

$$F = G \frac{m_1 m_2}{d^2}$$

$$i\hbar \frac{\partial}{\partial t} \psi = \hat{H} \psi$$

$$\phi(x) = \frac{1}{\sqrt{2\pi\sigma}} e^{-\frac{(x-\mu)^2}{2\sigma^2}}$$

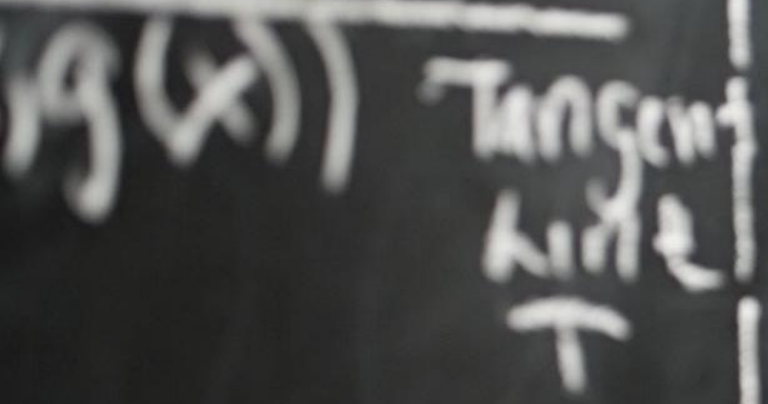
$$F = E + V = 2$$

Introduction to quantum state

$$\frac{\partial^2 u}{\partial t^2} = c^2 \frac{\partial^2 u}{\partial x^2}$$

$$\frac{df}{dt} = \lim_{h \rightarrow 0} \frac{f(t+h) - f(t)}{h}$$





$$f'(x) = \lim_{h \rightarrow 0} \frac{f(x+h) - f(x)}{h}$$

$$f(x) = \lim_{h \rightarrow 0} \frac{(x+h)^2 - x^2}{h}$$

$$= \lim_{h \rightarrow 0} \frac{x^2 + 2xh + h^2 - x^2}{h}$$

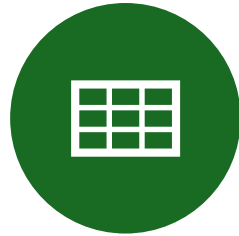
What is quantum state



Key Concepts of a Quantum State



SUPERPOSITION



ENTANGLEMENT



WAVEFUNCTION
(ψ) ✓



**COLLAPSE UPON
MEASUREMENT**



**PROBABILITY
AND AMPLITUDES**



Mathematical Representation of a Quantum State

A quantum state $|\psi\rangle$ is generally expressed as a combination of basis states:

$$|\psi\rangle = \alpha|0\rangle + \beta|1\rangle$$

where:

- α and β are complex probability amplitudes.
- The total probability must always be 1:

$$|\alpha|^2 + |\beta|^2 = 1$$

For larger systems, quantum states can describe **multi-qubit** systems or even entire quantum systems in higher dimensions.



Example of a Quantum State

- **Single-Qubit State:** A qubit in a superposition might be:

$$\frac{1}{\sqrt{2}}|0\rangle + \frac{1}{\sqrt{2}}|1\rangle$$

This means the qubit has **equal probability (50%)** of being measured as $|0\rangle$ or $|1\rangle$.

- **Entangled State:** Two entangled qubits could be in the **Bell state**:

$$\frac{1}{\sqrt{2}}(|00\rangle + |11\rangle)$$

This means that if one qubit is measured as $|0\rangle$, the other must also be $|0\rangle$, and the same for $|1\rangle$.



Why Is the Quantum State Important?

