

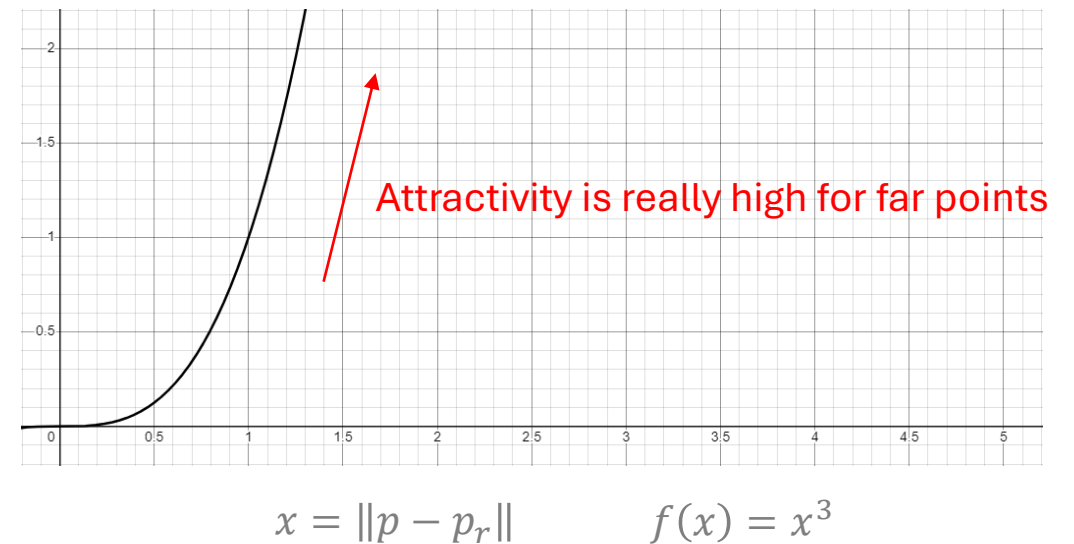
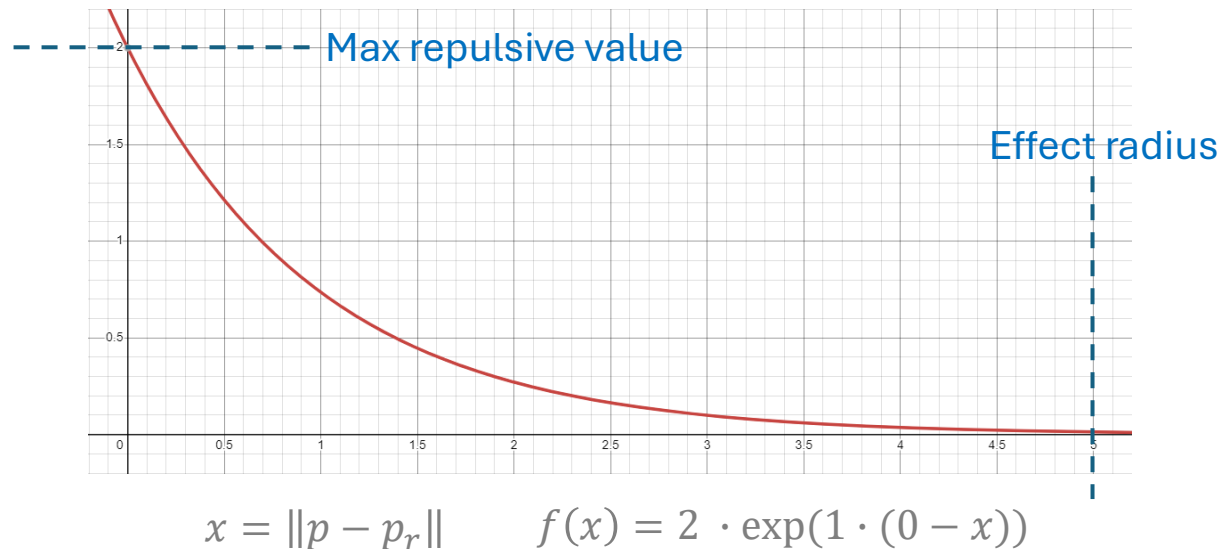
## Vector field controller: Formulas implemented are the following

$V(p)$  is a 2D potential created so that repulsive points ( $p_{ri}$ ) are hills and the attractive point ( $p_a$ ) is a hole.  
The robot follows  $-\text{grad}(V)$  to converge to the attractive point.

$$V(p) = \|p - p_a\|^{ka} + \sum_i \frac{kr_{height}}{kr_{slope}} \exp(kr_{slope}(kr_{dist} - \|p - p_{ri}\|))$$

