

①

A Conveyor belt has package that must be shipped from one port to another within $days$ days. The i th package on the conveyor belt has a weight of $weights[i]$. Each day, we load the ship with the packages on the conveyor belt. We may not load more weight than the maximum weight capacity of the ship. Return the least weight capacity of the belt being shipped within $days$ days.

To find the least weight capacity of the ship that will result in all the packages on the conveyor belt being shipped.

```
def shipWithinDays:
```

```
    def is-feasible:
```

```
        days-needed = 1
```

```
        current-load = 0
```

```
        for weight in weights:
```

```
            if current-load + weight > capacity:
```

```
                days-needed += 1
```

```
                current-load = 0
```

```
        return days-needed <= days
```

```
    left, right = max(weights), sum(weights)
```

```
    while left < right:
```

```
        mid = left + (right - left) // 2
```

```
    if is-feasible(mid):
```

```
        right = mid
```

```
    else:
```

```
        left = mid + 1
```

```
    return left
```

Example Usage:

```
weights = [1, 2, 3, 4, 5, 6, 7, 8, 9, 10]
```

```
days = 5
```

```
result = shipWithinDays(weights, days)
```

```
print(result)
```

This function 'shipWithinDays', was a binary search algorithm to find the minimum weight capacity of the ship.

② You have n tasks and m workers. Each task has a strength requirement stored in a 0-indexed integer array $tasks$, with the task requiring $tasks[i]$ strength to complete. The strength of each worker can only be assigned to a single task and must have. Given the 0-indexed integer arrays $tasks$ and $workers$ and the integers $pills$ and $strength$, return the maximum number of tasks that can be completed.

To solve this problem, you can use a greedy algorithm.


```
def Maxtasks Completed :
tasks.sort(reverse=True)
workers.sort(reverse=True)
```

```
Completed - tasks = 0
for task - strength in tasks:
    assigned = false
```

```
for i, worker, strength in enumerate:
    if worker - strength >= task - strength:
        assigned = True
        workers.pop(i)
        break
```

```
If not assigned and pills > 0 and workers
and workers[-1] + strength >= task - strength:
    pills = 1
    workers.pop()
```

```
If assigned or (not assigned):
```

```
Completed - tasks += 1
```

```
return Completed - tasks:
```

Ex usage :-

```
tasks = [3, 7, 2]
```

```
workers = [5, 10, 6]
```

```
pills = 2
```

```
strength = 2
```

```
result = MaxTasks Completed (tasks, workers, pills,
```

```
, strength)
print (result)
```

This function, 'max tasks Completed', takes the tasks, workers, pills, and strength as input and returns the Maximum number of tasks that can be Completed.

③ you have two fruit baskets containing n fruits each you are given two 0-indexed integer arrays basket1 representing the cost of fruits in each basket. You want to make both baskets equal. To do so you can use the following operation as many times as you want: choose two indices. Return the minimum cost to make both the baskets equal or -1 if impossible.

To solve this problem, you can iterate through all possible swaps and calculate the cost of each swap.

```
def minCost Equal Baskets :
```

```
n = len (basket1)
```

```
Total - Cost = sum (basket1) + sum (basket2)
```

```
if n % 2 == 1:
```

```
return -1.
```



```

half_n = n//2
basket1.sort()
basket2.sort()
min_cost = float('inf')
for i in range(half_n):
    cost = min(basket1[i], basket2[i])
    min_cost = min(min_cost, cost)
return total_cost - 2 * min_cost

```

Ex

```

* basket1 = [1, 4, 3, 5]
  basket2 = [7, 9, 2, 1]
result = minCostEqualBaskets
print(result)

```

The function, 'minCostEqualBaskets', takes two arrays, 'basket1' and 'basket2' as input and returns the minimum cost to make both baskets equal.

- ④ You have n super washing machines on a line. Initially each washing machine has some dresses or is empty. $m(1 \leq m \leq n)$ machine at the same time. Given an integer array machines representing the number of dresses in each washing machine from left to right on the line. If it is not possible to do it return -1.

To solve this problem, you can calculate the cumulative sum of dresses in each washing machine and determine the target number of dresses that each machine should have for the entire line to be balanced.

```

def findMinMoves(machines):
    total_dresses = sum(machines)
    n = len(machines)
    if total_dresses % n != 0:
        return -1
    target_dress = total_dresses // n
    moves, balance = 0, 0
    for dresses in machines:
        imbalance = dresses - target_dress
        balance += imbalance
        moves = max(moves, abs(balance))
    return moves

```

Example

```

machines = [1, 0, 5]
result = findMinMoves(machines)
print(result)

```

It calculates the target number of dresses, iterates through the machines, and calculates the balance at each point.