

أطلب المكمل

Version 3

Chapter 2

Motion in One Dimension



Pages

21 out of 21



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References

- Physics for Scientists and Engineers with Modern Physics, Eighth Edition
- Doctors Note
- Past Years Questions

قال تعالى :

" قل هل يستوي الذين يعلمون والذين لا يعلمون إنما يتذكر أولو الألباب "

ثانى شابتر بمادة الفيرست

عن الحركة باتجاه واحد

شرحتموا بطريقة حلوة وسهلة بتفهمك المادة بكل بساطة انشالله أكون انى قدرت أفيدكم بهاد الشرح أنا عملت كلشى بقدر عليه منشان أفيدكم ... بالتوفيق للجميع

عملتكم أسئلة مكملة للشرح اطلبوهم من المكتبة

دعواتكم 😊

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كلمات كثيرررر مهمة لازم تكون عارفهم منشان تقدر تحل أي سؤال عن الشايتتر



Motion	حركة	Building	بناء
Displacement	إزاحة	Total time	الوقت الكلي
Velocity	سرعة	upward	لأعلى
Time interval	فترة زمنية	Straight line	خط مستقيم
rest	سكون	Change	تغير
final	نهائي	Instantaneous	لحظي
dropped	أفلت	Instantaneous velocity	السرعة اللحظية
Height	ارتفاع	Initial	إبتدائي

stone	حجر	How long	كم الزمن
Thrown	رمي	Calculate	حساب
downward	لأسفل	Strikes	إرتطم
Position	موقع	to reach	حتى يصل
Average	معدل	ground	الأرض
Constant acceleration	تسارع ثابت	Vertically	عمودي
from	من	How far	كم المسافة
to	إلى		

2.1 Displacement

Displacement : change in position

$$\Delta x = x_f - x_i$$

x_i : موقع الجسم الابتدائي (يعني الموقع يلي انطلق منو الجسم)

x_f : موقع الجسم النهائي (يعني الموقع يلي وصل لالو)

Unit of the displacement in MKS is Meter (m)

Displacement is a vector quantity

الإزاحة كمية متجهة

Distance is a vector quantity

المسافة كمية قياسية

2.2 Average velocity

Average velocity is a vector quantity

Unit of the Average velocity in MKS is Meter/Second (m/s)

$$\bar{v} = \frac{\Delta x}{\Delta t} = \frac{x_f - x_i}{t_f - t_i}$$

x_i : الموقع الابتدائي

x_f : الموقع النهائي

t_i : الوقت الابتدائي

t_f : الوقت النهائي

$$\text{Average speed} = \frac{\text{total distance traveled}}{\text{total time}}$$

Average Speed is a Scaler quantity

معدل السرعة هو السرعة يلي بحسبها عند زمنين (زمن ابتدائي وزمن نهائي)

بدك تنتبه هون لازم تعرف انو الـ Average velocity كمية متجهة والـ Average speed كمية قياسية .

يعني الـ Average velocity بنوخذها مقاطعة يعني نقطة البداية ونقطة النهاية بس

أما الـ Average speed بنوخذها كاملة يعني كل فترة لحال مو نقطة بداية ونهاية بس

2.3 Instantaneous velocity

- ❖ هون لازم تعرف انو المشتقة الأولى للإزاحة (displacement) بتعطينا السرعة (velocity)
 ❖ السرعة اللحظية هي السرعي يلي بحسبها عند زمن واثالث واحد (لحظة زمنية معينة)

Ex : The position a particle moving on the x-axis is given by

$$x = 16 + 18t - 6t^2 :$$

1. What is the average velocity during the interval $t = 1.0 \text{ s}$ to $t = 3.0 \text{ s}$?
2. Determine the instantaneous of the particle at $t = 4.0 \text{ s}$

Answer:

