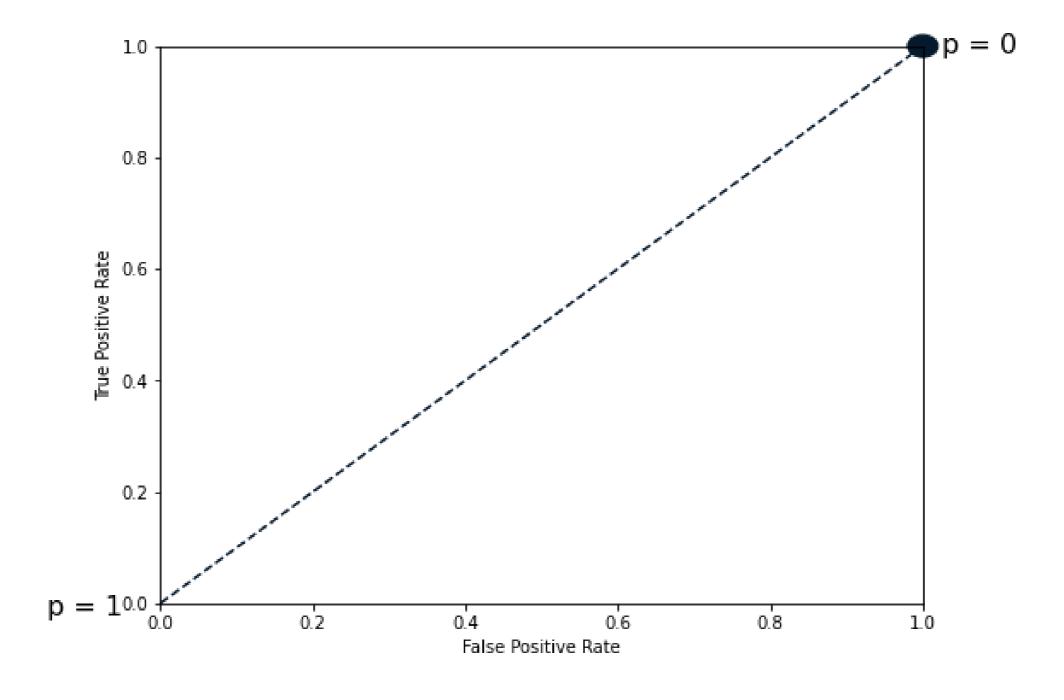


We can use a Reciever Operating Characteristic or ROC curve how diffferent thresholds affect the true positive and false positive rates. Here the dotted line represents the chance model which randomly guesses labels.



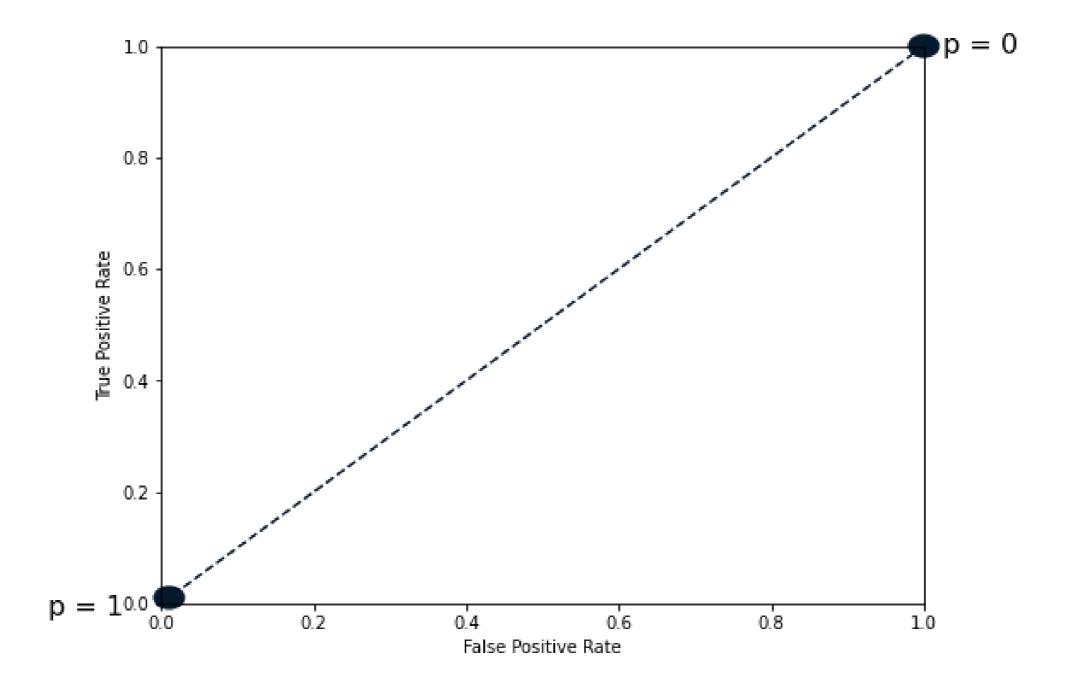
When the threshold = 0, the model predicts 1 for all observations meanly it will correctly predict all positive values and incorrectly predict all negative values.



