Ex. No.: 8b Date: 11/10/24

## A PYTHON PROGRAM TO IMPLEMENT GRADIENT BOOSTING

#### Aim:

To implement a python program using the gradient boosting model.

## Algorithm:

Step 1: Import Necessary Libraries Import

numpy as np.

Import pandas as pd.

Import train test split from sklearn.model selection.

Import DecisionTreeRegressor from sklearn.tree.

Import mean squared error from sklearn.metrics.

Step 2: Prepare the Data

Load your dataset into a DataFrame using pd.read csv('your dataset.csv').

Split the dataset into features (X) and target (y).

Use train\_test\_split to split the data into training and testing sets.

Step 3: Initialize Parameters

Set the number of boosting rounds (e.g., n estimators = 100).

Set the learning rate (e.g., learning rate = 0.1).

Initialize an empty list to store the weak learners (decision trees).

Initialize an empty list to store the learning rates for each round.

Step 4: Initialize the Base Model

Compute the initial prediction as the mean of the target values (e.g., F0 = np.mean(y\_train)).

Initialize the predictions to the base model's prediction (e.g.,  $F = np.full(y\_train.shape, F0)$ ).

Step 5: Iterate Over Boosting Rounds For

each boosting round:

Compute the pseudo-residuals (negative gradient of the loss function) (e.g., residuals = y train - F).

Fit a decision tree to the pseudo-residuals.

Make predictions using the fitted tree (e.g., tree predictions = tree.predict(X train)).

Update the predictions by adding the learning rate multiplied by the tree predictions (e.g., F += learning rate \* tree predictions).

Append the fitted tree and the learning rate to their respective lists.

#### Step 6: Make Predictions on Test Data

Initialize the test predictions with the base model's prediction (e.g., F\_test = np.full(y test.shape, F0)).

For each fitted tree and its learning rate:

Make predictions on the test data using the fitted tree.

Update the test predictions by adding the learning rate multiplied by the tree predictions.

### Step 7: Evaluate the Model

Compute the mean squared error on the training data.

Compute the mean squared error on the test data.

#### **PROGRAM:**

```
import numpy as np import
matplotlib.pyplot as plt
import pandas as pd

np.random.seed(42)
X = np.random.rand(100, 1) - 0.5 y = 3*X[:,
0]**2 + 0.05 * np.random.randn(100)

df = pd.DataFrame()

df['X'] = X.reshape(100)
```

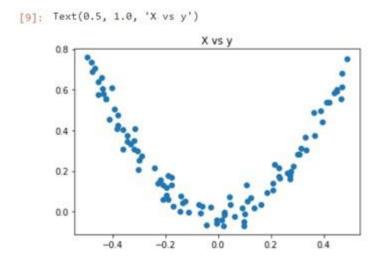
$$df['y'] = y$$

df

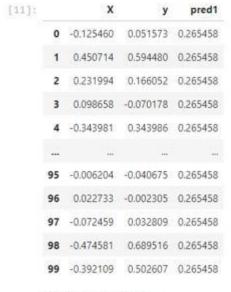
У	х	
0.051573	-0.125460	0
0.594480	0.450714	1
0.166052	0.231994	2
-0.070178	0.098658	3
0.343986	-0.343981	4
		***
-0.040675	-0.006204	95
-0.002305	0.022733	96
0.032809	-0.072459	97
0.689516	-0.474581	98
0.502607	-0.392109	99

 $\label{eq:plt.scatter} $$ plt.scatter(df['X'],df['y']) \ plt.title('X') $$ vs y') $$$ 

Text(0.5, 1.0, 'X vs y')



df['pred1'] = df['y'].mean() df



100 rows × 3 columns

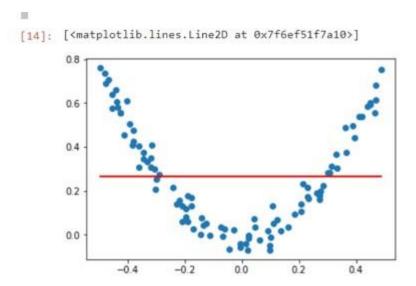
df['res1'] = df['y'] - df['pred1']

df

13]:		х	у	pred1	res1
	0	-0.125460	0.051573	0.265458	-0.213885
	1	0.450714	0.594480	0.265458	0.329021
	2	0.231994	0.166052	0.265458	-0.099407
	3	0.098658	-0.070178	0.265458	-0.335636
	4	-0.343981	0.343986	0.265458	0.078528
	***	-	-		-
	95	-0.006204	-0.040675	0.265458	-0.306133
	96	0.022733	-0.002305	0.265458	-0.267763
	97	-0.072459	0.032809	0.265458	-0.232650
	98	-0.474581	0.689516	0.265458	0.424057
	99	-0.392109	0.502607	0.265458	0.237148

100 rows × 4 columns

 $plt.scatter(df['X'],df['y']) \ plt.plot(df['X'],df['pred1'],color='red') \\$ 



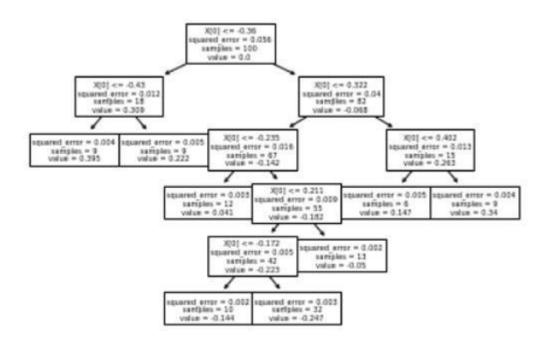
from sklearn.tree import DecisionTreeRegressor

tree1 = DecisionTreeRegressor(max\_leaf\_nodes=8)

tree1.fit(df['X'].values.reshape(100,1),df['res1'].values)

