

A decorative banner featuring five stylized letters: 'I', 'N', 'D', 'E', and 'X'. Each letter is designed with a unique, flowing font and has small, thin legs and arms, giving them a playful, anthropomorphic appearance. The letters are arranged horizontally from left to right.

## Observation Book

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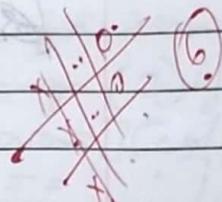
School/College Tel. No. \_\_\_\_\_ Parents Tel. No. \_\_\_\_\_

22 LPG

TIC TAC TOEAlgorithm

a Random

Step 1: import numpy library

Step 2: Create a  $3 \times 3$  matrix using  
2-dimensional arrayStep 3: initialize the entire matrix  
as blank using for loop (-) hyphenStep 4: Display a message for the  
user to either choose to begin or  
~~not~~Step 5: Set patterns which is considered  
as winStep 6: check the board if it matches  
~~to~~ any pattern after ~~first~~<sup>each</sup> more  
~~if yes~~ if yes then display win else  
after all blanks are filled Display  
tie.~~Refer  
Algorithm~~

## code

```
import random
```

```
def initialize_board():
    return [[None for _ in range(3)] for _ in range(3)]
```

```
def display_board(board):
    for row in board:
        print ('|' + '|'.join(row))
    print ('-' * 5)
```

```
def check_winner(board):
    for row in board:
        if row[0] == row[1] == row[2] != None:
            return row[0]
```

```
for col in range(3):
    if board[0][col] == board[1][col] == board[2][col] != None:
        return board[0][col]
```

~~```
if board[0][0] == board[1][1] == board[2][2] != None:
    return board[0][0]
```~~~~```
if board[0][2] == board[1][1] == board[2][0] != None:
    return board[0][2]
```~~

```
return None
```

```
def available_moves(board):  
    return [(i, j) for i in range(3)  
            for j in range(3)  
            if board[i][j] == '.']
```

```
def check_two_in_a_row(board,  
                       player):
```

```
for row in range(3):  
    if board[row].count(player) == 2  
        and board[row].  
        count(' ') == 1:
```

```
    return row, board[row].index()
```

```
for col in range(3):
```

```
    if [board[row][col] for row in  
        range(3)].count  
        (player) == 2:
```

```
        empty_index = [row for row  
                        in range(3) if  
                        board[row][col]  
                        == '.']
```

```
if empty_index:
```

```
    return empty_index[0], col
```

```
if [board[i][j] for j in range(3)].  
    count (player) == 2:
```

```
empty_index = [i for i in range(3)  
                if board[i][j] == '.']
```

```
if empty_index:
```

```
    return empty_index[0],  
          empty_index[0]
```

if (board[i][2-i] for i in range(3)).  
count(player)  
== 2:

empty\_index = [i for i in range(3)  
if board[i][2-i]  
== '']

if empty\_index:  
return empty\_index[0], 2 - empty\_index

return None

def mate\_move(board, player, move):  
board[move[0]][move[1]] = player

def computer\_move(board):

move = check\_two\_in\_a\_row(board  
'O')

if move:  
mate\_move(board, 'O', move)  
return

move = choose\_available\_moves(board)

if moves:

move = random.choice(moves)  
move\_move(board, 'O', move)

def user\_move(board):

while True:

try:

row = int(input("Enter  
row (0-2)  
"))

```
col = int(input("Enter column (0-2):"))  
if board[row][col] == " ":  
    make_move(board, "X", (row, col))  
    return  
else:  
    print("That spot is already taken.  
    Try again!")  
  
except (ValueError, IndexError):  
    print("Invalid input. Please  
    Enter number & between  
    0 and 2")  
  
def play_game():  
    board = initialize_board()  
    players = ['X', 'O']  
    current_player = 0  
  
    for _ in range(9):  
        display_board(board)  
        if current_player == 0:  
            user_move(board)  
        else:  
            computer_move(board)  
  
        winner = check_winner(board)  
        if winner:  
            display_board(board)  
            print(f"Player {winner} wins!")  
  
        return  
  
        current_player = 1 - current_player
```

display\_board(board)  
print("It's a draw!")

play\_game()

output

  |  |  
  |  |  
  |  |

Enter row(0-2) : 1

Enter column(0-2) : 2

  |  |  
  |  X  
  |  |

  |  |  
  |  X  
  |  |

Enter row(0-2) : 0

Enter column(0-2) : 0

X  |  |  
  |  T  X  
  |  |

X  |  O  
  |  |  X  
  |  |

Enter row (0-2) : 1

Enter column (0-2) : 1

X | 0 |  
| x | x  
| 0 |

X | 0 |  
0 | x | x  
| 0 |

Enter row (0-2) : 2

Enter column (0-2) : 2

X | 0 |  
0 | x | x  
| 0 | x

Player X wins!

