

```
[ ] ⏴ # Lab 10: MNIST Compression using Autoencoder (PyTorch)

import torch
import torch.nn as nn
import torch.optim as optim
from torchvision import datasets, transforms
from torch.utils.data import DataLoader
import matplotlib.pyplot as plt

# -----
# 1. Hyperparameters
# -----
batch_size = 256
learning_rate = 1e-3
num_epochs = 10
latent_dim = 32

# -----
```



```
# -----
# 2. MNIST Dataset
# -----
transform = transforms.Compose([transforms.ToTensor()])

train_dataset = datasets.MNIST(root='./data', train=True, transform=transform, download=True)
test_dataset = datasets.MNIST(root='./data', train=False, transform=transform, download=True)

train_loader = DataLoader(train_dataset, batch_size=batch_size, shuffle=True)
test_loader = DataLoader(test_dataset, batch_size=batch_size, shuffle=False)

# -----
# 3. Autoencoder Model
# -----
class Autoencoder(nn.Module):
    def __init__(self):
        super(Autoencoder, self).__init__()
        # Encoder
        self.encoder = nn.Sequential(
            nn.Flatten(),
```

{ } Variables Terminal



```
        nn.Linear(28*28, 128),
        nn.ReLU(),
        nn.Linear(128, 64),
        nn.ReLU(),
        nn.Linear(64, latent_dim)
    )
# Decoder
self.decoder = nn.Sequential(
    nn.Linear(latent_dim, 64),
    nn.ReLU(),
    nn.Linear(64, 128),
    nn.ReLU(),
    nn.Linear(128, 28*28),
    nn.Sigmoid(),          # output between 0 and 1
    nn.Unflatten(1, (1,28,28))
)

def forward(self, x):
    x = self.encoder(x)
    x = self.decoder(x)
    return x
```

{ } Variables Terminal



```
# 4. Model, Loss, Optimizer
# -----
device = torch.device("cuda" if torch.cuda.is_available() else "cpu")
model = Autoencoder().to(device)
criterion = nn.MSELoss()
optimizer = optim.Adam(model.parameters(), lr=learning_rate)

# -----
# 5. Training
# -----
losses = [] # To store average loss per epoch

for epoch in range(num_epochs):
    model.train()
    train_loss = 0
    for data, _ in train_loader:
        data = data.to(device)
        optimizer.zero_grad()
        output = model(data)
        loss = criterion(output, data)
        loss.backward()
```



{ } Variables Terminal



```
optimizer.step()
train_loss += loss.item() * data.size(0) # sum loss over batch

avg_loss = train_loss / len(train_loader.dataset)
losses.append(avg_loss)
print(f"Epoch [{epoch+1}/{num_epochs}], Loss: {avg_loss:.6f}")

# -----
# Plot Loss vs Epoch
# -----
plt.figure(figsize=(8,5))
plt.plot(range(1, num_epochs+1), losses, marker='o')
plt.title('Training Loss vs Epoch')
plt.xlabel('Epoch')
plt.ylabel('Loss (MSE)')
plt.grid(True)
plt.show()

# -----
# 6. Testing & Visualization
# -----
```

{} Variables

Terminal



```
model.eval()
with torch.no_grad():
    for data, _ in test_loader:
        data = data.to(device)
        reconstructed = model(data)
        break # take first batch

# Display original and reconstructed images
n = 10
plt.figure(figsize=(20,4))
for i in range(n):
    # Original
    ax = plt.subplot(2, n, i+1)
    plt.imshow(data[i].cpu().squeeze(), cmap='gray')
    plt.title("Original")
    plt.axis('off')

    # Reconstructed
    ax = plt.subplot(2, n, i+1+n)
    plt.imshow(reconstructed[i].cpu().squeeze(), cmap='gray')
    plt.title("Reconstructed")
```

{ } Variables

Terminal



```
plt.axis('off')
plt.show()
```



```
Epoch [1/10], Loss: 0.074551
Epoch [2/10], Loss: 0.043603
Epoch [3/10], Loss: 0.032213
Epoch [4/10], Loss: 0.027764
Epoch [5/10], Loss: 0.024732
Epoch [6/10], Loss: 0.022521
Epoch [7/10], Loss: 0.020834
Epoch [8/10], Loss: 0.019298
Epoch [9/10], Loss: 0.018088
Epoch [10/10], Loss: 0.017080
```