$$1. \quad \bar{v} = \frac{\Delta x}{\Delta t} = \frac{x_f - x_i}{t_f - t_i}$$

$$x_f = x_{(3)} = 16 + 18(3) - 6(3)^2 = 16 \text{ m}$$

$$x_i = x_{(1)} = 16 + 18(1) - 6(1)^2 = 28 \text{ m}$$

$$\bar{v} = \frac{16 - 28}{3 - 1} = \frac{-12}{2} = -6 \text{ m/s}$$

$$2. \quad v = \frac{dx}{dt} = 18 - 12t$$

$$v_{(4)} = 18 - 12(4) = 18 - 48 = -30 \text{ m/s}$$

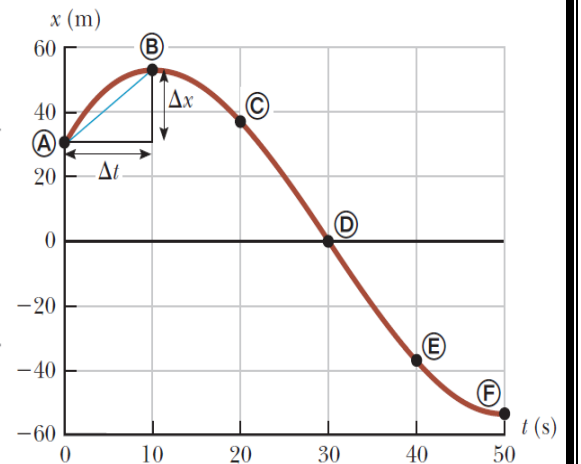
Ex : See the figure and the table and find the following :

- 1 . Displacement in the interval between positions A and F

Position	t (s)	x (m)
(A)	0	30
(B)	10	52
(C)	20	38
(D)	30	0
(E)	40	-37
(F)	50	-53

- 2 . The average velocity of the car in the interval between positions A and F

- 3 . The average speed of the car in the interval between positions A and F



Answer :

$$1. \Delta x = x_f - x_i$$

$$\Delta x = -53 - 30 = -83 \text{ m}$$

$$2. \bar{v} = \frac{\Delta x}{\Delta t} = \frac{-83}{50-0} = -1.7 \text{ m/s}$$

3 .

$$\text{Average speed} = \frac{\text{total distance traveled}}{\text{total time}}$$

$$\text{Average speed} = \frac{22 + 14 + 38 + 37 + 16}{10 + 10 + 10 + 10 + 10} = \frac{127}{50} = 2.5 \text{ m/s}$$

2.4 Acceleration

Average acceleration is a vector quantity

The average acceleration is :

$$\bar{a} = \frac{\Delta v}{\Delta t} = \frac{v_f - v_i}{t_f - t_i}$$

v_i : السرعة الابتدائية

v_f : السرعة النهائية

t_i : الوقت الابتدائي

t_f : الوقت النهائي

Unit of the acceleration in MKS is (m/s²)

Instantaneous acceleration

ركز معي هون منيح : 😊

❖ المشتقة الثانية للإزاحة (Displacement) بتعطينا التسارع (acceleration)

❖ المشتقة الأولى للسرعة (velocity) بتعطينا التسارع (acceleration)

Ex : If the position of a particle is given as function of time as $x(t) = 3t^2 - 2t + 4$

Find :

- 1 . The average velocity in the time interval $[2,4]$ s
- 2 . The average acceleration in the time interval $[2,4]$ s
- 3 . The acceleration at $(t=3 \text{ s})$

Answer:

$$1 . x_f = 3(4)^2 - 2(4) + 4 = 44 \text{ m}$$

$$x_i = 3(2)^2 - 2(2) + 4 = 12 \text{ m}$$

$$\bar{v} = \frac{\Delta x}{\Delta t} = \frac{x_f - x_i}{t_f - t_i} = \frac{44 - 12}{4 - 2} = 16 \text{ m/s}$$

$$2 . \bar{v} = \frac{dx}{dt} = 6t - 2$$

$$v_f = 6(4) - 2 = 22 \text{ m/s}$$

$$v_i = 6(2) - 2 = 10 \text{ m/s}$$

$$\bar{a} = \frac{\Delta v}{\Delta t} = \frac{v_f - v_i}{t_f - t_i} = \frac{22 - 10}{4 - 2} = 6 \text{ m/s}^2$$

$$3 . \bar{a} = \frac{dv}{dt} = 6$$

$$\bar{a} = 6 \text{ m/s}^2$$

Ex : Two cars are 200 kilometers apart and traveling toward each other. One car is moving at 60 km/h and the other is moving at 40 km/h mph. After how many hours they will meet ?

إنتبه منيح بهيك أسئلة :

إذا كان الجسمين يتحركوا عكس إتجاه بعض ← بجمع السرعتين مع بعض $(v_1 + v_2)$

وإذا كان الجسمين يتحركوا مع إتجاه بعض → بطرح السرعتين من بعض $(v_1 - v_2)$

Answer :

$$Ave. speed = \frac{\sum x}{\sum t}$$

$$60 + 40 = \frac{200}{t}$$

$$t = \frac{200}{100} = 2 \text{ hr}$$

Ex : A dog and a rabbit are 30 meters apart and the dog ran behind the rabbit at 10 m/s , then the rabbit Runway from the dog at 5 m/s .After how many times they will meet ?

