

# COMPUTATIONAL DRUG REPOSITIONING USING KNOWLEDGE GRAPH AND AI

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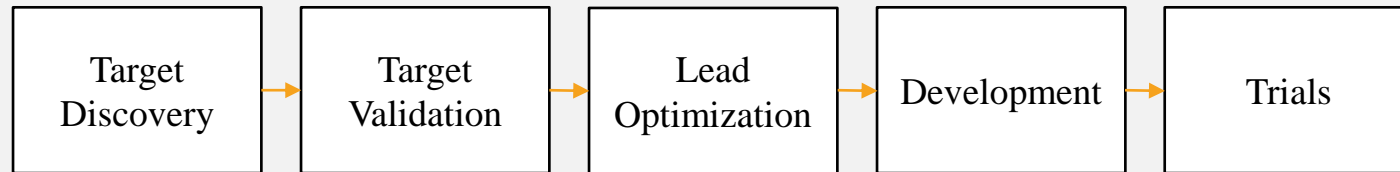
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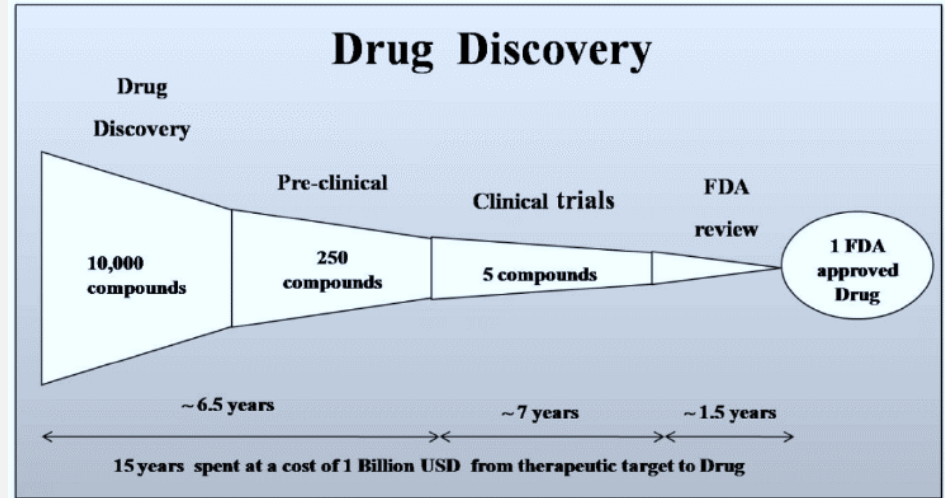
# INTRODUCTION

- What is Drug Discovery ?
  - Drug discovery is the process by which new medications are identified and developed.
- What are stages of drug discovery ?
  - Identification of a target
  - Lead compound development
  - Preclinical and clinical testing



# INTRODUCTION

- Limitations of Drug discovery
  - Costly and lengthy process.
  - Four to five main stages.



This is where “Drug Repurposing” is helping

# INTRODUCTION

- Areas where Computer Science can contribute?
  - Suggesting candidate drugs.
  - Risk Assessment done by FDA.
  - Dose-Response Analysis can be helped through data science.
- The research paper aims to contribute by identifying existing drugs that could potentially be repurposed for the treatment of other diseases.

# INTRODUCTION

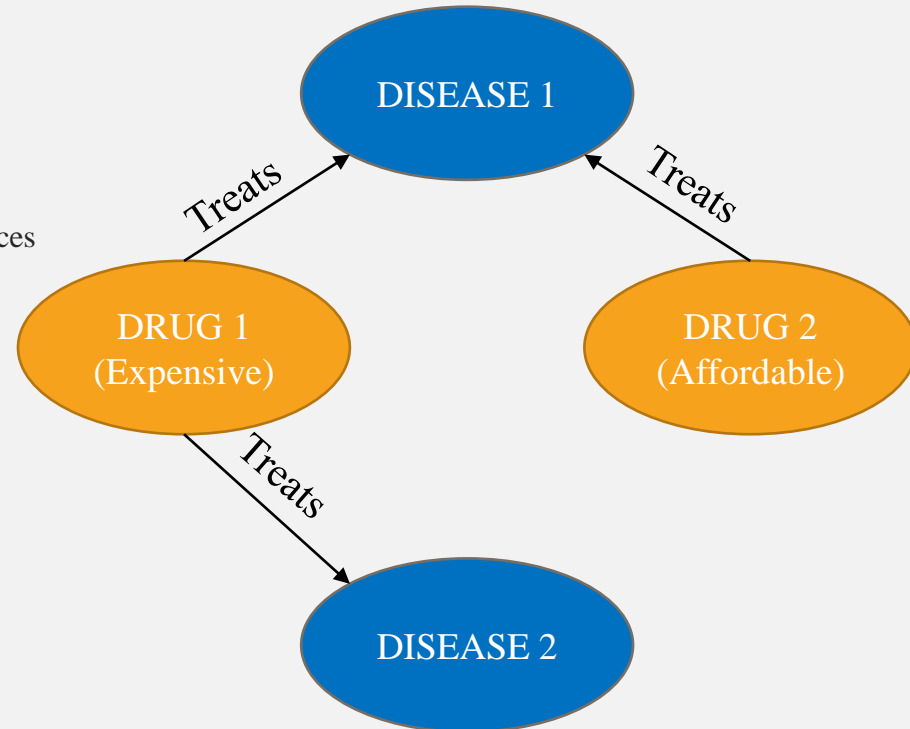
- Which tools can be used in perform the above task?
  - Clustering and Classification Algorithms
    - Meticulous analysis and pattern recognition by grouping similar compounds and predicting their efficacy efficiently identify potential drug candidates
    - Undergone extensive research and has reached a saturation point.
  - Regression Analysis
    - Modeling relationships between variables aid in predicting drug effectiveness but not efficient in suggesting candidate drugs.
    - Cornerstone in the realm of drug discovery
  - Deep Learning
    - Forefront of drug discovery research offering immense promise.
    - Our base paper also focuses here.

