Fifth Semester B.E. Makeup Examination, January 2020 FORMAL LANGUAGES AND AUTOMATA THEORY

Time: 3 Hours

1

Max. Marks: 100

Instructions: 1. Answer ANY FIVE full questions from Each UNIT

2. Assume any missing data

UNIT - I

L CO I

M

a. What is Automata? With Neat schematic representation explain the working of Automata?

(01) (01) (08)

b. Construct DFA for the following Languages

i. Set of all strings over $\Sigma = \{0,1\}$ starting with substring 01

ii. Set of all strings over $\Sigma = \{0,1\}$ ending with substring 011

iii. L= { $|w| \mod 3 \Leftrightarrow 0$, where $w \in \Sigma^*$ for $\Sigma = \{a, b\}$ }

iv. L= { $|w| \mod 3 \ge |w| \mod 2$, where $w \in \Sigma^*$ for $\Sigma = \{a, b\}$ }

(03) (01) (03) (12)

OR

2 a. Define ε -NFA and Construct the ε -NFA with four states for the following Language and Compute $\delta^*(q0, aabba)$

 $L = \{a^n \mid n \ge 0 \} \bigcup \{b^n a \mid n \ge 1 \}$

(03) (01) (02) (08)

b. Apply Subset Construction Scheme by lazy evaluation and Convert the following E-NFA into an equivalent DFA

				No A
δ	3	a	b	C
$\rightarrow p$	Φ	{p}	{q} _^	{r}
q	{p}	{q}	{r}	Φ
*r	{q}	{r}	Φ	{p}

(03) (01) (12) (12)

UNIT – II

CO PO M

3 a. Define Regular expression and build the Regular expression for the following languages

i. To accept a language consisting of strings of a's and b's of odd length.

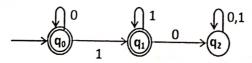
ii. To accept a language consisting of strings of 0's and 1's that do not end with 01.

iii. L= { $vuv \mid u, v \in \Sigma^* \text{ for } \Sigma = \{a, b\} \text{ and } |v| = 2$ }

iv. $L=\{ |w| \mod 3 = |w| \mod 2, \text{ where } w \in \Sigma^* \text{ for } \Sigma=\{a,b\} \}$

(03) (02) (03) (10)

b. Apply State elimination method to identify the Regular Expression for the following finite Automata



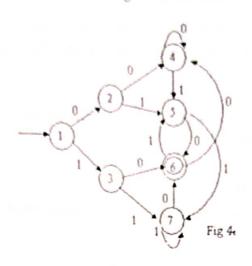
(03) (02) (02) (10)

OR

a. State and prove the Pumping Lemma for Regular Languages. Apply Pumping Lemma and discover that the following language is Non-Regular

 $L = \{ 0^n \mid n \text{ is perfect Square} \}$

(03) (03) (12) (10)



((03)(03)(05)PO

CO

- UNIT III
- Obtain a context free grammar to generate a language consisting of equal number of a's and b's. 5 (1)(3)(2)
 - Ъ. Consider the context free grammar with productions.

$$E \rightarrow I$$
 $E \rightarrow E + E$

$$E \rightarrow E^*E$$
 $E \rightarrow (E)$

Write leftmost derivation and parse tree for the string (a101+b1)*(a1+b).

Eliminate Useless symbols in the grammar.

$$S \rightarrow aA \mid bB$$

$$A \rightarrow aA \mid a$$

$$B \rightarrow bB$$

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$$E \rightarrow aC \mid d$$

OR

(2)(3)(1)

(3)

(1)

(1)

Show that the following grammar is ambiguous. 6

Eliminate Useless symbols in the grammar.

(2)(3) (1) (

$$S \rightarrow aA \mid a \mid Bb \mid cC$$

$$A \rightarrow aB$$

Eliminate all ϵ -productions from the grammar.

(3) (1) ((2)

$$A \rightarrow BC|b$$

$$B \rightarrow b \mid \epsilon$$

$$D \rightarrow d$$

(3) (1) UNIT - IV

L CO PO M

a. Define Push Down Automata-PDA and Construct PDA for the following language by final state. Draw Transition Diagram and write the sequence of Instantaneous Description – ID's to trace the input string for n = 2.

 $L = \{a^n b^{2n} \mid a, b \in \Sigma, n \ge 0\}$

(03) (04) (03) (10)

Define language acceptance of PDA and Construct PDA by empty stack for the following Grammar and write the sequence of Instantaneous Description - ID's to trace the input string - W = aanaan

 $S \to aAS \mid bAB \mid aB$

 $A \rightarrow bBB \mid aS \mid a$

 $B \rightarrow bA \mid a$

7

A GO

(03) (04) (03) (10)

OR

a. Define Turing machine and With neat schematic diagram explain the working of Basic Turing machine.

(02) (04) (02) (10)

 Construct Turing Machine to accept the following language and write the sequence of Instantaneous Description – ID's to trace the input string w = "aabb"

 $L = \{a^nb^n \mid a, b \in \Sigma, n \ge 0\}$

(03) (04) (03) (10)

UNIT-V

L CO PO M

9 a. Explain the structure of LEX specification format with suitable example

(02) (05) (01) (10)

b. Develop a LEX program to count the number of identifiers, integer and floating point constants present in the input stream.

(03) (05) (03) (10)

OR

0 a. Explain the structure of YACC specification format with suitable example

(02) (05) (01) (10)

b. Develop a YACC program to recognize and evaluate the arithmetic expression involving additive operators (+, -) and multiplicative operators (*, /).

