

ANALOG CIRCUITS DESIGN

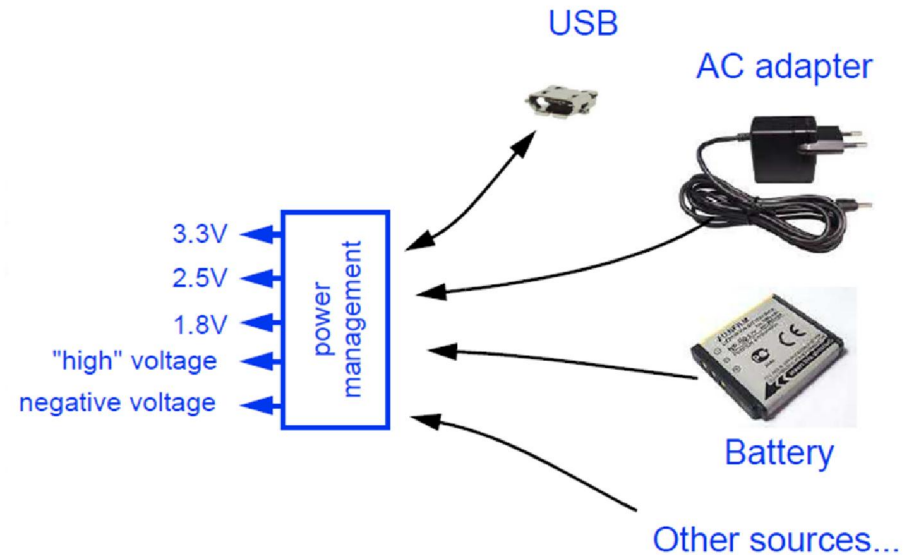
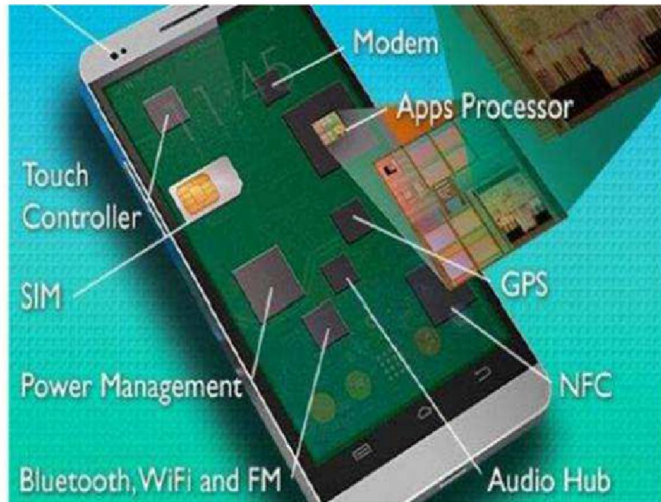
AE8: DC-DC converters

Course overview

- 1. Introduction
- 2. The linear regulator
- 3. Switching regulators
- 4. Switching versus linear