Training Loss vs Epoch

Training Loss vs Epoch



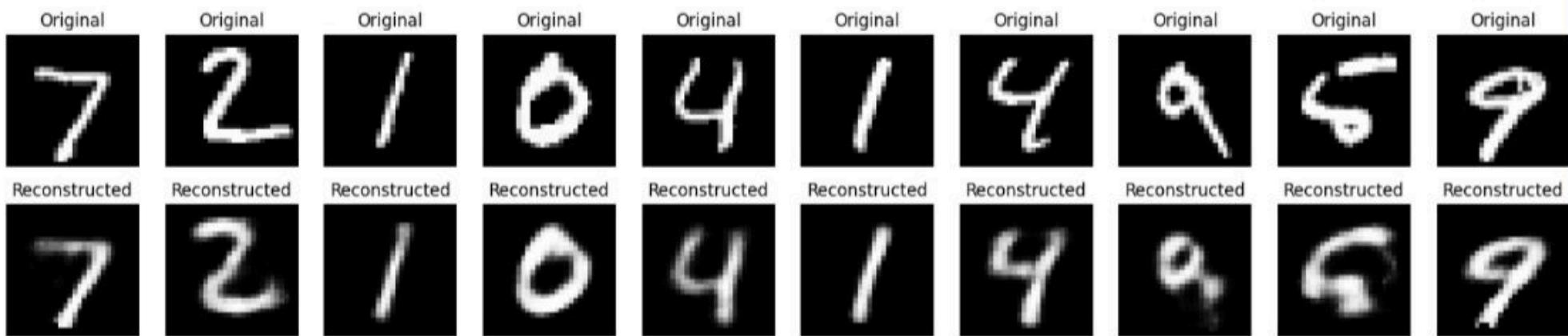
{ } Variables

Terminal



↑ ↓ ✎ 🗑️ ⏮





Notes 10. Perform Compression on MNIST dataset using autoencoder

Aim :

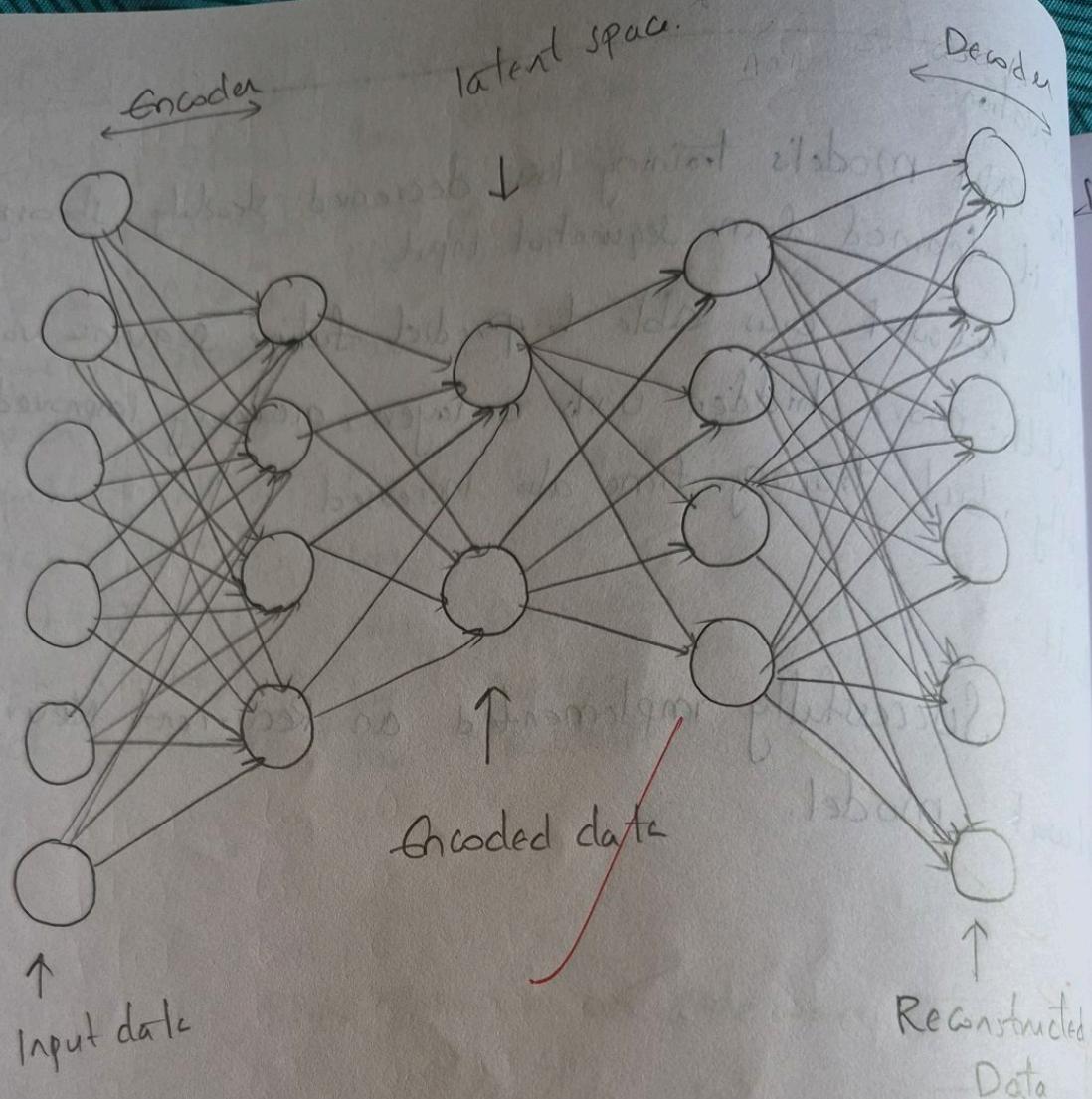
To Compress and reconstruct the MNIST handwritten digit dataset using an autoencoder.

