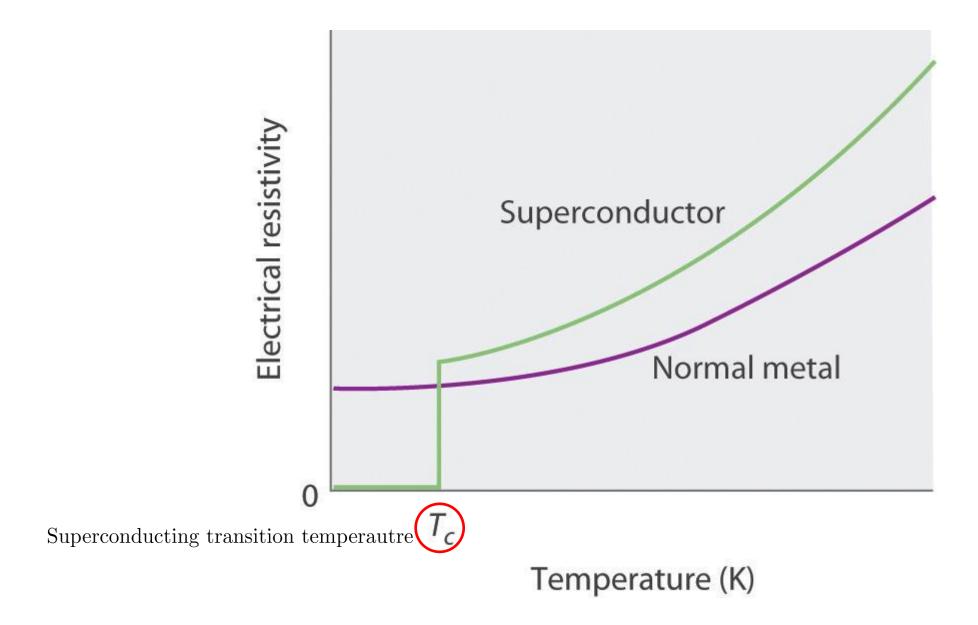
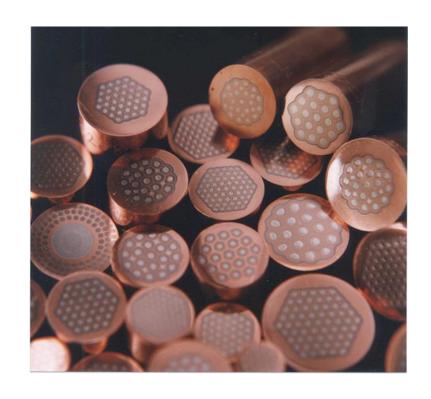
Superconducting Transition Temperature Prediction from Chemical Formula and Elemental Properties

What is a superconductor?