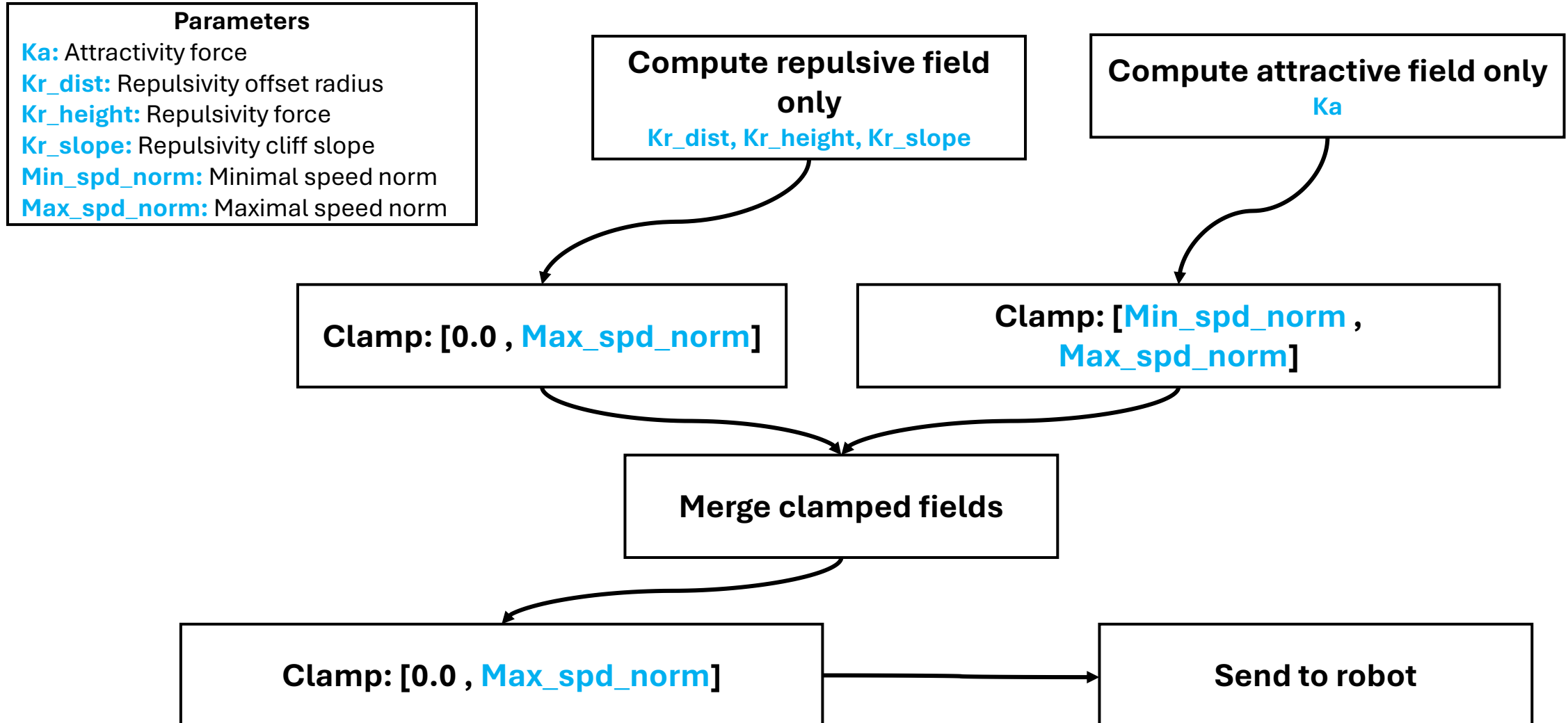
$$-\text{grad}(V) = -ka(p - p_a)\|p - p_a\|^{ka-1} + \sum_i \frac{p - p_{ri}}{\|p - p_{ri}\|} kr_{height} \exp(kr_{slope}(kr_{dist} - \|p - p_{ri}\|))$$

Repulsive potential shape, customizable with:  $kr_{dist}$ ,  $kr_{height}$ ,  $kr_{slope}$       Attractive potential shape, customizable with:  $ka$