Objective:

1. To understand the Concept of autoencoders for data compression & deconstruction
2. To implement autoencoder using neural network framework
3. To Compress the MNIST dataset to lower dimensional representation
4. To reconstruct the original images from the compressed representation
5. To Visualise Compressed representation of the digits.

Pseudo Code:

1. Import required libraries
2. Load MNIST dataset
 - $x_train, x_test, y_train, y_test = \text{mnist.load_data()}$
 - Normalize data to range $[0, 1]$
3. Flatten images to vectors ($28 \times 28 \rightarrow 784$)
4. Define the Autoencoder architecture
 - Input layer = 784
 - Encoder layers = $128 \rightarrow 64 \rightarrow 32$
 - Decoder layers = $32 \rightarrow 64 \rightarrow 128 \rightarrow 784$
 - Activation function : ReLU for hidden layers, sigmoid for output layer



Architecture of Encoder

10. Per

Aim :

T
digit

Objec

1. To
data

2. To

3. To
repres

4. To
repres

5. Ti

Pseu

1. Im

2. Lo

3. T

4. "

5. Compile the model
6. Train the autoencoder
 - Input = x_{train} , output = x_{train}
7. Evaluate the model
 - Reconstruct images from x_{test}
8. Visualize
 - Original vs Reconstructed images

Observation:

1. The autoencoder successfully compressed MNIST images from 784 dimensions to 32 dimensions.
2. Reconstruction quality depends on the size of latent space & network depth.
3. Some fine details may be lost during compression
4. Loss gradually decreases during training, showing that the network learns to reconstruct images effectively.

Result:

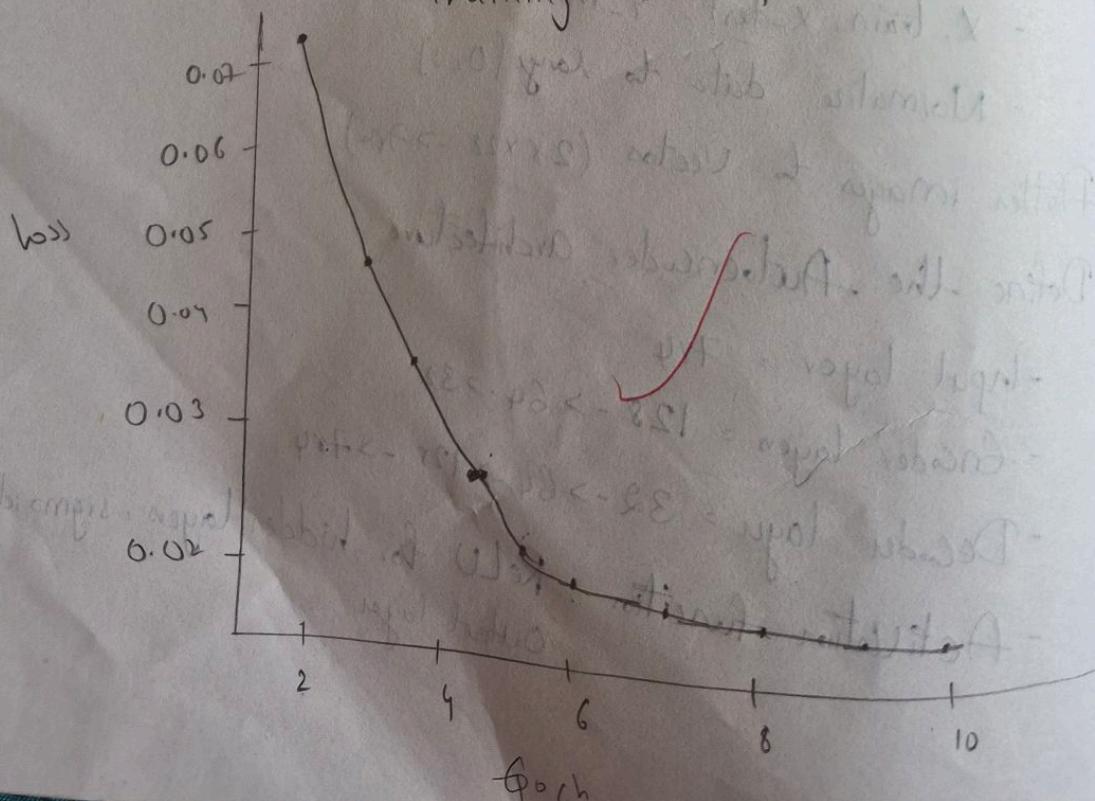
Successfully implemented and performed Compression
on MNIST data using autoencoder