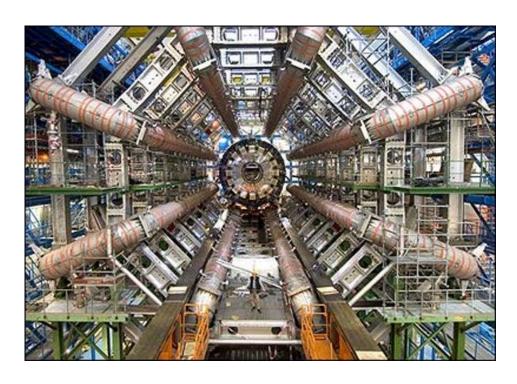




Superconducting wire



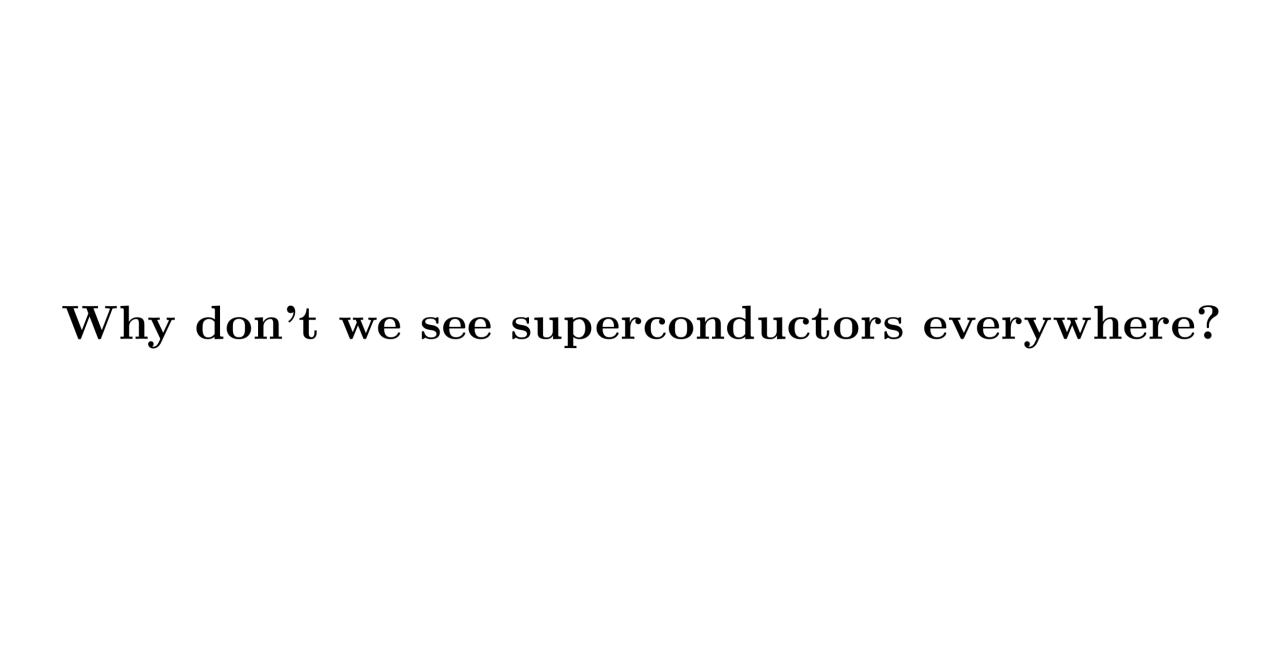
MRI



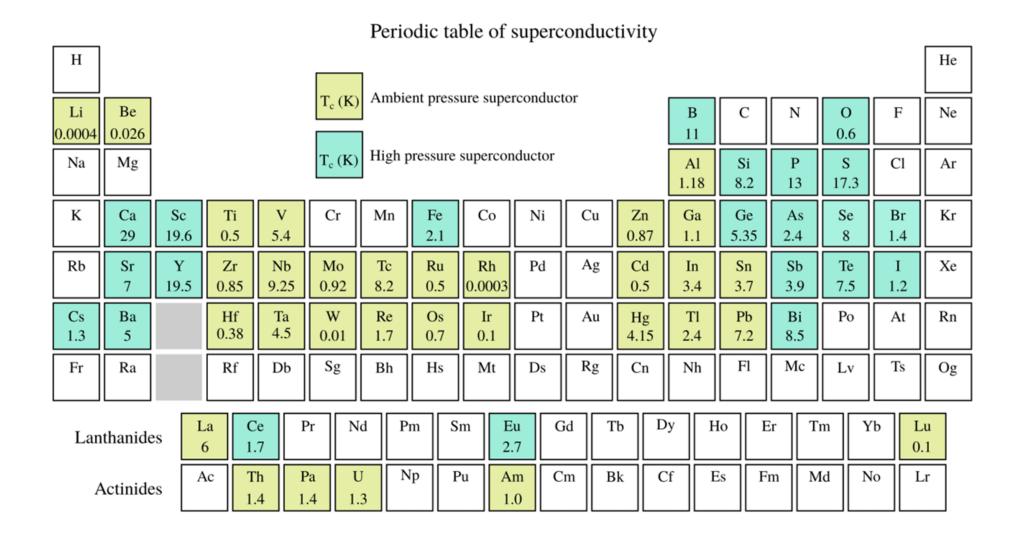
Particle accelerator



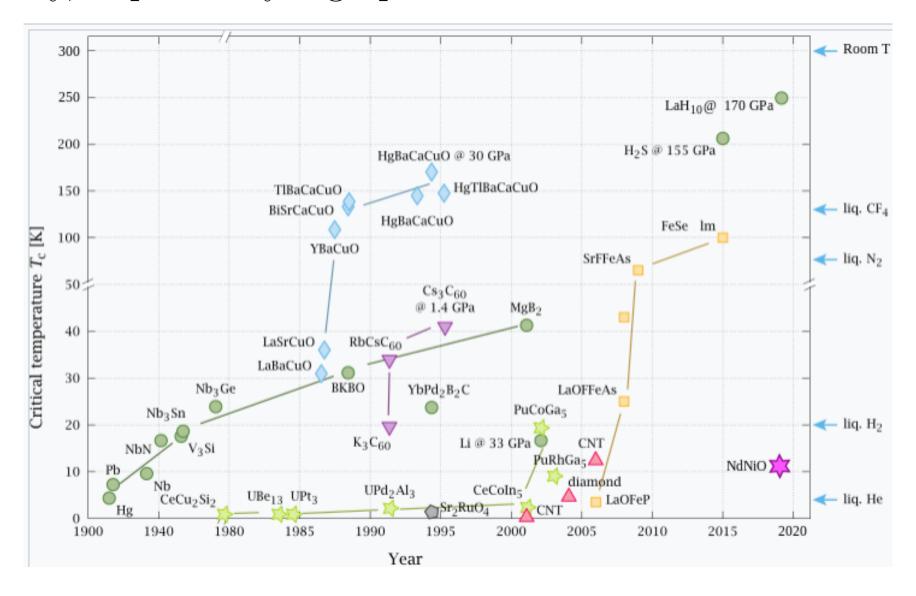
Maglev train



## • Hard to find materials with high $T_{\rm c}$



## • Generally, require very high pressure



Most importantly, No general theory that can predict  $T_c$ 

# Data driven approach

Chemical formula	Critical temperature
YBaCuO	93
$\mathrm{MgB}_2$	42
$Ni_3Ge$	23
i:	: :