Answer :

$$Ave. speed = \frac{\sum x}{\sum t}$$

$$10 - 5 = \frac{30}{t}$$

$$t = \frac{30}{5} = 6 \text{ s}$$

Ex : Which one of the following is not a vector quantity ?

A) Displacement

B) Average speed

C) Average velocity

D) Instantaneous velocity

Answer : B) Average speed

Ex : A particle moves along the x-axis from x_i to x_f . Which one of the following values of the initial and final coordinates represents a negative displacement ?

A) $x_i = -4m, x_f = -2m$

B) $x_i = 4m, x_f = 6m$

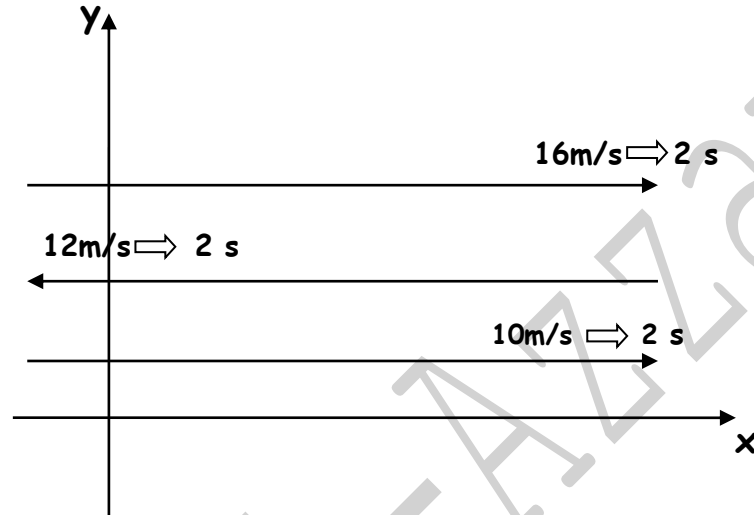
C) $x_i = -4m, x_f = 2m$

D) $x_i = -4m, x_f = -8m$

Answer : D) $x_i = -4m, x_f = -8m$

Ex : An object moves along the x-axis with a speed of 10 m/s for 2 seconds, then it moves against the x-axis with a speed of 12 m/s for 2 seconds, and then it moves along the x-axis with a speed of 16 m/s for 2 seconds. What is the magnitude of the object average velocity ?

Answer :



$$x_1 = v * t = 10 * 2 = 20 \text{ m}$$

$$x_2 = v * t = 12 * 2 = 24 \text{ m}$$

$$x_3 = v * t = 16 * 2 = 32 \text{ m}$$

$$\bar{v} = \frac{\Delta x}{\Delta t} = \frac{x_1 - x_2 + x_3}{t_1 + t_2 + t_3} = \frac{20 - 24 + 32}{2 + 2 + 2} = \frac{28}{6} = 4.7 \text{ m/s}$$

2.5 Motion at constant acceleration

$$v_f = v_i + at$$

$$\Delta x = v_i t + \frac{1}{2} at^2$$

$$v_f^2 = v_i^2 + 2a\Delta x$$

$$\Delta x = \left(\frac{v_f + v_i}{2} \right) t$$

$$\Delta x = v_f t - \frac{1}{2} at^2$$

هدول القوانين احفظهم زي اسمك لانو رح
تضل تستخدمهم للفاينل

كلمات مفتاحية لازم تكون عارفهم

at rest Or from rest :

$$V_i = 0 \text{ (ZERO)}$$

to rest Or stop

$$V_f = 0 \text{ (ZERO)}$$

How long : بدو الزمن

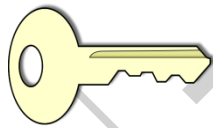
How far : x بدو المسافة يعني

Slow down هون التسارع بنعطيه

إشارة سالبة (لأنو بتناقص)

* بس أجي أطبق ع أي قانون من هدول

القوانين الخمسة لالازم يكون معي 3
معطيات على الأقل وإلا ما رح أعرف أحل



Ex : A car moving with a velocity of (20 m/s), its stops after a distance of (80 m) . what is the constant acceleration of the car ?

