

Time Complexity (Easy)

```
1. int f(int n) {  
    int i = 0;  
    while (i < (n/2))  
        i += 2;  
    return 0;  
}
```

$O(n)$

```
int f(int n) {  
    for (int i=1; i < (n/2); i*=2)  
        O1function()  
    return 0;  
}
```

$O(\log n)$

```
int f(int n) {  
    for (int i=0; n*n > i; i+=n)  
        O1function();  
    return 0;  
}
```

$O(n)$

```
void f(int n) {  
    while (n > 1000)  
        n = n / 2;  
}
```

$O(\log n)$

```
int f(int n) {  
    for(int i=0; n>i; i++)  
        for(int j=0; n/10>j; j++)  
            O1function();  
    return 0;  
}  
  
int g(int n) {  
    for (int i=0; i < (n); i++)  
        O1function();  
}
```

$O(n^2)$

```
void f(double n) {  
    if (n < 0) return;  
    f(n - 0.005);  
}
```

$O(n)$

Time Complexity (Medium)

```
int f(int n) {  
    for (int i=2040;i<(n*1000);i+=i)  
        O1function();  
    return 0;  
}
```

$O(\log n)$

```
int f(int n) {  
    for (int i=1;i<(n);i+=20)  
        if (i%2==0) i*=2;  
    return 0;  
}
```

$O(n)$

```
void g(int n);  
void f(int n) {  
    for(int i=0;i<(n);i++) g(n/2);  
}  
void g(int n) {  
    for(int i=0;i<(n);i++) O1function();  
}
```

$O(n^2)$

```
int g(int n);  
int f(int n) {  
    for(int i=0;i<(n/2);i++) g(i);  
}  
int g(int n) {  
    for(int i = 0;i<10000;i++) O1function();  
}
```

$O(n)$

```
void f(int n) {  
    for (int i=0;i<(n);i++)  
        g(n);  
}  
void g(int n) {  
    if (n < 10) return;  
    g(n/2);  
}
```

$O(n \log n)$

Time Complexity (Hard)

```
void f(int n) {  
    if (n < 10) return;  
    for(int i=0;i<(n);i++)  
        O1function();  
    f(n/2);  
}
```

$O(n)$

```
void f(int n) {  
    if (n<10) return;  
    for (int i=0;i<10;i++)  
        f(n/10);  
    for (int i=0;i<(n);i++)  
        O1function();  
}
```

$O(n \log n)$

```
void f(int n) {  
    if (n<10) return;  
    for (int i=0;i<(n/10);i++)  
        g(i*10);  
}  
void g(int n) {  
    if (n<10) return;  
    g(n-10);  
}
```

$O(n^2)$

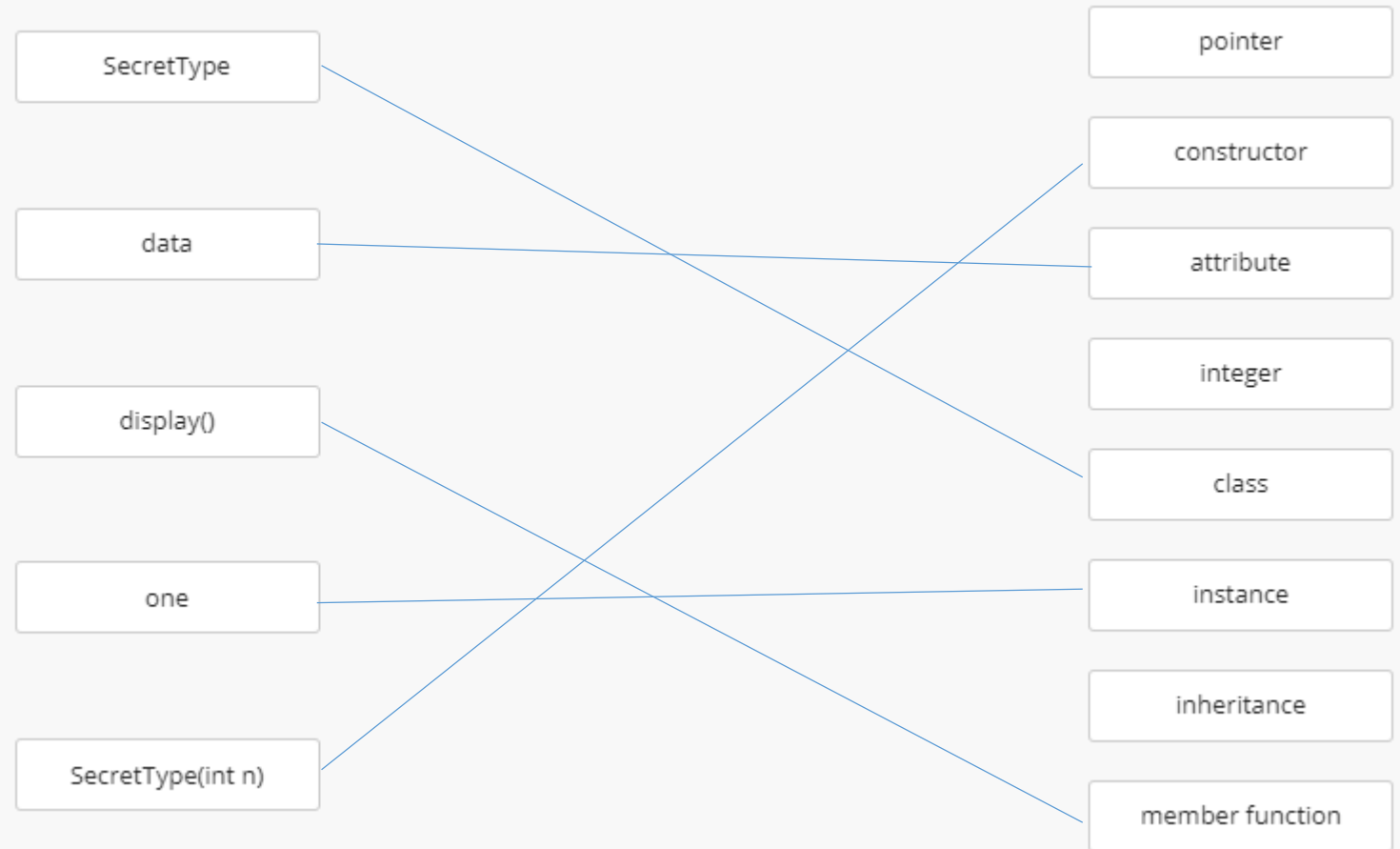
```
void f(int n) {  
    int counter = 1;  
    while (counter < (n)) {  
        g(n);  
        counter *= 2;  
    }  
}  
void g(int n) {  
    if (i<10) return ;  
    for (int i=0;i<(n);i++)  
        return g(9);  
}
```