Element	Properties			
Diction	Atomic mass	Atomic radius	• • •	
O	16	66		
Cu	64	132		
Fe	56	132		
:				

# Elemental properties

Property	Unit	Description	
Atomic Mass	Da	Rest mass of an atom	
First Ionization Energy	kJ/mol	Energy required to remove a valence electron	
Atomic Radius	pm	Calculated atomic radius	
Density	$kg/m^3$	Density at room temperature and ambient pressure	
Electron Affinity	kJ/mol	Energy released on formation of anions	
Fusion Heat	kJ/mol	Energy required to change from solid to liquid	
Thermal Conductivity	$ m W/m\cdot K$	Ability to conduct heat	
Valence	No units	Typical number of chemical bonds formed by the element	

## **Features**

Feature	Chemical formula AB <sub>2</sub>	_
Mean $(\mu)$	$\frac{p_A + p_B}{2}$	$; p_A = \text{property of element A}$
Weighted mean $(\nu)$	$\frac{1}{3}p_A + \frac{2}{3}p_B$	
Geometric mean	$(p_A p_B)^{\frac{1}{2}}$	
Weighted geometric mean	$p_A^{rac{1}{3}}p_B^{rac{2}{3}}$	
Entropy	$-v_A \ln v_A - v_B \ln v_B$	$; v_A = \frac{p_A}{p_A + p_B}$
Weighted entropy	$-z_A \ln z_A - z_B \ln z_B$	$;z_A = \frac{\frac{1}{3}v_A}{\frac{1}{3}v_A + \frac{2}{3}v_B}$
Range	$ p_A - p_B $	
Weighted range	$\left  \frac{1}{3}p_A - \frac{2}{3}p_B \right $	
Standard deviation	$\sqrt{\frac{(p_A - \mu)^2 + (p_B - \mu)^2}{2}}$	
Weighted standard devication	$\sqrt{\frac{1}{3}(p_A - \nu)^2 + \frac{2}{3}(p_B - \nu)^2}$	
Number of elements	2	

