

ASSIGNMENT- STATISTICS [MAJOR] BY NISHANT MISHRA

EMAIL- nm9169336@gmail.com

CONTACT NO.- 9873942716

In [1]: # Questions- 1

According to a study, the daily average time spent by a user on a social media website is 50 minutes. To test the claim of this study, Ramesh, a researcher, takes a sample of 25 website users and finds out that the mean time spent by the sample users is 60 minutes and the sample standard deviation is 30 minutes. Based on this information, the null and the alternative hypotheses will be:

H_0 = The average time spent by the users is 50 minutes

H_1 = The average time spent by the users is not 50 minutes

Use a 5% significance level to test this hypothesis.

```
In [2]: import scipy.stats as stats
import numpy as np

sample_mean = 60
sample_std = 30
n = 25
d_mean = 50

t_statistics = (sample_mean - d_mean) / (sample_std / np.sqrt(n))
p_value = 2*(1-stats.t.cdf(abs(t_statistics), df=n-1))

print('t_statistics:', t_statistics)
print('P_value:', p_value)

if p_value < 0.05:
    print('Reject Null Hypothesis')
else:
    print('Failed to Reject null hypothesis')

t_statistics: 1.6666666666666667
P_value: 0.10858012302472297
Failed to Reject null hypothesis
```

In [3]: # Question-2

Height of 7 students (in cm) is given below. What is the median?

(168, 170, 169, 160, 162, 164, 162)

```
In [4]: # importing libraries
import statistics as stats

heights = [168,170,169,160,162,164,162]
median_heights = stats.median(heights)

print('Median is:', median_heights)

Median is: 164
```

In [5]: # Question-3

Below are the observations of the marks of a student. Find the value of mode.

(84, 85, 89, 92, 93, 89, 87, 89, 92)

```
In [6]: # importing libraries
import statistics as stats

marks = [84, 85, 89, 92, 93, 89, 87, 89, 92]
mode_marks = stats.mode(marks)
print('Mode is:', mode_marks)

Mode is: 89
```

In [7]: # Question-4

From the table given below, what is the mean of marks obtained by 20 students?

Marks = [3,4,5,6,7,8,9,10]

NO. of students(frequency) = [1,2,2,4,5,3,2,1]

```
In [8]: import numpy as np

# calculating mean
marks = [3, 4, 5, 6, 7, 8, 9, 10]
freq = [1, 2, 2, 4, 5, 3, 2, 1]

mean = np.average(marks, weights=freq)

print("Mean of marks obtained by students is:", mean)
```

Mean of marks obtained by students is: 6.6

```
In [9]: # Question-5
```

For a certain type of computer, the length of time between charges of the battery is normally distributed with a mean of 50 hours and a standard deviation of 15 hours. John owns one of these computers and wants to know the probability that the length of time will be between 50 and 70 hours.

```
In [10]: from scipy.stats import norm

mu = 50
sigma = 15

# Probability that length of time will be less than or equal to 70 hours
prob1 = norm.cdf(70, mu, sigma)

# Probability that length of time will be less than or equal to 50 hours
prob2 = norm.cdf(50, mu, sigma)

# Probability that length of time will be between 50 and 70 hours
prob = prob1 - prob2

print("The probability that the length of time will be between 50 and 70 hours is:", prob)
```

The probability that the length of time will be between 50 and 70 hours is: 0.4087887802741321

So there is a 40.8% chance that the length of time will be between 50 and 70 hours.

```
In [11]: # Question-6
```

Find the range of the following.

g = [10, 23, 12, 21, 14, 17, 16, 11, 15, 19]

```
In [12]: g = [10, 23, 12, 21, 14, 17, 16, 11, 15, 19]
range_of_g = max(g) - min(g)
print("Range of g is:", range_of_g)
```

Range of g is: 13

```
In [13]: ## Question-7
```

It is estimated that 50% of emails are spam emails. Some software has been applied to filter these spam emails before they reach your inbox. A certain brand of software claims that it can detect 99% of spam emails, and the probability for a false positive (a non-spam email detected as spam) is 5%. Now if an email is detected as spam, then what is the probability that it is in fact a non-spam email?

Solution:

Let us consider events:- A = event that an email is detected as spam, B = event that an email is spam, Bc = event that an email is not spam. Given: P(B) = 0.5, P(A | B) = 0.99, P(A | Bc) = 0.05. By the Bayes's formula: $P(Bc | A) = \frac{P(A | Bc)P(Bc)}{P(A | Bc)P(Bc) + P(A | B)P(B)}$ = $0.05 \times 0.5 / (0.05 \times 0.5 + 0.99 \times 0.5) = 5 / 104 = 0.048$

- The probability is 4.8%

```
In [14]: # Question-8
```

Given the following distribution of returns, determine the lower quartile:

{10, 25, 12, 21, 19, 17, 16, 11, 15, 19}

```
In [15]: import numpy as np
g = [10, 25, 12, 21, 19, 17, 16, 11, 15, 19]
lower_quartile = np.quantile(g, .25)
print('Lower Quartile-', lower_quartile)
```

Lower Quartile- 12.75

```
In [16]: # Question-9
```

For a Binomial distribution, the number of trials(n) is 25, and the probability of success is 0.3. What's the variability of the distribution?

```
In [17]: import numpy as np

n = 25
p = 0.3

q = 1 - p

variance = n * p * q

std_dev = np.sqrt(variance)

print("Standard Deviation : ", std_dev)

Standard Deviation : 2.29128784747792
```

```
In [18]: # Question-10
```