# MOTIVATION



# SOME DEFINITIONS

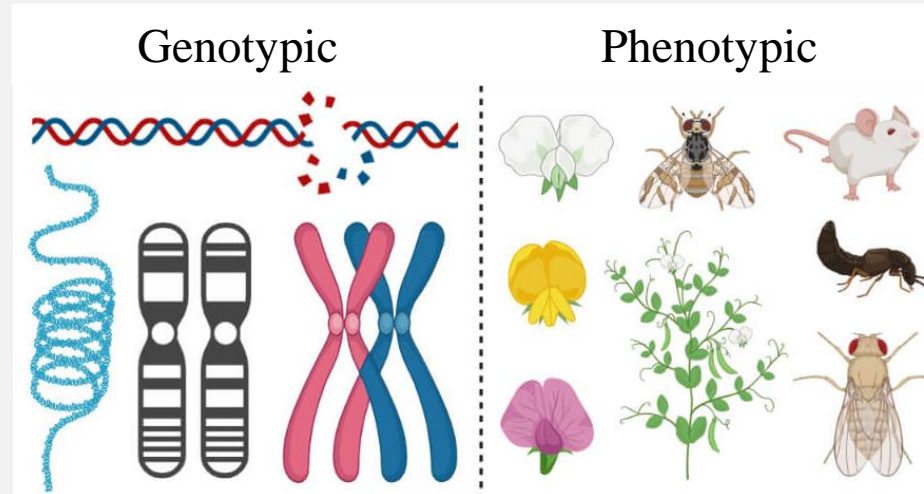
- Knowledge Graph
  - Represents a network of real-world entities
  - Also known as a semantic network
  - Typically made up of datasets from various sources





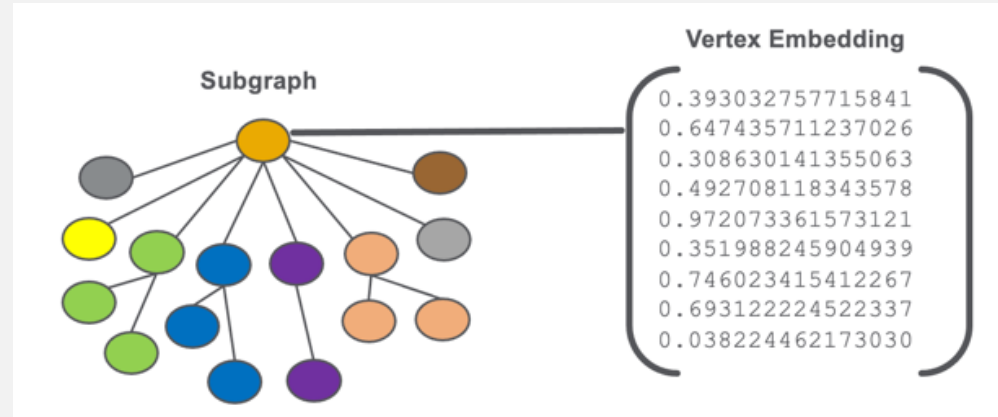
# SOME DEFINITIONS

- What is Genotypic and Phenotypic?
  - Genotypic genes are responsible for unique traits or characteristics.
  - Phenotypic genes are responsible for physical appearance or characteristic of an organism.



