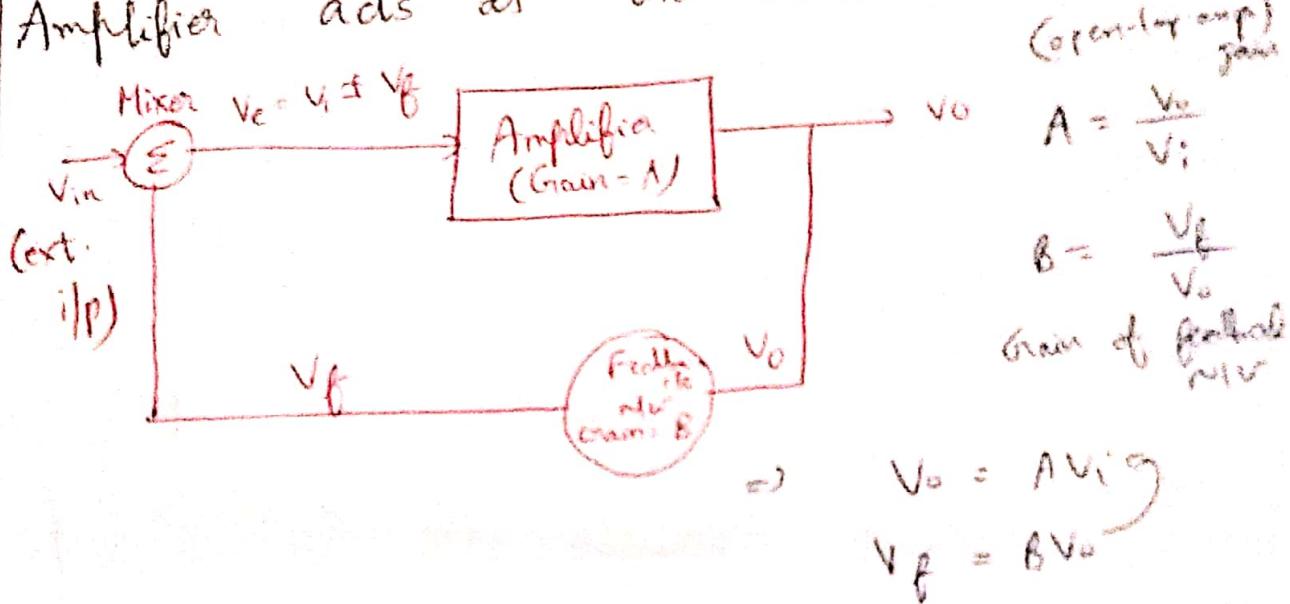


Oscillators.

Oscillator : (like a generator)

- ↳ An amplifier with +ve feedback
- ↳ No external i/p signal
- ↳ generates o/p signal which oscillates with a constant desired freq and constant amplitude.

Amplifier acts as an oscillator :



Oscillator \Rightarrow No ext. i/p voltage given \Rightarrow V_f is given

$$\text{as } V_i \Rightarrow V_f = V_i \Rightarrow AB = 1$$

$V_f \& V_i$ in the same phase $\Rightarrow V_e = V_i + V_f$

positive feedback amplifier.

V_i given to non-inverting terminal of amplifier \Rightarrow phase diff. 0° or 360°

V_f given to inverting terminal

V_i given to inverting terminal of amplifier \Rightarrow phase diff. 180°

V_f and $V_i = 180^\circ$

Amplitude criteria for oscillations

with const freq.

Positive feedback amplifier $\rightarrow V_o = V_i + V_f$

$$V_{o\text{ open-loop}} = V_o \text{ feedback}$$

$$AV_o = \frac{V_f}{B}$$

$$AB(V_i + V_f) = V_f$$

$$BAV_i = V_f - BA V_f$$

$$BAV_i = V_f(1 - BA)$$

$$V_o = \frac{V_f}{B} = \frac{BAV_i}{(1 - AB)A} = \frac{AV_i}{1 - AB}$$

$$A_{FB} = \frac{V_o}{V_i} = \frac{A}{1 - AB}$$

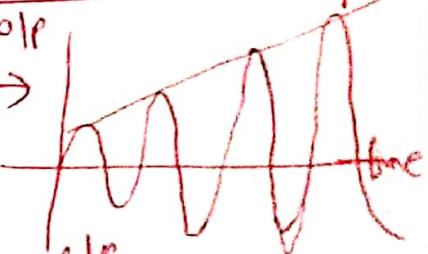
$AB = 1 \Rightarrow A_{FB} = \infty \rightarrow \text{o/p cannot be } \infty.$

$\therefore \text{When } ex \quad \boxed{A_{FB} = \frac{V_o}{V_i}} \rightarrow o/p = 0.$

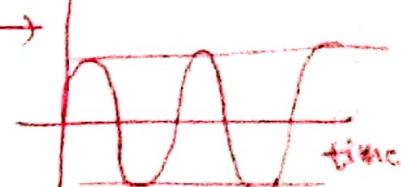
\Rightarrow When external voltage i/p is removed, the amplifier circuit oscillates with a constant frequency based on A or B or both.

(freq.)

$|AB| > 1$
growing type
of oscillations



$|AB| = 1$
sustained oscillations



V_f &
 V_i are
in same
phase

$|AB| < 1$

exponentially

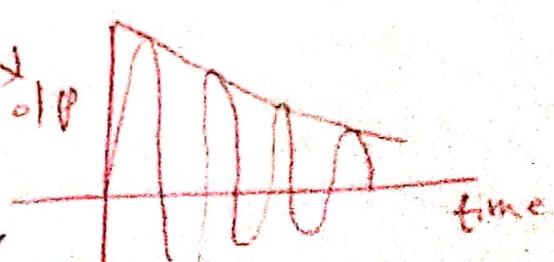
decaying

oscillation

o/p

which stop. After

they stop, no oscillation amplifier circuit.