8/19

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## LAB-2

Date \_\_\_\_\_  
Page \_\_\_\_\_Vaccum Cleaner

1. Assign the no. of rooms from variables A & B to dirty

2. while ( room A || B == dirty )

```

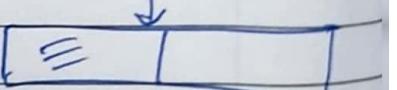
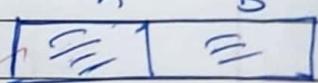
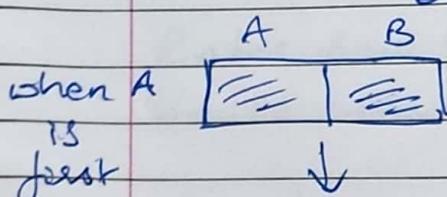
    {
        if ( room A is dirty ) {
            if ( vaccume is in A ) {
                clean A
                dirty --
            }
            else ( goto B )
            if ( cleaner in B ) {
                if ( room B is dirty )
                    clean B
            }
            else
                { goto A }
        }
    }

```

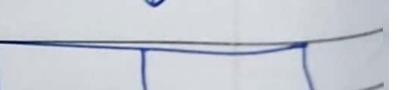
if ( A & B is clean )

~~exit~~

when B is first



A cleaned



Both cleaned

Both cleaned

## Percept Sequence

(A dirty), (A clean), (A left)

(A dirty), (A clean) (A left) B(dirty)

(A dirty), (A clean) (A left) (B dirty)  
(B clean)

(A dirty), (A clean), (A left), (B dirty) (B clean)

(B right), (A clean)

(Exit)

## Code

```
class VacuumCleaner:
```

```
def __init__(self, grid):
```

```
    self.grid = grid
```

```
    self.position = (0, 0)
```

```
def clean(self):
```

```
    x, y = self.position
```

```
    if self.grid[x][y] == -1:
```

```
        print(f"Cleaning position {self.position}
```

```
        self.grid[x][y] = 0")
```

```
    else:
```

```
        print(f"Position {self.position} is already  
clean")
```

```
def move(self, direction):
```

```
    x, y = self.position
```

```
    if direction == 'up' and x > 0:
```

```
        self.position = (x - 1, y)
```

```
    elif direction == 'down' and x <
```

```
        len(self.  
grid) - 1:
```

self.self.position =  $(x+3, y)$   
elif direction == 'left' and  $y > 0$ :  
    self.position =  $(x, y-1)$   
elif direction == 'right' and  $y <$   
len(self.grid[0]) - 1:  
    self.position =  $(x, y+1)$   
else:  
    print("Move not possible")  
also:  
~~Print Board~~

def run(self):  
 rows = len(self.grid)  
~~cols~~ = len(self.grid[0])

for i in range(rows):  
 for j in range(cols):  
 self.position = (i, j)  
 self.clean()

print("Final Grid State :")  
for row in self.grid:  
 print(row)

def get\_dirty\_coordinates(rows, cols,  
 num\_dirty\_cells)  
 dirty\_cells = set()  
 while len(dirty\_cells) < num\_dirty\_cells:  
 try:  
 coords = input("Enter  
coordinates for  
dirty cell (row  
(dirty cells))")

+1 } (format : row,  
col'):  
(row, col')

$x, y = map(int, input().split(','))$   
if  $0 \leq x < rows$  and  $0 \leq y < cols$ :

dirty\_cells.add((x, y))

else:

print("coordinates are out  
of bounds (try again).  
except ValueError:

print("Invalid input. Please  
enter

coordinates in the  
format : row, col")

return dirty\_cells

rows = int(input("Enter the number of  
rows :"))

cols = int(input("Enter the number of  
columns :"))

num\_dirty\_cells = int(input("Enter the  
number of dirty cells :"))

if num\_dirty\_cells > rows \* cols:

print("Number of dirty cells exceed  
total cells in the grid  
Adjusting to maximum")

num\_dirty\_cells = rows \* cols

initial\_grid = [[0 for \_ in range(cols)]  
for \_ in range(rows)]

dirty-coordinates = get-dirty-coordinates  
(rows, cols, num  
dirty  
cells)

for x,y in dirty-coordinates:  
initial-grid[x][y] = 1

Vacuum = Vacuum Cleaner (initial-grid  
print ("Initial grid state: ")  
for row in initial-grid:  
print(row)

Vacuum, run()

### Output

Enter rows : 2

Enter cols : 2

Enter dirty cells : 4

Enter coordinates for 1 : 0,0

Enter coordinates for 2 : 0,1

" " for 3 : 1,1

" " for 4 : 1,0

Initial grid

[1, 1]  
[1, 0]

Cleaning pos (0,0)

" " (0, 1)

" " (1, 0)

" " (1, 1)

→

Final grid

$$\begin{bmatrix} 0 & 0 \\ 0 & 0 \end{bmatrix}$$

~~8~~

|   |   |   |   |   |   |
|---|---|---|---|---|---|
| 2 | 8 | 1 | 4 | 5 | 1 |
| 2 | 1 | 4 | 5 | 2 | 2 |
| 7 | 8 | 1 | 2 | 3 | 2 |

Ansatz  
Stoff?

Die Kontaktfläche ist die gesuchte  
zu schätzende Größe. Sie liegt unter  
der Kontaktfläche des Reibungssatzes.

z.B. wenn wir an den Stoff stossen  
Gelenk  $\rightarrow$  Kontaktfläche

Kontaktfläche = Reibungssatz  
Reibungssatz = Stoff + Reibung

Reibungssatz = Reibung + Reibung  
Reibungssatz = Reibung + Reibung

$F_{\text{Reibung}} = f \cdot F_{\text{Norm}}$

(Reibungssatz)  $\rightarrow$   $F_{\text{Reibung}} = f \cdot F_{\text{Norm}}$

$f = \text{Reibungsfaktor}$

(Reibungssatz)  $\rightarrow$   $F_{\text{Reibung}} = f \cdot F_{\text{Norm}}$

$(f) = \text{Reibungsfaktor}$

verschiedene Werte

8 puzzle Game

8 puzzle using DFS and Manhattan distance

|   |   |   |
|---|---|---|
| 1 | 7 | 4 |
| 5 |   | 2 |
| 3 | 8 | 6 |

|   |   |   |
|---|---|---|
| 1 | 2 | 3 |
| 4 | 5 | 6 |
| 7 | 8 |   |

original  
State

1. ~~Print~~ Set the initial state of the puzzle.
2. Create stack to store nodes to be explored.
3. calculate the Manhattan distance for the initial state.
4. add the ~~to~~ manhattan distance to the stack