1. Introduction: system overview

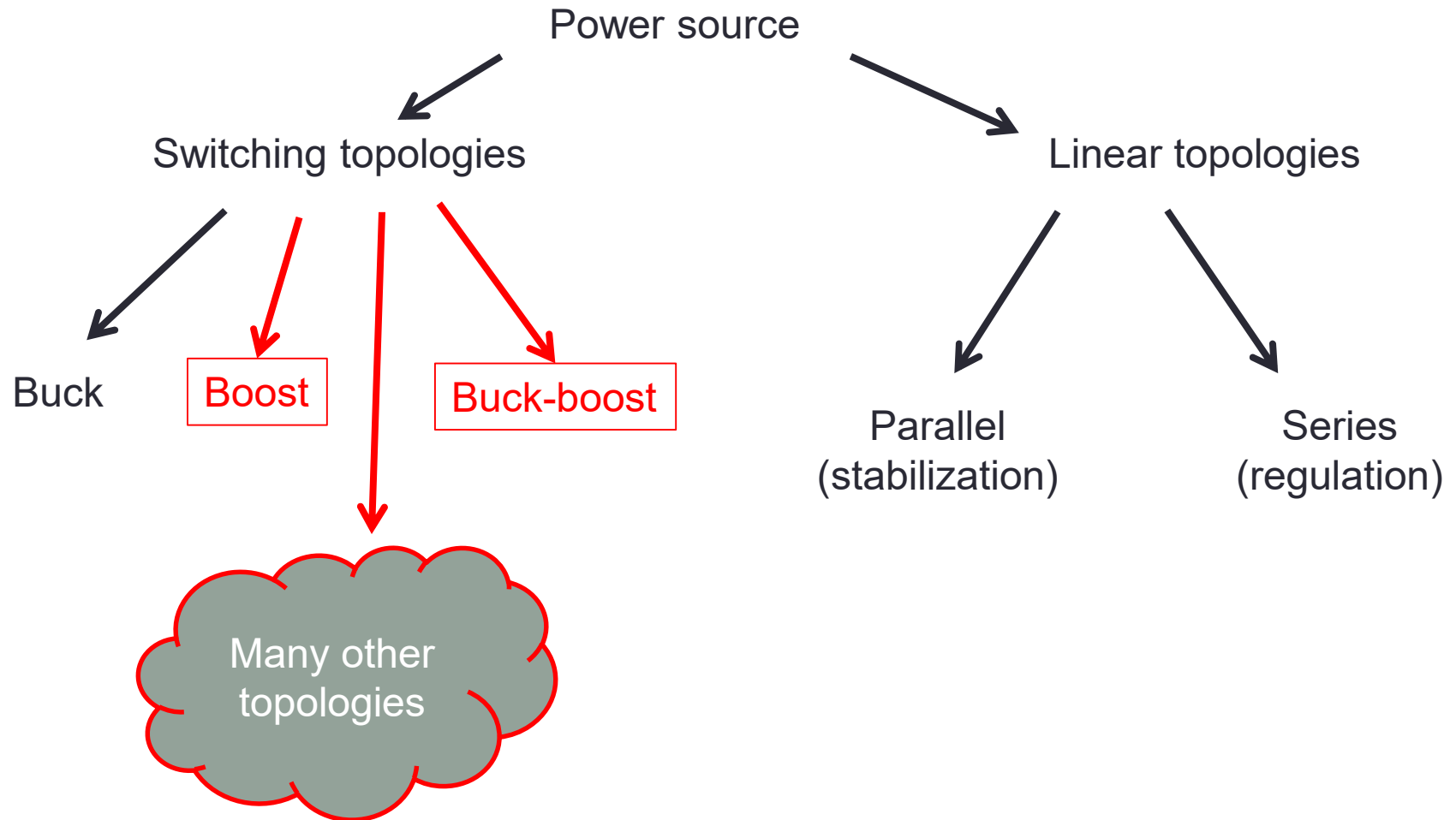
● Typical portable device



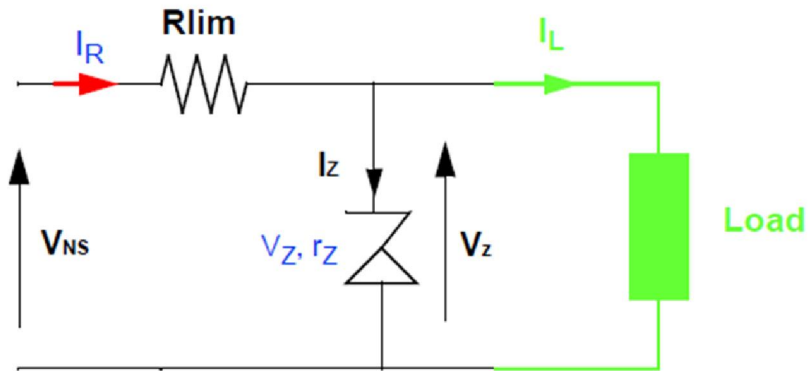
➡ Multiple power sources
Multiple volages values required

➡ Optimal use of power supplies
Heath dissipation & occupied area
Devices protection

1. Introduction: topologies overview



1. Introduction: Stabilization vs regulation



➡ Stabilization:

Only attenuates variations of V_{NS}

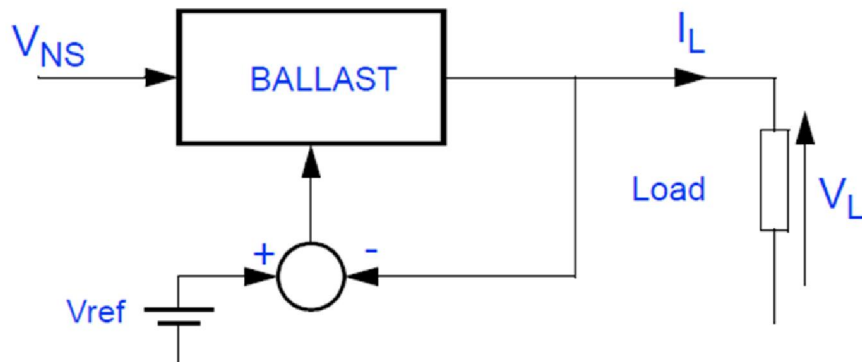
$$r_Z \ll R_{lim}$$

Load current peaks smoothing

$$I_R = I_Z + I_L = Cte$$

Large influence of temperature (Zener: $2mV/^{\circ}C$)