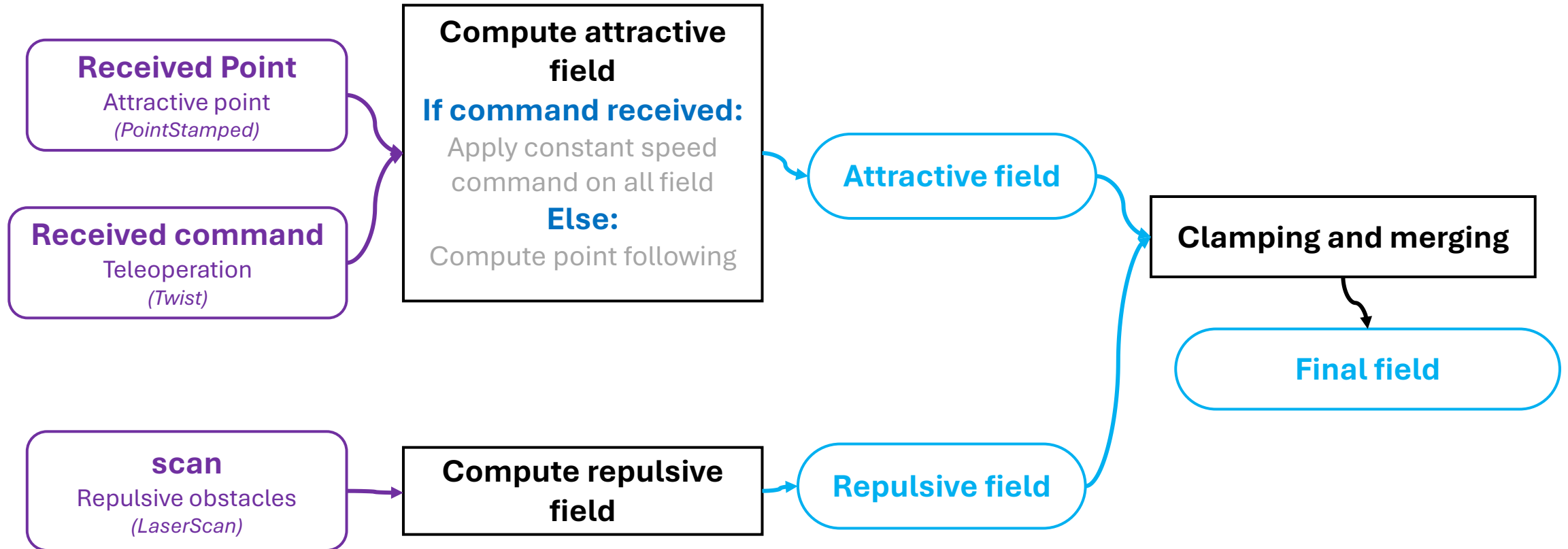


We need to clamp those functions to avoid unwanted very high gradient values

## Speeds Clamping strategy

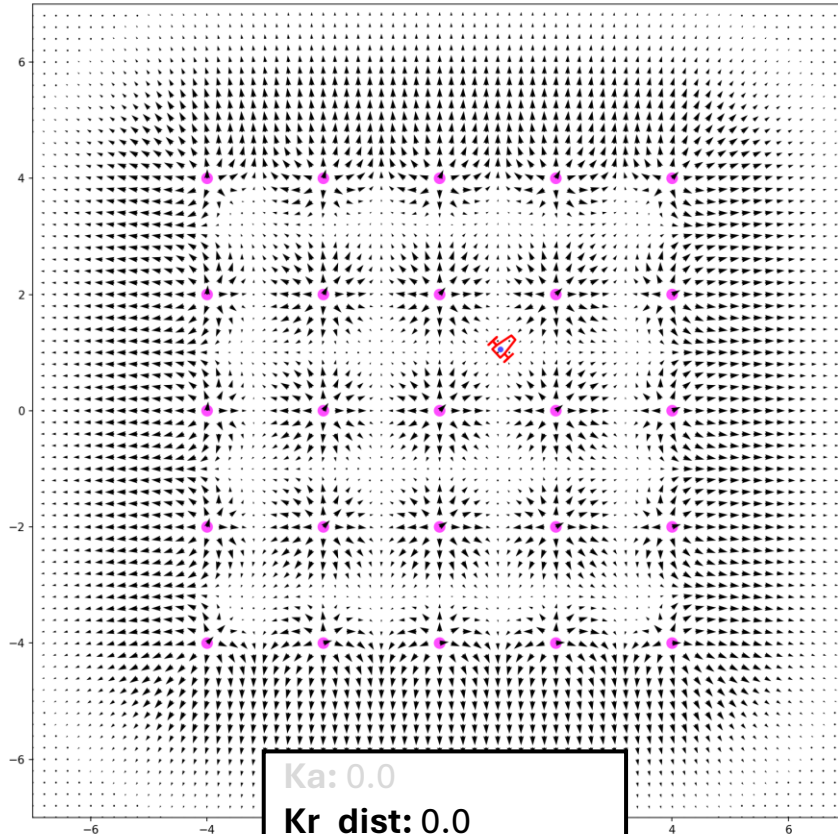


## Vector field controller Implementation



The package directly manage point following and speed commands (teleoperation) features

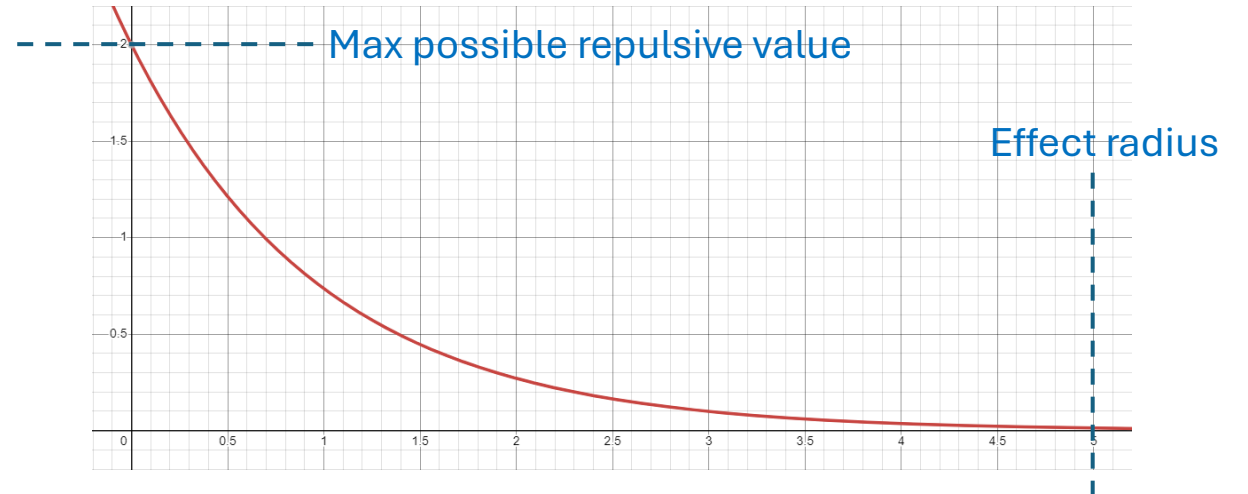
## Visualization (Python program): Repulsive only



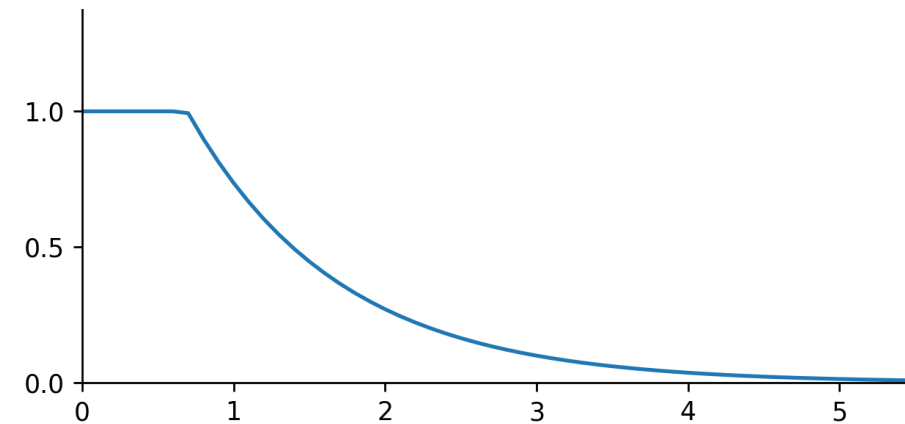
**Ka: 0.0**  
**Kr\_dist: 0.0**  
**Kr\_height: 2.0**  
**Kr\_slope: 1.0**  
**Min\_spd\_norm: 0.1**  
**Max\_spd\_norm: 1.0**