Epoch [1/20], loss : 0.076121
 Epoch [2/20], loss : 0.041204
 Epoch [3/20], loss : 0.030499
 Epoch [4/20]
 Epoch [5/20]
 Epoch [6/20]
 Epoch [7/20]
 Epoch [8/20]
 Epoch [9/20]
 Epoch [10/20]

Epoch [11/20]
 Epoch [12/20]
 Epoch [13/20]
 Epoch [14/20]
 Epoch [15/20]
 Epoch [16/20]
 Epoch [17/20]
 Epoch [18/20]
 Epoch [19/20]
 Epoch [20/20]

Epoch [1/10], loss : 0.074551
 Epoch [2/10], loss : 0.043601
 Epoch [3/10], loss : 0.032213
 Epoch [4/10], loss : 0.027764
 Epoch [5/10], loss : 0.024732
 Epoch [6/10], loss : 0.022521
 Epoch [7/10], loss : 0.020834
 Epoch [8/10], loss : 0.017298
 Epoch [9/10], loss : 0.015087
 Epoch [10/10], loss : 0.017080

Training loss Vs epoch



5. Compile the
6. Train the
- Input =
7. Evaluate the
- Recon.
8. Visualize
- Orig.

Observation

1. The autoencoder takes 4 dimensions.
2. Reconstructed depth.
3. Some fine tuning.
4. Loss goes down as the network learns.

Result :

on MNIST

```
#lab_11|  
import torch  
import torch.nn as nn  
import torch.optim as optim  
from torchvision import datasets, transforms  
from torch.utils.data import DataLoader  
import matplotlib.pyplot as plt  
  
# -----  
# Hyperparameters  
# -----  
batch_size = 128  
learning_rate = 1e-3  
num_epochs = 10  
latent_dim = 20  
device = torch.device("cuda" if torch.cuda.is_available() else "cpu")  
  
# -----  
# MNIST Dataset  
# -----
```

{ } Variables

Terminal



```
# -----
# MNIST Dataset
# -----
transform = transforms.ToTensor()
train_dataset = datasets.MNIST(root='./data', train=True, transform=transform, download=True)
test_dataset = datasets.MNIST(root='./data', train=False, transform=transform, download=True)
train_loader = DataLoader(train_dataset, batch_size=batch_size, shuffle=True)
test_loader = DataLoader(test_dataset, batch_size=batch_size, shuffle=False)

# -----
# VAE Model
# -----
class VAE(nn.Module):
    def __init__(self):
        super(VAE, self).__init__()
        # Encoder
        self.fc1 = nn.Linear(28*28, 400)
        self.fc_mu = nn.Linear(400, latent_dim)
        self.fc_logvar = nn.Linear(400, latent_dim)
        # Decoder
        self.fc3 = nn.Linear(latent_dim, 400)
```

{ } Variables  Terminal



```
def encode(self, x):
    h1 = torch.relu(self.fc1(x))
    return self.fc_mu(h1), self.fc_logvar(h1)

def reparameterize(self, mu, logvar):
    std = torch.exp(0.5*logvar)
    eps = torch.randn_like(std)
    return mu + eps*std

def decode(self, z):
    h3 = torch.relu(self.fc3(z))
    return torch.sigmoid(self.fc4(h3))

def forward(self, x):
    mu, logvar = self.encode(x.view(-1, 28*28))
    z = self.reparameterize(mu, logvar)
    return self.decode(z), mu, logvar

# -----
# Loss Function
```