Answer :

$$\text{Stop} \Rightarrow v_f = 0$$

$$v_f^2 = v_i^2 + 2a\Delta x$$

$$0 = 400 + 2a(80 - 0)$$

$$a = \frac{-400}{160} = -2.5 \text{ m/s}^2$$

Ex : An object is moving with 24 m/s on a straight line to slow down at a rate of 5 m/s^2 . How long will the object travel before it comes to stop ?

Answer :

$$v_f = v_i + at$$

$$0 = 24 + (-5)t$$

$$t = \frac{-24}{-5} = 4.8 \text{ s}$$

Ex : A car traveled (100 m) in (10s) with a constant acceleration (2m/s^2) Find its final velocity ?

Answer :

$$\Delta x = v_f t - \frac{1}{2} at^2$$

$$100 = v_f(10) - \frac{1}{2}(2)(10)^2$$

$$v_f = 20 \text{ m/s}$$

Ex : A car is moving with constant acceleration a long a straight road. How long does it take the car to increase its velocity from 30 m/s to 50 m/s in a distance of 200 m ?

Answer :

$$\Delta x = \left(\frac{v_f + v_i}{2} \right) t$$

$$200 = \left(\frac{50 + 30}{2} \right) t$$

$$t = 5 \text{ s}$$

Ex : A particle moves along x-axis with constant acceleration from $x=2\text{m}$ to $x=8\text{m}$ during a 2.5 s time interval. If the particle velocity at $x=8\text{m}$ is 2.8 m/s , What is the acceleration ?

Answer :

$$\Delta x = v_f t - \frac{1}{2} a t^2$$

$$8 - 2 = (2.8)(2.5) - \frac{1}{2} a (2.5)^2$$

$$6 = 7 - 3.125 a$$

$$a = 0.32\text{ m/s}^2$$

Ex : A car accelerated from rest to (100 km/hr) in 8 seconds . Find the car accelerated ?

Answer :

$$v = 100 \frac{\text{km}}{\text{hr}} = 100 * \frac{1000\text{ m}}{60*60\text{ s}} = 27.8\text{ m/s}$$

$$v_f = v_i + at$$

$$27.8 = 0 + a * 8$$

$$a = 3.5\text{ m/s}^2$$

Ex : A car starting from rest, travels 0.40 km in 11.0 s . What is the magnitude of its constant acceleration?

Answer :

$$0.4\text{ km} = 400\text{ m}$$

$$\Delta x = v_i t + \frac{1}{2} a t^2$$

$$400 = 0 + \frac{1}{2} a (11)^2$$

$$400 = 60.5 a$$

$$a = 6.61\text{ m/s}^2$$

2.7 Falling Objects

The magnitude of free fall acceleration is $a = g = 10 \text{ m/s}^2$

$$v_f = v_i - gt$$

$$\Delta y = v_i t - \frac{1}{2}gt^2$$

$$v_f^2 = v_i^2 - 2g\Delta y$$

لا تحفظ هذول القوانين بمجرد انك تحفظ
قوانين الحركة يلي بصفحة 9 بتقدر تحل
عليهم بس عوض التسارع - 10 م/ث²

$$g = a = -10 \text{ m/s}^2$$

كلمات مفتاحية لازم تكون عارفهم

Dropped :

السرعة الابتدائية بتساوي صفر ($v_i = 0$)

Thrown :

السرعة عند أعلى ارتفاع بتساوي صفر

Ex : A stone is dropped from a bridge and strikes the water in 5 seconds

Find :

1 . The speed with which it strikes water

2 . The height of the bridge

Answer :

$$1 . v_f = v_i + at$$

$$v_f = 0 + (-10)(5)$$

$$v_f = -50 \text{ m/s} = 50 \text{ m/s} \text{ downward}$$

$$2 . \Delta x = v_i t + \frac{1}{2}at^2$$

$$0 - x_i = 0 + \frac{1}{2}(-10)(25)$$

$$x_i = 125 \text{ m}$$

Ex : A stone is released from rest the top of a 100 meter high building. How long does it take the stone to reach the ground ?

$$\Delta x = v_i t + \frac{1}{2} a t^2$$

$$0 - 100 = 0 + \frac{1}{2} (-10) t^2$$

$$t = 4.5 \text{ s}$$

Ex : A stone is thrown vertically up from a top of a building with 20 m/s initial velocity. If the stone reaches the ground 9 seconds later, How high is the building ?

Answer :

$$\Delta x = v_i t + \frac{1}{2} a t^2$$

$$0 - x_i = 20(9) + \frac{1}{2} (-10)(81)$$

$$x_i = 225 \text{ m}$$

Ex : A stone is thrown from the edge of 300 m high building. If the stone reaches the ground 10 seconds later, what is the initial velocity of the stone?