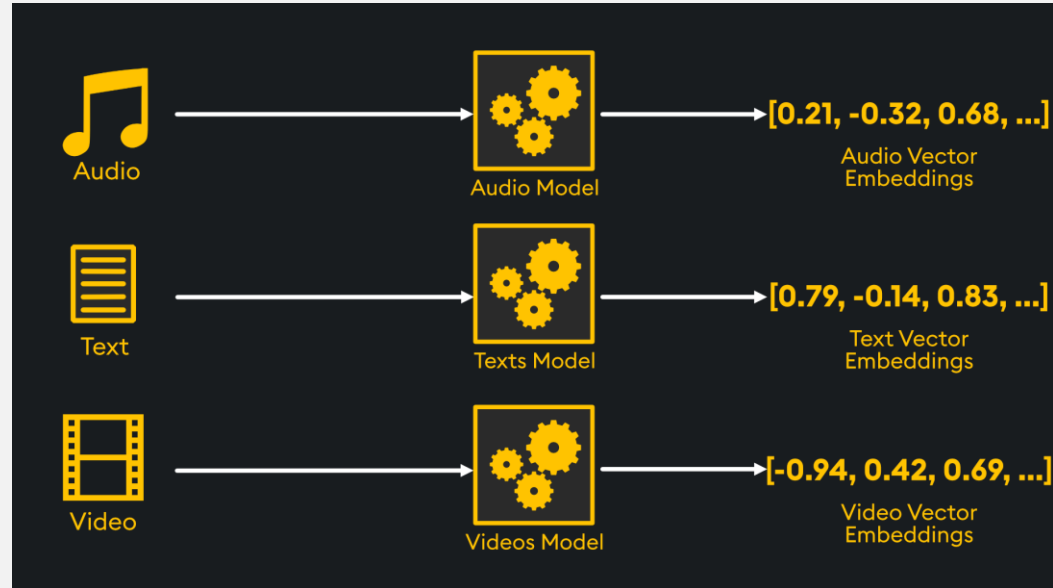
## SOME DEFINITIONS

- How do we use knowledge graph in algorithms?
- How to convert this complex graph into a simpler representation while preserving important information?
  - Graph Embedding - Embeddings encode objects or concepts in a continuous vector space.



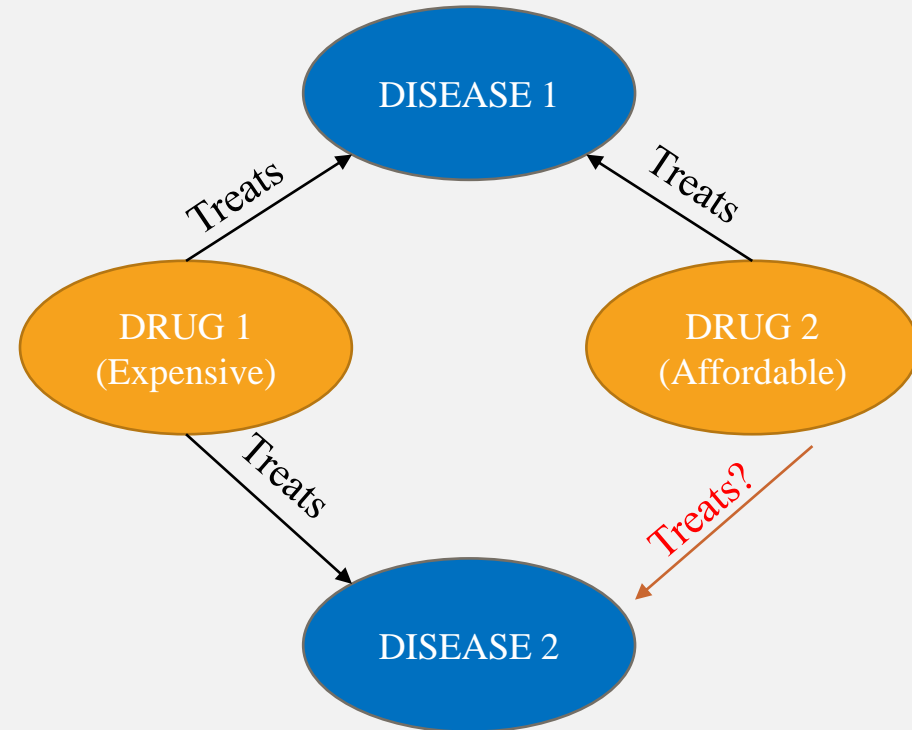
# SOME DEFINITIONS

- What do these Numbers Signify?



## SOME DEFINITIONS

- Given an enormous KG, can we complete the KG?
  - For a given (head, relation), we predict missing tails.
- The graph should contain multiple types of relationships otherwise, you can use the standard link prediction techniques.
- This graph could also include the origin of drugs and the relationship between them.



