(9 hapitola)

$$(72) \frac{A+A}{F^{2}A+A} \frac{(1)}{F^{2}A+A} \frac{(1)}{B+B} (2)$$

$$(CP) \frac{P^{2}A+P^{2}B+A_{1}A_{1}B}{A+P^{2}B+A_{1}A_{1}B} (1)$$

$$\frac{A+P^{2}B+A_{1}B}{A+P^{2}B+A_{1}B} \frac{(P+B)}{(P+B)} \frac{(P+B)}{(P+B)} (1)$$

$$\frac{A+P^{2}B+A_{1}B}{A+P^{2}B+A_{1}B} \frac{(P+B)}{(P+B)} \frac{(P+B)}{(P+B)}$$

9.6 6)

9.6 e)

$$\frac{(I)}{A + A} \frac{(I)}{B + B} \frac{(I)}{(AR)}$$

$$\frac{A + B}{A + B} \frac{(AR)}{A + B} \frac{(I)}{A +$$

9.6 C)

9.6 d)

$$\frac{\overline{G+G}}{\overline{G+AVB}} (VR_2)$$

$$\overline{G=S} (AVB)$$

$$(VR_2)$$

$$\frac{A \vdash A}{A \vdash A \lor B} (UR)$$

$$\frac{A \vdash A \lor B}{\vdash A \Rightarrow (A \lor B)} (\Rightarrow R)$$

(b)

9)

$$\frac{A \vdash A}{A \land B \vdash A} (\land L1)$$

$$= (A \land B) \Rightarrow A$$

$$\frac{A \vdash A}{A \vdash A} (VR)$$

$$\frac{A \vdash A}{A \land B \vdash A \lor B} (AL)$$

$$+ (A \land B) => (A \lor B) (= 7R)$$

h)

(I)
$$(AL2)$$
 (BLB) (ALA) (ALA)

i)

$$\frac{(I)}{A + A} = \frac{(I)}{A + A} (AR)$$

$$\frac{A + (AAA)}{(AAA)} (=>R)$$

$$(I) \frac{A + A}{(7R)} \frac{(I)}{(7R)} \frac{A + A}{(7R)} \frac{(B + B)}{(7R)} \frac{(7R)}{(7R)} \frac{(7R)$$

$$\frac{A \vdash A}{A \vdash A} (A \vdash A)$$

$$\frac{[A \land (A \lor B)] \vdash A}{\vdash (A \land (A \lor B)) \Rightarrow A} (\Rightarrow R)$$

(I)
$$\frac{A + A}{A + A \times B} (VR1)$$

$$\frac{A + A}{A + A \times B} (\Lambda R)$$

$$\frac{A + A + (A \wedge (A \vee B))}{(A \wedge (A \vee B))} (CL)$$

$$+ A = (A \wedge (A \vee B))$$

$$+ A = (A \wedge (A \vee B))$$

$$+ A = (A \wedge (A \vee B))$$

$$(=>P) \frac{A \vdash A}{\vdash A \Rightarrow A_{1}A} \frac{(I)}{A \vdash A}$$

$$(=>P) \frac{(A \Rightarrow A) \Rightarrow A}{\vdash A \Rightarrow A} \stackrel{(I)}{\vdash A \Rightarrow A} \stackrel$$

m)

$$\frac{-(I)}{A \vdash A} (R) - I$$

$$\frac{-(A)}{A \vdash A} (R)$$

$$\frac{-(A)}{A \vdash A} (R)$$

$$\frac{-(A)}{A \vdash A} (R)$$

$$\frac{-(A)}{A \vdash A} (R)$$

 $(P) = \frac{B + B}{B + B + B} (P)$ $(WR) = \frac{A + A}{A + B + B + B} (WL)$ $(WR) = \frac{A + A}{A + B + B + B} (WL)$ $(VR) = \frac{A + B + B + B}{A + B + B + B} (WL)$ $(VR) = \frac{A + B + B + B}{A + B + B + B} (WL)$ $(VR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(VR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(VR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(VR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(VR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(VR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(VR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(VR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(VR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(VR) = \frac{A + B + B + B + B}{A + B + B} (WL)$ $(VR) = \frac{A + B + B + B + B}{A + B + B} (WL)$ $(VR) = \frac{A + B + B + B + B}{A + B + B} (WL)$ $(VR) = \frac{A + B + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ $(RR) = \frac{A + B + B + B}{A + B + B} (WL)$ (RR) =

+ (A=>6) v (An'3)

(3)

(+)

$$\frac{B+B}{B+B+A} (CR)(CL)$$

$$\frac{B_1A+B_1A}{A+B_1A} (CR)(CL)$$

$$(=>R) \frac{A_1B_1A+B_1A}{A+B_1A+B_1A} (ER)$$

$$\frac{A=>B_1A=>B_1A}{A+A} (E>>L)$$

$$\frac{(A=>B)=>A+A_1A}{(A=>B)=>A+A} (ER)$$

$$(I) = \frac{A \vdash A \land B \vdash B}{A \vdash A \land B \vdash B}$$

$$(I) = \frac{A \vdash A \land B \vdash B}{A \vdash A \vdash B \vdash B} (PR)$$

$$(VR_2) = \frac{C \vdash C}{C \vdash C \lor B} = \frac{A \Rightarrow B \land A \vdash B}{A \Rightarrow B \land C \lor B \land C \lor B} (VR_1)$$

$$A \Rightarrow B \land C \lor A \vdash C \lor B \land C \lor B$$

$$A \Rightarrow B \vdash (C \lor A) \Rightarrow (C \lor B)$$

$$(I) = \frac{A \vdash A \land B \vdash B}{A \Rightarrow B \land C \lor B \vdash C \lor B} (PR)$$

$$(VR_2) = \frac{A \Rightarrow B \vdash C \lor B \vdash C \lor B}{A \Rightarrow B \vdash C \lor A \vdash C \lor B} (PR)$$

(w)

~

$$(I) = (I) \frac{(I)}{A + A} \frac{(I)}{C \wedge A + C} \frac{C + C}{C \wedge A + C} \frac{(I)}{C \wedge A + C} \frac{$$