





K-Nearest Neighbours







Objective

- Nearest Neighbours
- Telecome customer dataset
- Inference
- Implementation of KNN
- Feature Normalization
- Identify value of K

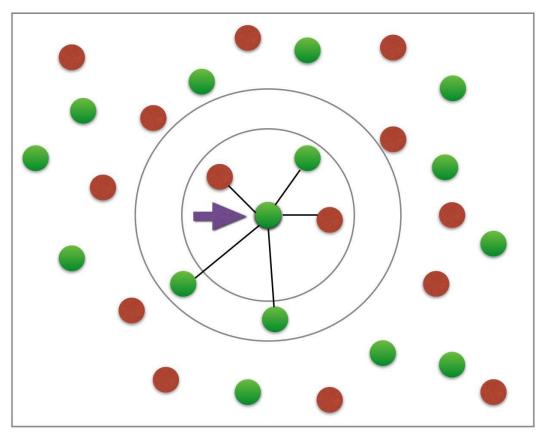






Introduction

- It is a supervised learning algorithm
- Simple to implement and most widely used machine learning Inference
- K-NN can outperform more powerful classifiers
- Non-parametric method for pattern classification
- Major challenge is to identify value K



Reference : KNN Classifier







Telecom Customer Dataset

- In Telecommunication dataset, with predefined labels, need to build a model which is used to predict the class of a new or unknown case.
- The example focuses on using demographic data to predict usage patterns.

Features

Labels

| | region | age | marital | address | income | ed | employ | retire | gender | reside | custcat |
|---|--------|-----|---------|---------|--------|----|--------|--------|--------|--------|---------|
| 0 | 2 | 44 | 1 | 9 | 64 | 4 | 5 | 0 | 0 | 2 | 1 |
| 1 | 3 | 33 | 1 | 7 | 136 | 5 | 5 | 0 | 0 | 6 | 4 |
| 2 | 3 | 52 | 1 | 24 | 116 | 1 | 29 | 0 | 1 | 2 | 3 |
| 3 | 2 | 33 | 0 | 12 | 33 | 2 | 0 | 0 | 1 | 1 | 1 |
| 4 | 2 | 30 | 1 | 9 | 30 | 1 | 2 | 0 | 0 | 4 | 3 |
| 5 | 2 | 39 | 0 | 17 | 78 | 2 | 16 | 0 | 1 | 1 | 3 |
| 6 | 3 | 22 | 1 | 2 | 19 | 2 | 4 | 0 | 1 | 5 | 2 |
| 7 | 2 | 35 | 0 | 5 | 76 | 2 | 10 | 0 | 0 | 3 | 4 |
| 8 | 3 | 50 | 1 | 7 | 166 | 4 | 31 | 0 | 0 | 5 | ? |

Reference: KNN Classifier

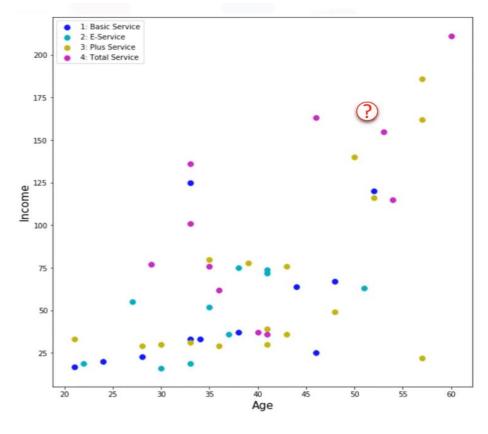






Telecom Customer Dataset

- Objective is to build a classifier, using the rows 0 to 7, to predict the class of row 8.
- We will use a specific type of classification called K-nearest neighbor.
- Just for sake of demonstration, let's use only two fields as predictors - specifically, Age and Income, and then plot the customers based on their group membership.



Reference : Telecom Dataset







Intuition of Nearest Neighbour

- How can we find the class of new customer, available at record number 8 with a known age and income?
- Can we say that the class of our new customer is most probably group 4 because its nearest neighbour is also of class 4?
- Yes, we can say so!