## SOME DEFINITIONS

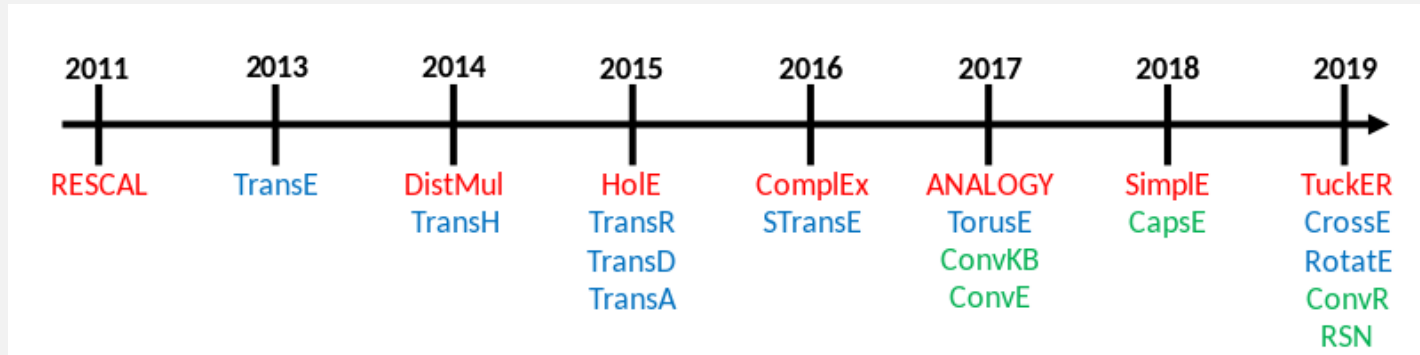
- Edges in KG are represented as triples  $(h, r, t)$ 
  - head  $(h)$  has relation  $(r)$  with tail  $(t)$
- Associate entities and relations with shallow embeddings
- Given a triple  $(h, r, t)$  the goal is that the embedding of  $(h, r)$  should be close to the embedding of  $t$ .
  - How to embed  $(h, r)$  ?
  - How to define score  $f_r(h, t)$  ?
  - Score  $f_r$  is high if  $(h, r, t)$  exists, else  $f_r$  is low

# LITERATURE SURVEY

- We started looking into pre-existing state of arts model involving different embeddings.
  - TransE
    - Given by- *A. Bordes, N. Usunier, A. Garcia-Duran, J. Weston and O. Yakhnenko.*
  - RotatE
    - Given by- *Z. Sun, Z.H. Deng, J.Y. Nie and J. Tang.*
  - DistMult
    - Given by- *B. Yang, W.T. Yih, X. He, J. Gao and L. Deng*

# LITERATURE SURVEY

- Timeline of different embedding models.



# LITERATURE SURVEY

## Four Relation Patterns:

- Symmetric (Antisymmetric) Relations:
  - $r(h, t) \Rightarrow r(t, h)$  and  $r(h, t) \Rightarrow \neg r(t, h) \quad \forall h, t$
  - Example:
    - Symmetric – Family, Roommate
    - Antisymmetric – Hypernym (colour and red)
- Inverse Relations:
  - $r_1(h, t) \Rightarrow r_2(t, h)$
  - Example: Advisor and Advisee



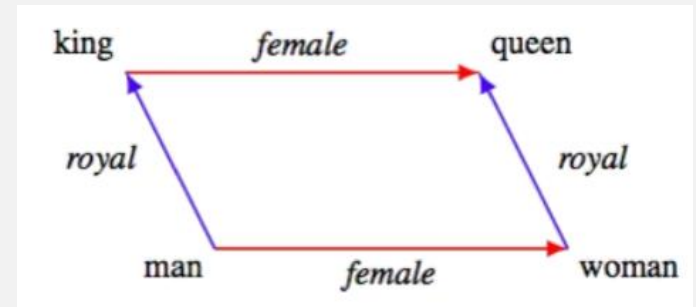
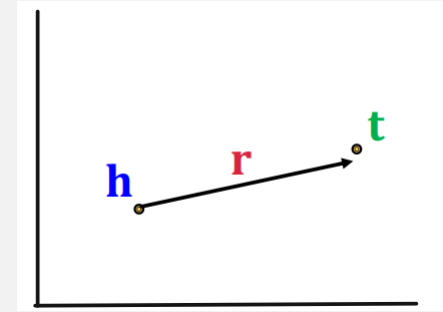
# LITERATURE SURVEY

Four Relation Patterns (continued...):

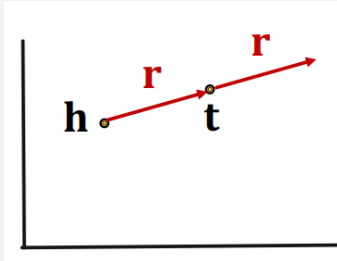
- Composition (Transitive) Relations:
  - $r_1(x, y) \& r_2(y, z) \Rightarrow r_3(x, z) \quad \forall x, y, z$
  - Example: My mother's husband is my father.
- 1-to-N Relations:
  - $r(h, t_1), r(h, t_2), \dots, r(h, t_n)$  are all true.
  - Example:  $r$  is the '*student\_of*'

