Build the SLR model with Statistics With Housing data

In [2]:

```
#import library
import pandas as pd
import numpy as np
```

In [3]:

```
df1 = pd.read_csv("/Users/myyntiimac/Desktop/House_data.csv")
df1
```

Out[3]:

	id	date	price	bedrooms	bathrooms	sqft_living	sqft_lot	floor
0	7129300520	20141013T000000	221900.0	3	1.00	1180	5650	1.(
1	6414100192	20141209T000000	538000.0	3	2.25	2570	7242	2.0
2	5631500400	20150225T000000	180000.0	2	1.00	770	10000	1.(
3	2487200875	20141209T000000	604000.0	4	3.00	1960	5000	1.(
4	1954400510	20150218T000000	510000.0	3	2.00	1680	8080	1.(
21608	263000018	20140521T000000	360000.0	3	2.50	1530	1131	3.0
21609	6600060120	20150223T000000	400000.0	4	2.50	2310	5813	2.0
21610	1523300141	20140623T000000	402101.0	2	0.75	1020	1350	2.0
21611	291310100	20150116T000000	400000.0	3	2.50	1600	2388	2.0
21612	1523300157	20141015T000000	325000.0	2	0.75	1020	1076	2.0

21613 rows × 21 columns

```
In [4]:
```

```
df = df1[["sqft_living", "price"]]
df
```

Out[4]:

	sqft_living	price
0	1180	221900.0
1	2570	538000.0
2	770	180000.0
3	1960	604000.0
4	1680	510000.0
21608	1530	360000.0
21609	2310	400000.0
21610	1020	402101.0
21611	1600	400000.0
21612	1020	325000.0

21613 rows × 2 columns

In [5]:

```
df.mean()
```

Out[5]:

sqft_living 2079.899736
price 540088.141767

dtype: float64

In [6]:

```
df.median()
```

Out[6]:

sqft_living 1910.0
price 450000.0

dtype: float64

In [7]:

df.mode()

Out[7]:

	sqft_living	price
0	1300.0	350000.0
1	NaN	450000.0

```
In [8]:
df.isnull().any()
Out[8]:
sqft_living
               False
price
               False
dtype: bool
In [9]:
df.var()
Out[9]:
sqft_living
               8.435337e+05
               1.347824e+11
price
dtype: float64
In [10]:
df["sqft_living"].var()
Out[10]:
843533.6813681519
In [11]:
df["price"].var()
Out[11]:
134782378397.24681
In [12]:
df.std()
Out[12]:
sqft_living
                  918.440897
price
               367127.196483
dtype: float64
In [13]:
df["sqft_living"].std()
Out[13]:
918.4408970468115
In [14]:
# for calculatingcoefficient of variation (cv )we have to import a library first
from scipy.stats import variation
```

```
In [16]:
variation(df.values)
Out[16]:
array([0.44156919, 0.6797385 ])
In [17]:
variation(df)
Out[17]:
array([0.44156919, 0.6797385])
In [18]:
variation(df["price"])
Out[18]:
0.6797384996837632
In [19]:
df.corr()
Out[19]:
         sqft_living
                     price
sqft_living
          1.000000 0.702035
    price
          0.702035 1.000000
In [20]:
df["sqft_living"].corr(df["price"])
Out[20]:
0.7020350546118002
In [21]:
df.skew()
Out[21]:
              1.471555
sqft_living
price
                4.024069
dtype: float64
In [22]:
df["sqft_living"].skew()
Out[22]:
1.471555426802092
```

In [23]:

```
df.sem()
```

Out[23]:

sqft_living 6.247319
price 2497.232803

dtype: float64

In [24]:

for calculating Z-score we have to import a library first import scipy.stats as stats

In [25]:

df.apply(stats.zscore)

Out[25]:

	sqft_living	price
0	-0.979835	-0.866717
1	0.533634	-0.005688
2	-1.426254	-0.980849
3	-0.130550	0.174090
4	-0.435422	-0.081958
21608	-0.598746	-0.490545
21609	0.250539	-0.381588
21610	-1.154047	-0.375865
21611	-0.522528	-0.381588
21612	-1.154047	-0.585882

