

29-07-2024
maxim

1. Linear search :-

→ 'Data': This represents the collection of elements where we want to search for a specific 'target' element.

→ 'target': The value we are looking for within the data

→ for each element (item) in data, it checks if 'item' equals 'target'!

→ If a match is found, it returns true, else it returns false.

Input = {10, 4, 2, 6, 8, 3}

target = 8

output = ~~10~~ 8 found at index 4

2. Binary search :-

→ Data: sorted array to search through.

→ target: Element we are searching for low=0, high=n-1

→ Mid = $\frac{\text{low} + \text{high}}{2}$

→ If target is greater, ignore left half.

→ If target is smaller, ignore right half.

Input :- [2, 4, 6, 8, 10, 12, 14, 16]

target = 10

output :- element 10 index '4'

3. Stack application :-

→ Initialize an empty stack & empty list for output.

→ For each character in infix expression:

→ If character is operand, add to output list.

→ while stack is ^{not} empty.

i. pop from stack to output.

(ii) return output as postfix.

Input :-

$(A+B) * C - (D-E) * (F+G)$

output :- $AB+C*DE-FG+*-$

* Evaluating postfix

→ Postfix ["2", "3", "4", "5", "*"]

→ Push '2' & '3' onto the stack.

→ Push '5' operand on to the stack.

→ Final result '25' is left on the stack after processing all tokens.

Input :- $23+5*$ → Postfix

output :-

'25'

5. Balanced Equation

- Exam $(a+b)$:
- Push 'c' on to stack.
- encounter 'a', '+', 'b'.
- Encounter ')': pop 'c' from matching pairing.
- return 'true', indicating that $(a+b)$.

Input: $(a+b)$

Output: True.

6. Queue

- Array Implementation
- The queue is implemented using a fixed-size array.
- front & rear are indices to keep track of the front and rear of the queue.
- Size keeps track of the current number.

Input: (10, 20, 20, 40, 50, 60)

Front Element: 10

Queue Element: 10

" " :- 20

Queue Element: 40 50

Queue Size = 2

Queue Empty

Infix - postfix

1. $A+B * C$

input	stack	output
$A+B * C$	-	-
$+B * C$	-	A
$B * C$	+	A
$* C$	+	AB
C	+	AB
	+	ABC
	+	ABC*
	+	ABC+

2. $(A+B) * (C-D)$

Input	stack	output
$(A+B)-(C-D)$	-	-
$A+B) * (C-D)$	(-
$+B) * (C-D)$	(A
$B) * (C-D)$	(A
$) * (C-D)$	(AB
$* (C-D)$		AB +
$(C-D)$	*	AB +
$-D)$	*	AB +
$D)$	*	AB + C
$)$	*	AB + CD -
		AB + CD *

Postfix to Infix

③ $AB + C *$

step	postfix	Infix
1.	$AB + C *$	$[]$
2.	$B + C *$	$[A]$
3.	$+ C *$	$[A.B]$
4.	$C *$	$[(A+B)]$
5.	$*$	$[(A+B).C]$
6.		$[(A+B) * C]$

④ $ABC * + D$

step	postfix	stack
1.	$ABC * + D$	$[]$
2.	$BC * + D -$	A
3.	$C * + D -$	A, B, C
4.	$* + D -$	$A, (B * C)$
5.	$+ D -$	$A, (B * C)$
6.	$D -$	$[(A + B * C)]$
7.	$-$	$[(A + (B * C)), D]$
8.		$[(A + (B * C)) - D]$

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Balancing parentheses

⑤ $(A+B) * (C-D)$

step	Read	stack
1.	$($	$[(]$
2.	A	$[(]$
3.	$+$	$[(]$
4.	B	$[(]$
5.	$)$	$[]$
6.	$*$	$[]$
7.	$($	$[(]$
8.	$($	$[(]$
9.	$-$	$[(]$
10.	D	$[(]$
11.	$)$	$[]$

stack is empty

⑥ $\{ A + (B * C) - D \}$

step	Read	stack
1.	$\{$	$[\{]$
2.	A	$[\{]$
3.	$+$	$[\{]$
4.	$($	$[\{, (]$
5.	B	$[\{, (]$
6.	$)$	$[\{]$
7.	D	$[\{]$
8.	$\}$	$[]$
9.	$)$	$[]$

stack not empty