# LITERATURE SURVEY - TransE

- Translation:
  - For a triple  $(h, r, t)$ , let  $h, r, t \in \mathbf{R}^d$  be embedding vectors.
    - if the given link exists -  $h + r \approx t$
    - else  $h + r \neq t$
- Entity scoring function:  $f_r(h, t) = -||h + r - t||$



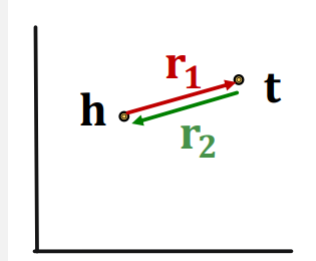
# LITERATURE SURVEY - TransE



Antisymmetric:

$$r(h, t) \Rightarrow \neg r(t, h)$$

$$h + r = t \text{ but } t + r \neq h$$



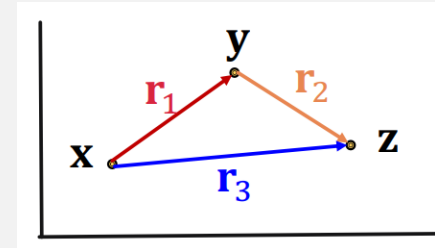
Inverse:

$$r_1(h, t) \Rightarrow r_2(t, h)$$

$$h + r_2 = t$$

and we can set

$$r_1 = -r_2$$



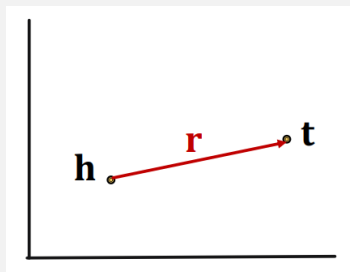
Composition:

$$r_1(x, y) \text{ \& } r_2(y, z) \\ \Rightarrow r_3(x, z) \quad \forall x, y, z$$

$$r_1 + r_2 = r_3$$

# LITERATURE SURVEY - TransE

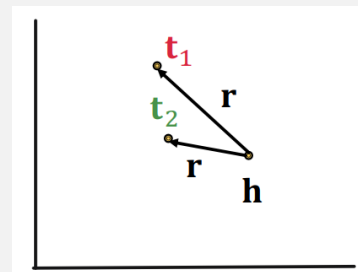
Limitations :



Symmetric:

$$r(h, t) \Rightarrow r(t, h)$$

*Only if  $r = 0$  and  $h = t$*



I-to-N:

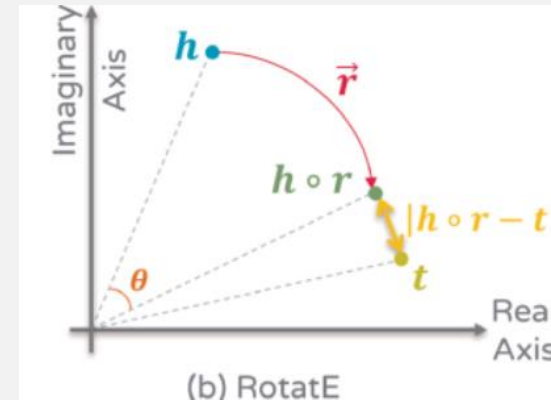
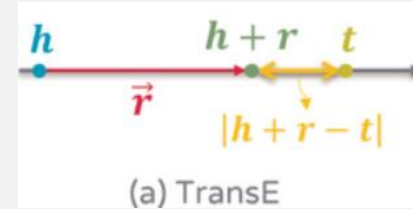
$r(h, t_1), r(h, t_2), \dots, r(h, t_n)$  are all true.

$$t_1 = h + r = t_2$$

$t_1$  and  $t_2$  will map to the same vector although they are different entities.

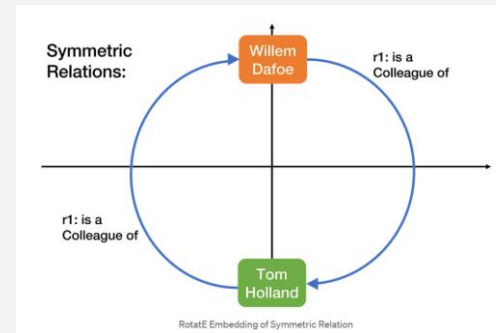
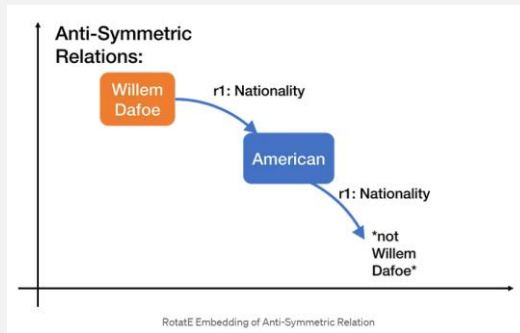
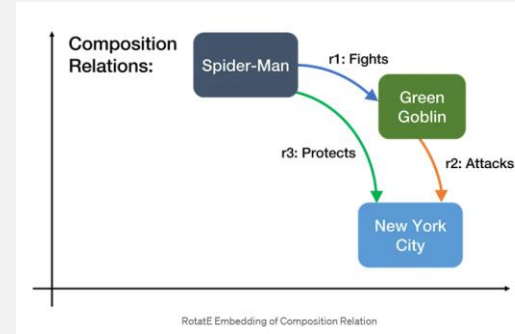
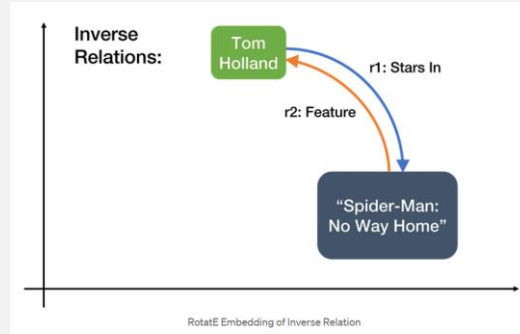
# LITERATURE SURVEY -RotatE