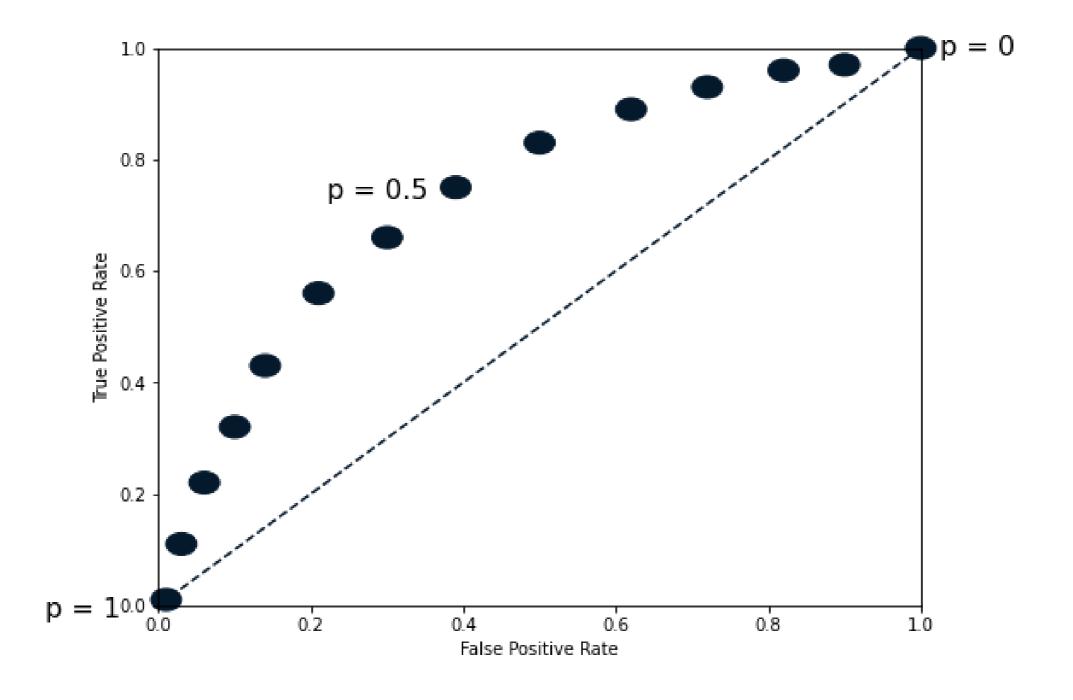




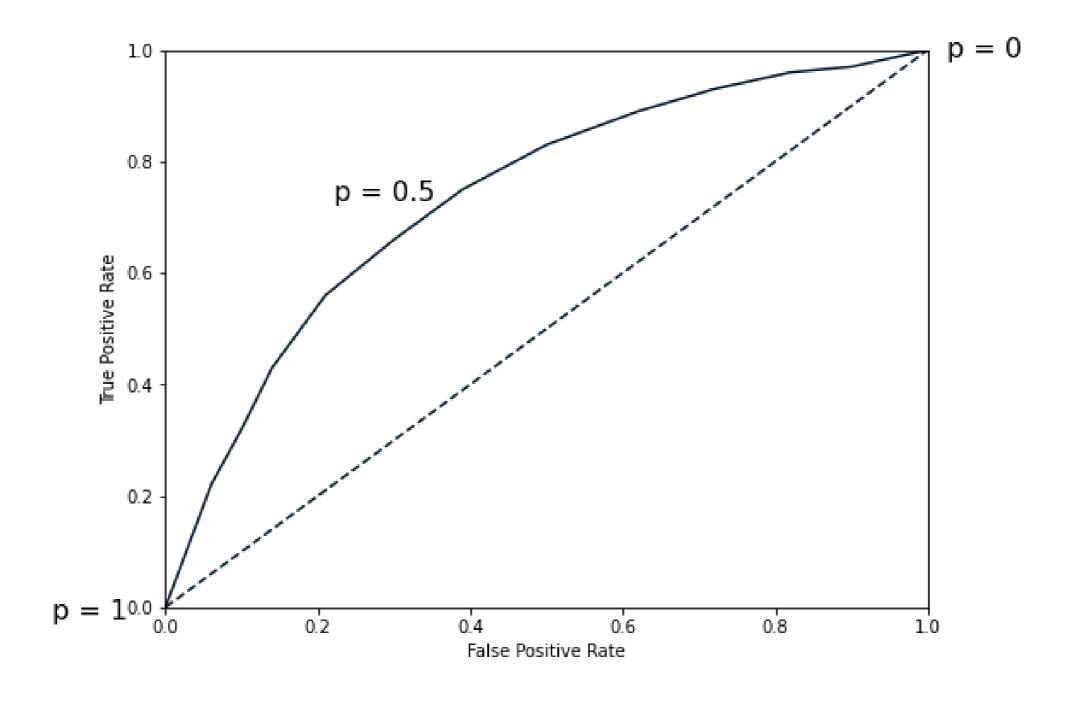
If the threshold = 1 the model predicts 0 for all data which means that all the true and false positive rates are zero.



The ROC curve If we vary the threshold, we get a series of different false positive and true positive rates.



A line plot of the thresholds helps to visualize the trend.