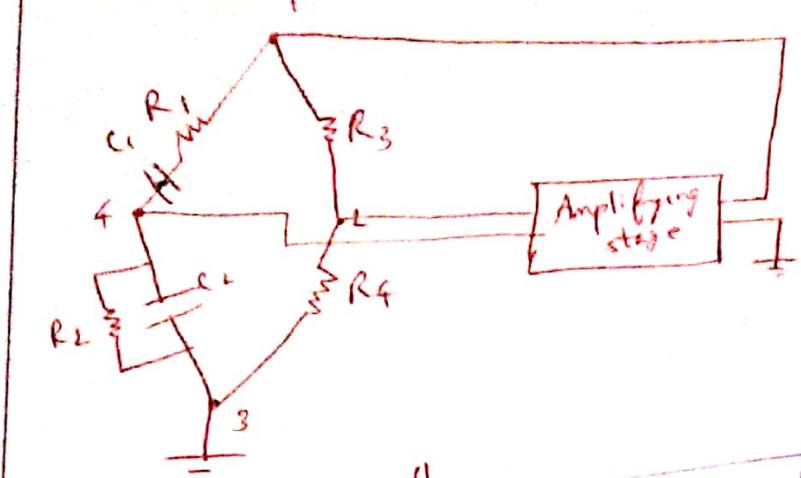


Phase diff:

$= 0^\circ$ or 360°

(Non-inverting
amplifier)

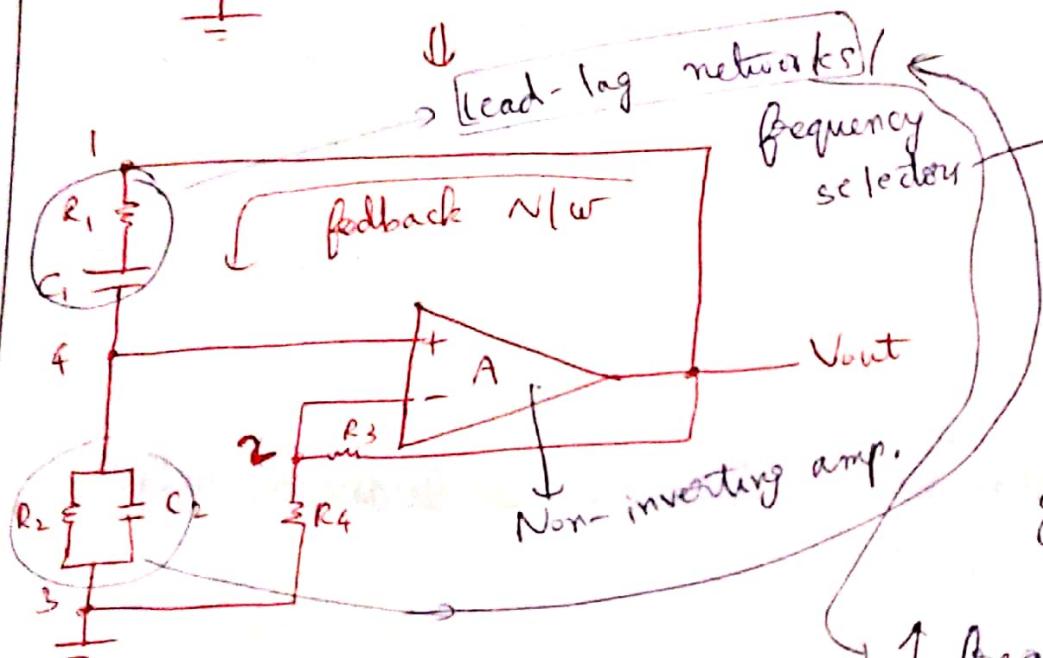
Wien bridge oscillator:



$B/w 1 2 3 \rightarrow$ feedback
n/w

$B/w 2 4 \rightarrow$ $C_1 C_2$
to Amplifier
o/p of feedback

o/p of amplifier \rightarrow
i/p to feedback



select freq.
of the
oscillator

R_3 & $R_4 \rightarrow$
to control
gain of the
amplifier.

\uparrow freq. \rightarrow load
 \downarrow freq. \rightarrow lead.

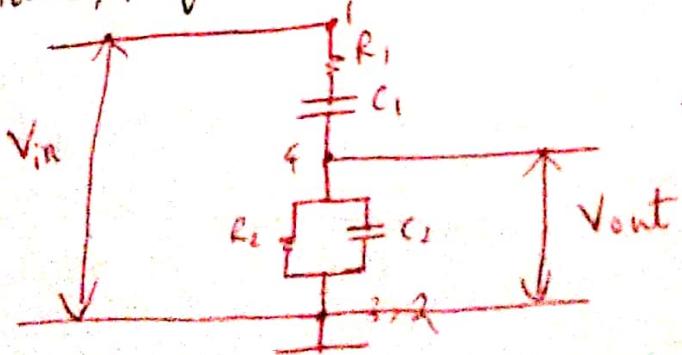
$\rightarrow R_1$ & C_1 in series
 $\hookrightarrow R_2$ & C_2 in ||

$\hookrightarrow B/w 1 \& 3 \rightarrow$ diagonal \rightarrow feedback n/w.

R_1, C_1, R_2, C_2

$\&$ frequency of oscillations

Gain \sim of Wien bridge oscillator:



→ feedback N/w of
a Wien bridge
oscillator.

$\varepsilon_1 \rightarrow R_1$ in series with C_1

$$Z_1 = R_1 - jX_{C_1} = R_1 - \frac{1}{2\pi f C_1} = R_1 + \frac{1}{\omega C_1 j}$$