21613 rows × 2 columns

In [26]:

```
stats.zscore(df["price"])
Out[26]:
        -0.866717
        -0.005688
1
2
        -0.980849
         0.174090
3
        -0.081958
           . . .
21608
        -0.490545
21609
        -0.381588
21610
        -0.375865
        -0.381588
21611
21612
        -0.585882
Name: price, Length: 21613, dtype: float64
```

#Now we calculate SSR, SSE AND SST AND CALCULATE R square

In [27]:

```
#define the independnt and dependent variable
x=df.iloc[:,:-1]
x
```

Out[27]:

	sqft_living
0	1180
1	2570
2	770
3	1960
4	1680
21608	1530
21609	2310
21610	1020
21611	1600
21612	1020

21613 rows × 1 columns

```
In [28]:
```

```
y=df.iloc[:,1]
У
Out[28]:
0
          221900.0
          538000.0
1
         180000.0
2
3
          604000.0
          510000.0
            . . .
          360000.0
21608
21609
          400000.0
21610
          402101.0
          400000.0
21611
21612
          325000.0
Name: price, Length: 21613, dtype: float64
```

In [29]:

```
#to find SSR we need to find y mean
ym=y.mean()
ym
```

Out[29]:

540088.1417665294

In [30]:

```
#now split the data by calling train_test_split ()from sklearn.model_selection
from sklearn.model_selection import train_test_split
X_train, X_test, y_train, y_test = train_test_split(x, y, test_size=0.30, random_state=0)
```

```
In [31]:
```

```
X_train
```

Out[31]:

	sqft_living
1468	1390
15590	1450
18552	2860
10535	1050
1069	1240
13123	3960
19648	1400
9845	2360
10799	2370
2732	2380

15129 rows × 1 columns

In [32]:

```
#then call the regressor function from sklearn.Lenrar_model and defnes as LR than to
from sklearn.linear_model import LinearRegression
LR = LinearRegression()
LR.fit(X_train,y_train)
```

Out[32]:

```
v LinearRegression
LinearRegression()
```

In [33]:

```
#then check the model with x_test data , see how they predict
y_pred=LR.predict(X_test)
y_pred
```

Out[33]:

```
array([ 360116.30871034, 1261900.99358095, 362899.59477476, ..., 560512.90534826, 374032.73903242, 329500.16200177])
```

In [34]:

```
#we knowSSR = np.sum((y_predict-y_mean)**2)
SSR = np.sum((y_pred-ym)**2)
print(SSR)
```

411974711737930.75

```
In [35]:
```

```
# THen calculate SSE
#Lets select the first 8 elements from y then calculate SSE
y1 = y[0:6484]
у1
Out[35]:
0
        221900.0
1
        538000.0
2
        180000.0
3
        604000.0
        510000.0
4
          . . .
6479
        525000.0
6480
        217000.0
        525000.0
6481
        442500.0
6482
6483
        525000.0
Name: price, Length: 6484, dtype: float64
In [36]:
total_count = len(y_pred)
print(total_count)
6484
In [38]:
SSE = np.sum((y1-y_pred)**2)
print(SSE)
1324286718491765.5
In [ ]:
#SSE
In [41]:
#SST
#to calculate SST we will convert whole mean dataframe to numpy array
mean_total = np.mean(df.values)
mean_total
Out[41]:
271084.0207513996
In [42]:
SST = np.sum((df.values-mean_total)**2)
SST
Out[42]:
6040907415735318.0
```

In [43]:

```
#r_square
r_square = SSR/SST
r_square
```

Out[43]:

0.06819748812319514

#A low R-squared value suggests that the linear regression model does not provide a good fit to the data. It indicates that the independent variable(s) included in the model do not have a strong linear relationship with the dependent variable. Other factors or variables that are not included in the model may be influencing the dependent variable to a greater extent.