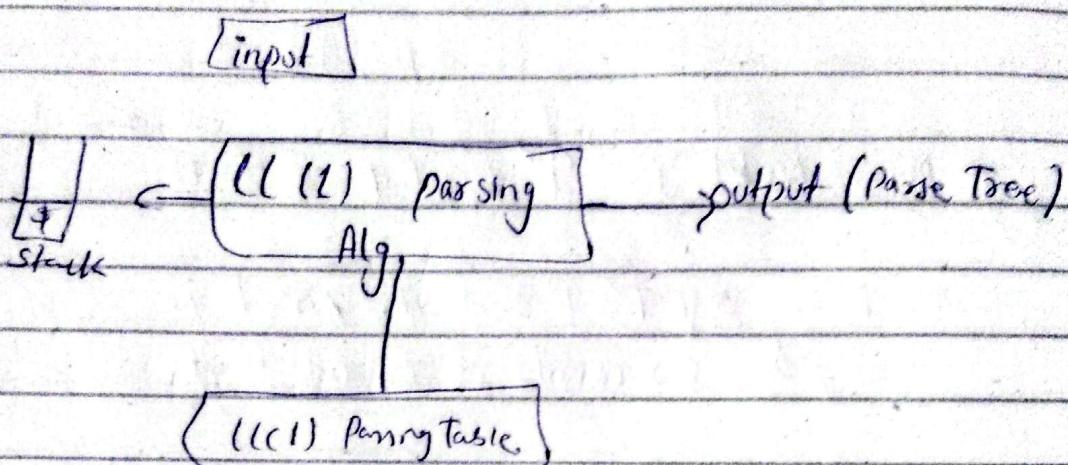


→ LL(1) Parser.

also known as Non Recursive Descent Parser. or predictive parser.

Block diagram of LL(1)-parsing



→ Step 1. Note that LL(1) parsing tree, to jo ~~grammar~~ ^{table} hoti hai to ki size hoti hai wo grammar to grammar vary karne hoti hai.

Ex- Given grammar. first()	follow()	
$E \rightarrow TE'$	{id, c}	{\$, ;}
$E' \rightarrow \epsilon / +TE'$	{\epsilon, +}	{\$, ;}
$T \rightarrow FT'$	{id, c}	{+, \$, ;}
$F \rightarrow id / (E)$	{\epsilon, *}	{+, \$, ;}
	{id, c}	{*, +, \$, ;}

→ Step 1 count no of variable where it S. and there are S terminals our ek column extra bany gye for \$.

so

$$\begin{aligned} &S \times (S+1) \\ &= 36 \end{aligned}$$

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so total ~30 cells over that portion granules.

Ruley

Rule 1: Add $A \rightarrow \alpha$ under $M[A, a]$, where $a \in \text{First}(\alpha)$

2

Add $A \rightarrow \perp$ under $M[A, q]$

M	id	+	*	()	\$
E	$E \rightarrow TE'$			$E \rightarrow TE'$		
E'		$E' \rightarrow +E'$			$E' \rightarrow \epsilon$	$\epsilon' \rightarrow \epsilon$
T	$T \rightarrow FT'$			$T \rightarrow FT'$		
T'		$T' \rightarrow *FT'$			$T' \rightarrow \epsilon$	$T' \rightarrow \epsilon$
F	$F \rightarrow id$			$F \rightarrow (E)$		

like in first production rule

$$E \rightarrow \underline{TE'}$$

$E \rightarrow T.E'$
means Find First of T

which is `(id, C)` in the `first()`

which is (Id, C) in the column. So write this production

rule to there in E variable

→ Now second production Rule E' , its first is E (null)

Null waly rule ko tilde skip karo.

and its second production is: +TE and
its first is: +

so E' kai row kai + waly column
mai us cfa. ko zatk lo.

→ Now

$$T \rightarrow FT'$$

and its first is
 $\{id, C\}$

So simple is ko $\{id, C\}$ mai
substitute kar la.

→ Now Next is $T' \xrightarrow{\epsilon/FT'} \epsilon(\text{Null})$ and

next is FT' and its first is.

* so write FT' on that

and Now Next is,

$$F \rightarrow id / CE$$

so its first is id for first production rule.

Now $\epsilon(\text{Null})$ which we skip first was

$E \rightarrow (\underline{E})$ so in Null jo left lonej side mai jo us ka variable hai
hum us ka follow Utkhy. ga.

→ Note (1 (Parse tree is the Top down parse)

Now passing tree.

This is the variable.

Stack	Input	Production.
Step 1 \$E	id + id \$	$E \rightarrow TE'$
Step 2 \$ET	id + id \$	$T \rightarrow FT'$
Step 3 \$ET'F	id + id \$	$F \rightarrow id$
Step 4 \$ET'id	id + id \$	Pop
Step 5 \$ET'	+ id \$	$T' \rightarrow \epsilon$
Step 6 E'	+ id \$	$E' \rightarrow TE'$
Step 7 E'T+	+ id \$	Pop.
Step 8 E'T	id \$	$T \rightarrow FT'$
\$ E'T'F	id \$	$F \rightarrow id$
\$ E'T'id	id \$	Pop
\$ E'T'*	?	$T' \rightarrow \epsilon$
\$ E'	\$	$E \rightarrow \epsilon$

Step 1 check the E (capital) ki id wala column

mai jo production parhi hai hum wo use karey gai.

jo hai $E \rightarrow TE'$

Step 2 so now variable khai apan hi production

rule again replace kareyi but reverse order mai whi is $E'T$.

and again we have same input $id + id \$$

Step and we have Top of the stack is capital (T)

so write its production which is

Now again which we use production rule make

it rever and use the previous (E') as it is

so $\$ E'T'F$

and again checks what we have the top of
the stack is? which is (f) and ϵ k id mai
hai \rightarrow id

Note: Now we have Top of the stack
and the input same so simply
we will write the (pop) in the
production rule and hum wo id ~~pop~~ ^{before} k as da
gai stack mai set.
like this.

\$ E' T' our
input mai sai bi hum remove kar
da gai.
So we will write
+ id \$.

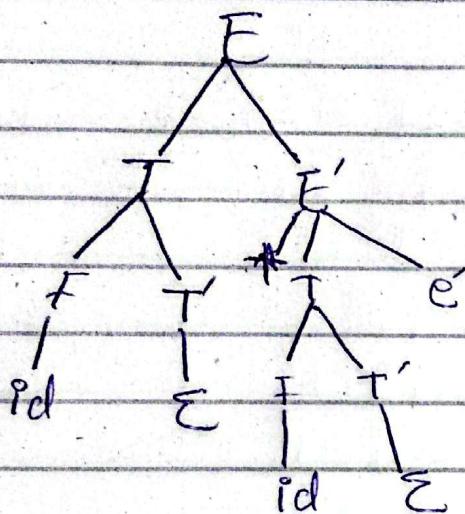
So now our input is ~~T'~~
 ϵ pointer is + .

and now will check T' kai plus mai
hamony par hai $T \rightarrow \Sigma$ to T' remove
ho jaega.

\rightarrow Non Σ' kai plus mai
is $E \rightarrow TE'$
we will write

→ Now let's construct the parse tree.

isq. Start from stack, jis mai first non-terminal
parha hai. wo hai E aur uski production hei
aur next hai ϵ non-terminal.



Note LL(1) parsing generates
the left most Tree