Unclamped Repulsive potential

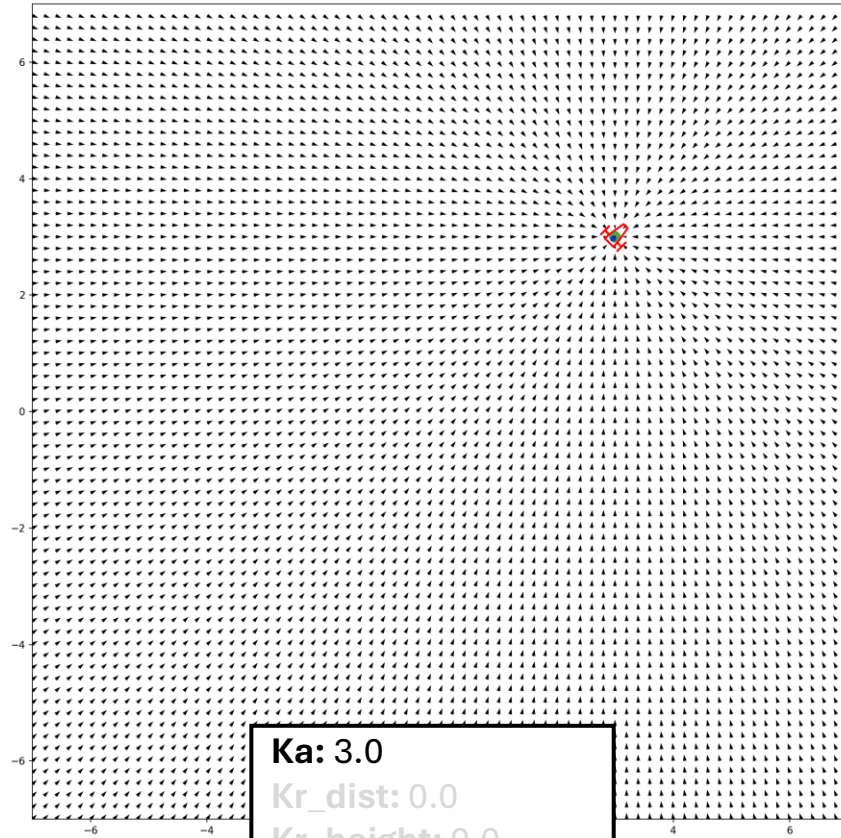
$$f(x) = 2 \cdot \exp(1 \cdot (0 - x))$$



Clamped Repulsive potential



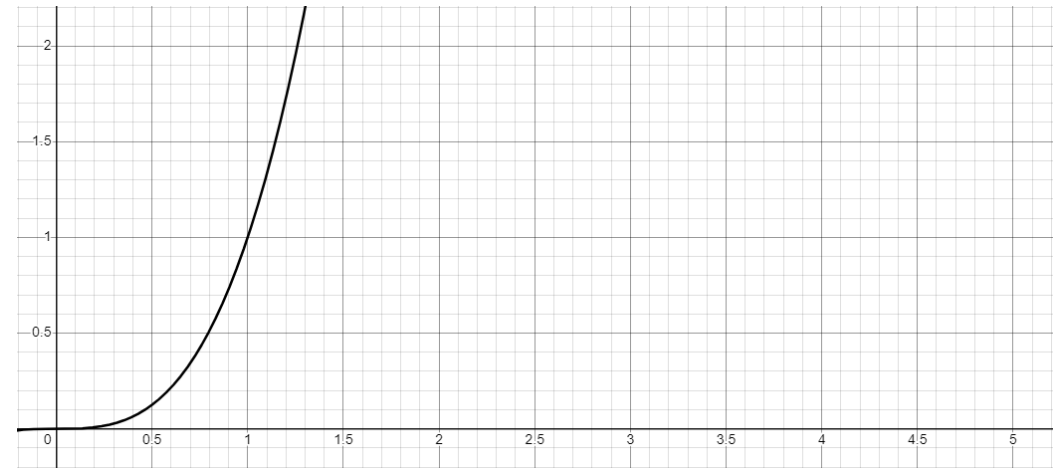
## Visualization (Python program): Attractive only