{ } Variables Terminal



```
# -----
# Loss Function
# -----
def loss_function(recon_x, x, mu, logvar):
    BCE = nn.functional.binary_cross_entropy(recon_x, x.view(-1, 28*28), reduction='sum')
    KLD = -0.5 * torch.sum(1 + logvar - mu.pow(2) - logvar.exp())
    return BCE + KLD

# -----
# Model, Optimizer
# -----
model = VAE().to(device)
optimizer = optim.Adam(model.parameters(), lr=learning_rate)

# -----
# Training
# -----
losses = [] # list to store average loss per epoch

for epoch in range(num_epochs):
    model.train()
```

{ } Variables

Terminal



```
        data = data.to(device)
        optimizer.zero_grad()
        recon_batch, mu, logvar = model(data)
        loss = loss_function(recon_batch, data, mu, logvar)
        loss.backward()
        train_loss += loss.item()
        optimizer.step()
        avg_loss = train_loss / len(train_loader.dataset)
        losses.append(avg_loss)
        print(f'Epoch [{epoch+1}/{num_epochs}], Loss: {avg_loss:.4f}')

# -----
# Plot Loss vs Epoch
# -----
plt.figure(figsize=(8,5))
plt.plot(range(1, num_epochs+1), losses, marker='o')
plt.title('Training Loss vs Epoch')
plt.xlabel('Epoch')
plt.ylabel('Loss')
plt.grid(True)
plt.show()
```

{ } Variables Terminal



```
# -----
model.eval()
with torch.no_grad():
    for data, _ in test_loader:
        data = data.to(device)
        recon, _, _ = model(data)
        break # first batch only

# Display original and reconstructed images
n = 10
plt.figure(figsize=(20,4))
for i in range(n):
    # Original
    ax = plt.subplot(2, n, i+1)
    plt.imshow(data[i].cpu().squeeze(), cmap='gray')
    plt.axis('off')
    # Reconstructed
    ax = plt.subplot(2, n, i+1+n)
    plt.imshow(recon[i].cpu().view(28,28), cmap='gray')
    plt.axis('off')
plt.show()
```