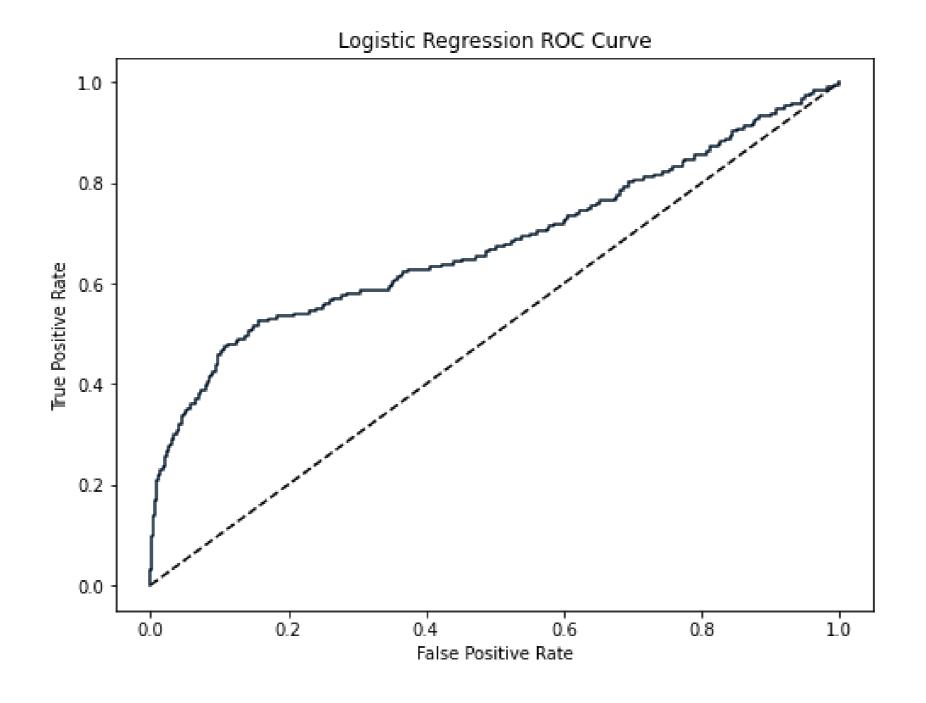
## Plotting the ROC curve

```
from sklearn.metrics import roc_curve
fpr, tpr, thresholds = roc_curve(y_test, y_pred_probs)
plt.plot([0, 1], [0, 1], 'k--')
plt.plot(fpr, tpr)
plt.xlabel('False Positive Rate')
plt.ylabel('True Positive Rate')
plt.title('Logistic Regression ROC Curve')
plt.show()
```

