

## person usage index

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$$x_{i,s,e} = \frac{U_{i,s,e}}{A_i \times \left( \sum_s^e \theta - (e - s) \vartheta_i \right)} \quad (1)$$

where is :

- $i$  : person index
- $s$  : start date
- $e$  : end date
- $U_{i,s,e}$  : Person i Consumption Between the start and end dates
- $A_i$  : Area of person i houses
- $\sum_s^e \theta$  : Total average daily temperature Between the start and end dates
- $\vartheta_i$  : person i desired temperature = temperature at the minimum gas consumption per year

## Weighted average and standard deviation

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$$\omega_k = \frac{7.87 \times \sigma_{k \text{ all}}}{(e - e_k) |x_i - \mu_{k \text{ all}}| \times \mu_k} \quad (2)$$

## Ebbinghaus forgetfulness curve



$$\mu_i = \sum_{k=1}^{i \text{ all data}} \frac{x_k \times \omega_k}{\Sigma \omega} \quad (3)$$

$$\sigma_i = \sqrt{\sum_{k=1}^n \frac{(x_k - \mu_i)^2}{n}} \quad (4)$$

where is :

- $e_k$  : End date in load reading k
- $e$  : end date
- $\mu_{k \text{ all}}$  : data mean in load reading k
- $\sigma_{k \text{ all}}$  : Standard deviation of all data in load reading k
- $n$  : all person i data

Conditions under consideration

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$$E_i = \frac{X_i - \mu_i}{\sigma_i} = \text{Error factor}$$

if  $-2 < E_i < 2$  then data is safe