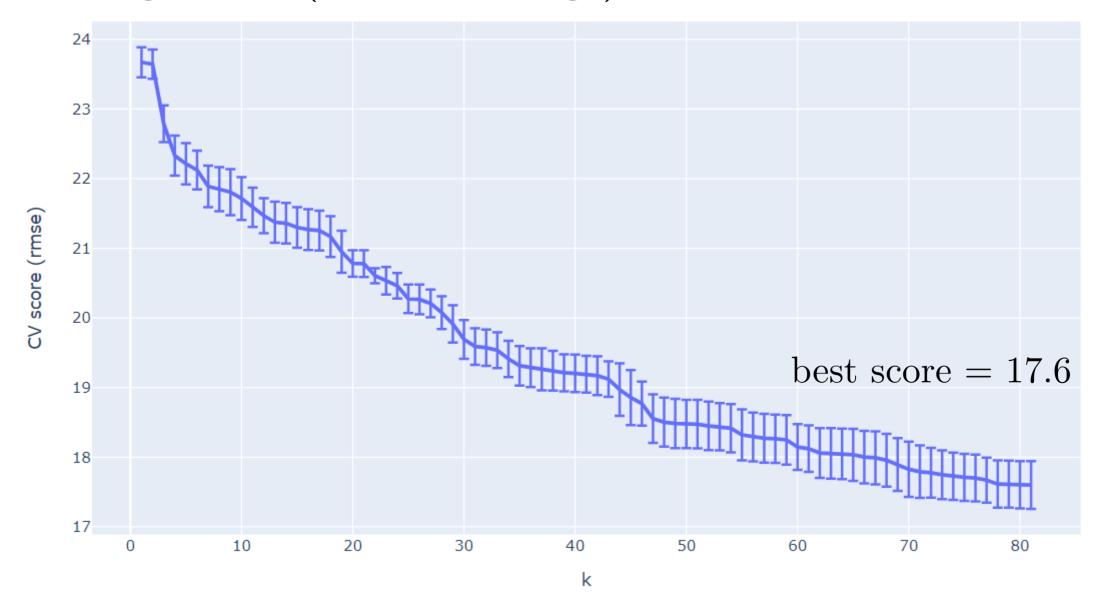
### Input

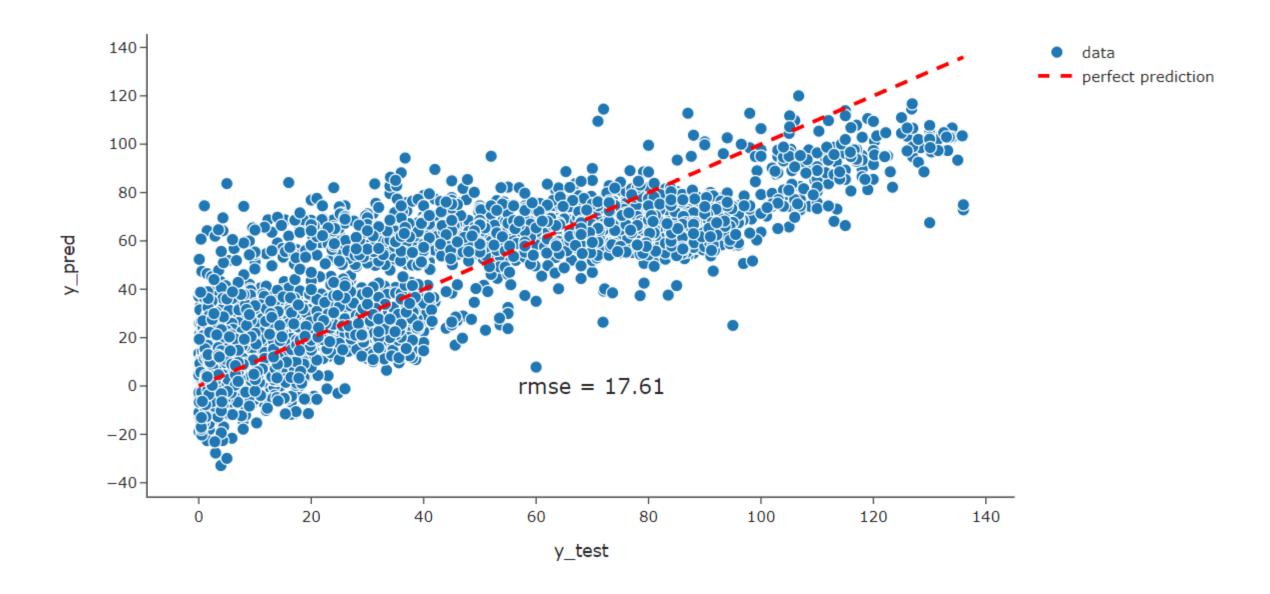
- Repeat the process for each property
- Drop chemical formula
- Number of features
  - = 10 (properties)  $\times$  8 (aggregate functions) + 1 (# of elements)
  - = 81
- Number of samples = 21196
- Data taken from previous work, K. Hamidieh, Computational Materials Science 154 (2018) 346–354

### Methodology

- Metric: Root Mean Squared Error (RMSE)
- Linear regression models
- XGBoost model
  - Bayes hyperoptimization
  - Feature selection
- Compare final result to previous study by K. Hamidieh
  - XGBoost: RMSE = 9.5

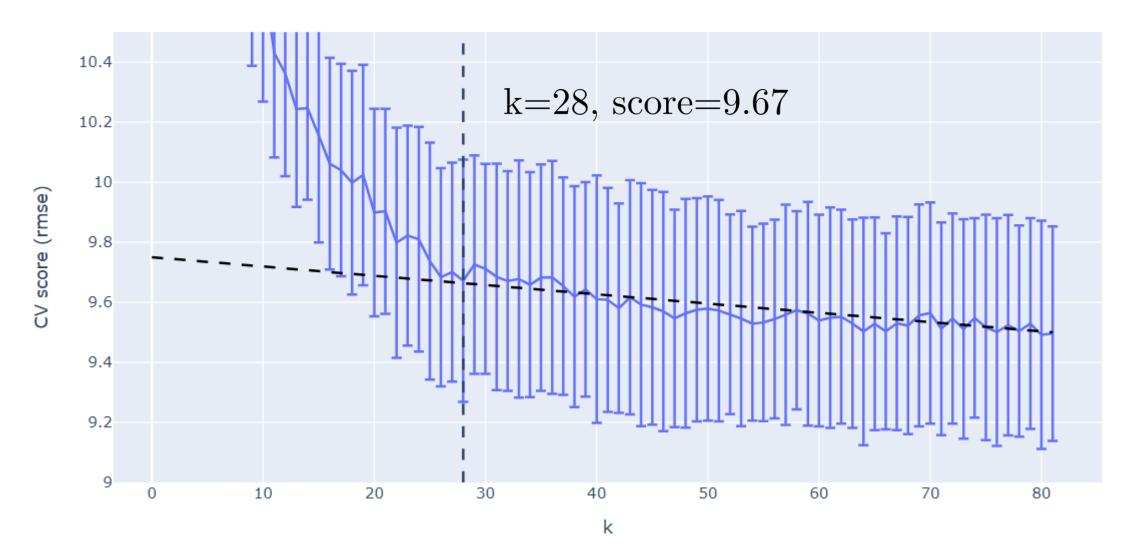
# Linear regression (ols, lasso, ridge)