DFS

Start-state = [ . . . . ]

goal-state = [ . . . . ]

stack = push (start-state)

is visited set = { }

moves = 0

f(i, j)

{

visited\_set = add (current\_state)

if (current\_state == goal-state)

return moves

if (not in visited set)

{

left = f(i, j+1)  
right = f(i, j-1)  
up = f(i-1, j)  
down = f(i+1, j)

}

print(moves)

The Manhattan distance is used as a heuristic to estimate the distance to the goal state.

Solve  
using DFS

### Code

```
def manhattan(puzzle, goal):  
    dist = 0  
    for i in range(9):  
        if puzzle[i] != 0:  
            goal_idx = goal.index(puzzle[i])  
            dist += abs(i // 3 - goal_idx // 3)  
            + abs(i % 3 -  
                   goal_idx  
                   % 3)  
    return dist
```

```
def adj_manhattan(puzzle, goal,  
                  visited, path):  
    if puzzle == goal:  
        return path  
    visited.add(tuple(puzzle))
```

idx = puzzle.index(0)

moves = [(1, 3), (-1, 3), (3, 1), (-3, 1)]

next-states = []

for move, cond in moves:

new\_idx = idx + move

if ~~not~~ 0 <= new\_idx < 9 and (new\_idx // 3 == idx // 3):

new\_puzzle = puzzle[:7]

new\_puzzle[new\_idx], ~~P~~ new\_puzzle

(new\_idx) =

new\_puzzle[new\_idx]

new\_puzzle[new\_idx]

if tuple(new\_puzzle) not in visited:

visited.append(tuple(new\_puzzle))

manhattan

new\_puzz

goal

next-states.sort(key=manhattan)

for state, \_ in next-states:

res = abs(manhattan(state, goal))

visited,

path +

[state])

if res == 0:

return res

return None

def prettyify(res):

i = 0

for j in range(3):

for l in range(3):

print(res[i], end=" ")

i += 1

print("\n")

&start = [1, 2, 3, 4, 0, 5, 6, 7, 8]

goal = [0, 1, 2, 3, 4, 5, 6, 7, 8]

result = dfs-manhattan(&start, goal,  
set(),  
[start])

```
for i in result:  
    prettyify(i)  
    print("...")
```

output

~~1 2 3  
4 5 6  
7 8 0  
-----  
2 3 4~~

neighbor list

1 2 4

3 0 5

7 6 8

0 = neighbor

1 2 4

neighbor list

3 5 0

1 = neighbor

7 6 8

X 9 X = solution

1 2 0

neighbor list

3 5 4

7 6 8

S = final

0 1 2

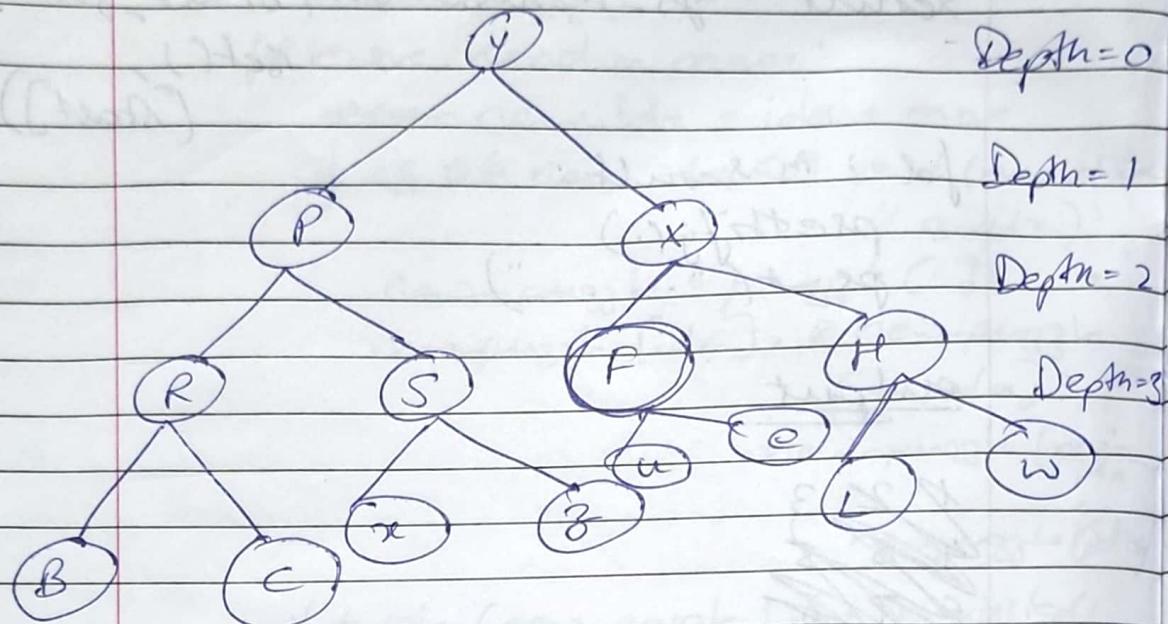
3 4 5

6 7 8

0 = final

S = final

## D) Iterative deepening search

I<sup>st</sup> Iteration

Depth = 0

visited nodes = Y

goal node not found

II<sup>nd</sup> iteration

Depth = 1

visited Nodes = Y P X

goal node not found

III<sup>rd</sup> iteration

Depth = 2

visited nodes = Y P R S X

[END]

goal node found

IV<sup>th</sup> iteration

Depth = 2

visited nodes = Y P R S X F

## 2) 8 - Puzzle A\* Algorithm

Initial  
State

goal  
state

|   |   |   |   |   |   |
|---|---|---|---|---|---|
| 1 | 2 | 3 | 2 | 8 | 1 |
| 8 |   | 4 |   | 4 | 3 |
| 7 | 6 | 5 | 7 | 6 | 5 |