Answer :

$$\Delta x = v_i t + \frac{1}{2} a t^2$$

$$0 - 300 = 10v_i + \frac{1}{2} (-10)(100)$$

$$200 = 10v_i$$

$$v_i = 20 \text{ m/s} \quad \text{upward}$$

Ex : A boy catches a ball 3 seconds after throwing the ball upward. What is the initial velocity of the ball ?

Answer :

$$v_f = v_i + at$$

$$0 = v_i + (-10)(1.5)$$

$$v_i = 15 \text{ m/s}$$

حل آخر :

$$\Delta x = v_i t + \frac{1}{2} at^2$$

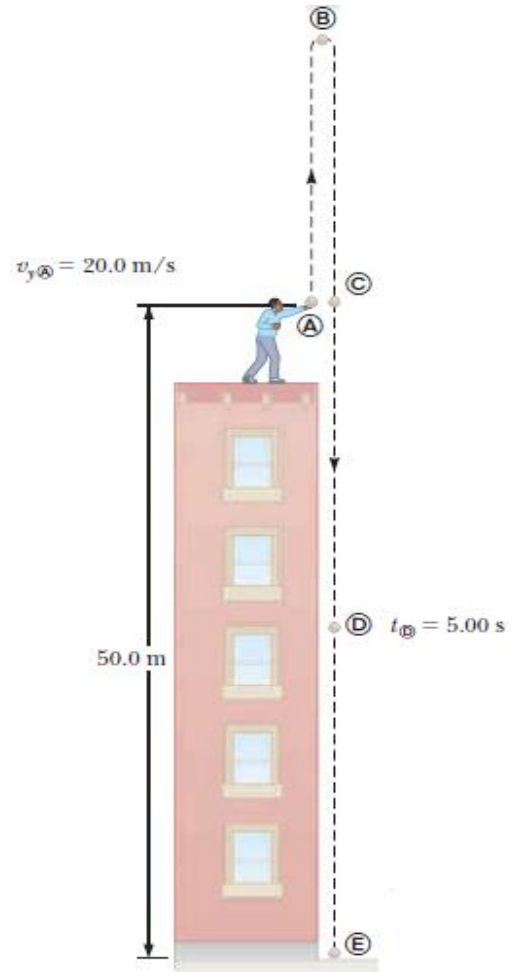
$$0 - 0 = v_i * 3 + \frac{1}{2} (-10) * 9$$

$$v_i = 15 \text{ m/s}$$

هسا بالسؤال حكالي انو الولد التقط الكرة بعد 3 ثواني من رميها لأعلى (يعني الكرة راحت لفوق وردت رجعت لتحت لعند الولد) يعني 1.5 ثانية وهي طالعة و 1.5 ثانية وهي نازلة وبدنا نعرف كمان انو السرعة عند أعلى إرتفاع بتساوي صفر

Ex : A stone is thrown from the top of building of (50 m) height with initial velocity of (20 m/s) upward as shown in the figure. Find :

- 1 . The time needed the stone to reach its maximum height at point B.
- 2 . The maximum height at point B.
- 3 . The time and velocity needed the stone to back to its starting points at point C.
- 4 . The velocity after (5 seconds) at point D.
- 5 . The velocity just before hit the ground at point E.
- 6 . The total time the stone in air at point E.



Answer :

1 . عند أعلى إرتفاع السرعة ستكون صفر .

$$v_f = v_i + at$$

$$0 = 20 + (-10)t$$

$$t = 2 \text{ s}$$

2 .

$$\Delta x = v_i t + \frac{1}{2} at^2$$

$$x_f - 50 = 20(2) + \frac{1}{2}(-10)(4)$$

$$x_f = 70 \text{ m}$$

3 .