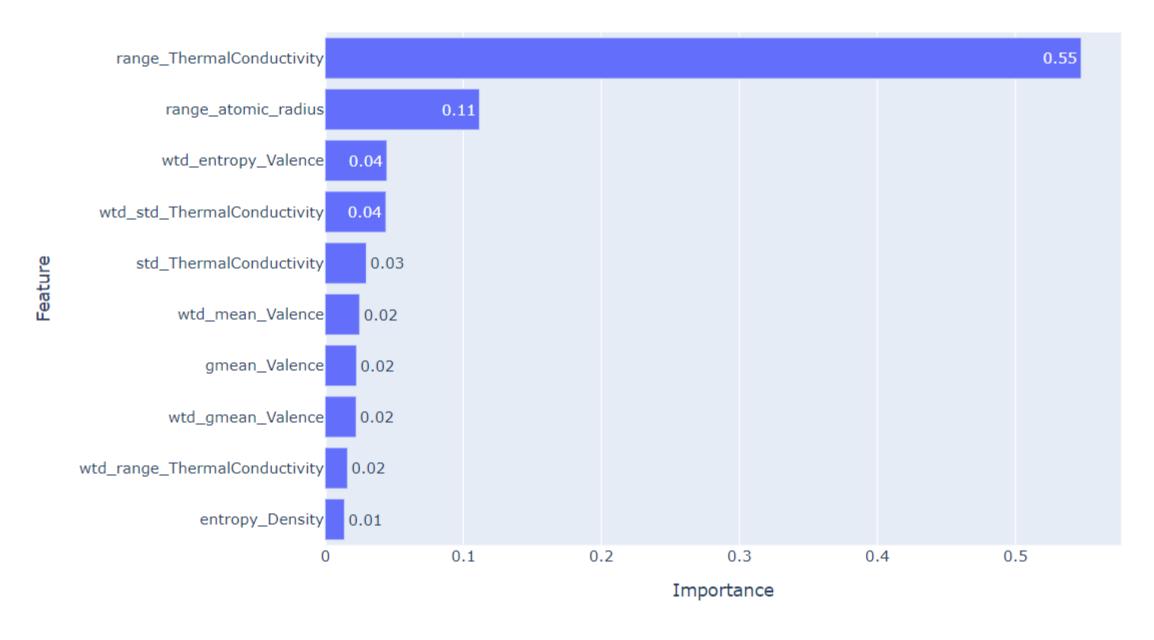


### **XGBoost**

Pipeline mean CV score for xgb (k\_best: f\_regression)

