

## Experiment: 6

Write a program to implement topological ordering for a directed acyclic graph.

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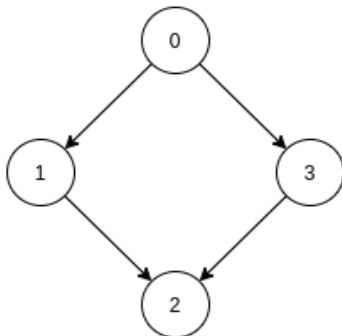
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### A. The task is to:

Implement topological sort and find out any topological sort for the given directed acyclic graph.



### B. Steps of Experiment:

- Understand and divide the problem into parts.
- Install JDK: If Java isn't installed on your system, download and install it.
- Open IDE( Integrated development environment) like VS code.
- Start creating a new Java file with a .java extension (e.g., program.java).
- Write your code in a structural manner taking care of indentation to maintain readability.
- Execute your code



### C. Algorithm:

1. Create a Stack (say st) which will be used to store the topological ordering.
2. Create a boolean array (say visited), it will be used to mark the vertices that have been visited.
3. For each unvisited vertex (say node) from 0 to V-1 call a recursive helper function which will do the following:
  - Mark node as visited.
  - For each adjacent vertex of node call the recursive function.
  - Push node in St.

### D. Pseudocode:

topologicalSort()

For(vertex=0; vertex<inputSize; vertex++)

Find indegree[vertex]

while(node with in-degree zero exists)

{

Find vertex U with in-degree = 0

Remove U and all its edges (U, V) from the graph.

For vertices where edges connected to them were removed.

in-degree[vertex]=in-degree[vertex]-1

)

if(elements sorted = all elements)

Return or Print nodes in topologically sorted order

Else

Return null or Print no topological ordering exists

end topologicalSort()

## E. Code:

```
#include <bits/stdc++.h>
using namespace std;

void solveDFS(unordered_map<int, list<int> > &adjList, stack<int> &st, vector<bool> &visited, int node) {
    visited[node] = true;

    for(auto x : adjList[node]) {
        if(!visited[x]) {
            solveDFS(adjList, st, visited, x);
        }
    }

    st.push(node);
}

vector<int> topologicalSort(vector< vector<int> > &edges, int v, int e) {
    unordered_map<int, list<int> > adjList;
    for(int i=0; i<e; i++) {
        int u = edges[i][0];
        int v = edges[i][1];
        adjList[u].push_back(v);
    }

    vector<int> solution;
    stack<int> st;
    vector<bool> visited(v,0);

    for(int i=0; i<v; i++) {
        if(!visited[i]) {
            solveDFS(adjList, st, visited, i);
        }
    }

    while(!st.empty()) {
        solution.push_back(st.top());
        st.pop();
    }

    return solution;
}

int main() {
    vector< vector<int> > edges;
    int n, m;

    cout << "Enter number of nodes : ";
    cin >> n;

    cout << "Enter number of edges : ";
    cin >> m;

    cout << "Enter edges : " << endl;
    for(int i=0; i<m; i++) {
        int u, v;
        cin >> u >> v;
        edges.push_back({u,v});
    }
}
```

```
vector<int> topSort = topologicalSort(edges, n, m);

cout << "Topological Sort : ";
for(int x : topSort) {
    cout << x << " ";
}

return 0;
}
```

### F. Output:

```
PS C:\Users\Nitish\Desktop\JAVA\javaComeBack> cd "c:\Users\Nitish\Desktop\JAVA\javaComeBack\" ; if ($?) { javac
TopologicalSort.java } ; if ($?) { java TopologicalSort}
```

Enter number of nodes: 4

Enter number of edges : 4

Enter edges :

0 1

1 2

0 3

3 2

Topological Sort : 0 3 1 2

```
PS C:\Users\Nitish\Desktop\JAVA\javaComeBack>
```

### G. Time Complexity:

$O(V + E)$

### Learning outcomes:

- Understand how to use sets.
- Understand the concept of the creation of a graph.
- Understanding how to deal with errors..
- Understand what topological sort is and how to implement it.
- Understand the adjacency list.