$O(\log n)$

C++ OOP Basic

```
#include
class SecretType{
    private:
        int data;
    public:
        SecretType(int n) {data = n;};
        ~SecretType(){};
        void display() {printf("%d\n",data);};
};

int main() {
    SecretType one(99);
    one.display();
}
```



True or False

- T • The time complexity is the same when we perform Insertion Sort on an array or a linked list.
- T • A C++ class can have no constructor with one destructor
- F • A compiler will report an error and cannot compile if a C++ class has no member function, including no constructor nor destructor.
- F • If we are lucky, Quicksort can finish sorting in $O(n)$ for some particular special cases.

- $O(\log n)$ • Given a sorted array with indices from 1 to n . We use binary search but we change the $\text{mid} = (\text{begin} + \text{end}) / 10$ instead of $\text{mid} = (\text{begin} + \text{end}) / 2$. What will be the new time complexity?

```
Search(A, key, n)
    begin = 0
    end = n
    while begin < end - 1 do:
        if key < A[(begin+end)/10] then
            end = (begin+end)/10
        else begin = (begin+end)/10
    return A[begin]
```

True or False

- T • There are sorting algorithms with their worst case complexity equals to $O(n)$ with n is the number of items to be sorted.
- T • *This statement is just a recap of the lecture and it is true.*
- *We introduced the paranoidQuickSort that repeat partitioning until the pivot is good, i.e. the pivot divides the array into two such that each of them is at least $n/9$ items. And the expected number of times to repeat is $O(1)$.*
- Please decide if the following statement is true or false:
- If we want to repeat the partitioning such that the pivot divides the array into two parts such that each of them is at least $n/3$ items, The expected number of repeating until we found such a pivot randomly is still $O(1)$.

Linked List Coding

```
bool List::checkUnique() {  
    ListNode* current = __ 1 __;  
    while (current) {  
        ListNode* temp = current;  
        while (temp->__ 2 __) {  
            temp = temp->__ 3 __;  
            if (temp->__ 4 __ == current->__ 5 __)  
                return false;  
        }  
        current = current->_next;  
    }  
    return true;  
}
```

```
bool List::checkUnique() {  
    ListNode* current = _head;  
    while (current) {  
        ListNode* temp = current;  
        while (temp->_next) {  
            temp = temp->_next;  
            if (temp->_item == current->_item)  
                return false;  
        }  
        current = current->_next;  
    }  
    return true;  
}
```


Linked List Coding

- For the previous question (about checking uniqueness in a linked list), what is the time complexity? And do you have a better suggestion. Please describe briefly and give the time complexity for your new idea.
- Old: $O(n^2)$
- Sample answer:
 - Sort and compare $O(n \log n)$
 - There could be solution of $O(n)$ if you can justify it

```
bool List::checkUnique() {  
    ListNode* current = __ 1 __;  
    while (current) {  
        ListNode* temp = current;  
        while (temp->__ 2 __) {  
            temp = temp->__ 3 __;  
            if (temp->__ 4 __ == current->__ 5 __)  
                return false;  
        }  
        current = current->_next;  
    }  
    return true;  
}
```