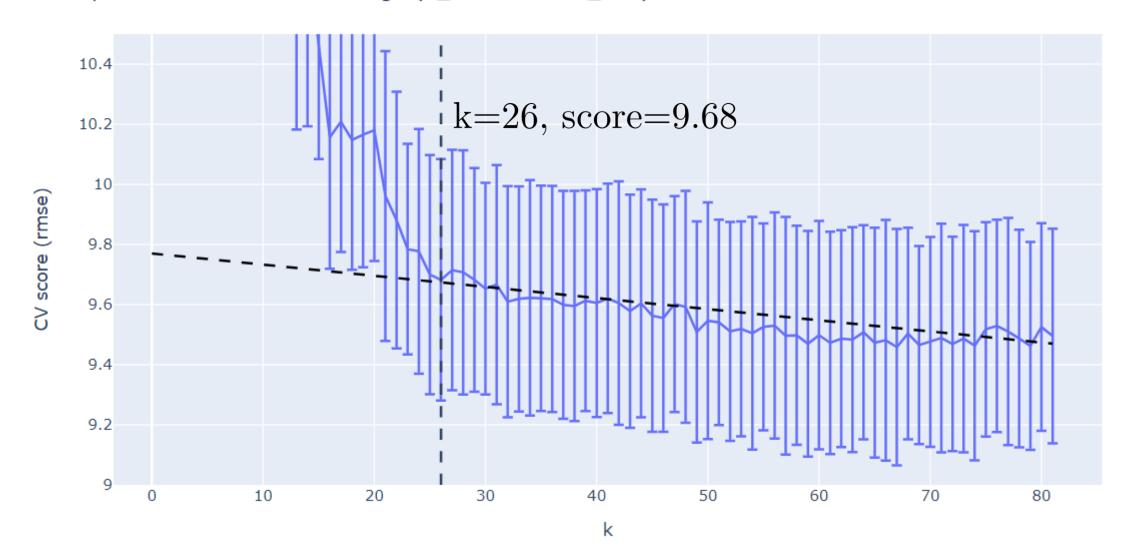


#### Important features based on XGBoost (f\_regression, k=28)

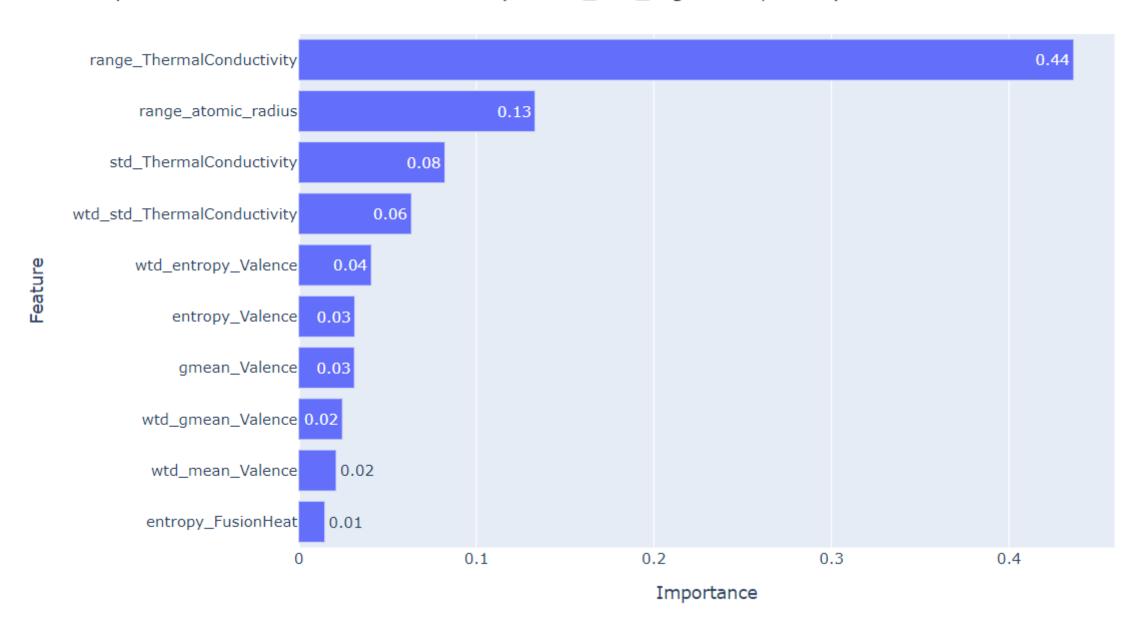


### **XGBoost**

Pipeline mean CV score for xgb (k\_best: mutual\_info)