$$Z_1 = R_1 + \frac{1}{\omega C_1 j}$$

$$jw = S \Rightarrow Z_1 = R_1 + \frac{1}{SC_1}$$

$$\boxed{Z_1 = \frac{SC_1 R_1 + 1}{SC_1}}$$

$Z_2 \rightarrow R_2 \parallel C_2$

$$-jX_{C_2} = \frac{X_{C_2}}{j}$$

$$Z_2 = \frac{(R_2)(-jX_{C_2})}{R_2 - jX_{C_2}}$$

$$X_{C_2} = \frac{1}{2\pi f C_2}$$

$$= \frac{(R_2) \left(\frac{1}{SC_2} \right)}{R_2 + \frac{1}{SC_2}}$$

$$-jX_{C_2} = \frac{1}{2\pi f C_2 j} \quad w_1 = S \\ = \frac{1}{SC_2}$$

$$\boxed{Z_2 = \frac{R_2}{SC_2 R_2 + 1}}$$

$$\boxed{Z = Z_1 + Z_2}$$

$$I = \frac{V_{in}}{Z} = \frac{V_{in}}{Z_1 + Z_2}$$

$$V_{out} = (I)(Z_2) = \frac{V_{in} Z_2}{Z_1 + Z_2}$$

$$\Rightarrow B = \frac{V_{out}}{V_{in}} = \frac{Z_2}{Z_1 + Z_2}$$

$$B = \frac{R_2}{SC_2 R_2 + 1}$$

$$\frac{R_2}{SC_2 R_2 + 1} + \frac{SC_1 R_1}{SC_1 R_1 + 1}$$

$$\left(\frac{R_2}{SC_2 R_2 + 1} \right) \left(\frac{SC_1 R_1}{SC_1 R_1 + 1} \right)$$

$$+ \frac{SC_1 R_1}{SC_1 R_1 + 1} + \frac{R_2}{SC_2 R_2 + 1}$$

$$B = \frac{SC_1 R_1}{1 + SC_1 R_1 + SC_2 R_2 + (R_1 + R_2)}$$

(5)

$$R_1 = R_2 = R, C_1 = C_2 = C$$

$$s = j\omega, s^2 = -\omega^2$$

$$B = \frac{j\omega C_1 R_2}{1 - \omega^2 C_1 C_2 R_1 R_2 + j\omega(C_1 R_1 + C_2 R_2 + C_1 C_2 R_1)}$$

Rationalising,

$$B = \frac{(j\omega C_1 R_2)(1 - \omega^2 C_1 C_2 R_1 R_2 - j\omega(C_1 R_1 + C_2 R_2 + C_1 C_2 R_1))}{(1 - \omega^2 C_1 C_2 R_1 R_2)^2 + j\omega^2(C_1 R_1 + C_2 R_2 + C_1 C_2 R_1)^2}$$

$$B = \frac{\omega^2 C_1 R_2 (C_1 R_1 + C_2 R_2 + C_1 C_2) + j\omega^2 C_1 R_2 (1 - \omega^2 C_1 C_2 R_1 R_2)}{(1 - \omega^2 C_1 C_2 R_1 R_2)^2 + \omega^2 (C_1 R_1 + C_2 R_2 + C_1 C_2 R_1)^2}$$

Phase shift = 0 \Rightarrow img part = 0

$$\omega^2 C_1 R_2 (1 - \omega^2 C_1 C_2 R_1 R_2) = 0$$

ignore $\omega = 0 \Rightarrow \omega = \frac{1}{\sqrt{R_1 R_2 C_1 C_2}}$

$$\text{freq. } f = \frac{1}{2\pi\sqrt{R_1 R_2 C_1 C_2}}$$

$$R_1 = R_2 = R, C_1 = C_2 = C \quad \text{in } B, \omega = \frac{1}{RC}.$$

$$B = \frac{\left(\frac{1}{R_1 R_2 C_1 C_2}\right) (C_1 R_2) (3RC) + \frac{j}{R_1 R_2 C_1 C_2} C_1 R_2 \left(1 - \frac{C_1 DFR_1}{C_1 C_2 R_1 R_2}\right)}{\left(1 - \frac{R^2 C^2}{C^2 R^2}\right) + \left(\frac{1}{RC^2}\right) (9R^2 C^2)}$$

$$= \frac{3}{9}$$

$$\boxed{B = \frac{1}{3}} > 0 \Rightarrow \text{+ve gain} \Rightarrow V_f \& V_{in} \quad (\text{criteria for osc})$$

phase shift = 0°

$$|AB| \geq 1 \quad |A| \geq \frac{1}{\left(\frac{1}{3}\right)} \geq 3$$

$$\boxed{|A| \geq 3}$$

If $R_1 \neq R_2$, $C_1 \neq C_2$ then:

$$\omega = \frac{1}{\sqrt{R_1 R_2 C_1 C_2}},$$

$$f = \frac{1}{2\pi \sqrt{R_1 R_2 C_1 C_2}}$$

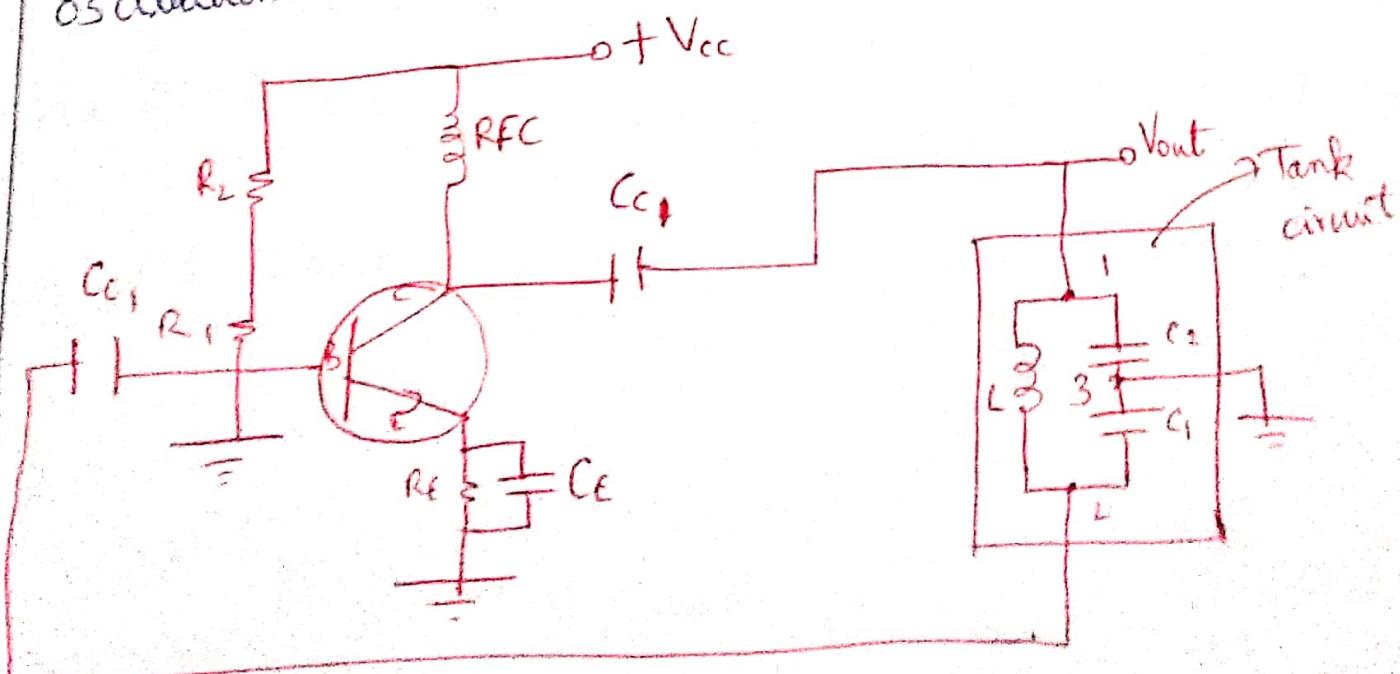
$$B = \frac{C_1 R_2}{C_1 R_1 + C_2 R_2 + C_1 R_2}$$