- Translation:
  - For a triple  $(h, r, t)$ , let  $\mathbf{h}, \mathbf{r}, \mathbf{t} \in \mathbf{R}^d$  be embedding vectors.
    - if the given link exists -  $\mathbf{h} \circ \mathbf{r} \approx \mathbf{t}$
    - else  $\mathbf{h} \circ \mathbf{r} \neq \mathbf{t}$
    - where ‘ $\circ$ ’ is the Hadamard product on the embeddings.
- Entity scoring function:  $f_r(h, t) = -||\mathbf{h} \circ \mathbf{r} - \mathbf{t}||^2$



The Hadamard product is a binary operation that takes in two matrices of the same dimensions and returns a matrix of the multiplied corresponding elements.

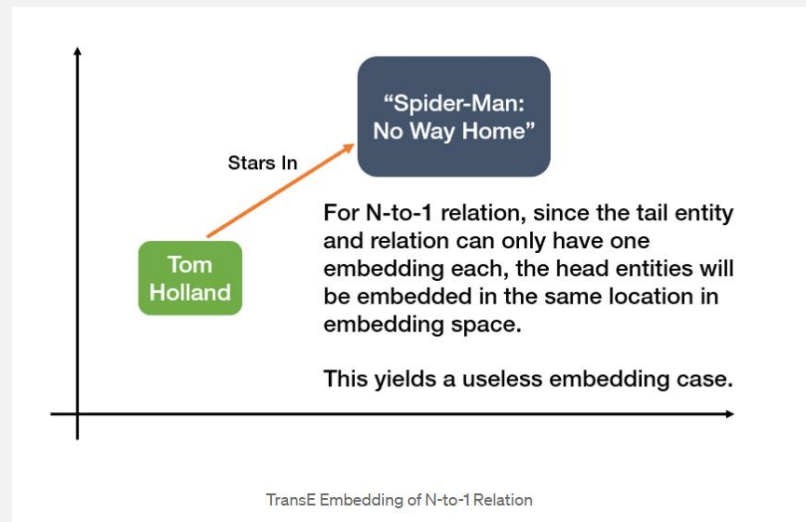
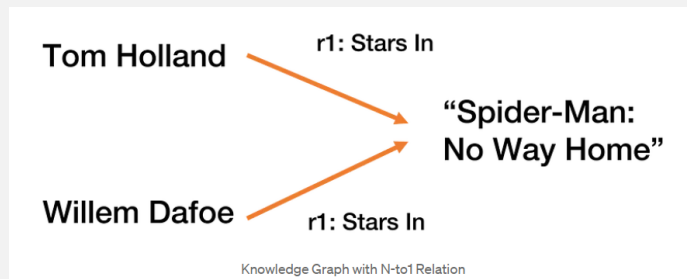
# LITERATURE SURVEY -RotatE



RotatE can model symmetric relations that TransE cannot express! It does so as 180-degree rotations.