To the roc\_curve function and pass the test labels as the first argument and the predicted probabilities as the second argument. We unpack the results into 3 variables. False positive rates, true positive rates and the thresholds. We can then plot a dotted line from zero to one along with the fpr and the tpr.

## Plotting the ROC curve

We get a figure such as this. How do we quantify the model's performance based on this plot.

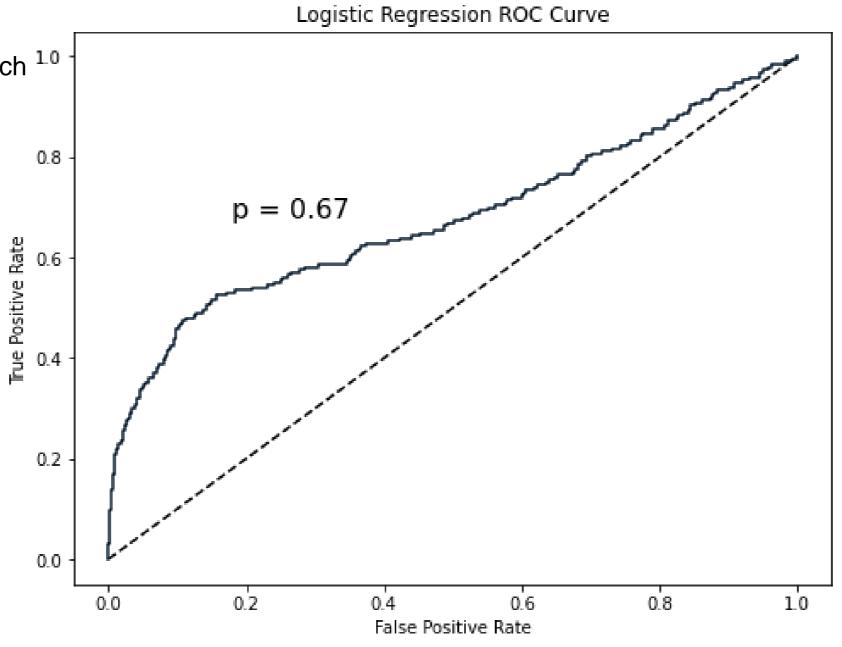




#### **ROC AUC**

If we have a model with 1 for true positive rate and 0 for false positive rates this would be the perfect model. Therefore we calculate the area under the ROC curve. A metric known as AUC. Scores range from 0 to 1. With 1 being ideal.

Here the model scores 0.67 which <sup>1.0</sup> is only 34% better than a model that is making random guesses.