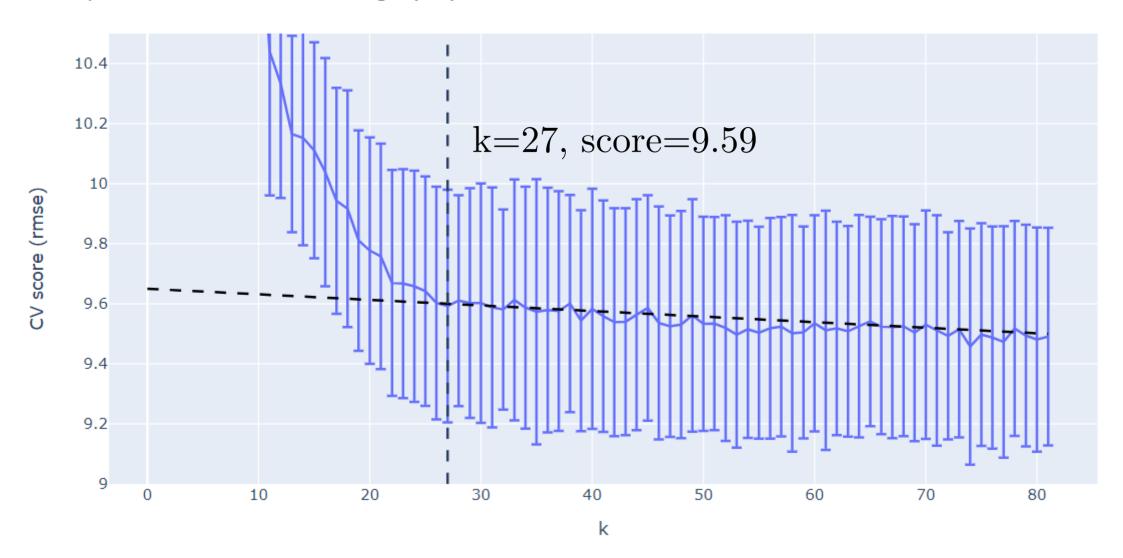


#### Important features based on XGBoost (mutual\_info\_regression, k=26)

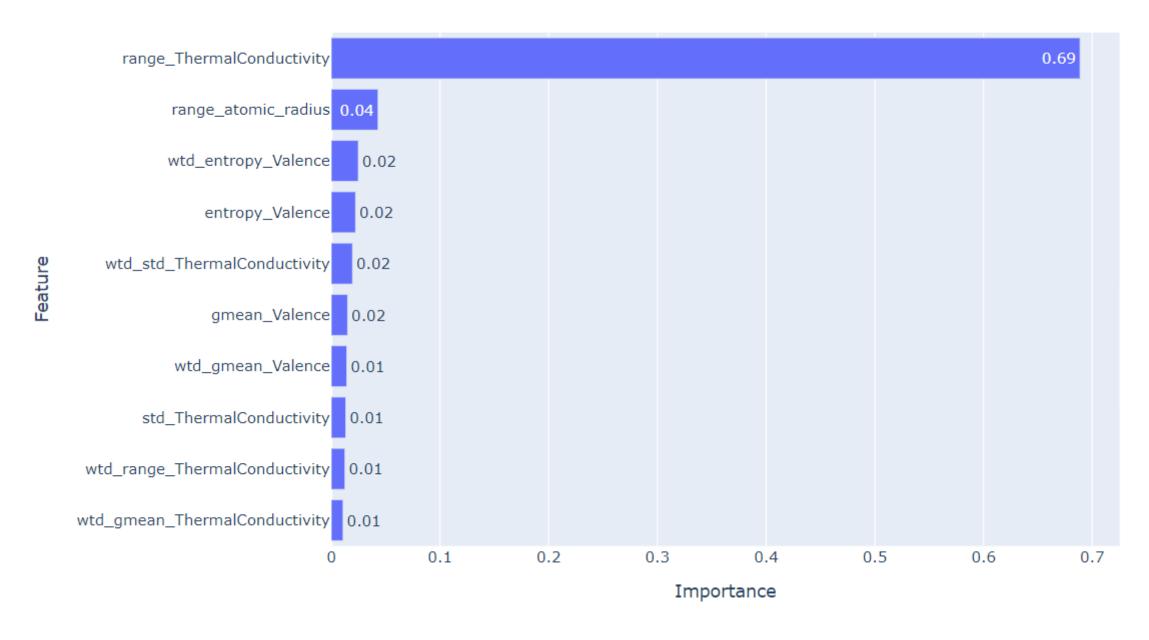


## **XGBoost**

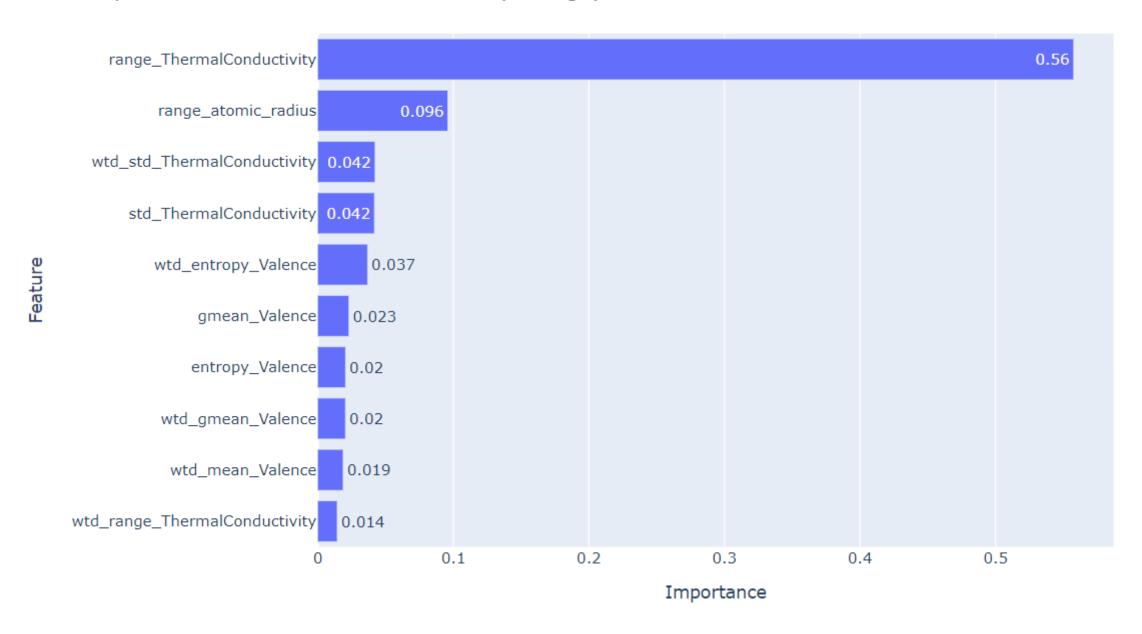
Pipeline mean CV score for xgb (rfe)



