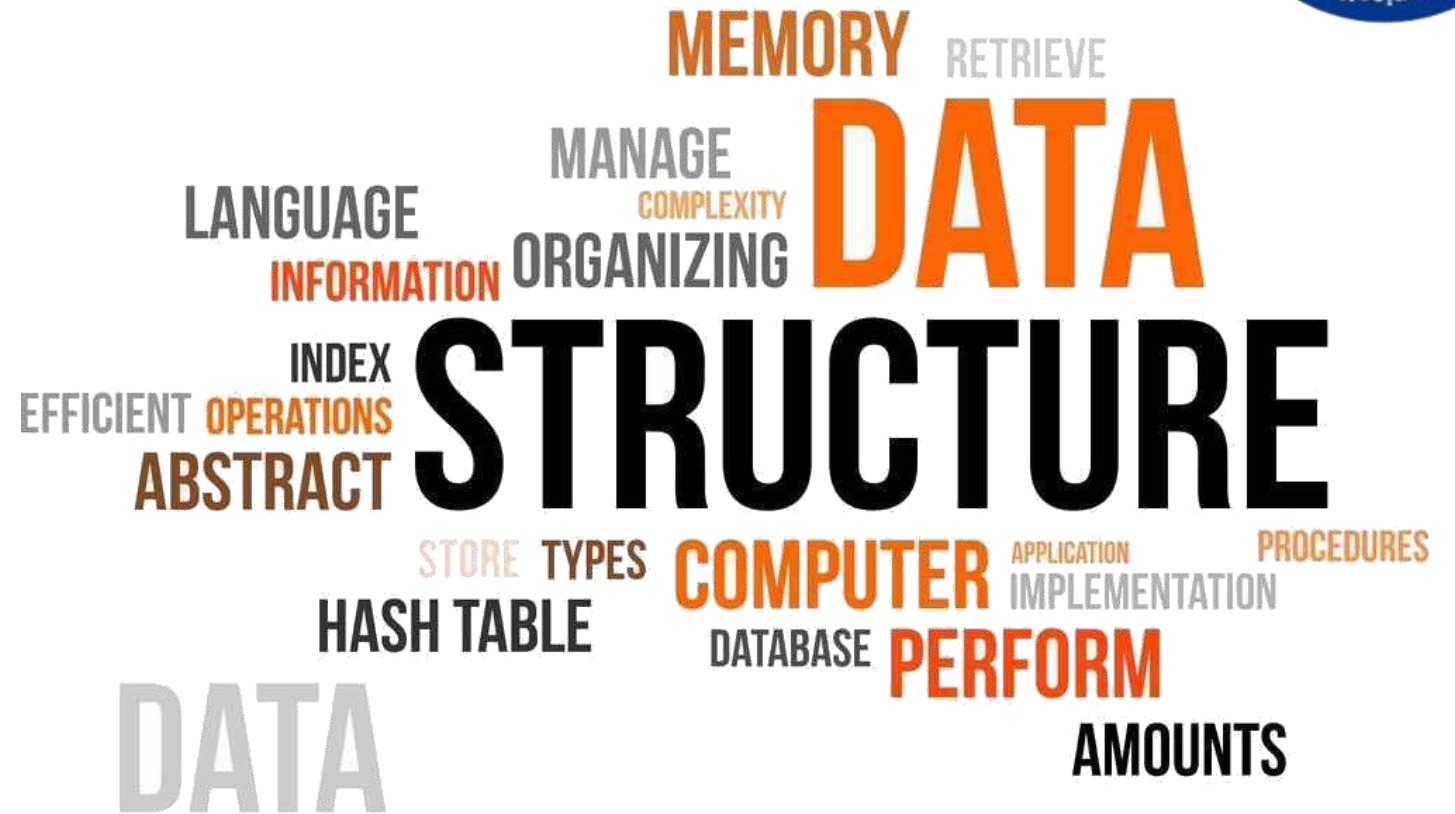




Data Structures

Course code: IT623



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Lectures 10



String Processing...

String Constants:

Constants by placing the string in either single or double quotation marks.

'The End' and "To be or not to be"

↳ Mostly used by the programming languages.

String Variables:

- i) Static character: whose length is defined before the program is executed and cannot change throughout the program.
- ii) Semistatic character: whose length may vary during the execution of the program as long as the length does not exceed a maximum value determined by the program.
- iii) Dynamic:

↳ whose length can change during the execution of the program.

* These ~~characteristics~~ categories correspond, respectively, to the ways the strings are stored in the memory of the computer.

Word Processing :

- > The computer also process printed matter, such as letters, articles, and reports.
- > It is also termed as "word processing".
- > The operations associated with word processing are the following:
 - ① **Replacement**: Replacing one string in the text by another.
 - ② **Insertion**: Inserting a string in the middle of the text.
 - ③ **Deletion**: Deleting a string from the text.

INSERTION:

(4)

Let us consider a text T and we have to insert a string S , given S begins in position K .

