## Practical 2 : - Newton Raphson Method

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Q1: - Find the 5th Approximation
    using Newton Raphson Method for the
 f(x) = x^3 + 2x^2 - 3x - 1 on the interval (1, 2)
       with the starting approximation p_o = 1.
ln[*]:= f[x_] := x^3 + 2x^2 - 3x - 1;
    p = 1;
    For [i = 1, i \le 5, i++,
    p = p - \frac{f[p]}{f'[p]};
    Print["The 5th Approximation = ", N[p]]
    The 5th Approximation = 1.19869
    Q2: - Find the 5th Approximation
       using Newton Raphson Method for the
    f(x) = ln(1+x) - cos(x) =
       0 with the starting approximation p_0 = 0.
In[*]:= Clear["Global*`"];
    f[x_{-}] := Log[1 + x] - Cos[x];
    p = 0;
    For [i = 1, i \le 5, i++,
     p = p - \frac{f[p]}{f'[p]};
    Print["The 5th Approximation = ", N[p]]
    The 5th Approximation = 0.884511
```

## Q3: - Find the root using Newton Raphson Method for the

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f(x) = e^{-x} - x =
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0 with the starting approximation  $p_0 = 0$  with tolerance  $10^{-6}$ .

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In[*]:= Clear["Global*`"];
     f[x_] := Exp[-x] - x;
     p = 0; p1 = 0; \epsilon = 10^{-6};
     For [i = 1, i \le Infinity, i++,
      p1 = p - \frac{f[p]}{f'[p]};
      If [Abs [p1 - p] < \epsilon, Break []];
      p = p1;
     Print["The Final Approximation = ", N[p1]]
     The Final Approximation = 0.567143
```