Heuristic for 1 = 2  
values for 2 = 1

1 = 2

2 = 2

for 3 = 1

3 = 0

for 4 = 1

4 = 0

for 5 = 0

5 = 0

for 6 = 0

6 = 0

for 7 = 0

7 = 0

for 8 = 2

8 = 2

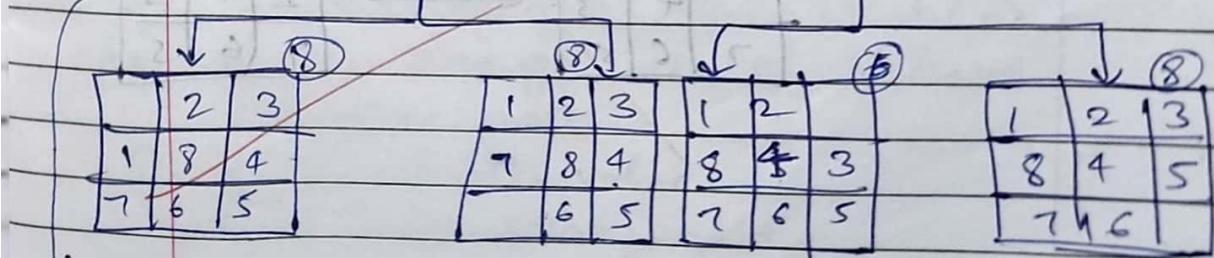
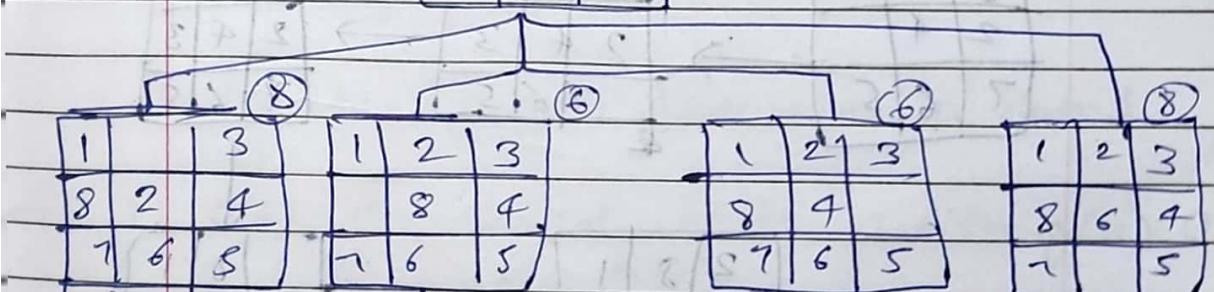
2 2  
1 2

7

7

f = g + h

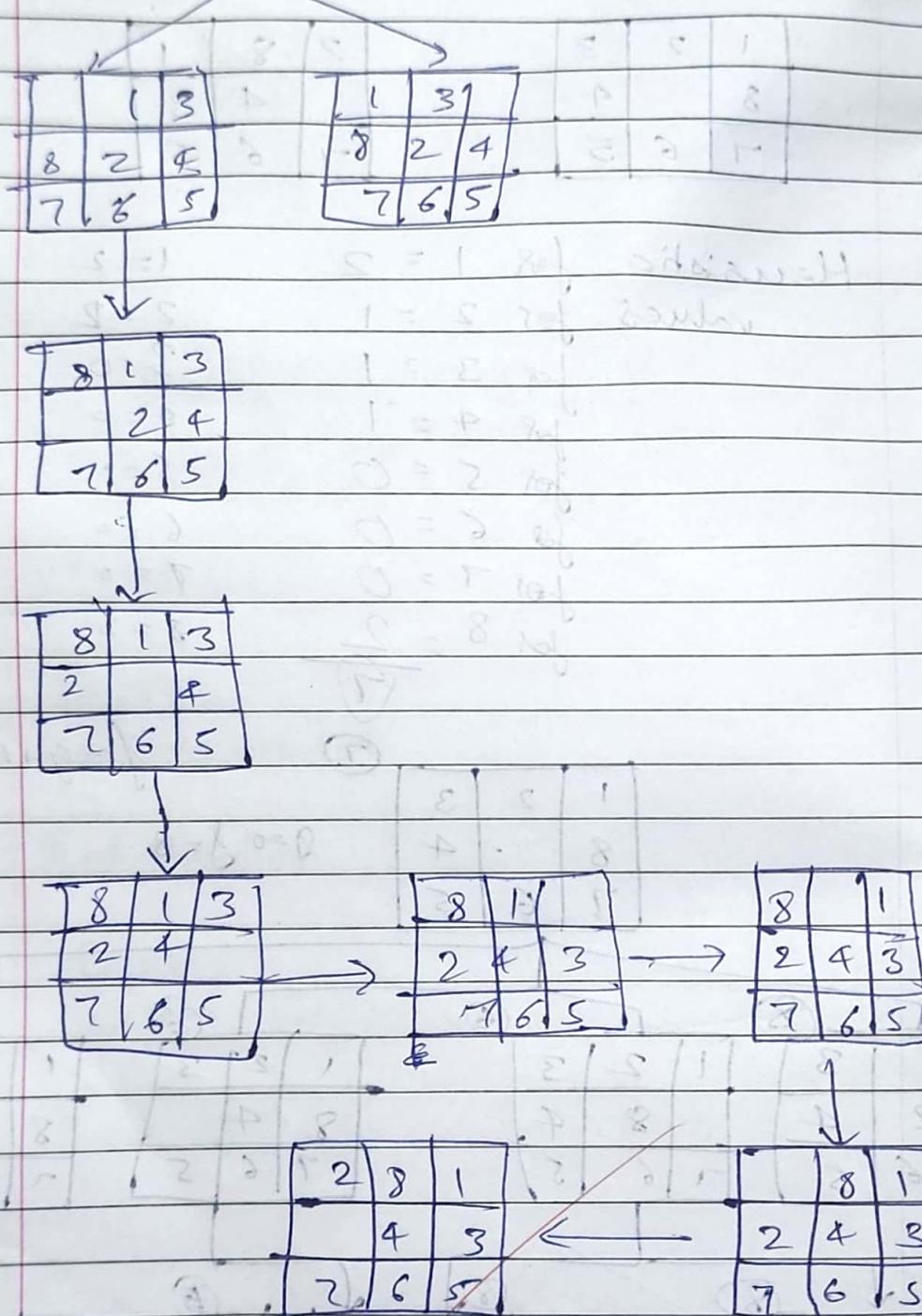
|   |   |   |     |
|---|---|---|-----|
| 1 | 2 | 3 | g=0 |
| 8 |   | 4 | f=8 |
| 7 | 6 | 5 |     |



