

Practical 4 : - False Position Method

Q1: Find the 5th Approximation using False Position Method for $f(x) = \ln(1+x) - \cos(x) = 0$ in the given interval (0, 1).

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In[ ]:= f[x_] := Log[1+x] - Cos[x];
a = 0; b = 1; p = b - f[b] * (b-a) / (f[b] - f[a]);
For[i = 1, i <= 4, i++,
  If[f[p] * f[b] < 0, a = p, b = p];
  p = b - f[b] * (b-a) / (f[b] - f[a]);
]
Print["5th Approximation = ", N[p]];
Print["Corresponding Interval = (", N[a], ", ", N[b], ")"];
5th Approximation = 0.884511
Corresponding Interval = (0.884511,1.)
```

Q2: Find the Root by using False Position Method for $f(x) = \ln(1+x) - \cos(x) = 0$ in the given interval (0, 1) with tolerance 10^{-6} .

```
In[ ]:= f[x_] := Log[1+x] - Cos[x];
a = 0; b = 1; p = b - f[b] * (b-a) / (f[b] - f[a]); ε = 10^-6;
For[i = 1, i <= Infinity, i++,
  If[f[p] * f[b] < 0, a = p, b = p];
  p = b - f[b] * (b-a) / (f[b] - f[a]);
  If[Abs[a - p] < ε || Abs[b - p] < ε, Break[]];
]
Print["Final Approximation = ", N[p], " , iteration number = ", i];
Print["Corresponding Interval = (", N[a], ", ", N[b], ")"];
Final Approximation = 0.884511 , iteration number = 4
Corresponding Interval = (0.884511,1.)
```

Q3: Find the Root by using False Position Method for $f(x) = x^3 + 2x^2 - 3x - 1 = 0$ in the given interval (1, 2) with tolerance 10^{-6} .

```

In[8]:= f[x_] := x^3 + 2 x^2 - 3 x - 1;
a = 1; b = 2; p = b - f[b] *  $\frac{(b - a)}{f[b] - f[a]}$ ;  $\epsilon = 10^{-6}$ ;
For[i = 1, i ≤ Infinity, i++,
  If[f[p] * f[b] < 0, a = p, b = p];
  p = b - f[b] *  $\frac{(b - a)}{f[b] - f[a]}$ ;
  If[Abs[a - p] <  $\epsilon$  || Abs[b - p] <  $\epsilon$ , Break[]]
]
Print["Final Approximation = ", N[p], " , iteration number = ", i];
Print["Corresponding Interval = (", N[a], ",", N[b], ")"];
Final Approximation = 1.19869 , iteration number = 15
Corresponding Interval = (1.19869,2.)

```