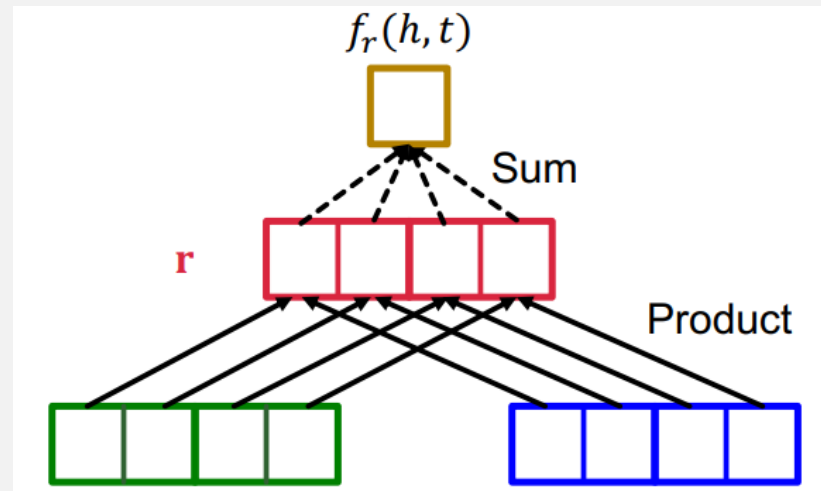
# LITERATURE SURVEY -RotatE

## Limitations :



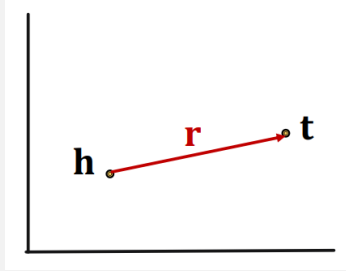
# LITERATURE SURVEY -DistMult

- For a triple  $(h, r, t)$ , let  $\mathbf{h}, \mathbf{r}, \mathbf{t} \in \mathbf{R}^d$  be embedding vectors.
- Score function:  $f_r(h, t) = \langle \mathbf{h}, \mathbf{r}, \mathbf{t} \rangle = \sum_i h_i \cdot r_i \cdot t_i$
- Intuition of score function:
  - Cosine similarity between  $\mathbf{h} \cdot \mathbf{r}$  and  $\mathbf{t}$



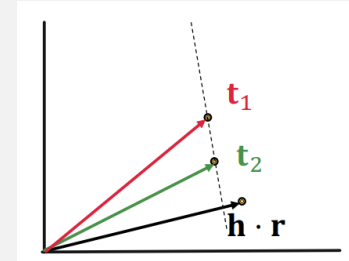


# LITERATURE SURVEY -DistMult



Symmetric:  
 $r(h, t) \Rightarrow r(t, h)$

$$\begin{aligned} f_r(h, t) &= \langle h, r, t \rangle = \sum_i h_i \cdot r_i \cdot t_i \\ &= \langle t, r, h \rangle = f_r(t, h) \end{aligned}$$



I-to-N:  
 $r(h, t_1), r(h, t_2), \dots, r(h, t_n)$  are all true.

$$\langle h, r, t_1 \rangle = \langle h, r, t_2 \rangle$$

# LITERATURE SURVEY -DistMult

Limitations :

Antisymmetric:

$$r(h, t) \Rightarrow \neg r(t, h)$$

$$\begin{aligned} f_r(h, t) &= \langle h, r, t \rangle \\ &= \sum_i h_i \cdot r_i \cdot t_i \\ &= \langle t, r, h \rangle = f_r(t, h) \end{aligned}$$

Inverse:

$$r_1(h, t) \Rightarrow r_2(t, h)$$

$$\begin{aligned} \langle h, r_1, t \rangle &= \langle t, r_2, h \rangle \\ r_1 &= r_2 \text{ solves this} \end{aligned}$$

But semantically it does not  
make sense  
(advisor is not equal to  
advisee)

Composition:

$$\begin{aligned} r_1(x, y) \ \& \ r_2(y, z) \\ \Rightarrow r_3(x, z) \quad \forall x, y, z \end{aligned}$$

Since dot product is  
commutative, it can  
distinguish between head and  
tail entities

# LITERATURE SURVEY

Summary of different embedding techniques:

Model	Score	Symmet.	Antisym.	Inverse	Compos.	1-to-N
TransE	$-  h + r - t  $	✗	✓	✓	✓	✗
RotatE	$-  h \circ r - t  ^2$	✓	✓	✓	✓	✗
DistMult	$\langle h, r, t \rangle$	✓	✗	✗	✗	✓