Next page

|   |   |   |
|---|---|---|
| 1 |   | 3 |
| 8 | 2 | 4 |
| 7 | 6 | 5 |

(8)



|   |   |   |
|---|---|---|
| 1 | 2 |   |
| 8 | 4 | 3 |
| 7 | 6 | 5 |

$$g = 3$$

$$f = 888$$

|   |   |   |
|---|---|---|
| 1 | 2 | 3 |
| 8 | 4 |   |
| 7 | 6 | 5 |

(1) 5

|   |   |   |
|---|---|---|
| 1 | * | 2 |
| 8 | 4 | 3 |
| 7 | 6 | 5 |

(2) 4  
f = 7

|   |   |   |
|---|---|---|
| 1 | 2 |   |
| 8 | 4 | 3 |
| 7 | 6 | 5 |

(3)

|   |   |   |
|---|---|---|
| 1 | 2 | 3 |
| 8 | 4 | 5 |
| 7 | 6 |   |

(4)

|   |   |   |
|---|---|---|
| 1 | 2 |   |
| 8 | 4 | 3 |
| 7 | 6 | 5 |

(5)

|   |   |   |
|---|---|---|
| 1 | 2 |   |
| 8 | 4 | 3 |
| 7 | 6 | 5 |

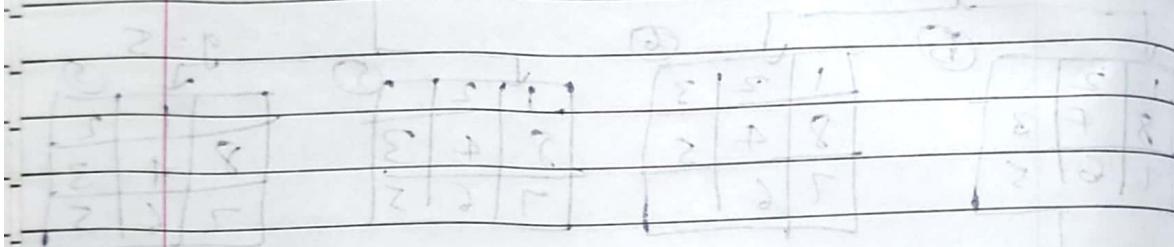
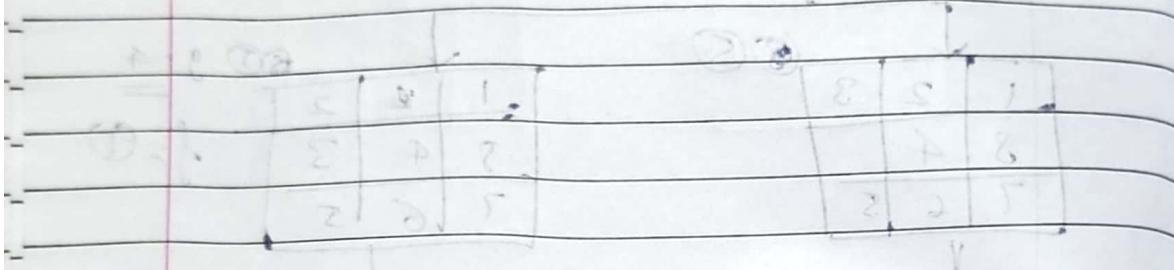
(6)  
g = 5

A\* Algorithm

8/15/10

- 1) Create an open list and a closed list
- 2) Add the initial state with  $g(n)=0$  and heuristic  $h(n)$
- 3) lowest of  $f(n) = g(n) + h(n)$
- 4) If it's the goal state return solution path
- 5)  $g(n) = \text{depth value}$   
 $h(n) = \text{heuristic value}$   
 $f(n) = g(n) + h(n)$

- 6) move node to closed list
- 7) find valid neighboring states
- 8) if the open list is empty return "No solution"



closed list = initial state + A

open list = states having min f-value  
(not yet examined)

