



$$\text{LdP1: } E = Ri + a(i_{ab} + i_{ag})$$

$$\text{LdP2: } E + bi_b = Ri$$

4 eq. indépendantes

$$\text{LdN1: } i_{ab} = i + i_b$$

$$\text{LdN2: } i_{ag} = \eta + i_{ab}$$

$$(\text{LdN3: } i_{ag} = i + i_b + \eta)$$

inconnues:  $i, i_b, i_{ag}, i_{ab} = 4$

$$\text{LdP1 et LdP2: } E - Ri = a(i_{ab} + i_{ag}) = -bi_b$$

$$\Leftrightarrow i_b = -\frac{a}{b}(i_{ab} + i_{ag}) \quad (1)$$

$$\text{LdN1 et LdN2: } i_{ab} + i_{ag} = 2i_{ab} + \eta = 2(i + i_b) + \eta \quad (2)$$

$$(1) \text{ et } (2): -bi_b = a(2(i + i_b) + \eta)$$

$$\Leftrightarrow i_b(b + 2a) = -2ai - a\eta$$

$$\Leftrightarrow i_b = -\frac{2ai + a\eta}{b + 2a} \quad (3)$$

$$\text{LdP2} \leftarrow (3) \Leftrightarrow E - \frac{b}{b + 2a}(2ai + a\eta) = Ri$$

$$\Leftrightarrow (b + 2a)E - b(2ai + a\eta) = Ri(b + 2a)$$

$$\Leftrightarrow i(R(b + 2a) + 2ab) = (2ab)E - ab\eta$$

$$\Leftrightarrow i = \frac{(2ab)E - ab\eta}{(2ab)R + 2ab}$$