Practical 5: - LU Decomposition

Determine the LU Decomposition of the given matrix.

Verification : True

Verification : True

Q3:
$$A = \begin{pmatrix} 2 & 7 & 5 \\ 6 & 20 & 10 \\ 4 & 3 & 0 \end{pmatrix}$$

$$\{lu, p, n\} = LUDecomposition[A];$$

$$l = LowerTriangularize[lu, -1] + IdentityMatrix[3];$$

$$u = UpperTriangularize[lu];$$

$$a = 1.u;$$

$$Print["Lower Triangular matrix is = ", 1 // MatrixForm]$$

$$Print["Upper Triangular matrix is = ", u // MatrixForm]$$

$$Print["Verification : ", If[a == A, True, False]]$$

$$Lower Triangular matrix is = \begin{pmatrix} 1 & 0 & 0 \\ 3 & 1 & 0 \\ 2 & 11 & 1 \end{pmatrix}$$

$$Upper Triangular matrix is = \begin{pmatrix} 2 & 7 & 5 \\ 0 & -1 & -5 \\ 0 & 0 & 45 \end{pmatrix}$$