هنا الكرة احتاجت **ثانيتين** حتى طلعت لفوق (عند أعلى إرتفاع) ، وبالتالي ستحتاج كمان **ثانيتين** حتى ترجع لنفس النقطة يلي انطلقت منها (يعني ثانيتين وهي طالعة وثانيتين وهي نازلة)

$$t = 2 + 2 = 4 \text{ s}$$

$$v_f = v_i + at$$

$$v_f = 20 + (-10)(4)$$

$$v_f = -20 \text{ m/s} = 20 \text{ m/s} \text{ downward}$$

4 .

$$v_f = v_i + at$$

$$v_f = 20 + (-10)(5)$$

$$v_f = -30 \text{ m/s} = 30 \text{ m/s} \text{ downward}$$

5 .

$$v_f^2 = v_i^2 + 2a\Delta x$$

$$v_f^2 = 400 + 2(-10)(0 - 50)$$

$$v_f^2 = 1400$$

$$v_f = \pm 37.4 \text{ m/s} = -37.4 \text{ m/s} = 37.4 \text{ m/s} \text{ downward}$$

6 .

$$v_f = v_i + at$$

$$-37.4 = 20 + (-10)t$$

$$t = 5.74 \text{ s}$$

Ex : A stone is thrown vertically upward from the top of a building with an initial speed of (10m/s), the flight time is 5 s . What is the height of the building ?

Answer :

$$\Delta x = v_i t + \frac{1}{2} at^2$$

$$0 - x_i = 10 * 5 + \frac{1}{2}(-10)(25)$$

$$x_i = 75 \text{ m}$$

Ex : A stone is thrown vertically up from the edge of 120 m high building. The stone hits the ground 6.0 seconds later. Find the speed of the stone as it hits the ground .

Answer :

$$\Delta x = v_f t - \frac{1}{2} at^2$$

$$0 - 120 = v_f * 6 - \frac{1}{2}(-10)(36)$$

$$-120 = 6 v_f - (-180)$$

$$-300 = 6 v_f$$

$$v_f = \frac{-300}{6} = -50 \text{ m/s} = 50 \text{ m/s} \text{ downward}$$

Ex : A stone is thrown vertically upward from the edge of a 50m height building with an initial velocity of 35 m/s. How long does it take the stone to hit the ground ?

Answer :

$$v_f^2 = v_i^2 + 2a\Delta x$$

$$v_f^2 = 1225 + 2(-10)(0 - 50)$$

$$v_f^2 = 2225$$

$$v_f = \sqrt{2225} = \pm 47.2 \text{ m/s}$$

$$v_f = v_i + at$$

$$-47.2 = 35 + (-10)t$$

$$t = 8.2 \text{ s}$$

أطلب المكمل

Chapter review

$$\Delta x = x_f - x_i$$

اشتقاق Displacement (Δx) رح يعطينا velocity (v)

$$\bar{v} = \frac{\Delta x}{\Delta t}$$

اشتقاق velocity (v) رح يعطينا acceleration (a)

$$\bar{a} = \frac{\Delta v}{\Delta t}$$

قوانين نيوتن بالحركة

$$v_f = v_i + at$$

$$\Delta x = v_i t + \frac{1}{2} at^2$$

$$v_f^2 = v_i^2 + 2a\Delta x$$

$$\Delta x = \left(\frac{v_f + v_i}{2} \right) t$$

كلمات مفتاحية لازم تكون عارفهم

at rest Or from rest :

$$V_i = 0 \text{ (ZERO)}$$

to rest Or stop

$$V_f = 0 \text{ (ZERO)}$$

How long : بدو الزمن

How far : x بدو المسافة يعني

Slow down هون التسارع بنعطيه

إشارة سالبة (لأنو بتناقص)

* ركزوا على القانون الرابع كثير مهم

وبيجي عليه دايما سؤال

السقوط الحر

بالنسبة لقوانين السقوط الحر لا تحفظوهم بس احفظو قوانين الحركة وعوضو التسارع $(a) -10m/s^2$

كلمات مفتاحية لازم تكون عارفهم

Dropped :

السرعة الابتدائية بتساوي صفر ($v_i = 0$)

Thrown :

السرعة عند أعلى ارتفاع بتساوي **صفر**

Laws review

Displacement :

$$\Delta x = v_f - v_i$$

Average velocity :

$$\bar{v} = \frac{\Delta x}{\Delta t}$$

Average acceleration :

$$\bar{a} = \frac{\Delta v}{\Delta t}$$

Motion at constant acceleration laws :

$$v_f = v_i + at$$

$$\Delta x = v_i t + \frac{1}{2} at^2$$

$$v_f^2 = v_i^2 + 2a\Delta x$$

$$\Delta x = \left(\frac{v_f + v_i}{2} \right) t$$

$$\Delta x = v_f t - \frac{1}{2} at^2$$

Falling object laws :

$$v_f = v_i - gt$$

$$\Delta y = v_i t - \frac{1}{2} gt^2$$

$$v_f^2 = v_i^2 - 2g\Delta y$$