Shunt configuration



➡ Regulation:

Reacts to variations of V_{NS} : permanent comparison of V_L with a reference (temperature compensated)

Correction with respect to variations:

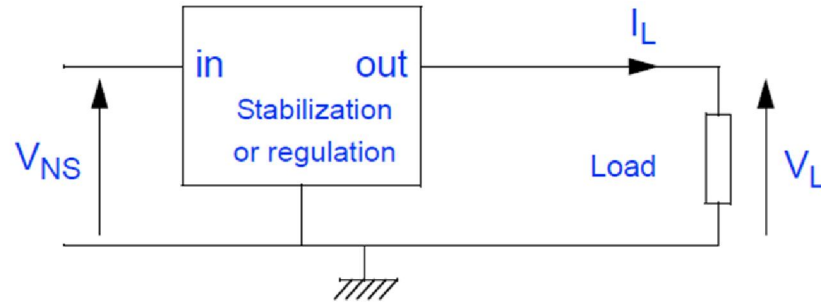
of load current changes

of V_{NS} variations

Series configuration

1. Introduction: Line vs Load regulation

- Two important features



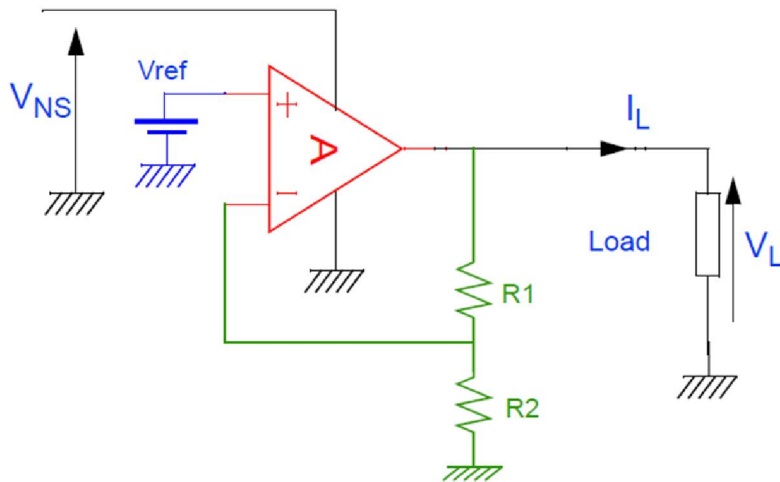
How output voltage changes if input voltage changes (LiNe Regulation)?

$$\Delta V_{LNR} = \left(\frac{\Delta V_L}{\Delta V_{NS}} \right) I_L = \text{Cte}$$

How output voltage changes if output current changes (LoaD Regulation)?

$$\Delta V_{LDR} = \left(\frac{\Delta V_L}{\Delta I_L} \right) V_{NS} = \text{Cte}$$

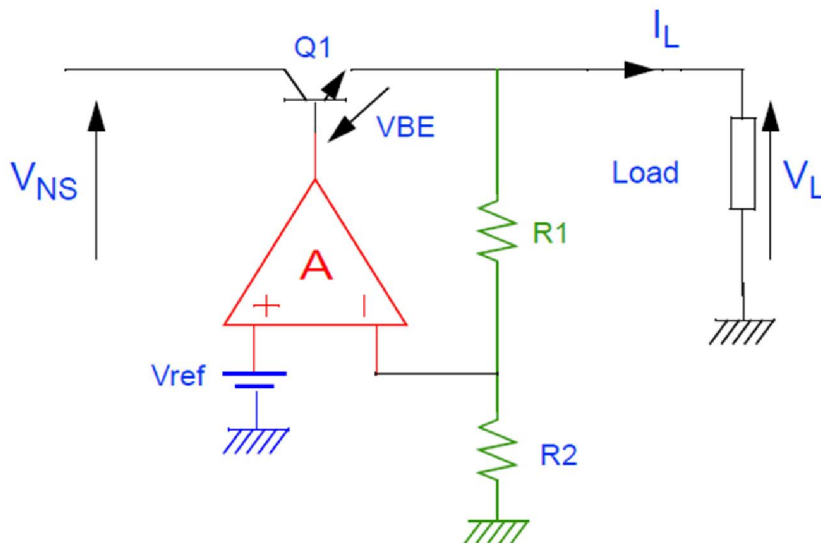
2. The linear regulator: principle of operation