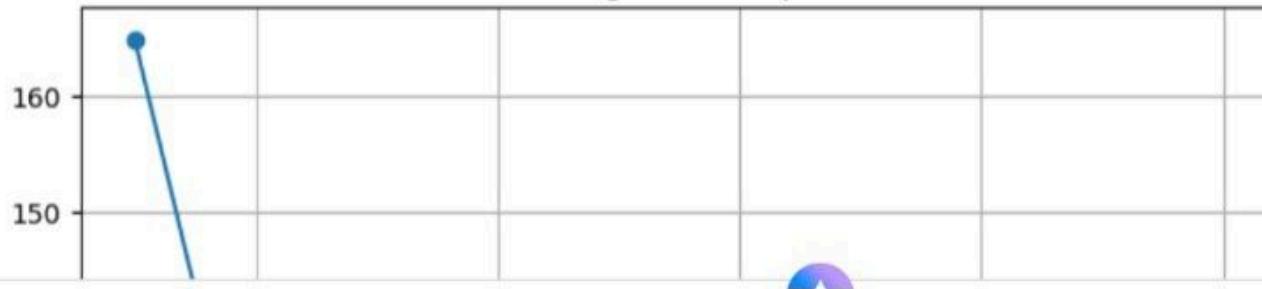
{ } Variables

Terminal

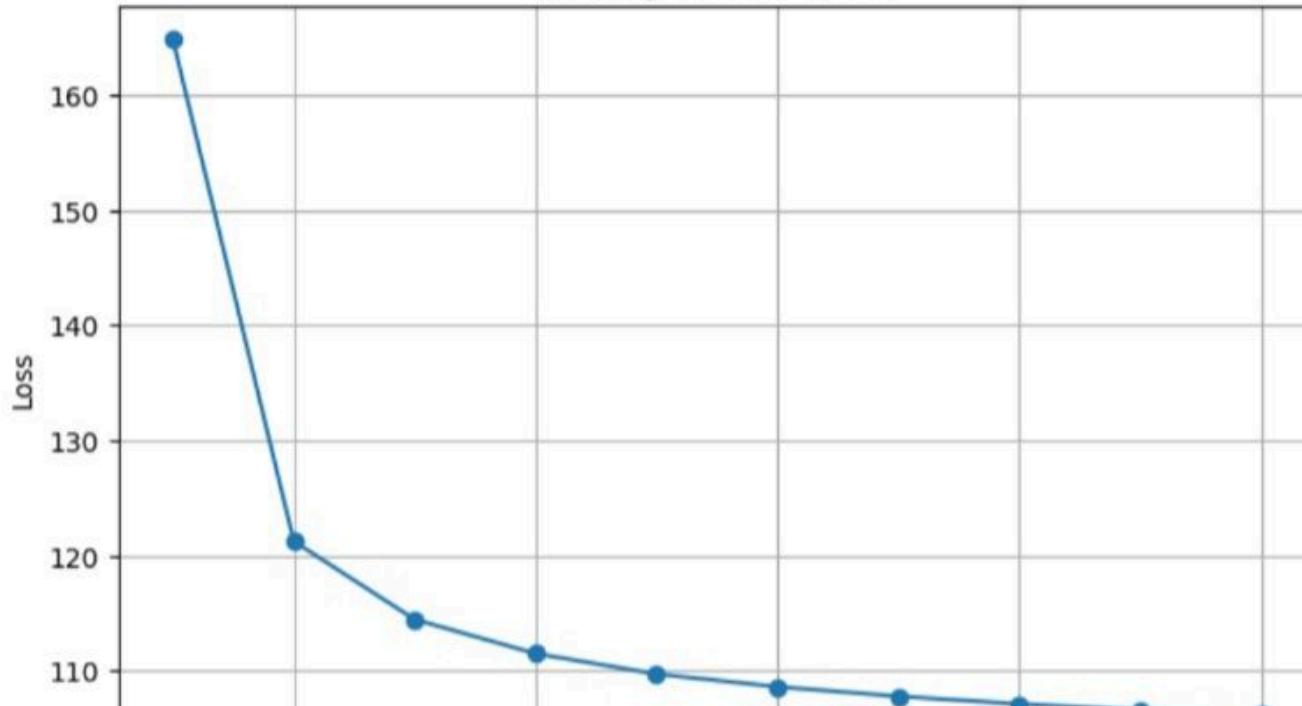


→ Epoch [1/10], Loss: 164.8592
Epoch [2/10], Loss: 121.2283
Epoch [3/10], Loss: 114.4237
Epoch [4/10], Loss: 111.4566
Epoch [5/10], Loss: 109.6797
Epoch [6/10], Loss: 108.5698
Epoch [7/10], Loss: 107.7450
Epoch [8/10], Loss: 107.0712
Epoch [9/10], Loss: 106.5329
Epoch [10/10], Loss: 106.1177

Training Loss vs Epoch



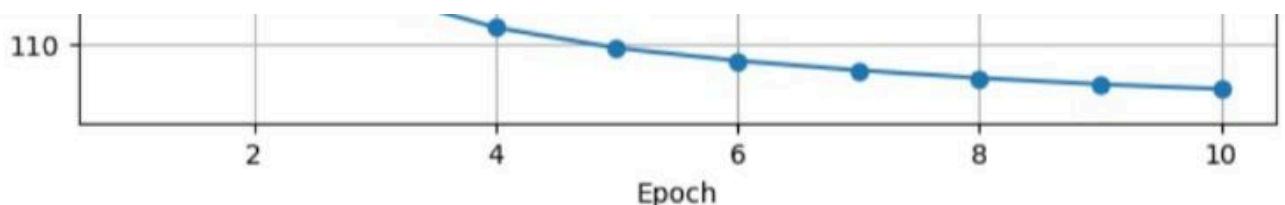
Training Loss vs Epoch



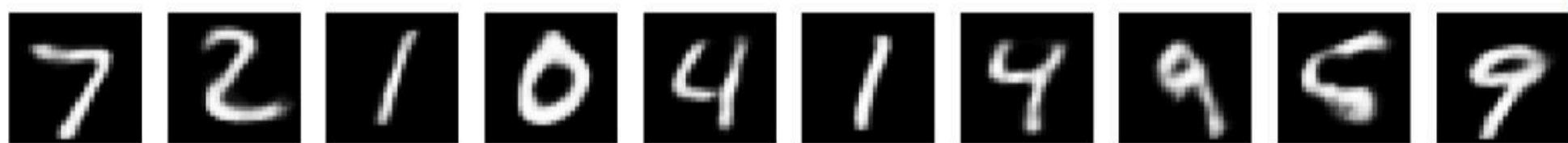
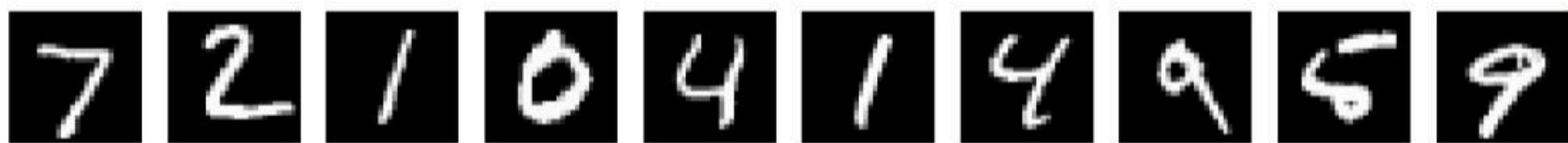
{ } Variables