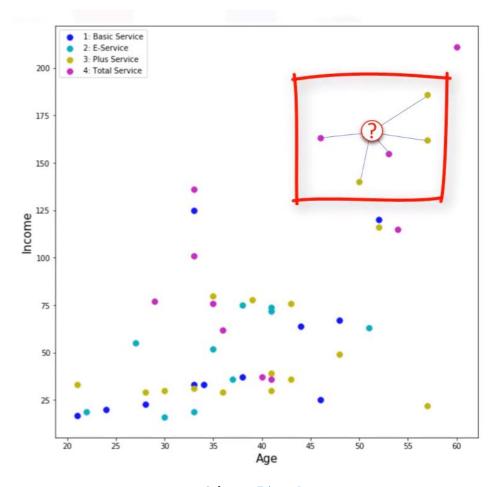






Inference

- Now, the question is, "To what extent can we trust our judgment, which is based on the first nearest neighbor?"
- It might be a poor judgment, especially if the first nearest neighbor is a very specific case, or an outlier!
- What if we chose the five nearest neighbors, and did a majority vote among them?



Reference: Telecom Dataset

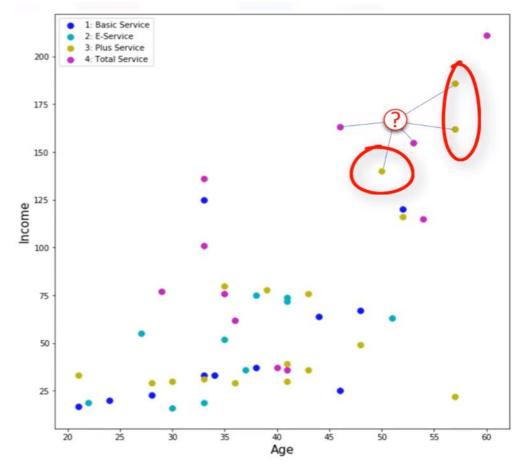






Decision Resolving

- Does this make more sense?
- Yes!
- In this case, the value of K in the k-nearest neighbours' algorithm is 5.
- This example highlights the intuition behind the k-nearest neighbours' algorithm.



Reference: Telecom Dataset







Implementation steps

- In a classification problem, the k-nearest neighbors algorithm is implemented using following steps:
- Pick a value for K.
- Calculate the distance of unknown case from all cases.
- Search for the K observations in the training data that are 'nearest' to the measurements of the unknown data point.
- Predict the response of the unknown data point using the most popular response value from the K nearest neighbors.







Similarity between data points

- How can we calculate the similarity between two data points?
- Assume that we have two customers, customer 1 and customer 2 who have only one feature, Age.
- We can easily use a specific type of Euclidean distance to calculate the distance of these 2 customers.
- Lower distance resembles higher similarity.

$$Dis(x,y) = \sqrt{\sum_{i=0}^{n} (x_i - y_i)^2}$$







Similarity between data points

- Age of customer 1 = 54 and
- Age of customer 2 = 50,
- Distance between both customer 1 & customer 2 "age" feature are:
 Dis(x,y)=√((54-50)^2)=4
- If we have both income and age features of both customers.
- Age of customer 1 = 54 and income = 250
- Age of customer 2 = 50 and income = 240
- Distance between Customer 1 & Customer 2 "age" and "income"
 Dis(x,y)=10.77

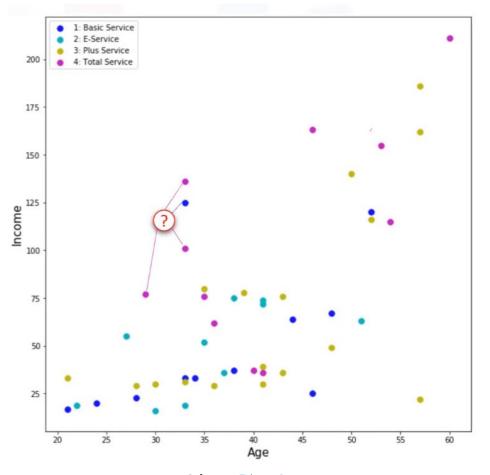






Value of K?

- A low value of K causes a highly complex model, which might result in over-fitting of the model.
- It means the prediction process is not generalized enough to be used for out-of-sample cases.



Reference : <u>Telecom Dataset</u>







Optimizing K?

- So, how we can find the best value for K?
- Calculate the accuracy of the model by choosing K=1 using all samples in your test set.
- Repeat this process, increasing the k, and see which k is best for your model.
- In this example, K=4 gives the **best accuracy.**







Hands On