$$R_1 = R_2 = R, \quad C_1 = C_2 = C \quad f = \frac{1}{2\pi \sqrt{RC}}$$

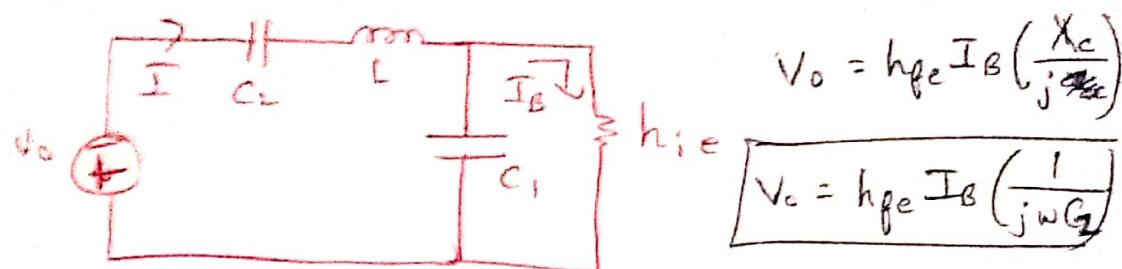
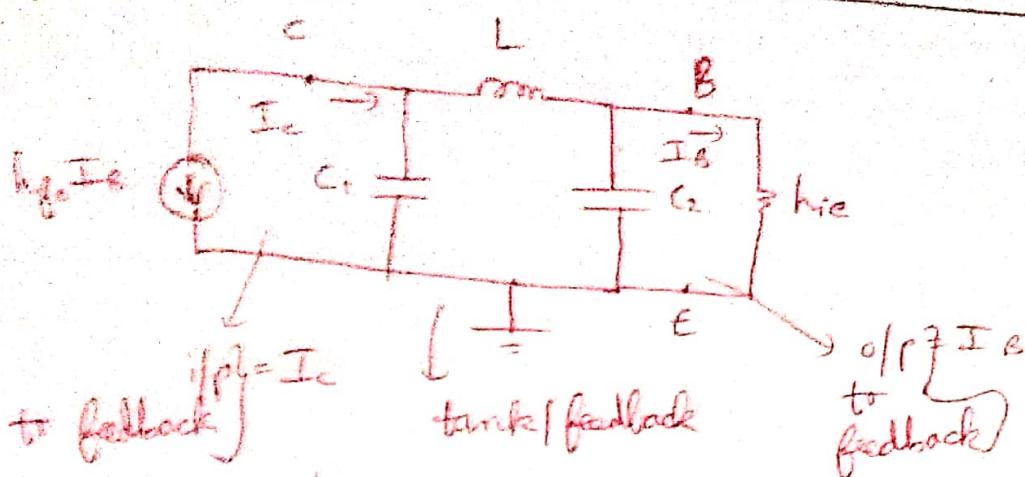
$$A \geq \frac{C_1 R_1 + C_2 R_2 + C_1 R_2}{C_1 R_2} \quad (\text{as } |AB| \geq 1)$$

COLPITTS OSCILLATOR:

- LC oscillator (2 capacitors & 1 inductor).
- CE transistor → amplifier.
- Tank circuit → feedback network.
- CE transistor \Rightarrow phase shift by 180° . So, tank circuit further adds $180^\circ = 360^\circ \Rightarrow$ oscillations criteria ✓.



Hybrid model :



Simplified hybrid model \uparrow

Frequency of oscillations of Colpitts oscillator -
derivation:

Applying KVL to simplified hybrid model,

$$-V_0 - I(X_{C_2} + X_L) - I(X_{C_1} \parallel h_{ie}) = 0.$$

$$I = \frac{-V_0}{(X_{C_2} + X_L) + (X_{C_1} \parallel h_{ie})}$$

$$X_{C_2} + X_L = \frac{1}{j\omega C_2} + j\omega L$$

$$X_{C_1} \parallel h_{ie} = \frac{(X_{C_1})(h_{ie})}{X_{C_1} + h_{ie}} = \frac{\left(\frac{1}{j\omega C_1}\right) h_{ie}}{\frac{1}{j\omega C_1} + h_{ie}}$$

$$X_{C_1} \parallel h_{ie} = \frac{h_{ie}}{1 + j\omega h_{ie} C_1}$$

$$= V_o$$

$$I = \left(\frac{1}{jwC_1} + j\omega L \right) + \frac{h_{ie}}{1+jh_{ie}L}$$

$$V_o = h_{fe} I_B \left(\frac{1}{jwC_1} \right)$$

$$I = - \frac{h_{fe} I_B}{jwC_1}$$

$$\frac{1}{jwC_1} + j\omega L + \frac{h_{ie}}{1+jh_{ie}L}$$

$$- \frac{h_{fe} I_B}{sC_1}$$

$$\frac{1}{sC_1} + sL + \frac{h_{ie}}{1+sLh_{ie}}$$

$$= \left(\frac{-h_{fe} I_B}{sC_1} \right) \left(\frac{sC_1 (1+sLh_{ie})}{s^2 C_1 (1+sLh_{ie}) + sh_{ie}} \right)$$