Terminal





↑ ↓ ✎ 🗑️ :



11. Experiments Using Variational Autoencoder

Aim :

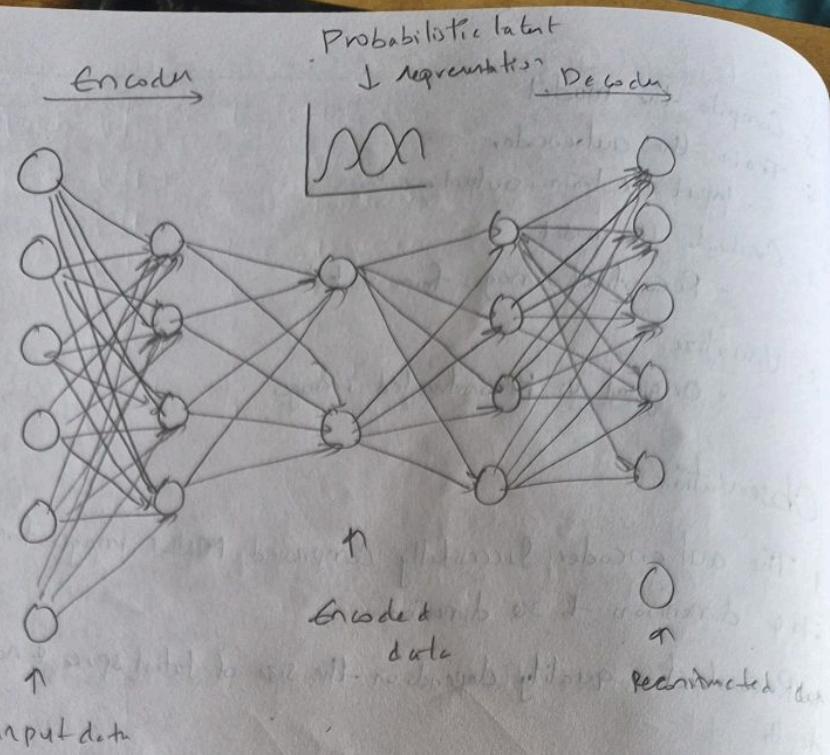
To implement a Variational autoencoder on MNIST dataset and observe its ability to learn a latent representation for generating and reconstructing images.

Objective :

1. To understand the concept of VAE and its difference from a standard autoencoder.
2. To implement a VAE using PyTorch
3. To compress the MNIST dataset into a latent space & sample new images from it.
4. To reconstruct original images and analyze the quality of generated outputs
5. To visualize the latent space and understand clustering of digit representations.

Pseudo Code :

1. Import required libraries
2. Load MNIST dataset and normalize
3. Define VAE Model
 - Encoder : Output mean (μ) and log variance ($\log \sigma^2$) of latent distribution
 - Reparameterization trick : $z = \mu + \text{std} * \epsilon$
4. Define loss function : Reconstruction loss, KL divergence loss
5. Train the VAE
 - Forward Pass : Compute μ , $\log \sigma^2$, z , reconstruction
 - Compute total loss : Reconstruction + KL divergence
 - Backpropagate & optimize



Variational Autoencoder Architecture

11. EXP

Aim :

To

dataset
for gen

Object

1. To
a Sta

2. To

3. To

Sample

4. To

genera

5. To

of

Pseu

1. T

2. I

3.

4.

5.

6. Test VAE

- Reconstruct test images
- Generate new images by sampling latent space

7. Visualize

- Original vs reconstructed image
- Generated images

Observations :

1. VAE compressed images into probabilistic latent space
2. KL divergence ensures that latent space follows a standard normal distribution.
3. Generated images from random samples of latent space resembles the digits
4. Reconstruction is slightly blurrier than standard autoencoders due to Probabilistic sampling.