**Ka: 3.0**  
Kr\_dist: 0.0  
Kr\_height: 0.0  
Kr\_slope: 1.0  
**Min\_spd\_norm: 0.1**  
**Max\_spd\_norm:**  
1.0

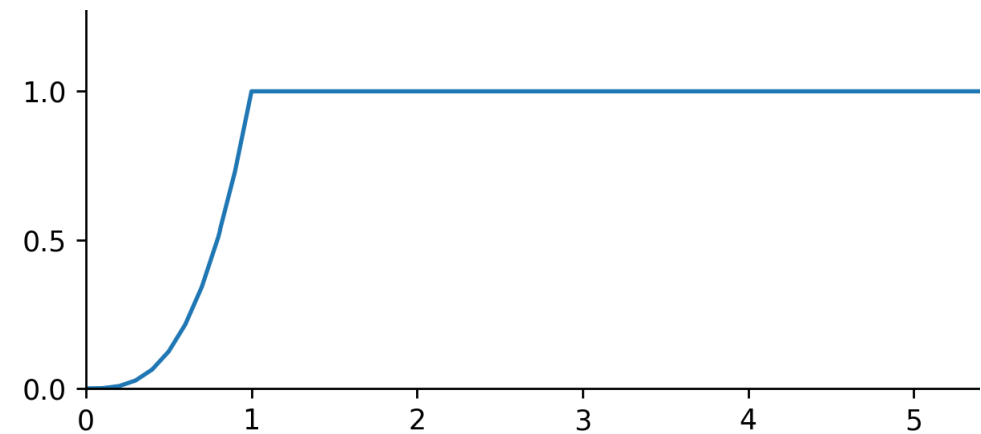
Unclamped merged potentials

$$f(x) = x^3$$

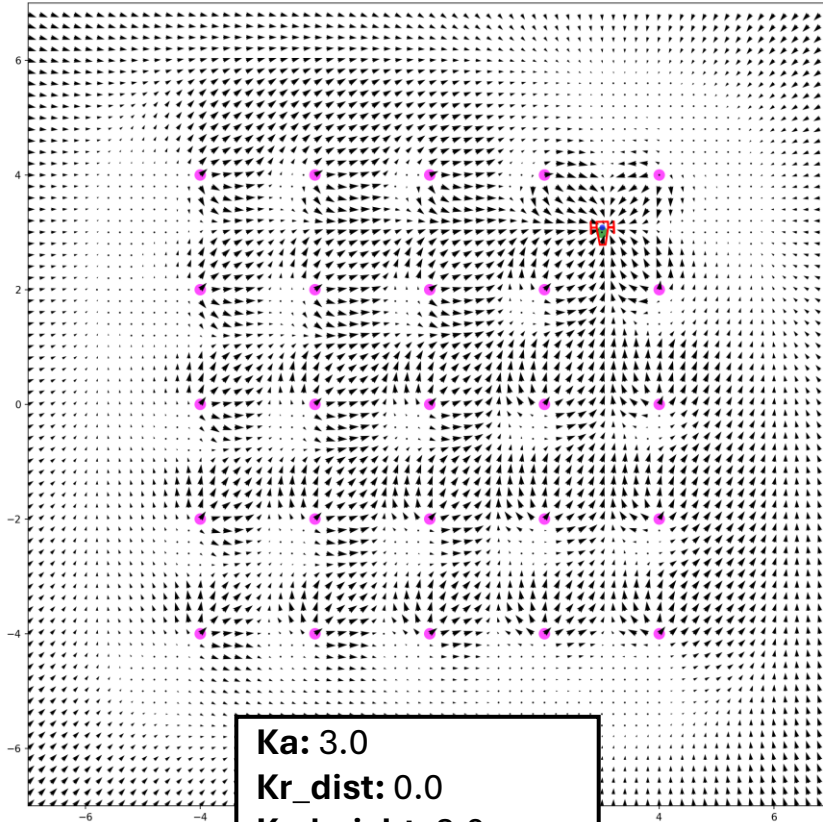


Clamped merged potential

$$x = \|p - p_r\|$$



## Visualization (Python program): Attractive + repulsive

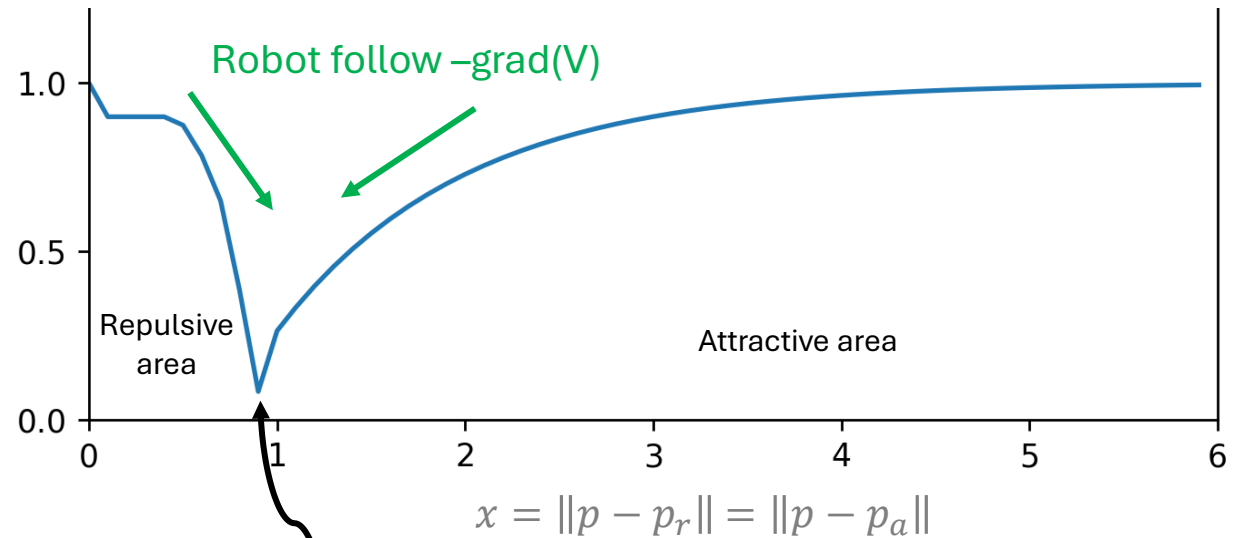


**Ka:** 3.0  
**Kr\_dist:** 0.0  
**Kr\_height:** 2.0  
**Kr\_slope:** 1.0  
**Min\_spd\_norm:** 0.1  
**Max\_spd\_norm:** 1.0

### Example of potential for coincident attractive and repulsive point

Visuals of how would be the potential  $V$  around a point  $p_r = p_a$

$$f(x) = \text{abs}(\text{clamped}(2 \cdot \exp(1 \cdot (0 - x))) - \text{clamped}(x^3))$$



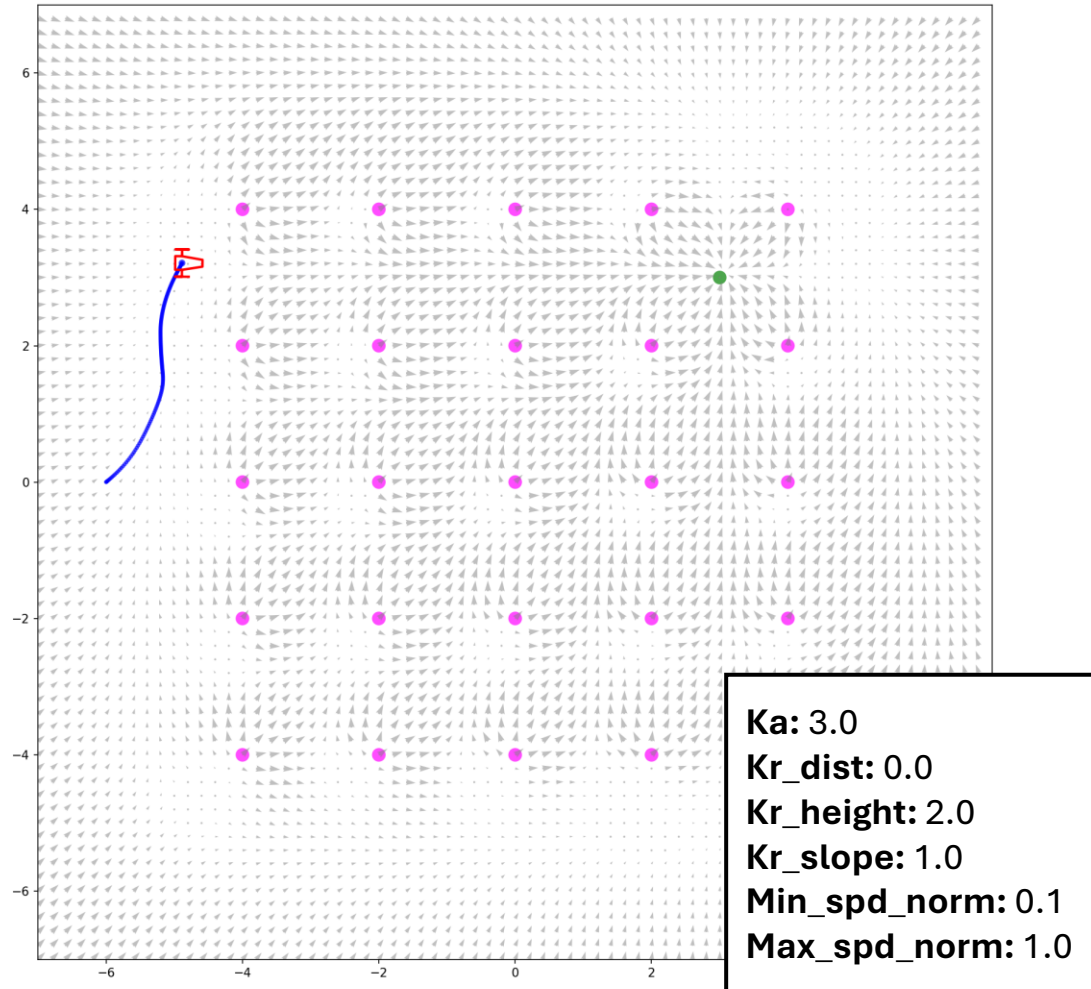
In this example the robot would converge to a position almost 1m away from the obstacle  $p_r$