$$I = \frac{-h_{fe} I_B (1+sLh_{ie})}{s^2 L C_1 h_{ie} + s^2 L C_1 + sh_{ie} (C_1 + 1)}$$

$$I_B = I \left(\frac{x_{c1}}{x_{c1} + h_{ie}} \right) \quad (\text{as } C_1 \ll h_{ie})$$

$$= I \left(\frac{\frac{1}{jwC_1}}{\frac{1}{jwC_1} + h_{ie}} \right)$$

$$= I \left(\frac{\frac{1}{sC_1}}{\frac{1}{sC_1} + h_{ie}} \right)$$

$$I_B = I \left(\frac{1}{1 + h_{ie}sC_1} \right)$$

(9)

$$X_L = \left(\frac{1}{s^2 L C_1 C_2 h_{ie} + s^1 L C_1 + \text{shiel}(C_1 + C_2)} \right) \left(\frac{-h_{fe} Z_B (1 + sLh_{ie})}{s^2 L C_1 C_2 h_{ie} + s^1 L C_1 + \text{shiel}(C_1 + C_2)} \right)$$

$$1 = \frac{-h_{fe}}{s^2 L C_1 C_2 h_{ie} + s^1 L C_1 + \text{shiel}(C_1 + C_2) + 1}$$

$$s = j\omega, \quad s^2 = -\omega^2, \quad s^3 = -j\omega^3$$

$$1 = \frac{-h_{fe}}{-j\omega^3 L C_1 C_2 h_{ie} - \omega^2 L C_1 + j\omega h_{ie}(C_1 + C_2) + 1}$$

$$1 = \frac{-h_{fe}}{1 - \omega^2 L C_1 + j\omega h_{ie}(C_1 + C_2 - \omega^2 L C_1 C_2)}$$

img part = 0
 $\Rightarrow \omega h_{ie}(C_1 + C_2 - \omega^2 L C_1 C_2) = 0$

$$\omega^2 = \frac{C_1 + C_2}{L C_1 C_2}$$

$$\omega^2 = \frac{1}{L} \left(\frac{1}{C_1 C_2} \right)$$

$$C_{eq} = \frac{C_1 C_2}{C_1 + C_2} \quad (C_1 \text{ & } C_2 \text{ in series})$$

$$\Rightarrow \omega^2 = \frac{1}{L C_{eq}}$$

$$\omega = \frac{1}{\sqrt{L C_{eq}}}$$

frequency of oscillation in colpitts oscillator

$$f = \frac{1}{2\pi \sqrt{L C_{eq}}}$$

$$\rightarrow \text{Gain} = A_v = h_{fe} = \frac{C_2}{C_1} = \frac{V_o/p}{\text{feedback voltage}(V_f)}$$

→ Gain of feedback network (tank circuit) = B .
 $A_vB = 1$ (oscillatory)

$$\Rightarrow B = \frac{1}{A_v} = \frac{C_1}{C_1 + C_2} = \frac{V_o/V_f}{V_f} = \frac{V_o}{V_f}$$

Note:

→ freq. of Wien's bridge oscillator = $\frac{1}{2\pi\sqrt{RC}}$

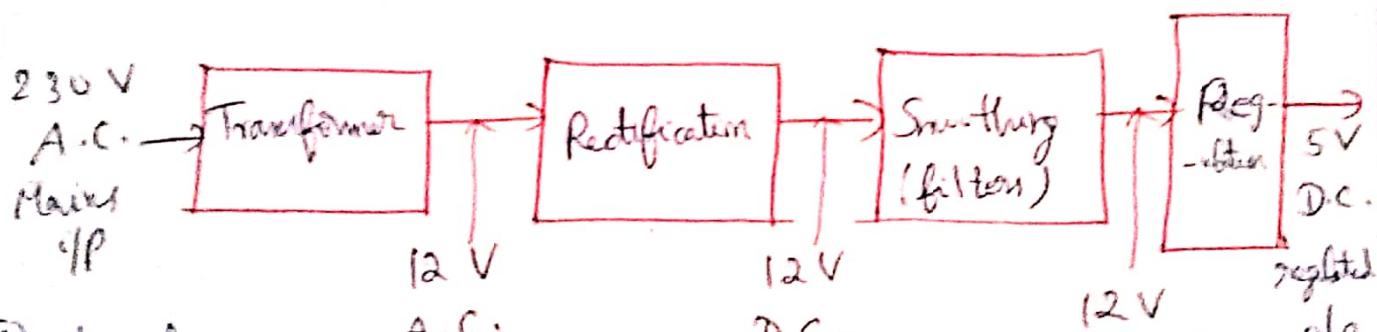
→ " " Collpits oscillator = $\frac{1}{2\pi\sqrt{LC_{eq}}}$

$$C_{eq} = \frac{C_1 C_2}{C_1 + C_2}$$

POWER SUPPLY SYSTEM.

↳ To supply a constant power (DC voltage) to electronic devices.

↳ Block diagram:

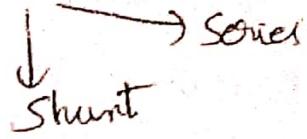


- ① step-down A.C. to \downarrow voltage to desired level. D.C. with o/p
 - ② transformer to \downarrow voltage to desired level. D.C. with ripple
 - ③ rectifier \rightarrow converts A.C. into D.C.
 - ④ Filter \rightarrow to reduce ripples & smoothen voltage
 - ⑤ Regulator \rightarrow o/p voltage \rightarrow almost ripple free & constant even under variable load
- cond's. \therefore Power supply system \rightarrow o/p \rightarrow unregulated voltage
 o/p \rightarrow regulated DC voltage

VOLTAGE REGULATORS.

↳ Basic components:

- Voltage reference (V_{ref})
- Error amplifier
- Feedback network
- Active series/shunt control elements.

