

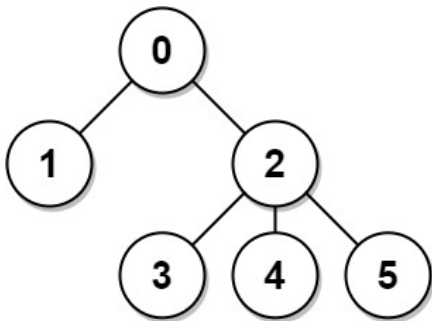
### 834. Sum of Distances in Tree

There is an undirected connected tree with  $n$  nodes labeled from 0 to  $n - 1$  and  $n - 1$  edges.

You are given the integer  $n$  and the array `edges` where `edges[i] = [ai, bi]` indicates that there is an edge between nodes  $a_i$  and  $b_i$  in the tree.

Return an array `answer` of length  $n$  where `answer[i]` is the sum of the distances between the  $i^{\text{th}}$  node in the tree and all other nodes.

**Example 1:**



**Input:**  $n = 6$ , `edges = [[0,1],[0,2],[2,3],[2,4],[2,5]]`

**Output:** `[8,12,6,10,10,10]`

**Explanation:** The tree is shown above.

We can see that  $\text{dist}(0,1) + \text{dist}(0,2) + \text{dist}(0,3) + \text{dist}(0,4) + \text{dist}(0,5)$  equals  $1 + 1 + 2 + 2 + 2 = 8$ .

Hence, `answer[0] = 8`, and so on.

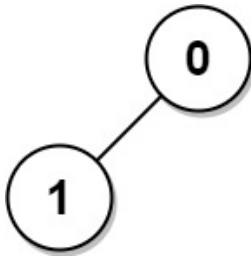
**Example 2:**



**Input:**  $n = 1$ , `edges = []`

**Output:** `[0]`

**Example 3:**



**Input:** n = 2, edges = [[1,0]]

**Output:** [1,1]

```

from collections import defaultdict
class Solution(object):
    def sumOfDistancesInTree(self, n, edges):
        tree = defaultdict(list)
        for u, v in edges:
            tree[u].append(v)
            tree[v].append(u)

        subtree_sizes = [0] * n
        dist_sum = [0] * n

        def dfs(node, parent):
            size = 1
            distance = 0
            for child in tree[node]:
                if child != parent:
                    dfs(child, node)
                    size += subtree_sizes[child]
                    distance += subtree_sizes[child] +
dist_sum[child]
            subtree_sizes[node] = size
            dist_sum[node] = distance

        dfs(0, -1)
        ans = [0] * n
        ans[0] = dist_sum[0]
        def dfs2(node, parent):
            for child in tree[node]:
                if child != parent:
                    ans[child] = ans[node] -
subtree_sizes[child] + n - subtree_sizes[child]
                    dfs2(child, node)

        dfs2(0, -1)

        return ans
  
```