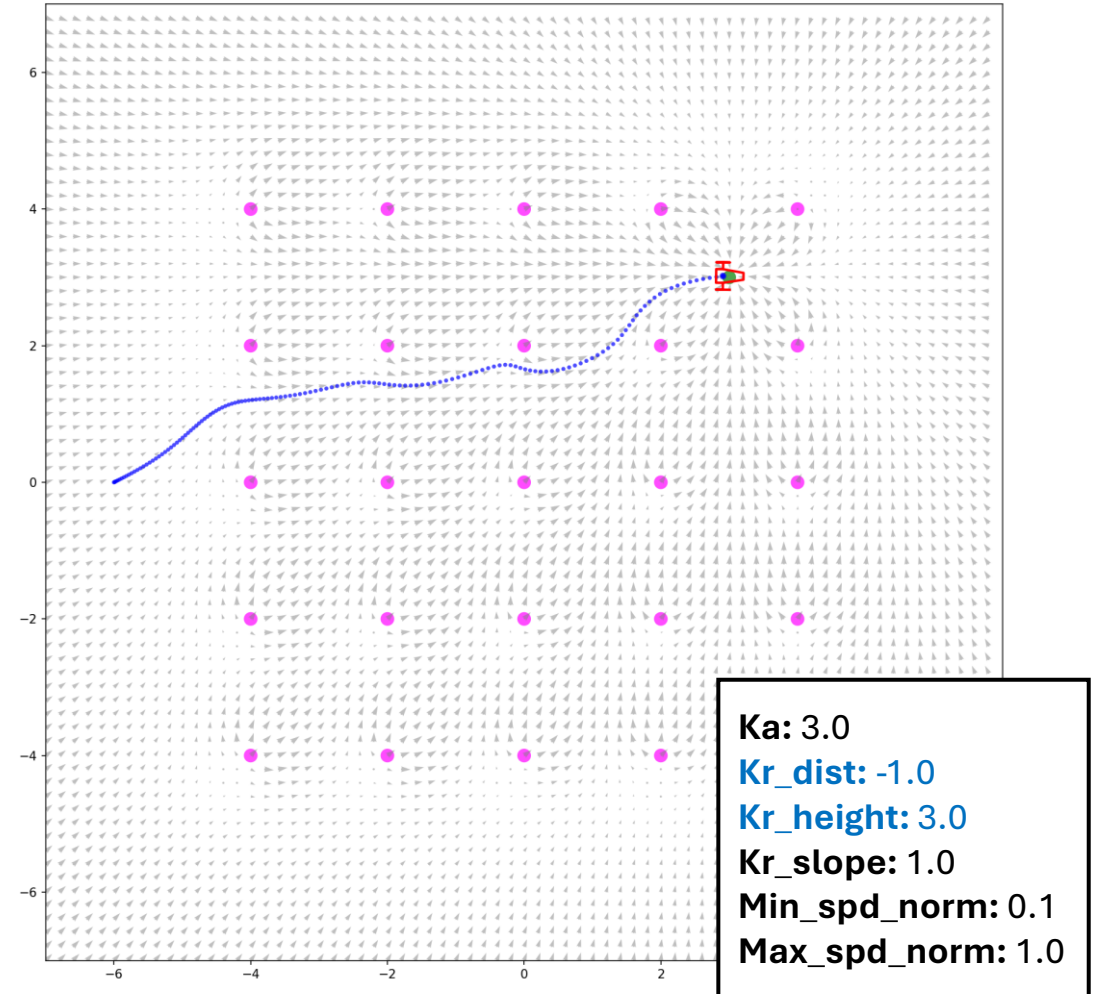
## Simulation (Python program): Attractive + repulsive