Download the Cell Phone Survey Dataset and perform the below mentioned operations on the dataset:

```
In [19]: # importing libraries

import pandas as pd
import numpy as np
import statistics as stats
```

```
In [20]: # uploading dataset
df = pd.read_csv('cell phone survey.csv')
df.head(10)
```

```
Out[20]:
```

	Gender	Carrier	Type	Usage	Signal strength	Value for the Dollar	Customer Service
0	M	AT&T	Smart	High	5	4	4
1	M	AT&T	Smart	High	5	4	2
2	M	AT&T	Smart	Average	4	4	4
3	M	AT&T	Smart	Very high	2	3	3
4	M	AT&T	Smart	Very high	5	5	2
5	M	AT&T	Smart	Very high	4	3	5
6	M	AT&T	Smart	Very high	3	4	4
7	F	AT&T	Smart	Very high	3	2	3
8	F	AT&T	Smart	Very high	4	3	4
9	M	AT&T	Smart	Very high	3	3	1

```
In [21]: # 1. Checking datatypes of each column in the dataset
df.info()
df.dtypes
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 52 entries, 0 to 51
Data columns (total 7 columns):
#   Column                Non-Null Count  Dtype
---  -
0   Gender                 52 non-null    object
1   Carrier                52 non-null    object
2   Type                   52 non-null    object
3   Usage                  52 non-null    object
4   Signal strength        52 non-null    int64
5   Value for the Dollar   52 non-null    int64
6   Customer Service       52 non-null    int64
dtypes: int64(3), object(4)
memory usage: 3.0+ KB
Gender                object
Carrier              object
Type                 object
Usage                object
Signal strength      int64
Value for the Dollar int64
Customer Service     int64
dtype: object
```

```
In [22]: # 2. Find Mean of Signal strength column using Pandas and Statistics library.

# using pandas
df_mean = df['Signal strength'].mean()
print('Mean of signal strenght is:', df_mean)

# using statistics library
df_mean1 = stats.mean(df['Signal strength'])
```

```
print('Mean of signal strenght is:', df_mean1)
```

Mean of signal strenght is: 3.3076923076923075

Mean of signal strenght is: 3.3076923076923075

In [23]: # 3. Find the Median of Customer Service column using Pandas and Statistics library.

```
# using pandas
df_median = df['Customer Service'].median()
print('Median of Customer Service is:', df_median)

# using statistics library
df_median1 = stats.median(df['Customer Service'])
print('Median of Customer Service is:', df_median1)
```

Median of Customer Service is: 3.0

Median of Customer Service is: 3.0

In [24]: # 4. Find Mode of Signal strength column using Pandas and Statistics library.

```
# using pandas
df_mode = df['Signal strength'].mode()
print('Mode of Signal Streth:', df_mode)

# using statistics library
df_model = stats.mode(df['Signal strength'])
print('Mode of Signal Streth:', df_model)
```

Mode of Signal Streth: 0 3

Name: Signal strength, dtype: int64

Mode of Signal Streth: 3

In [25]: # 5. Find Standard deviation of Customer Service column using Pandas and Statistics library.

```
# using pandas
df_std = stats.stdev(df['Customer Service'])
print("STD. of Customer service is:", df_std)

# using statistics library
df_std1 = df['Customer Service'].std()
print("STD. of Customer Service is:", df_std1)
```

STD. of Customer service is: 0.9623375261979595

STD. of Customer Service is: 0.9623375261979594

In [26]: # 6. Find Variance of Customer Service column using Pandas and Statistics library.

```
# using pandas
df_var = stats.variance(df['Customer Service'])
print("Variance Customer Service:", df_var)

# using statistics library
df_var1 = df['Customer Service'].var()
print("Variance of Customer Service:", df_var1)
```

Variance Customer Service: 0.9260935143288085

Variance of Customer Service: 0.9260935143288083

In [27]: # 7. Calculate Percentiles of Value for the Dollar column using Numpy.

```
# using numpy library
def_col = df['Value for the Dollar']
df_quartiles = np.quantile(def_col, [0,0.25,0.500,0.75,1])
print("Percentiles for the Dollar:", df_quartiles)
```

Percentiles for the Dollar: [1. 3. 3. 4. 5.]

In [28]: # 8. Calculate Range of Value for the Dollar column using Pandas.

```
df_range = df['Value for the Dollar'].max() - df['Value for the Dollar'].min()
print('Range for the dollar column:', df_range)
```

Range for the dollar column: 4

In [29]: # 9. Calculate IQR of Value for the Dollar column using Pandas.

```
# using numpy library
qr = df['Value for the Dollar']
qr1 = np.percentile(qr, 25)
qr2 = np.percentile(qr, 75)
IQR = qr2 - qr1
print('Interquartile range of dollar column:', IQR)
```

Interquartile range of dollar column: 1.0

In [30]: # 10. Hypothesis Testing - Using the data in the Cell Phone Survey dataset, apply ANOVA to determine
if the mean response for Value for dollar is the same for different types of cell phones.

In [31]: # checking different types of cell phones
df['Type'].unique()

```
Out[31]: array(['Smart', 'Camera', 'Basic'], dtype=object)
```

```
In [32]: # applying ANOVA Test
```

```
import scipy.stats as stats
stats.f_oneway(df['Value for the Dollar'][df['Type'] == 'Basic'],
               df['Value for the Dollar'][df['Type'] == 'Camera'],
               df['Value for the Dollar'][df['Type'] == 'Smart'])
```

```
Out[32]: F_onewayResult(statistic=3.1111943528010304, pvalue=0.053454200712805613)
```

Since the p-value is greater than 0.05, we fail to reject the null hypothesis and conclude that there is no significant difference between the means of different groups.

Loading [MathJax]/jax/output/CommonHTML/fonts/TeX/fontdata.js