#### **ROC AUC in scikit-learn**

```
from sklearn.metrics import roc_auc_score
print(roc_auc_score(y_test, y_pred_probs))
```

0.6700964152663693



# Let's practice!

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# Hyperparameter tuning

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George Boorman

Core Curriculum Manager

As we know how to evaluate our model performance let's understand how to optimize our model.



# Hyperparameter tuning

- Ridge/lasso regression: Choosing alpha
- KNN: Choosing n\_neighbors
- Hyperparameters: Parameters we specify before fitting the model
  - Like alpha and n\_neighbors

Recall that we had to choose a value for alpha in ridge and lasso regression before fitting it. Likewise before fitting and predicting KNN we choose n\_neighbors. Parameters that we specify before fitting a model like alpha and n\_neighbors are called hyperparameters.

A fundamental step in building a successful model is choosing the correct hyperparameters.



# Choosing the correct hyperparameters

- 1. Try lots of different hyperparameter values
- 2. Fit all of them separately
- 3. See how well they perform
- 4. Choose the best performing values

This is called hyperparameter tuning

When fitting different hyperparmeter values we use cross-validation to avoid overfitting the hyperparameters to the test set.

- It is essential to use cross-validation to avoid overfitting to the test set
- We can still split the data and perform cross-validation on the training set
- We withhold the test set for final evaluation
   We withhold the test set and use it for evaluating the tuned model.



#### Grid search cross-validation

One approach for hyper parameter tuning is called grid search where we choose a grid of hyperparameter values to try.

	5 5		
n_neighbors	2		
For example we can choose across 2 hyper parameters for a		euclidean	manhattan
KNN model, the type of metric and a different number of labels.  Here we have nighbors from 2 to 11 and increments in 3. And		metric	

Therefore we can make a grid of values as shown in the next slide.

we have two labels euclidean and manhattan.



#### Grid search cross-validation

hyperparameters. The mean scores for each combination is stored here.		me	tric
We perform k fold cross validation for each combination of		euclidean	manhattan
n_neighbors	2	0.8634	0.8646
	5	0.8748	0.8714
	8	0.8704	0.8688
	11	0.8716	0.8692



#### Grid search cross-validation

We then choose the hyperparameters that perform the best as shown here.		metric	
		euclidean	manhattan
n_neighbors	2	0.8634	0.8646
	15	0.8748	0.8714
	8	0.8704	0.8688
	11	0.8716	0.8692

Lets perform a grid search on a regression model using our sales dataset.

#### GridSearchCV in scikit-learn

First we import GridSearchCV. After that we instantiate KFold. We then specify the names and values of the hyperparameters that we wish to tune as the keys and values in a dictionary

```
{'alpha': 0.0001, 'solver': 'sag'}
0.7529912278705785
```

We can then print the model's attributes best\_params\_ and best\_score\_ respectively to retrieve the hyperparameters that performs the best along with the mean cross validation score over that fold.



# Limitations and an alternative approach

- 3-fold cross-validation, 1 hyperparameter, 10 total values = 30 fits
- 10 fold cross-validation, 3 hyperparameters, 30 total values = 900 fits

Grid seach is great but the number of fits = no.of hyperparameters \* no. of values \* no. of folds.

Therefore it doesn't scale well. So performing 3 fold cross validation for one hyperparameter for 10 values each means 30 fits. While 10 fold cross validation on 3 hyperparameters of 10 values each equals 900 fits.

However there is another way. We can follow a random search which picks random hyperparameter values rather than exhaustively searching for all options.



#### RandomizedSearchCV

In the line 5 we call the RandomizedSearchCV and using the same arguments and variables as before but we can optionally set the n\_iter argument which determines the number of hyperparameter values tested.

```
{'solver': 'sag', 'alpha': 0.0001}
0.7529912278705785
```

# Evaluating on the test set

```
test_score = ridge_cv.score(X_test, y_test)
print(test_score)
```

#### 0.7564731534089224

We can evaluate the model performanve on the test set by passing it to the .score method.

Actually it performs slightly better than the best score in our grid seach.

# Let's practice!

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