We can customize the navigation behavior by changing the parameters

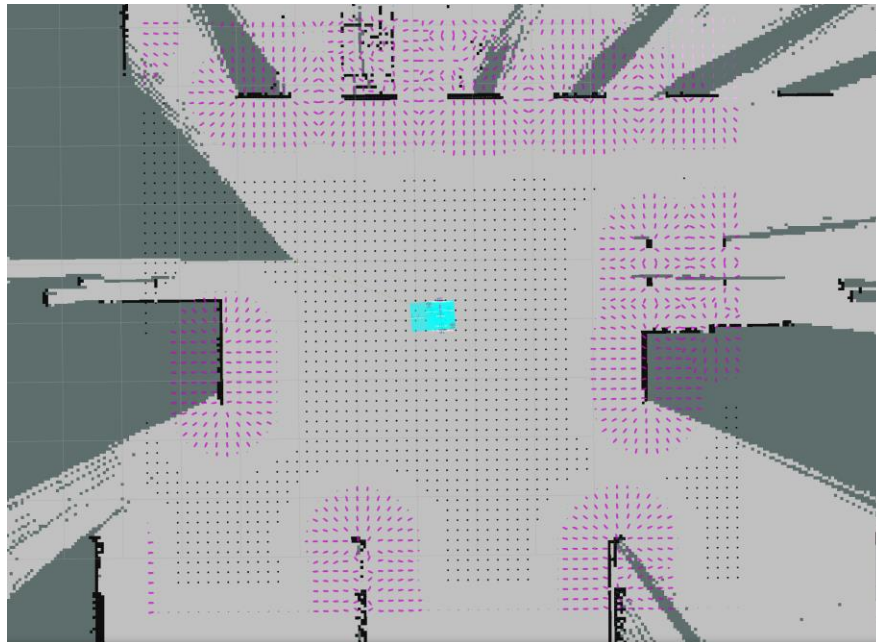
Can not go through



Can go through



## Visualization with ROS2 and Gazebo (simulated robot): Repulsive only

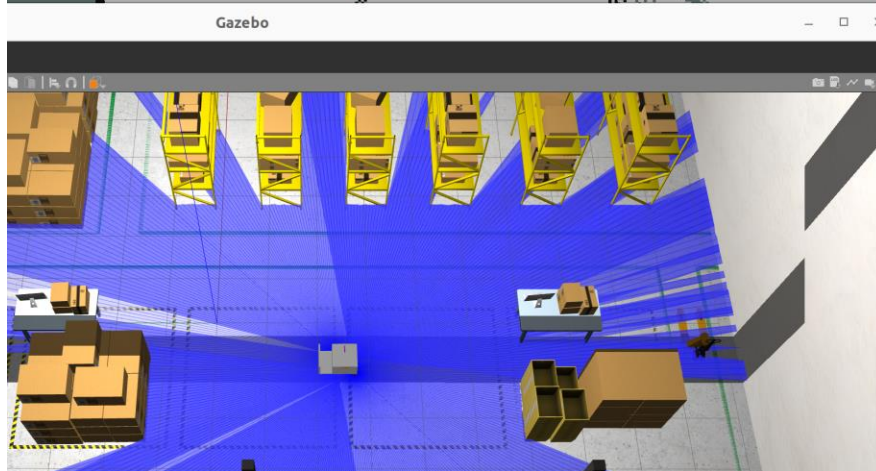
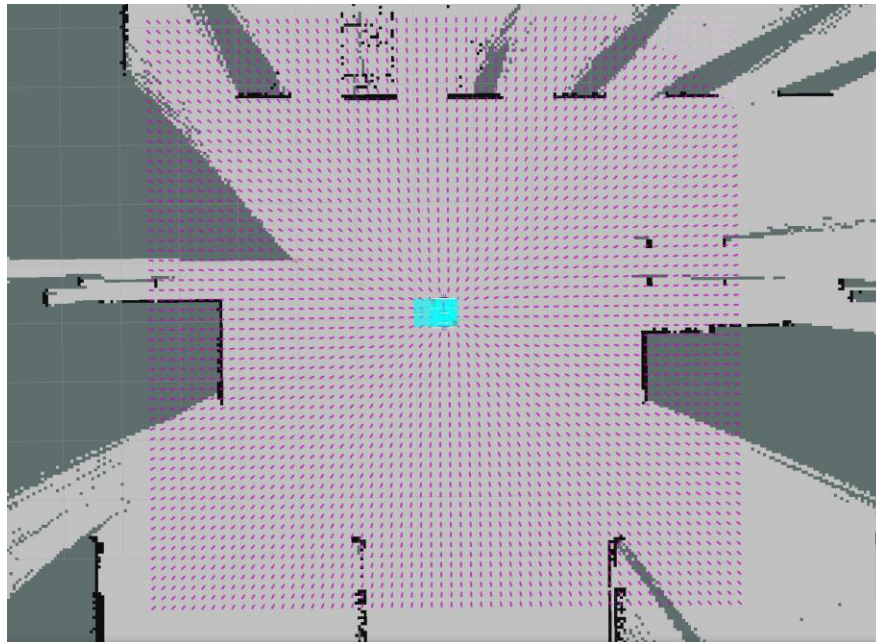


**Ka:** 0.0  
**Kr\_dist:** 0.8  
**Kr\_height:** 1.0  
**Kr\_slope:** 30.0  
**Min\_spd\_norm:** 0.1  
**Max\_spd\_norm:** 1.0