$f(n) = g(n) + h(n)$ , f = f-value  
number of states with min f-value

initial state =  $(0, 0, 0)$   
below examined =  $(0, 0, 0)$

$(1, 0, 0) \rightarrow (0, 1, 0)$

## Simulated Annealing

### Algorithm

- 1) Set initial temperature to ( $T$ )
- 2) Set generate an initial solution ( $s$ )
- 3) calculate the energy ( $E$ ) of the solution
- 4) Define a cooling schedule that determines how the temp decreases over time
- 5) While  $temp > 0$  do
  - for 1 to max iteration do
    - new state = generate neighbor (current state)
    - new energy = evaluate (new state)
    - energy diff = new energy - current energy
    - if ~~target~~ energy diff < 0 then  
Accept the new state
    - current state = new state
    - current energy = new energy
    - if current energy < Best Energy then
      - best state = current state
      - best Energy = current Energy
  - temp = temp \* cooling rate
  - Accept current.
- Return Best State

Suhail  
22/10/24

## output

Enter the initial state (Starting point) = 10

Enter the initial temperature = 12

" " Cooling rate (b/w 0 to 1) = 0.2

" " number of iterations = 2.5

i2 : CS = 9.27 , CC = 85.99 temp = 240

i2 : CS = 9.25 , CC = 85.6 , temp = 0.480

i2 S = CS = 3.5 , CC = 12083 temp = 0.00

Best State : 3.58 < Best Energy = 12.83

Q10B  
Date: 22/10/24

## A\* Search Algorithm for 8 Queens

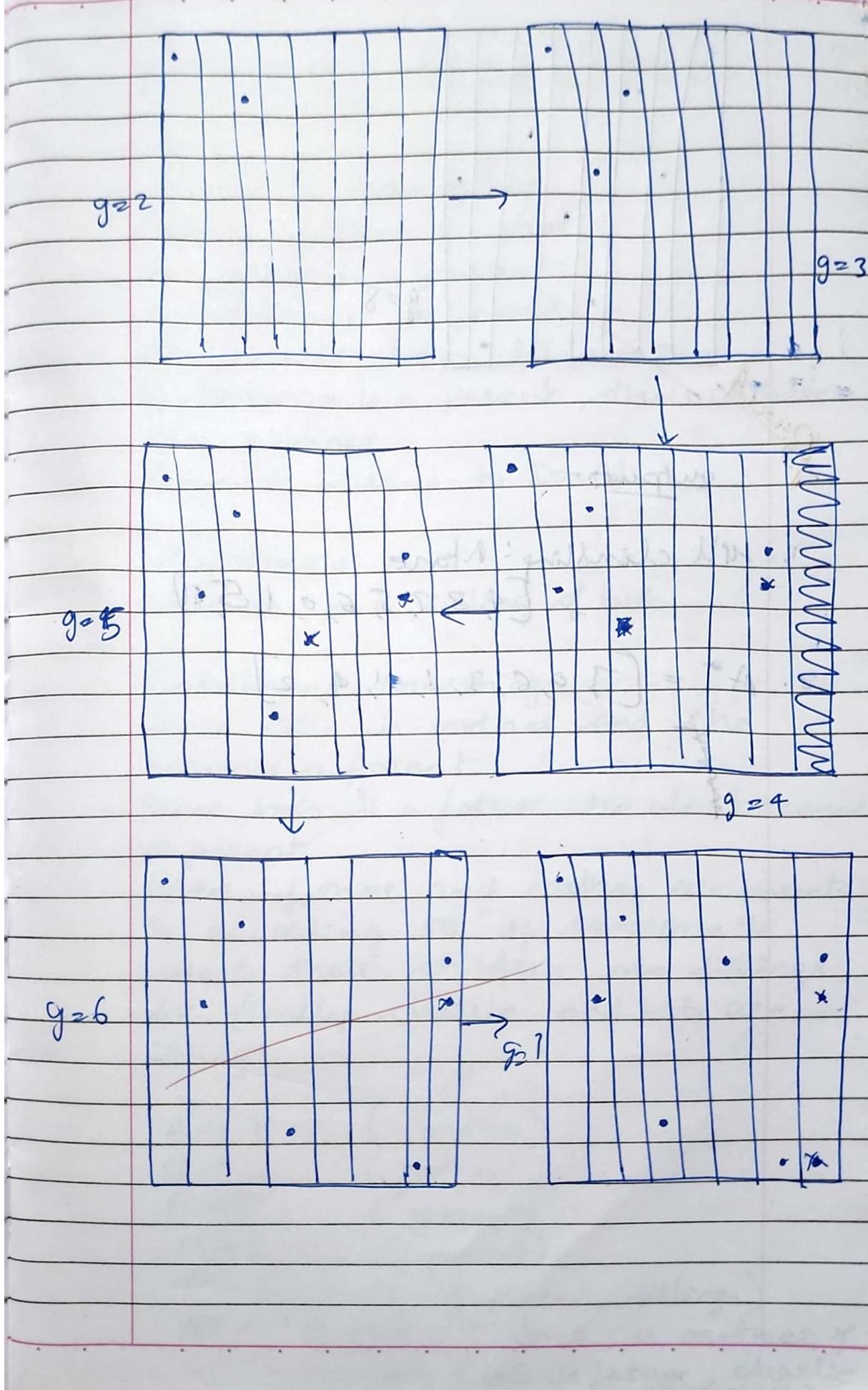
- 1) Start with an  $8 \times 8$  empty matrix
- 2) Start adding the queens one by one
- 3) generate all possible states by placing a queen on the next empty row in a non-attacking column  $j = g + h$
- 4) keep the list of boards set up that we need to explore
- 5) calculate the score of each step
- 6)  $g$  is the no. of queens placed,  $h$  is no. of conflicts.
- 7) choose the best option, choose the step with lowest score to continue
- 8) Goal check () if ~~set up~~ has no conflicts and all the queens are placed then it is a solution