Result :

Successfully implemented the experiment using Variational autoencoder.

6. Test VAE

- Reconstructed test image
- Generate new images by sample

7. Visualize

- Original vs reconstructed in
- Generated image

Observations:

1. VAE compressed image
2. KL divergence ensure normal distribution.
3. Generated images more resembles the digits
4. Reconstruction is due to Probabilistic

Training loss kept going down

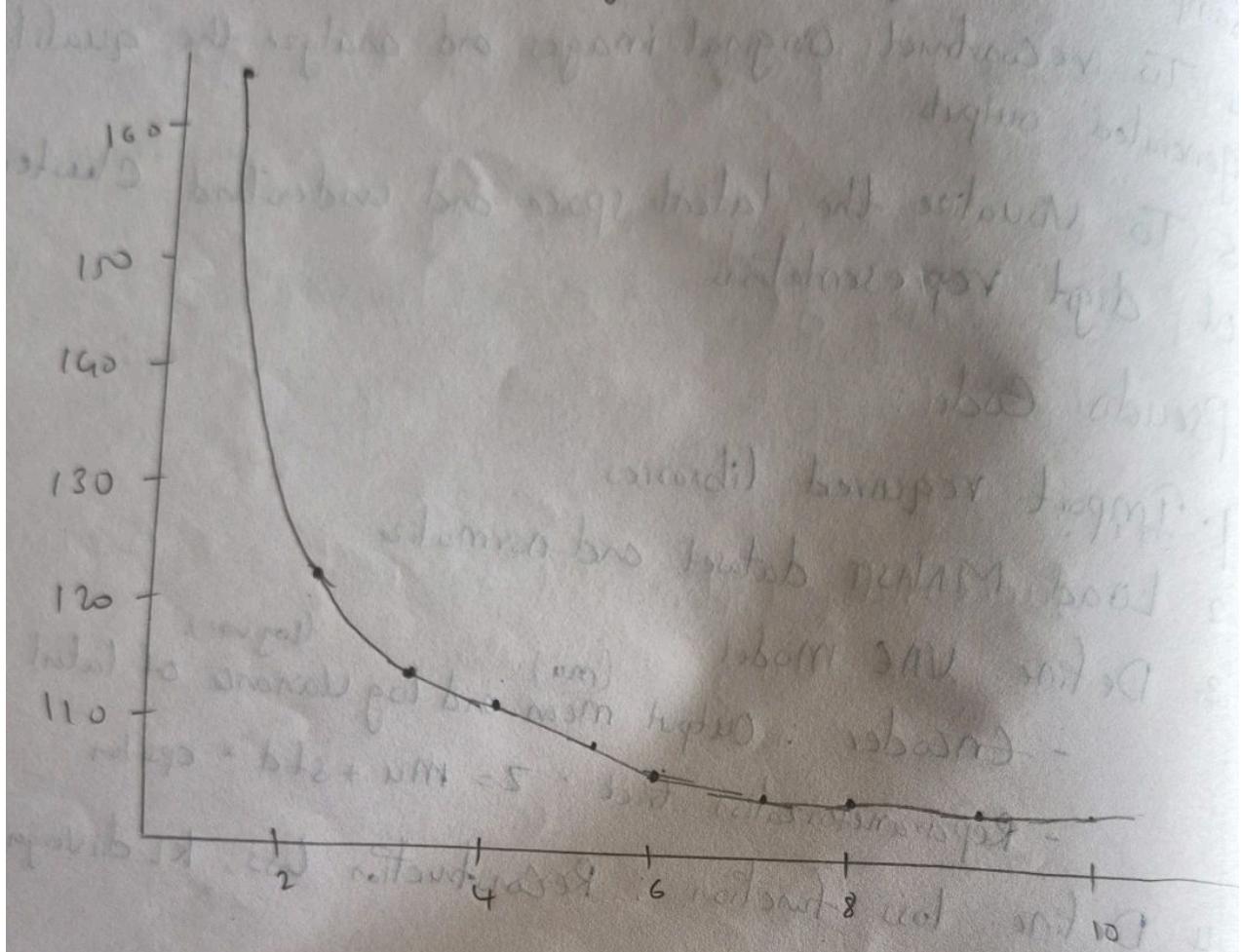
for all epochs from epoch 1 to epoch 1000
loss : 114.4222

Epoch [9/10]

Epoch [10/10]

Loss: 106.1172

Training loss Vs Epoch



Epoch 10 loss: 106.1172