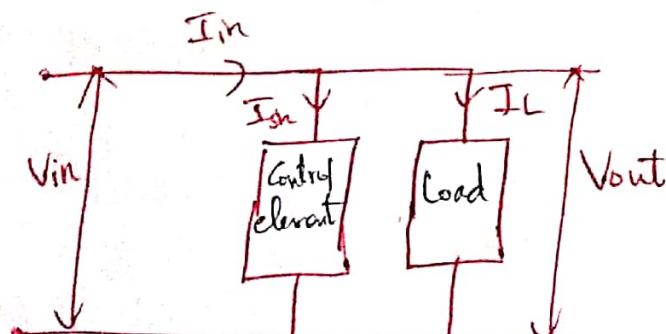


- ① V_{ref} provides a ~~fixed~~ voltage level \rightarrow i/p to error amplifier \rightarrow comparator circuit.
- ② V_f from feedback network \rightarrow other i/p to error amplifier \Rightarrow o/p voltage
- ③ Samples of V_{out} \rightarrow compared with V_{ref} & error amplifier amplifies the error signal.
controls the active element to compensate the change in V_{out} .

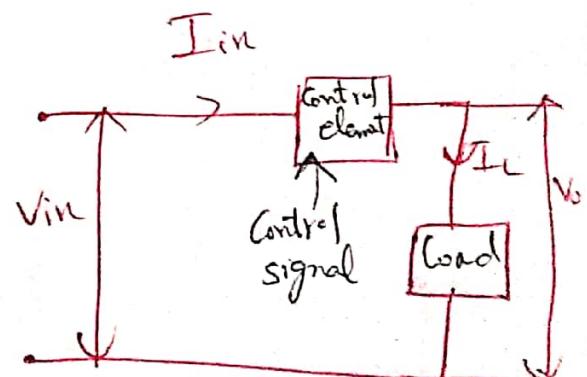
Shunt

Series

(i) Block diagram:



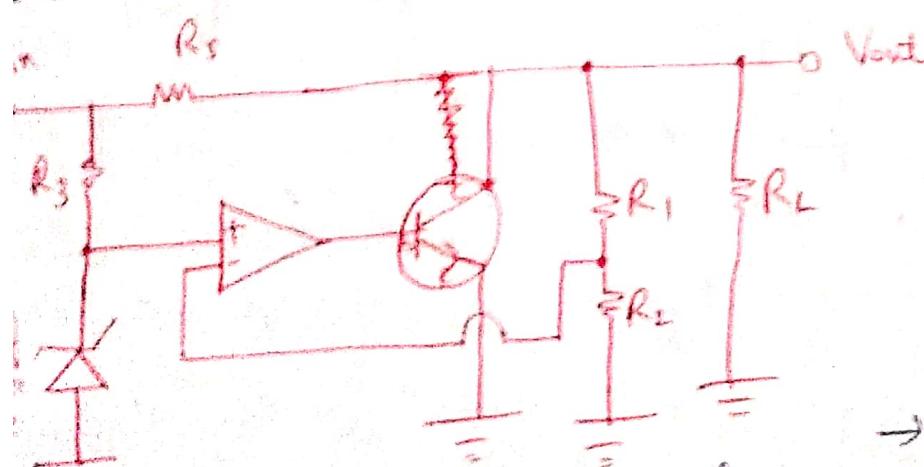
- control element \parallel load
- A part of load current passes through control ele.



- control element series with load
- All I_L through control ele.

- Shunt
Voltage regulator
- Compensate change in $V_o \Rightarrow$ by varying voltage across the control di -
 - Efficiency depends on T_c
 - High voltage rating of controlled by L or R.
 - Poor regulation
 - Fixed voltage app's
 - Eg: Zener Shunt regulator
 - Simple to design
- Good regulation
- Fixed & variable voltage app's.
- Eg: Series feedback type regulators
- Complicated to design.

Shunt Voltage regulator using op-amp:



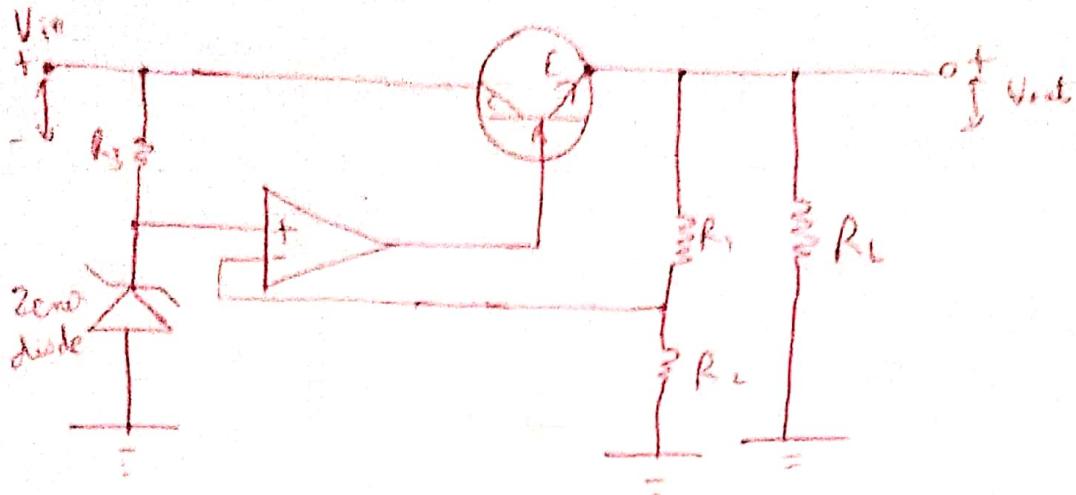
V_o changes \rightarrow op-amp \rightarrow control net to control di (transistor)

→ op-amp as comparator
 $\rightarrow R_1, R_2 \Rightarrow$ potential divider \Rightarrow pot of V_{out} at V_f

→ Zener diode generates reference voltage

(12)

Series voltage regulator using op-amps:



→ Same as shunt regulator
 → R_s in shunt regulator \Rightarrow to maintain const.