The insertion operation is denoted as:

INSERT (text, position, string)

For example:

INSERT ('ABCDEFGH', 8, 'DSA') \Rightarrow ABCDEFGH DSA

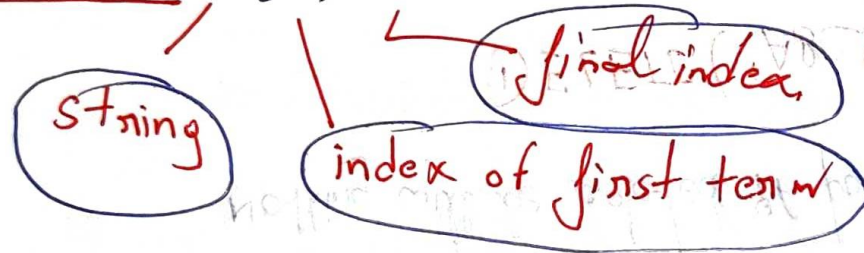
INSERT ('DSAMNC', 3, '2023') \Rightarrow DS2023AMNC

INSERT ('TO BE OR NOT TO BE', 10, 'MNC')

\Rightarrow 'TO BE OR MNCNOT TO BE'

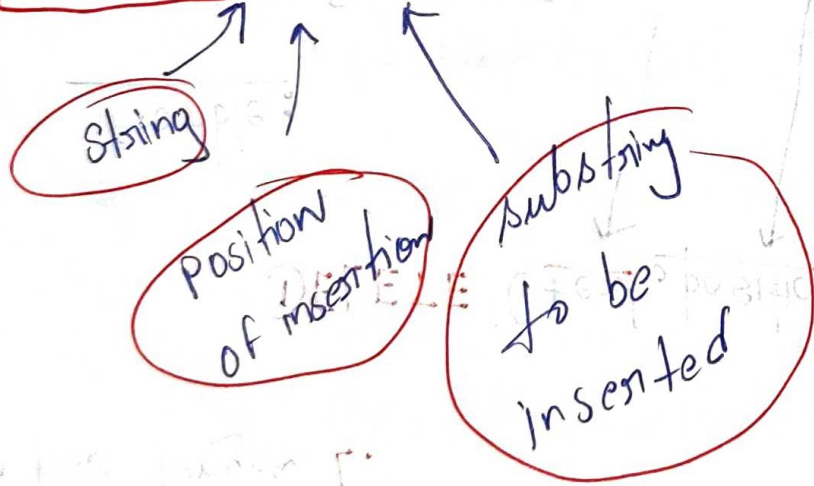
1 2 3 4 5 6 7 8 9 10 11 12

* We can also implement $\text{INSERT}()$ using the previously defined $\text{SUBSTRING}(T, 1, K)$.



Thus,

$$* \text{INSERT}(T, K, S) = \text{SUBSTRING}(T, 1, K-1) // S // \text{SUBSTRING}(T, K, \text{LENGTH}(T) - K + 1)$$



The initial substring of T before the position K , which has length $K-1$, is concatenated with the string S , and the result is concatenated with the remaining part of T , which begins in position K and has length $\text{LENGTH}(T) - (K-1) = \text{LENGTH}(T) - K + 1$.

DELETION:

Suppose in a given text T we want to delete the substring which begins in position K and has length L .

DELETE (text, position, length)

Example:

DELETE ('ABCDEFGG', 4, 2) = 'ABC FG'

DELETE ('ABCDEFGG', 2, 4) = 'A FG'

Nothing will be deleted if position $(K=0)$. Thus;

DELETE ('ABCDEFGG', 0, 2) = 'ABCDEFGG'

The DELETE function can be implemented using the string operations given in the preceding as: (7)

$$\text{DELETE}(T, K, L) = \text{SUBSTRING}(T, 1, K-1) // \text{SUBSTRING}(T, K+L, \text{LENGTH}(T) - K - L + 1)$$

* Here, the initial substring of T before position K is concatenated with the terminal substring of T beginning in position $K+L$. The length of the initial substring is $K-1$, and the length of the terminal substring is:

$$\text{LENGTH}(T) - (K+L-1) = \text{LENGTH}(T) - K - L + 1$$

* We also assume that $\text{DELETE}(T, K, L) = T$ when $K=0$.

* Suppose text T and pattern P are given and we want to delete from T the first occurrence of the pattern P .

It is performed using DELETE function:

$\text{DELETE}(T, \text{INDEX}(T, P), \text{LENGTH}(P))$

→ Here, we first compute $\text{INDEX}(T, P)$, the position where P first occurs in T , and then we compute $\text{LENGTH}(P)$ the number of characters in P .

Example :-

$T = \text{'ABCDEFGH'}$ and $P = \text{'CD'}$

$\text{INDEX}(T, P) = 3$ and $\text{LENGTH}(P) = 2$

$\text{DELETE}(\text{'ABCDEFGH'}, 3, 2) = \text{'ABEFGH'}$

Other example:

Other example:

$T = \text{'ABCDEFGG'}$

$P = \text{'DC'}$

Perform deletion as previous?

$\text{DELETE}(T, \text{INDEX}(T, P), \text{LENGTH}(P))$

5 minutes

Note:

* This pattern deletion can be performed multiple times to remove all the similar occurring pattern supported by some iterative logic or control structure.