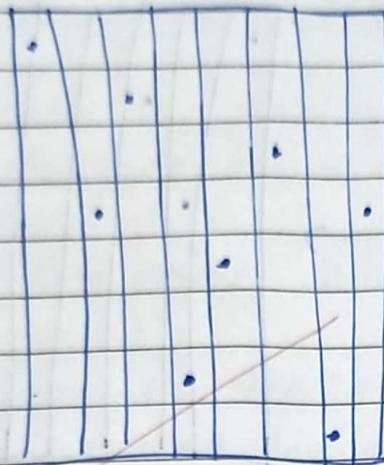
|   |  |  |  |  |  |  |  |  |
|---|--|--|--|--|--|--|--|--|
| . |  |  |  |  |  |  |  |  |
|   |  |  |  |  |  |  |  |  |
|   |  |  |  |  |  |  |  |  |
|   |  |  |  |  |  |  |  |  |
|   |  |  |  |  |  |  |  |  |
|   |  |  |  |  |  |  |  |  |
|   |  |  |  |  |  |  |  |  |
|   |  |  |  |  |  |  |  |  |

$$g = 1$$

## Hill Climbing Algorithm for 8 queens

1. Start by placing the queen randomly
2. calculate heuristic for the current state
3. If the value is 0 , then the solution is found.
4. generate the neighbouring state for each queen by moving it to every possible state and calculate the heuristic for each new state
5. choose the best neighbour , select the neighbour with lowest heuristic . If no neighbour state ~~improves~~ improves the current state , terminate
6. Repeat to find the goal solution





$g=8$

~~Breadth~~

output:-

1. Hill climbing: None

$[4, 2, 7, 5, 6, 0, 1, 5, 8]$

2.  $A^* = [7, 0, 6, 3, 1, -1, 4, 2]$

~~F~~

~~5~~

~~200~~

Entailment using literals

KB:

Alice is mom of bob

bob is father of charlie

A father is a parent

A mother is a parent

All parents have children

If someone is a parent, their children  
are siblings.

Alice is married to David

Hypothesis:

Charlie is a sibling of bob

Entailment Reasoning:

Since Alice is mother and she  
becomes a parentSince bob is a father, he also becomes  
a parentGiven, father and mother are parents  
& according to "if someone is  
parents their children are siblings,  
so finally charlie and bob are  
siblings. $A \rightarrow B$  (mother) $B \rightarrow C$  (father) $F \rightarrow D$  (parent) $M \rightarrow D$  (parent) $P \rightarrow S$  (if parent, siblings) ~~$A \wedge B \rightarrow Q$~~  (if Alice is mother of  
bob & bob is father, charlie

check for entailment:

1. If  $A$  (Alice is mother of Bob) is true then  $B$  (Bob is father of Charlie) must also be true ( $A \rightarrow B$ )
2. If  $A$  is true then  $C$  (Bob is a parent) must be true ( $A \rightarrow C$ ) and  $M$  (Alice is a parent) must also be true ( $M$ )
3. If both  $A$  &  $B$  are parents (i.e.  $M$  &  $F$  are true) then  $S$  (their children are siblings) must be true ( $P \rightarrow S$ )
4. Since  $S$  is true, the hypothesis  $Q$  ("Charlie is sibling of Bob") is true

Conclusion:

Using Propositional logic, we can conclude the hypothesis "Charlie is a sibling of Bob" is entailed by KB.

output

The hypothesis 'Charlie is a sibling of Bob' is TRUE

## First-order logic (FOL)

Scenario:

"All dogs are mammals. Fido is a dog. Therefore, Fido is a mammal"

FOL Representation:

1. Define the predicates:

$\text{Dog}(x)$  :  $x$  is a dog

$\text{Mammal}(x)$  :  $x$  is a mammal

2. Define the constant:

Fido: a specific dog

3. Represent the statements in FOL

~~All dogs are mammals  $\forall x (\text{Dog}(x) \rightarrow \text{Mammal}(x))$~~

// All dogs are mammals

$\text{Dog}(\text{Fido})$  // Fido is a dog

Conclusion: ~~for~~

$\text{Mammal}(\text{Fido})$

output

~~if Fido is a mammal~~

~~10/12~~  
26/11/24.

[LAB - 9]

Date \_\_\_\_\_  
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# Unification

## Algorithm

1. Check for a base case:  
If both expressions are identical,  
return an empty substitution.
2. Check for a variable case:  
If one expression is a variable.
  - If the variable is already bound to another term, recursively unify the bound term with the other expression.
  - otherwise, create a new binding between the variable and the other expression.
3. Check for a Constant Case:  
If both expressions are constants,  
they must be identical. If not, fail.
4. Check for a Complex Term Case:  
If the main functions or operations  
of both expressions are different fail.