DecisionTreeRegressor(max\_leaf\_nodes=8)

from sklearn.tree import plot\_tree
plot\_tree(tree1) plt.show()



```
X test = np linspace(-0.5, 0.5, 500)

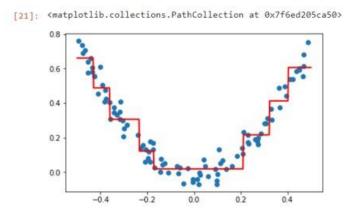
y pred = 0.265458 + tree1 predict(X test reshape(500, 1))

plt figure(figsize=(14,4))

plt subplot(121)

plt plot(X test, y pred, linewidth=2,color='red')

plt scatter(df['X']_df['y'])
```



 $df['pred2'] = 0.265458 + tree1.predict(df['X'].values.reshape(100,1)) \; df$ 

92]:		X	У	pred1	res1	pred2
	0	-0.125460	0.051573	0.265458	-0.213885	0.018319
	1	0.450714	0.594480	0.265458	0.329021	0.605884
	2	0.231994	0.166052	0.265458	-0.099407	0.215784
	3	0.098658	-0.070178	0.265458	-0.335636	0.018319
	4	-0.343981	0.343986	0.265458	0.078528	0.305964
		400				
	95	-0.006204	-0.040675	0.265458	-0.306133	0.018319
	96	0.022733	-0.002305	0.265458	-0.267763	0.018319
	97	-0.072459	0.032809	0.265458	-0.232650	0.018319
	98	-0.474581	0.689516	0.265458	0.424057	0.660912
	99	-0.392109	0.502607	0.265458	0.237148	0.487796

100 rows × 5 columns

df['res2'] = df['y'] - df['pred2'] df

res2	pred2	res1	pred1	У	x	
0.033254	0.018319	-0.213885	0.265458	0.051573	-0.125460	0
-0.011404	0.605884	0.329021	0.265458	0.594480	0.450714	1
-0.049732	0.215784	-0.099407	0.265458	0.166052	0.231994	2
-0.088497	0.018319	-0.335636	0.265458	-0.070178	0.098658	3
0.038022	0.305964	0.078528	0.265458	0.343986	-0.343981	4
50	12	- 1	1	-	7 44	See
-0.058994	0.018319	-0.306133	0.265458	-0.040675	-0.006204	95
-0.020624	0.018319	-0.267763	0.265458	-0.002305	0.022733	96
0.014489	0.018319	-0.232650	0.265458	0.032809	-0.072459	97
0.028604	0.660912	0.424057	0.265458	0.689516	-0.474581	98
0.014810	0.487796	0.237148	0.265458	0.502607	-0.392109	99

```
tree2 = DecisionTreeRegressor(max_leaf_nodes=8)

tree2_fit(df['X']_values_reshape(100,1)_df['res2']_values)

DecisionTreeRegressor(max_leaf_nodes=8)

v_pred = 0.265458 + sum(regressor.predict(X_test_reshape(-1, 1)) for regressor in

[tree1_tree2])

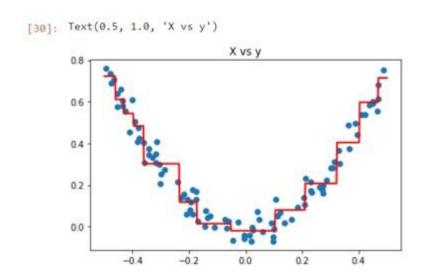
plt_figure(figsize=(14,4))

plt_subplot(121)

plt_plot(X_test_v_pred_linewidth=2,color='red')

plt_scatter(df['X']_df['y'])

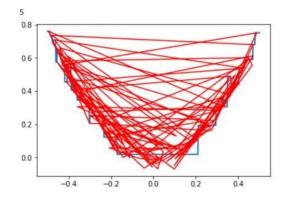
plt_title('X_vs_y')
```

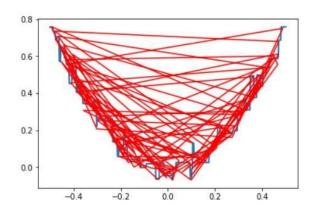


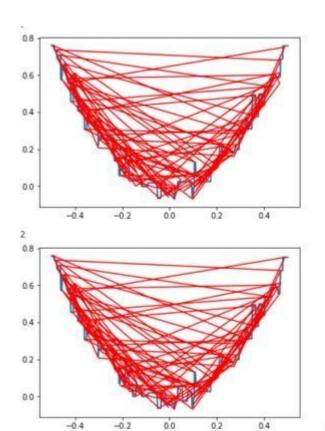
print(number) plt.figure()
plt.plot(x1, y\_pred, linewidth=2)
plt.plot(X[:, 0], foo,"r") plt.show()

gradient\_boost(X,y,number-1,lr,count+1,regs,foo=foo)

np.random.seed(42) X = np.random.rand(100, 1) - 0.5 y = 3\*X[:, 0]\*\*2 + 0.05 \* np.random.randn(100)gradient boost(X,y,5,lr=1)







# **RESULT:**

Thus, the python program to implement gradient boosting for the standard uniform distribution has been successfully implemented and the results have been verified and analyzed.