(03) (05) (03) (10)

(6) (2) (1) (10)

(3) (2) (1) (05)

G

C

H

5 a. Define Context Free Grammar and Construct Context Free Grammar for the following Languages i. Set of strings of a's and b's starting with substring 'ab' ii. L= { a'' b'' c' n=m+k, for k, m>=0} (03) (02) (02) (06) b. The following grammar generates the language of RE - 0*1(0+1)* S → A B A → 0A E B → 0B IB E Determine leftmost, rightmost derivations and Parse Tree for the following strings a) 00101 b) 1001 c. Prove that the family of Context free Languages is under UNION. OR 6 a. Define Ambiguous Grammar and Prove that the following grammar is ambiguous for string aab S → aS aSbS E A → aAS E A → aAS B B → SbS A bb c. Organize the following grammar into an equivalent Grammar in Chomsky Normal Form − CNF S → Aba AB A → a b B → b UNIT - IV 10 (03) (02) (12) (06) UNIT - IV 11 (03) (02) (10) (05) (03) (12) (04) (05) (03) (12) (04) (05) (03) (02) (12) (06) (07) (08) (08) (09) (09) (12) (09) (10) (09) (10) (10) (09) (10) (10) C. Organize the following grammar into an equivalent Grammar in Chomsky Normal Form − CNF S → Aba AB A → ab A → ab B → b UNIT - IV (08) (09) (09) (10) (09) (10)		c. State and Prove Pumping Lemma for regular languages.	(3) L	CO	PO	M
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UNIT - IV Design a turing machine to accept the language $L(M) = \{w \mid w \in (a+b)^* \text{ having equal number of a 's_lip'} d$ b. Show that the PDA to accept the language $L(M) = \{w \mid w \in (a+b)^* \text{ having equal number of a 's_lip'} d$ c. Define deterministic PDA. OR (1) (4) (1) (08) OR (1) (4) (1) (02) 8 a. Design a turing machine to accept the language consisting of all palindromes of 0's and 1's. b. Design a PDA to accept the language $L(M) = \{w \mid w \in (a+b)^* \text{ where } w^R \text{ is reverse of } w \text{ by a final state.}$ UNIT -V (6) (4) (1) (10) state. UNIT -V (6) (4) (1) (10) L CO PO M Explain the structure of lex program with an example. b. Write a word counting lex program. (2) (5) (3) (07)		5 / Aba Ab				
UNIT - IV 1. CO PO M 2. CO PO M 3. Design a turing machine to accept the language I.={0^n1^n n>=1}. 4. Show that the PDA to accept the language L(M) = {w w \(\epsilon\) (a+b)* having equal number of a'\(\epsilon\) (b's \(\epsilon\) is nondeterministic. 5. Define deterministic PDA. 6. Design a turing machine to accept the language consisting of all palindromes of 0's and 1's. 6. Design a PDA to accept the language L(M) = {wCw^R w \(\epsilon\) (a+b)* where w^R is reverse of w by a final state. 6. UNIT - V 7. a. Explain the structure of lex program with an example. 6. UNIT - V 6. Co PO M 6. Co PO						
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(0)	c. Ex	xplain yacc parser with an example.	(3)	(5)	(3)	(07)
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		Note: L (Level), CO (Course Outcome), PO (Programme Outcome)	(2)	(5)	(1)	10.0

10 a. Explain shift reduce parsing.

(2) (5) (1) (07)

b. What is regular expression? Explain characters that form a regular expression.

(2) (5) (1) (08)

c. Write lex specification for decimal numbers.

(3) (5) (1) (05)

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		Semester B.E. Fast Track Semester End Examination FORMAL LANGUAGES AND AUTOMATA Hours		ORY	st 201 Marks:	
		 Instructions: 1. UNIT I & V are Compulsory. 2. Answer any one full question from remaining 	each U	VITS.	14.	1
1	a. b.	UNIT - I (Compulsory) Define the following with examples. i) Alphabet ii) String iii) Language Design DFA for the following:	L (1)	CO (1)	PO (12)	(05)
	c.	 i) To accept the strings of a's and b's ending with 'ab'. ii) L={ w such that w mod3=0, w ∈ {a,b}* } Design an NFA to accept the strings of 0's and 1's that end with 10. Co 	(3) onvert th (3)	(1) e same (1)	(3) NFA to (3)	(08) DFA. (07)
2	a.	UNIT – II Define regular expression. Write regular expression for following: i) $L = \{ 0^n 1^m \mid (m+n) \text{ is even } \}$ ii) Strings of 0's and 1's whose 2^{nd} symbol from the end is 0.	L	CO	PO	M
	b. с.	Show that the language $L=\{a^nb^n\mid n>=1\}$ is not regular. Minimize the following DFA using table-filling algorithm.	(3)	(3)	(2) (1)	(05) (05)
		δ 0 1 >A B F B G C *C A C D C G E H F F C G G G E H G C				
		OR	(3)	(2)	(3)	(10)

Write regular expression for the following: i) $L = \{ a^n b^m \mid n \ge 4, m \le 3 \}$ ii) $L = \{ a^{2n} b^{2m+1} \mid m \ge 0, n \ge 0 \}$ a.

i)
$$L = \{ a^n b^m \mid n \ge 4, m \le 3 \}$$

ii)
$$L = \{ a^{2n}b^{2m+1} | m >= 0, n >= 0 \}$$

State and prove pumping lemma for regular languages. b.

