

Case 1: Make a simulation where  $\tau = \begin{bmatrix} 20 \\ 5 \end{bmatrix}$  and the robot has viscous friction, B = I

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% CASE 3: ( tau = [20;5] and B=I)
close all
clear
clc
% create figure
figure
axis([-2, 2, -2, 2])
grid on
hold on
% save as a video file
v = VideoWriter('Case_3.mp4', 'MPEG-4');
v.FrameRate = 100;
open(v);
% pick your system parameters
L1 = 1;
L2 = 1;
m1 = 1;
m2 = 1;
I1 = 0.1;
I2 = 0.1;
g = 9.81;
tau = [20;5]; % Case 3
% Initial conditions
theta = [0;0]; % joint position
thetadot = [0;0]; % joint velocity
thetadotdot = [0;0]; % joint acceleration
masses = [m1, m2];
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omega = [0;0;1];
Inertia 1 = [0 0 0;0 0 0;0 0 I1];
Inertia_2 = [0 0 0;0 0 0;0 0 I2];
q1 = [0;0;0]; % Position of Joint 1
q2 = [L1;0;0]; \% Position of Joint 2
q3 = [L1+L2;0;0]; % end effector position
S1 = [omega; -cross(omega,q1)];
S2 = [omega;-cross(omega,q2)];
S_{eq1} = [S1, [0;0;0;0;0;0]];
S_{eq2} = [S1, S2];
M1 = [eye(3),q2; 0 0 0 1];
M2 = [eye(3), [L1+L2;0;0]; 0 0 0 1];
gravity_vector = (zeros(length(theta),1));
Coriolis Matrix = (zeros(2,2));
Mass_Matrix = [I1 + I2 + L1^2*m1 + L1^2*m2 + L2^2*m2 + 2*L1*L2*m2*cos(theta(2)),
m2*L2^2 + L1*m2*cos(theta(2))*L2 + I2; m2*L2^2 + L1*m2*cos(theta(2))*L2 + I2,
m2*L2^2 + I2;
for idx = 1:1000
    % plot the robot
    % 1. get the position of each link
    p0 = [0; 0];
    T1 = fk(M1, S_eq2(:,1:1), theta(1:1,:));
    p1 = T1(1:2,4); % position of link 1 (location of joint 2)
    T2 = fk(M2, S_eq2, theta);
    p2 = T2(1:2,4); % position of link 2 (the end-effector)
    P = [p0, p1, p2];
    % 2. draw the robot and save the frame
    plot(P(1,:), P(2,:), 'o-', 'color',[1, 0.5, 0], 'linewidth',4);
    drawnow;
    frame = getframe(gcf);
    writeVideo(v,frame);
    % integrate to update velocity and position
    % your code here
    deltaT = 0.01;
    thetadot = thetadot + deltaT * thetadotdot;
    theta = theta + deltaT * thetadot;
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Mass Matrix = [I1 + I2 + L1^2*m1 + L1^2*m2 + L2^2*m2 + 2*L1*L2*m2*cos(theta(2)),
m2*L2^2 + L1*m2*cos(theta(2))*L2 + I2; m2*L2^2 + L1*m2*cos(theta(2))*L2 + I2,
m2*L2^2 + I2;
    Coriolis_Matrix = [-
L1*L2*m2*thetadot(2)*sin(theta(2)), -L1*L2*m2*sin(theta(2))*(thetadot(1) + L1*L2*m2*sin(theta(2)))
thetadot(2));L1*L2*m2*thetadot(1)*sin(theta(2)), 0];
    gravity\_vector = [(g*(m1+m2)*L1*cos(theta(1))) + g*m2*L2*cos(theta(1) + g*m2*L2*cos(theta(1)))]
theta(2)); g*m2*L2*cos(theta(1) + theta(2))];
    B = eye(2); % Case 3
    thetadotdot = (inv(Mass_Matrix)) * (tau - Coriolis_Matrix * thetadot
-B*thetadot - gravity_vector);
    % tau = Mass_Matrix * thetadotdot + Coriolis_Matrix * thetadot + B * thetadot +
gravity_vector;
end
close(v);
close all
```