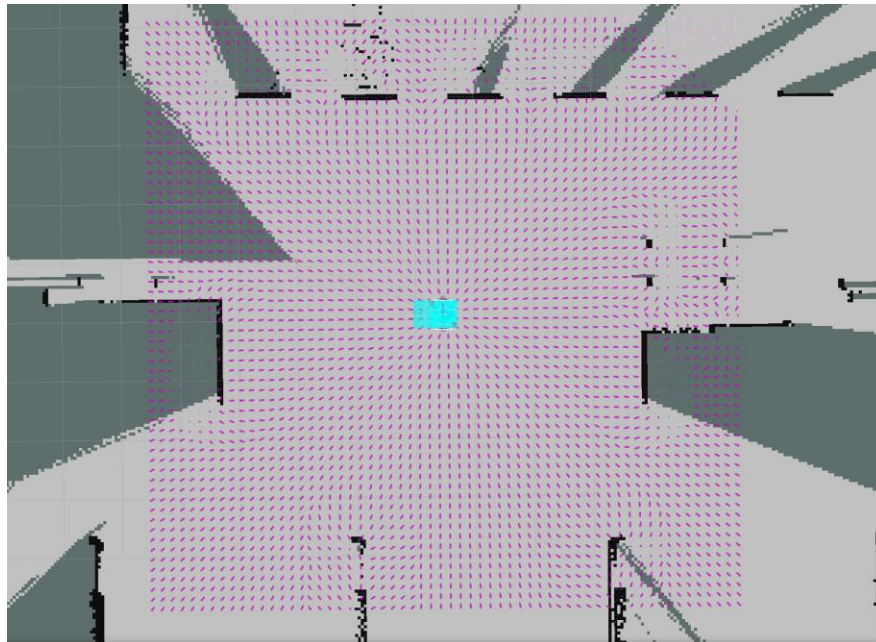


## Visualization with ROS2 and Gazebo (simulated robot): Attractive only

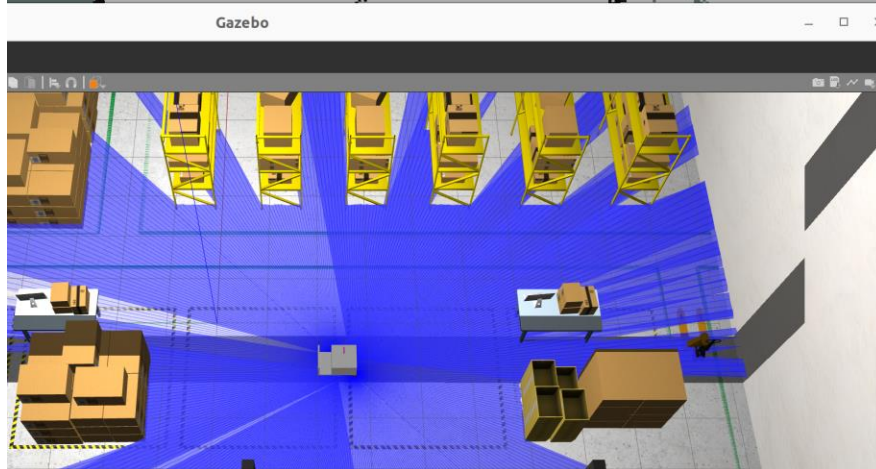


**Ka:** 3.0  
**Kr\_dist:** 0.8  
**Kr\_height:** 0.0  
**Kr\_slope:** 30.0  
**Min\_spd\_norm:** 0.1  
**Max\_spd\_norm:** 1.0

## Visualization with ROS2 and Gazebo (simulated robot): Attractive + Repulsive

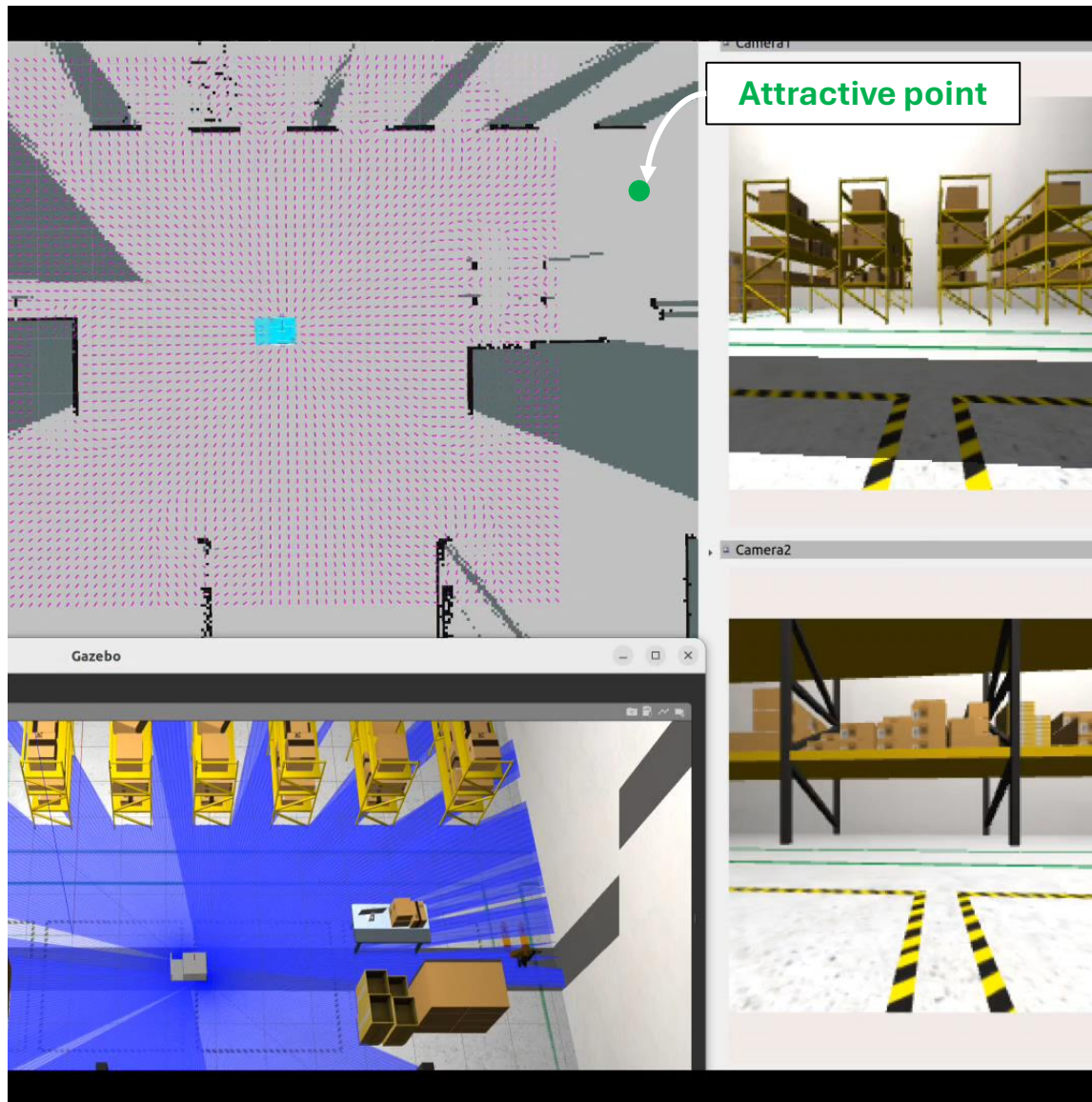


**Ka:** 3.0  
**Kr\_dist:** 0.8  
**Kr\_height:** 1.0  
**Kr\_slope:** 30.0  
**Min\_spd\_norm:** 0.1  
**Max\_spd\_norm:** 1.0





## Simulation with ROS2 and Gazebo (simulated robot): Attractive + Repulsive



**Ka: 3.0**  
**Kr\_dist: 0.8**  
**Kr\_height: 1.0**  
**Kr\_slope: 30.0**  
**Min\_spd\_norm: 0.1**  
**Max\_spd\_norm: 1.0**

(Open doc.pptx to play the video)