

**PSAT**

**19CSE100**

**Tutorial on Arrays**

**Task 1**

Write an algorithm to generate a Fibonacci series till  $n^{\text{th}}$  element where  $n$  is sum of digits of your roll number.

Eg: Roll No. = 20024  $\Rightarrow$   $n = 2+0+0+2+4=8$ , Generate Fibonacci till  $8^{\text{th}}$  element.

**Task 2**

Now generate next five elements of the series such that you need to add  $n^{\text{th}}$  number and  $(n-x)^{\text{th}}$  number to get next number.

$x$  is last digit of your roll number.

Keep incrementing  $n$  for next number of series as explained in example below.

$$(n_i)^{\text{th}} \text{ number} = (n_{i-1})^{\text{th}} \text{ number} + ((n_{i-1} - x)^{\text{th}} \text{ number})$$

Eg: Roll no. = 20024

Since you already generated Fibonacci series till  $8^{\text{th}}$  element (in Task 1), you need to find  $9^{\text{th}} - 13^{\text{th}}$  element as per above equation.

$$9^{\text{th}} \text{ number} = 8^{\text{th}} \text{ number} + 4^{\text{th}} \text{ number}$$

$$10^{\text{th}} \text{ number} = 9^{\text{th}} \text{ number} + 5^{\text{th}} \text{ number}$$

And so on till  $13^{\text{th}}$  number.

**Task 3**

Also show on paper that what is the expected series as per your number. Show the series till  $(n+5)^{\text{th}}$  number. Show steps that how you got that series.