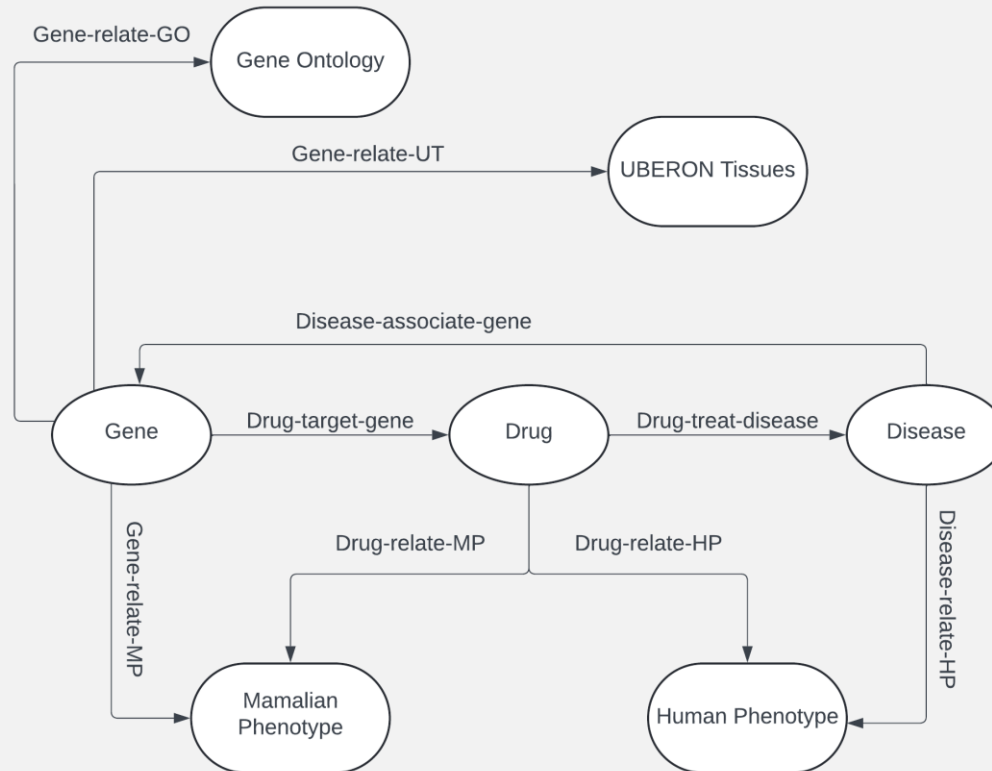
# LITERATURE SURVEY

- This Led us to our Base Paper “KG-Predict: A knowledge graph computational framework for drug repurposing”.
- The authors extended the Composition based multi regional graph Convolutional network (CompGCN).

# LITERATURE SURVEY

- Knowledge Graph Construction
  - 61,146 nodes with 7 node types
  - 1,246,726 edges
  - Categorized into 9 semantic relationships
    - 2 from genome-level knowledge databases
    - 1 from text-mined knowledge bases
    - 6 from phenome-level knowledge databases

# LITERATURE SURVEY



# LITERATURE SURVEY

- Let's take a look at the embedding algorithm the authors used
  - Input : Feature Vector  $x_v$  of node  $v$  (e.g. drug, disease) and feature vector  $S_r$  of edge  $r$  (e.g. Drug-treat-disease).
  - CompGCN Layer : The model Stacked several convolutional layers.
    - Used 2 different functions.
      - $AGGREGATE_n(.)$
      - $CONCAT(.)$
    - KG-Predict uses learnable transformational matrix  $W_{rel}^n$  which project all relations to same embedding space as entities and relations which are to update
  - Output :  $z_v$  represent the set of entity embedding and  $z_r$  represent the set of relation embedding

# LITERATURE SURVEY

## Pseudo Code for the explained algorithm

### Algorithm 1: GP-KG Embedding Algorithm

**Input:**  $G = (V, E, X, R, S)$ ,  $\forall n \in 1, 2, \dots, N$ , aggregator function  $AGGREGATE_n(\cdot)$ , concat function  $CONCAT(\cdot)$ , relation-specific coefficient matrix  $W_{rel}^n$ , self-specific coefficient matrix  $W_o^n$ , learnable transformation matrix  $W_{rel}^n$ , the set of entity  $v$ 's neighbors  $N(v)$ .

**Output:** entity embedding  $Z_V$ , relation embedding  $Z_R$ .

```

1  $h_v^0 \leftarrow X_v, h_r^0 \leftarrow S_r$  ;
2 for  $n = 1, 2, \dots, N$  do
3   for  $v \in V$  do
4      $h_{N(v)}^n \leftarrow AGGREGATE_n(W_{\lambda}^n \psi(h_u^{n-1}, h_r^{n-1}), u, r \in N(v))$  ;
5      $h_v^n \leftarrow f(CONCAT(h_{N(v)}^n, W_o^n h_v^{n-1}))$  ;
6   for  $r \in R$  do
7      $h_r^n \leftarrow W_{rel}^n h_r^{n-1}$  ;
8  $Z_V \leftarrow \{h_v^N\}, \forall v \in V$  ;
9  $Z_R \leftarrow \{h_r^N\}, \forall r \in R$  ;

```



# LITERATURE SURVEY

- How well did KG-Predict outperformed the other state of art embedding methods ?

Data	Method	Hits@1	Hits@3	Hits@10	MRR
GP-KG	TransE	0.116	0.226	0.399	0.209
	DistMult	0.103	0.207	0.379	0.191
	ConvE	0.126	0.232	0.399	0.216
	RotatE	0.119	0.231	0.403	0.212
	KG-Predict	<b>0.174</b>	<b>0.266</b>	<b>0.447</b>	<b>0.261</b>

## OBJECTIVE

- Modify the GP-KG embedding process to construct a unique embedding methodology
- Investigate state-of-the-art embedding and make necessary alteration to them.
- Use Altered embedding to develop new technique and use them to find results on Prediction model.

THANKYOU