

2) a) i) $B = 2a;$

1) $B = 0$ — It means B has at least 1 '0'.

ii) $B = 1$ — It means B has no '0'.

ii) $B = 1a;$

1) $B = 1$ — It has ~~odd~~ no. of ones

$B = 0$ — It has ~~odd~~ no. of ones.
even

b) i) Right shift — used for division by 2^n
factor

Left shift - ~~division~~ by Used for multiplication
by factor of 2^n and general multiplication

ii) $65 * 37$ implement using shift

$$= (64 + 1) * 37$$

$$= (2^6 + 1) * 37 = 2^6 * 37 + 37$$

$$= (\text{left shift } 37 \text{ by } 6) + 37$$

$$37 =$$

$$100101 = 37$$

$$37 \text{ shifted} = 37 \ll 6 = 100101000000$$

+

$$100101$$

$$\checkmark \quad \underline{100101} \quad \underline{100101}$$

$$= 2405$$

d) Same symbols different meaning..

$$\text{Distance} = 8, 1, \wedge, \vee$$

$$\text{Unary} = 8, 1, \wedge, \vee$$

e) $A = 6; B = 0; C = 2$

$$A \& B = 6 \& 0$$

$$= \text{True} \& \text{False} \\ = \text{False} = 0$$

$$ii) A \parallel !B = \text{True or } !\text{False} \\ = \text{True} = 1.$$

$$1) C = !B$$

$$x \parallel 0 = x \text{ or } 0 = x.$$

$$iv) A = 6 \quad B = -9 \quad C = x$$

$$i) A \&\& B = \text{True} \&\& \text{True} = \text{True}$$

$$ii) A \parallel !B \Rightarrow \text{True or } !\text{True} = \text{True}$$

$$iii) C \parallel B \Rightarrow x \text{ or } \text{True} = \text{True}.$$

$$f) !1011 = !\text{True} = \text{False} = 0$$

$$! \sim 1011 = 0100$$

g) code -

$$3) a = b \ll c;$$

operands b, c

operator \ll .

4) ^{left} shifting makes multiplication ~~with~~ ^{by a} factor of 2^n .

This is useful in multiplication of any number. i.e., 35×31 , $(32+1)35$

$$\underline{\text{Ex}} \quad = (2^5 - 1)35$$

$$= 2^5 \times 35 - 35$$

$$= (\text{left shift } 35 \text{ by } 5) - 35$$

$$\text{Ans} = (35 \ll 5) - 35$$

$$5) a = -1, b = 1, c = a \& b;$$

$$c = -1 \& 1$$

$$\text{True} \& \text{True} = \text{True} = 1$$

$$\therefore c = 1$$

$$6) a = \text{real} = 3$$

$$\text{integer } b = 10$$

$$\text{real } c = \frac{b}{a} = \frac{10}{3} = 3.333$$

$$7) \text{ reg } [5:0] a; \text{ reg } [-2:1] b;$$

$$a = 95 \quad b = 69$$

$$c = a \& b$$

$$= 1011111$$

$$1000101$$

$$\hline 1000101 = 69$$

$$95 = 64 + 31$$

$$69 = 64 + 5$$

$$\textcircled{a} c = a | b;$$

$$1011111$$

$$1000101$$

$$\hline 1011111 = 95$$

8) Unary reduction gives us info about vector.

1 = gives idea about parity.

0 = gives idea about presence of 0 in the vector.

1 = gives idea about presence of 1.

9) Operators are used directly with vectors but with arrays they need to work on one vector at a time.

10) ~~16 b~~ data we use bit masking.

\therefore Input ~~16 b~~ 16'b 0000_0000_1111_0000

\therefore Ex 1011_1010_0011_1111

& 0000_0000_1111_0000

0000_0000_0011_0000
← Ans.

11) Types of operator in verilog :-

a) Arithmetic $\{+, -, *, /, \%, \}$

b) Logical $\{\&\&, ||\}$

c) Relational $\{<=, >=, ==, <, >\}$

d) Concatenation - $\{\}$

e) Bitwise - $\&, |, ^, \sim$

f) Unary reduction ~~0000~~ $\&, |, ^, \sim$

g) Shift ~~0000~~ \ll, \gg

h) Conditional ~~0000~~ $?() : ()$

i) Case equality $! ==, ==, ===$

j) Repetition