(ab) lemma

failure

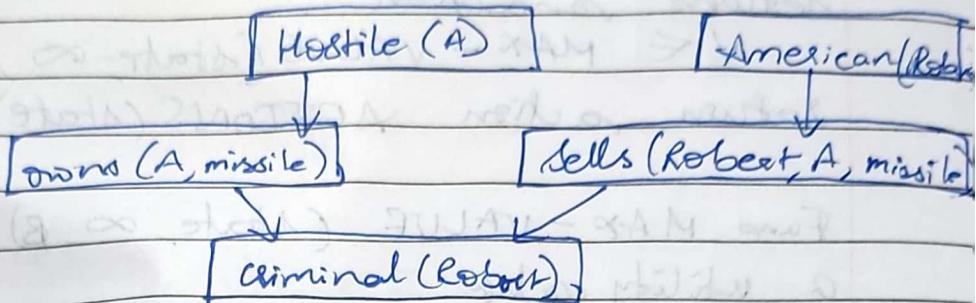
Lemma's side

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## FORWARD CHAINING

Proof:



$\nexists a, \text{owns}(A, a) \wedge \text{missile}(a)$

$\forall a, \text{Weapons}(a) \wedge \text{owns}(A, a) \Rightarrow$

Sells (Rob  
at)

missile (a)  $\Rightarrow$  weapons (a)

A Enemy (a, America)  $\Rightarrow$  Hostile

American (Robert)

Enemy (A, America)

Criminal (Robert)

## Alpha-beta Search

func. ALPHA-BETA-SEARCH (state)

returns an action.

$V \leftarrow \text{MAX-VALUE}(\text{state}, -\infty, +\infty)$   
return action ACTIONS(state) with

Func MAX-VALUE (state,  $\alpha$ ,  $\beta$ ) return  
a utility value

if TERMINAL-TEST (state) then  
return UTILITY (state)

$V \leftarrow -\infty$

for each  $a$  in ACTION (state) do

$V \leftarrow \text{MAX}(\alpha, V)$

return  $V$

Func MIN-VALUE (state,  $\alpha$ ,  $\beta$ ) return  
 $\alpha$  utility if TERMINAL-TEST (state)  
then return UTILITY

$V \leftarrow +\infty$

for each  $a$  in ACTION (state) do

$V \leftarrow \text{MIN}(V, \text{MAX-VALUE}(\text{RESULT}(s, a),$

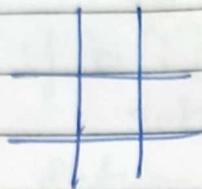
if  $V \leq \alpha$  then return  $V$

$\beta \leftarrow \text{MIN}(\beta, V)$

return  $V$

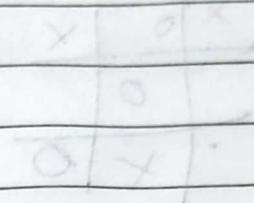
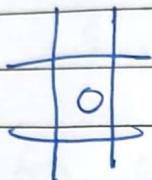
output

You are O, comp is X

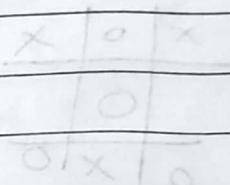
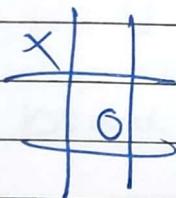


Player (you)

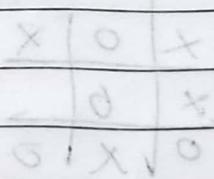
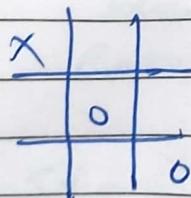
Enter move : 2, 2



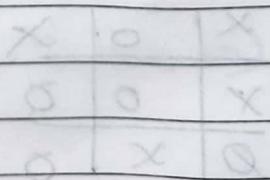
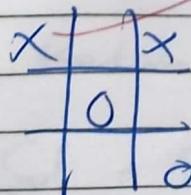
Comp played



Enter move : 3, 3



Comp played



over

Enter more : 1, 2

|   |   |   |
|---|---|---|
| X | O | X |
|   | O |   |
|   |   | O |

Comp played

|   |   |   |
|---|---|---|
| X | O | X |
|   | O |   |
| . | X | O |

Enter more : 3, 1

|   |   |   |
|---|---|---|
| X | O | X |
|   | O |   |
| O | X | O |

labeledg won

Comp played

|   |   |   |
|---|---|---|
| X | O | X |
| X | O |   |
| O | X | O |

2, 2 : won 1st

Enter more : 2, 3

|   |   |   |
|---|---|---|
| X | O | X |
| X | O | O |
| O | X | O |

labeledg won

Draw

## N - Queens

def is safe (board, row, col):

i to 0, to row - 1:

if b[:] = i WL & abs(b[i] - col) = abs(i - row)

return False

Return True

def alpha\_beta (board, row, alpha, beta):

if row == 8:

return True

for w in 0 to 7:

is\_safe (board, row, w):

board[row] = w

if alpha < beta (b, row+1, alpha, beta):

Return True

board[row] = -1

alpha = max (alpha, row)

if alpha = beta:

break

Return False

Solve 8-queens ():

Initialise (-1, -1, -1, -1, -1, -1, -1, -1)

if alpha\_beta (board, 0, -infinity, infinity):

Return board

Return None

Sol = Solve 8-queens ()

If Sol is Not None:

Print Sol

else No sol

## Output:

Q Q Q Q Q

~~3/12/29~~

(loc, width) after - 29

$\omega = (c_w) \text{ bread}$

$b \rightarrow 1 \text{ Holes } d) q \rightarrow b$

amt inserted

$I = (c_w) \text{ bread}$

(loc, width) scan . width

total = 2 width

load

select method

1) name B width

2) if (B > 1) width = 1

3) (width, bread) select if

bread < width

width = width + 1

width = width - 1

length = length - 1

length = length + 1

length = length - 1

length = length + 1

length = length - 1