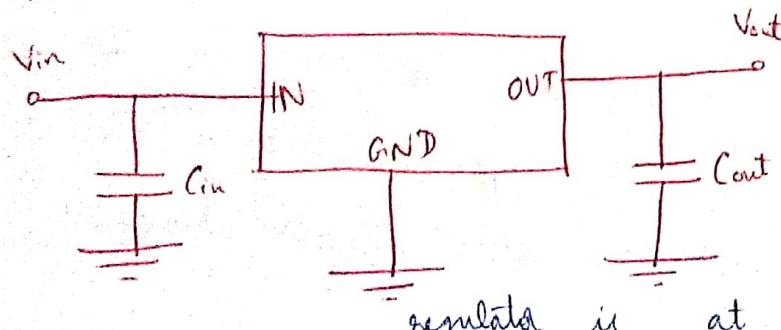
V_{op} :

THREE TERMINAL VOLTAGE IC REGULATORS (IC REGULATORS).

Advantages:

- ① Easy to use
- ② Low ~~power~~ supply cost
 (continuously dissipates power) \rightarrow linear regulators \rightarrow linear power supply used \rightarrow size due to heat sink.
- ③ \downarrow internal short circuits
 \Rightarrow safe.
- ④ Simplifies power supply, \rightarrow uses SMPS \rightarrow switched b/w & complex circuit design \rightarrow \downarrow weight & size \downarrow dissipations, on & off states.

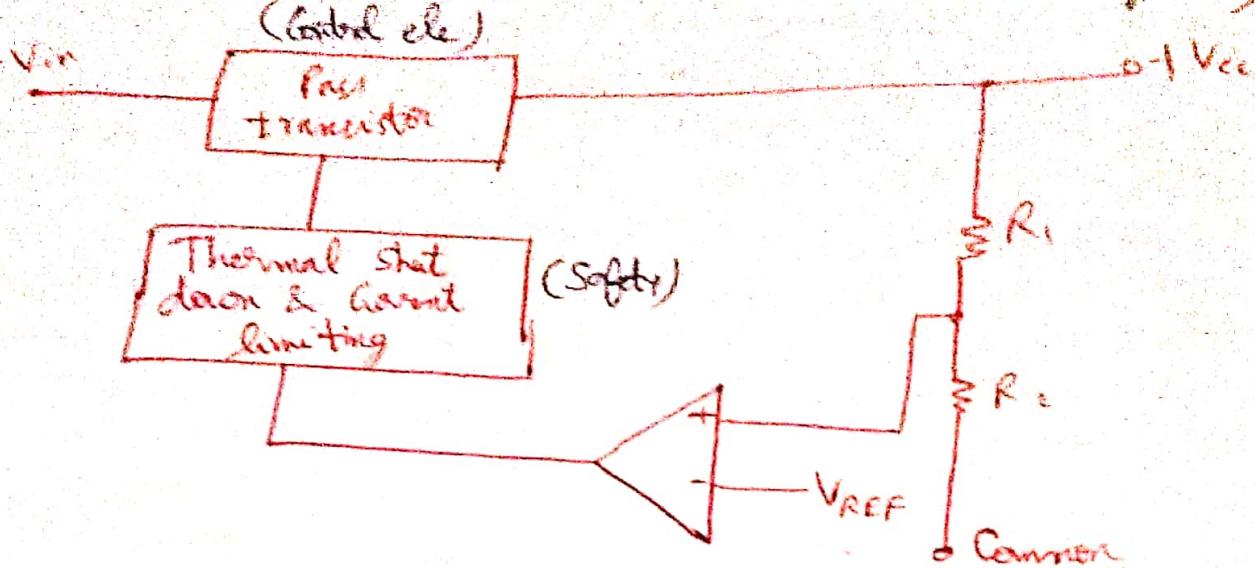
Three-terminal IC



regulated is at

- \rightarrow 3 terminals: IN, OUT, GND
- \rightarrow $C_{out} \rightarrow \downarrow$ noise in o/p, improve response of voltage regulator
- \rightarrow $C_{in} \rightarrow$ ensure that filter min. 5 times from power supply.

Block diagram: (Series three-terminal voltage regulator)



- $> 175^\circ\text{C} \rightarrow$ temp. of circuitry \rightarrow due to safety \Rightarrow automatically off \rightarrow thermal shutdown of circuit.
- R_1, R_2, C \rightarrow potential divider circuit \Rightarrow part of it to off of comparator compares V_f with V_{ref} & control signal to control ele (pass transistor) generated internally by zener diode.
compensates the change in V_o & keeps V_o const.

Performance of power Supply:

- factors which help judge the overall performance of the power supply.
- ↳ pass transistor \rightarrow supplies extra I_o to ensure a regulated dc op. \Rightarrow also called outboard bypass / power supply transistor.

① Line regulation: (ideal = 0, practical \neq)

→ change in V_o due to change in i/p V .

② Load regulation: (ideal = 0, practical \neq)

→ No load to full load $\rightarrow I_o$ changes \Rightarrow change in V_o ?

③ R.R (Ripple Rejection): Filter & Rectifier off \rightarrow ripples. By how much the regulator \downarrow 's these ripples.

④ Rated off current \rightarrow Max. curr. \rightarrow which \rightarrow curr. limit^{Max.}

⑤ Operating junction temp. \rightarrow which \rightarrow thermal shutdown

⑥ Dropout voltage \rightarrow Max voltage b/w I/p & o/p terminals

⑦ Max. i/p voltage

⑧ Max. power dissipation

⑨ Quiescent current \rightarrow ~~Supply~~ current taken by regulator

when no load.

⑩ o/p noise voltage \rightarrow tendency of V_o to fluctuate $> 5V$.

⑪ Output resistance $\rightarrow \frac{\Delta V_o}{\Delta I_o}$

↳ Voltage regulators \rightarrow ~~series~~ series \rightarrow 78XX.