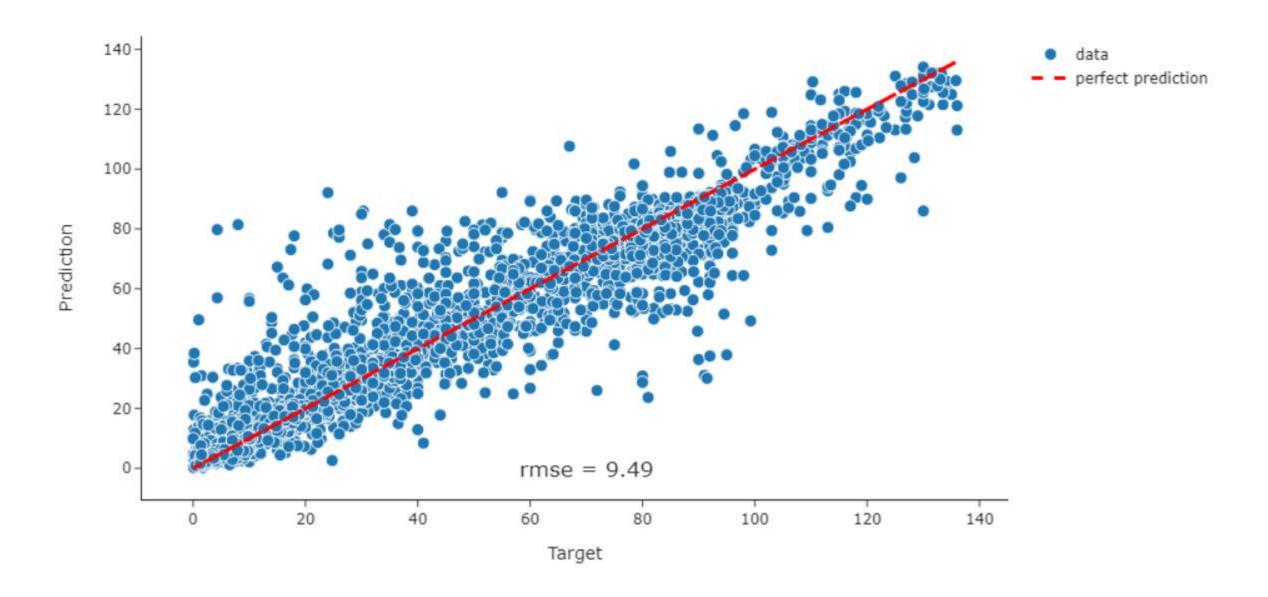
#### Important features based on XGBoost (rfe, k=27)



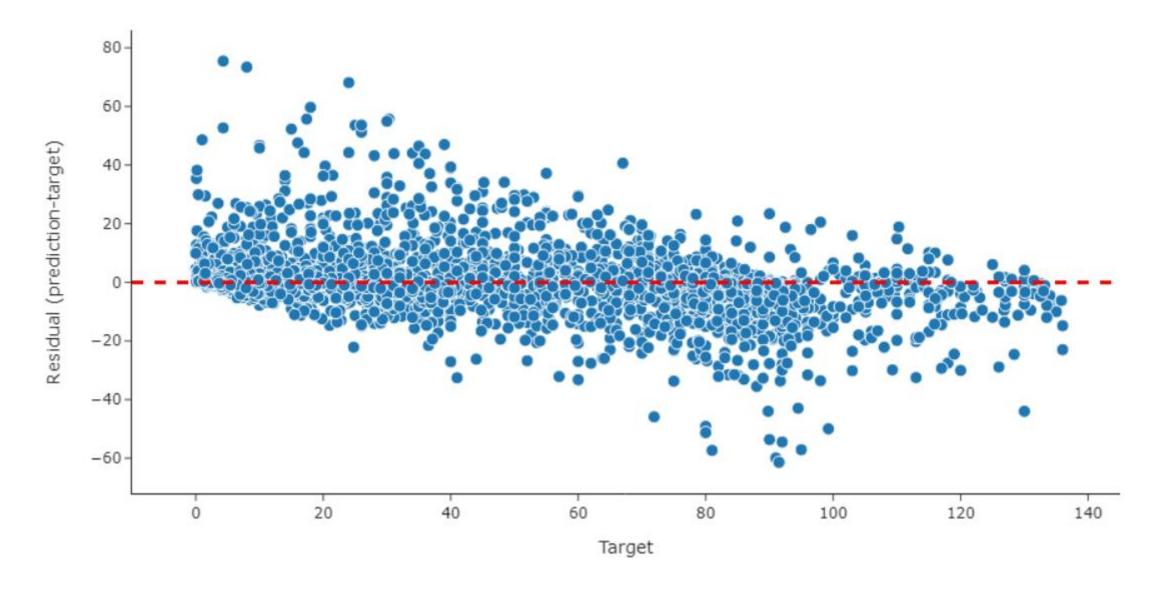
#### Important features based on XGBoost (average)



## Prediction based on XGB model (rfe)



## Residual



### Potential improvements

- Use one-hot encoder on chemical formula
- Different model, such as neural network
- Classify data into low and high critical temperature before regression

### Summary

- model: XGBoost
- feature selection: recursive feature elimination k=27 (from 81)
- best test score: 9.49
- most important features: range thermal conductivity, and range atomic radius
- most important properties: thermal conductivity, atomic radius, and valence