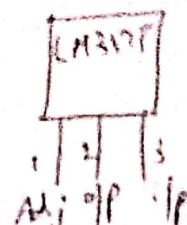
$$I_c = (H\beta) I_B - \frac{\beta V_{BE}}{R_s}$$

$$\beta = \frac{I_c}{I_B}$$

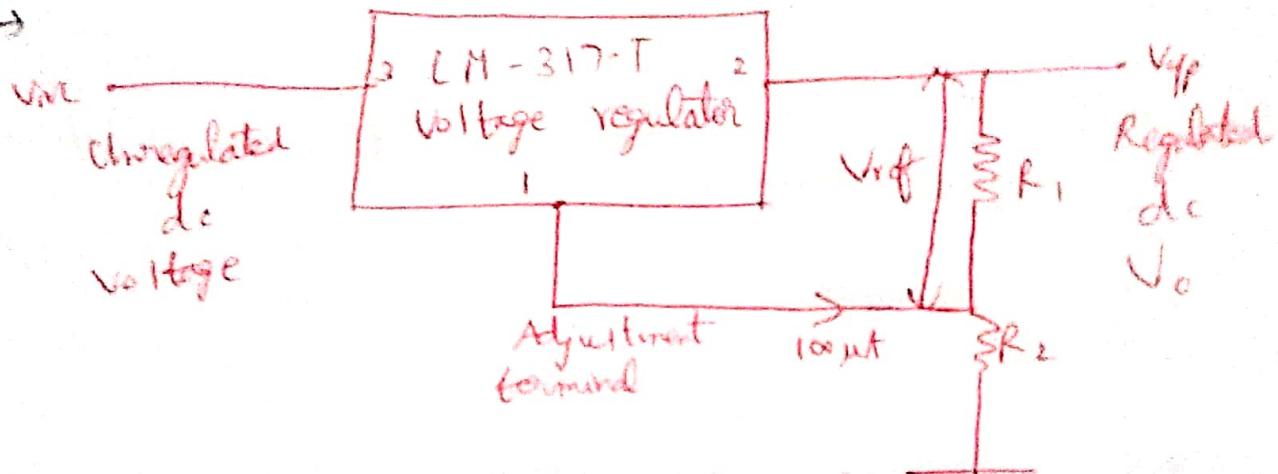
↳ load account.

Variable Voltage regulator:

→ LM 317T → 3-pin →



→

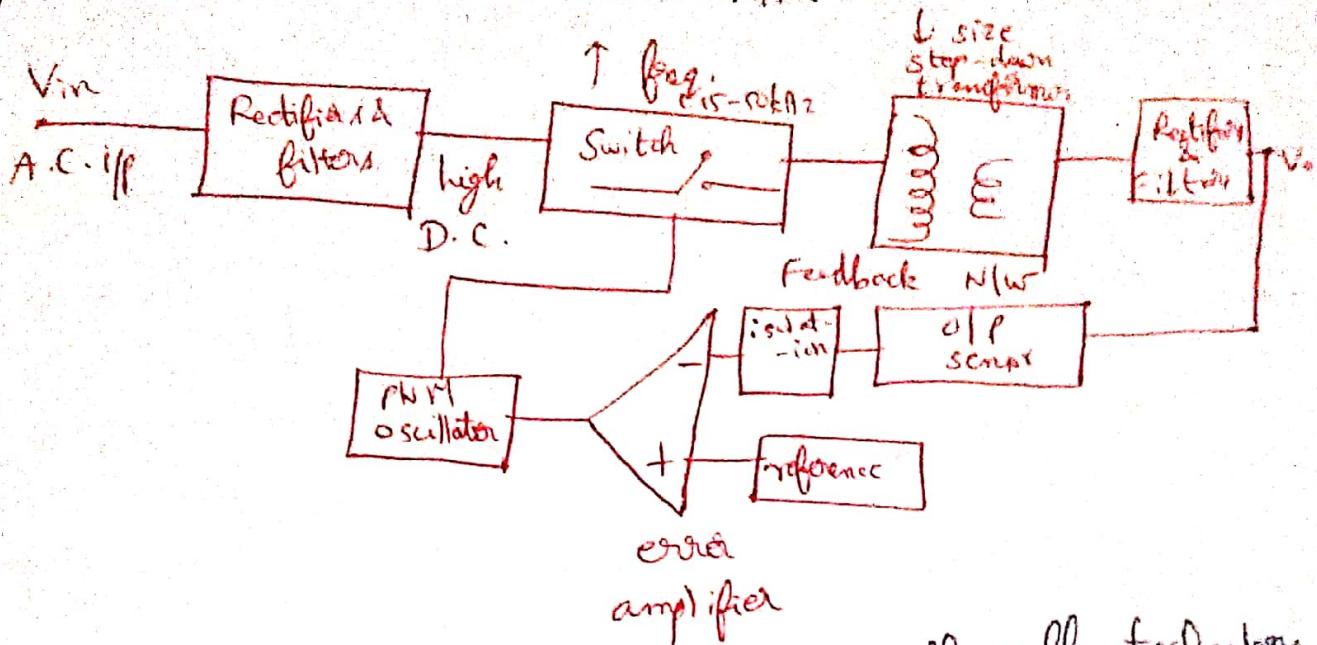


- Voltage across $R_1 = 1.25V = V_{ref} = \text{const.}$
 - Current through adjustment terminal = $100\mu\text{A} = \text{const.}$
 - $V_{R_1} + V_{R_2} = V_o$
- $$V_o = 1.25 \left(1 + \frac{R_2}{R_1} \right)$$
- $V_{in} \geq V_o + 2.5$ (as $R_2 = R_1 \Rightarrow V_o = 1.25(1+1) = 1.25(2)$)

$V_o = 2.5$ (minimum output voltage).

↳ Any power supply transfers Power from DC/AC src to DC loads. → Source in Smps
(Switched Block Power Supply)

SMPS Block Diagram:



→ SMPS → high power density \rightarrow flexible technology

→ MOSFET
→ feedback
→ step-down
→ Rectifiers & filters

→ D.C. voltage from battery / rectifier \rightarrow given to switch \rightarrow to \rightarrow transformer \rightarrow finally $V_o = 5V$

(regulated)

→ Part of V_o to error amplifier \rightarrow compare with V_{ref} $\&$ control signal to control circuit \Rightarrow maintain V_o @ a desired level