Feedback: the amplifier attempts to adjust its output voltage so that:

$$V_{ref} = V_L \cdot \frac{R2}{R1 + R2} \quad \longrightarrow \quad V_L = V_{ref} \cdot \left(1 + \frac{R1}{R2}\right)$$

● Practical implementation

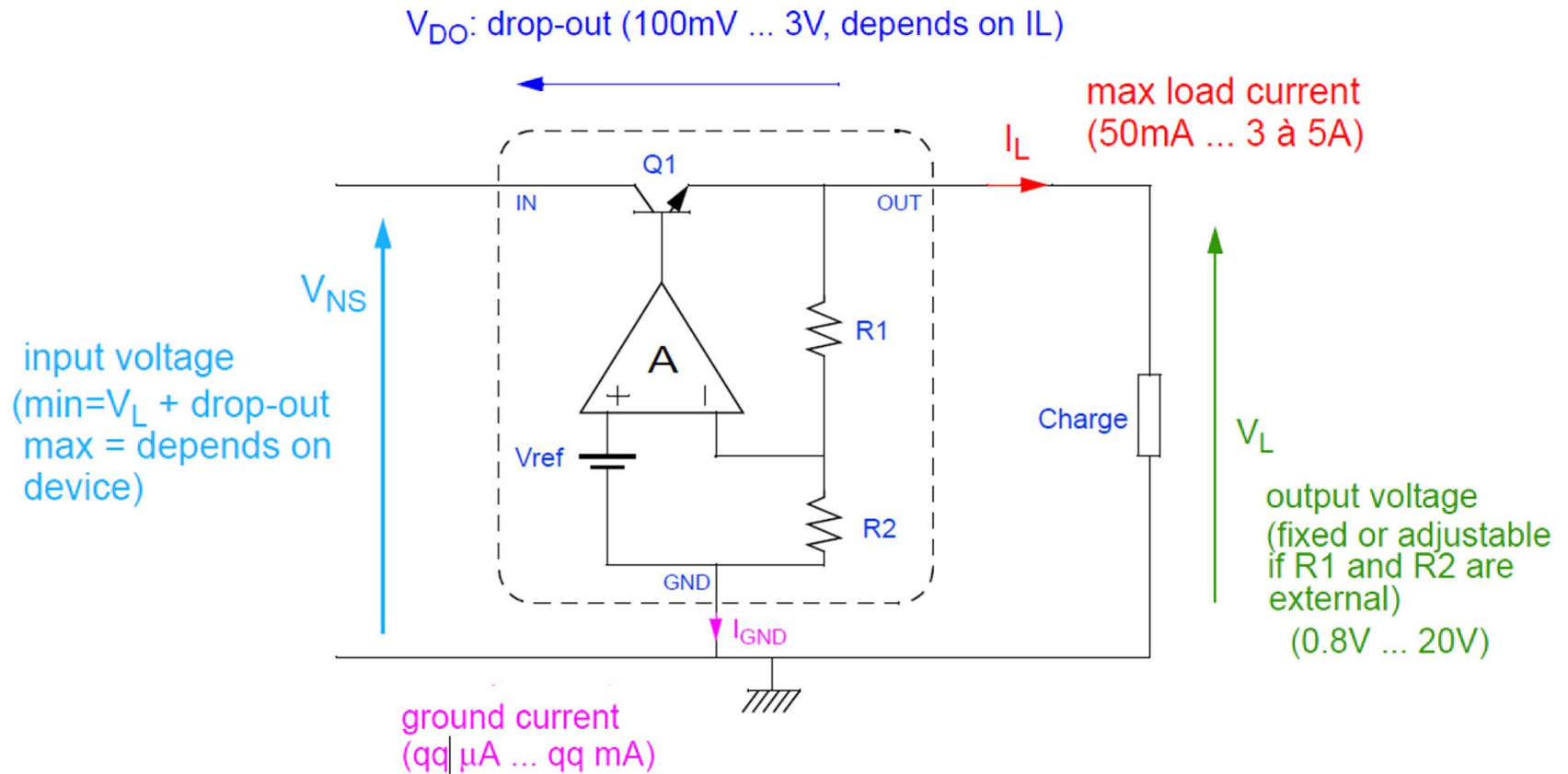


Amplifier must remain in linear region, i.e. $V_{NS} > V_L$

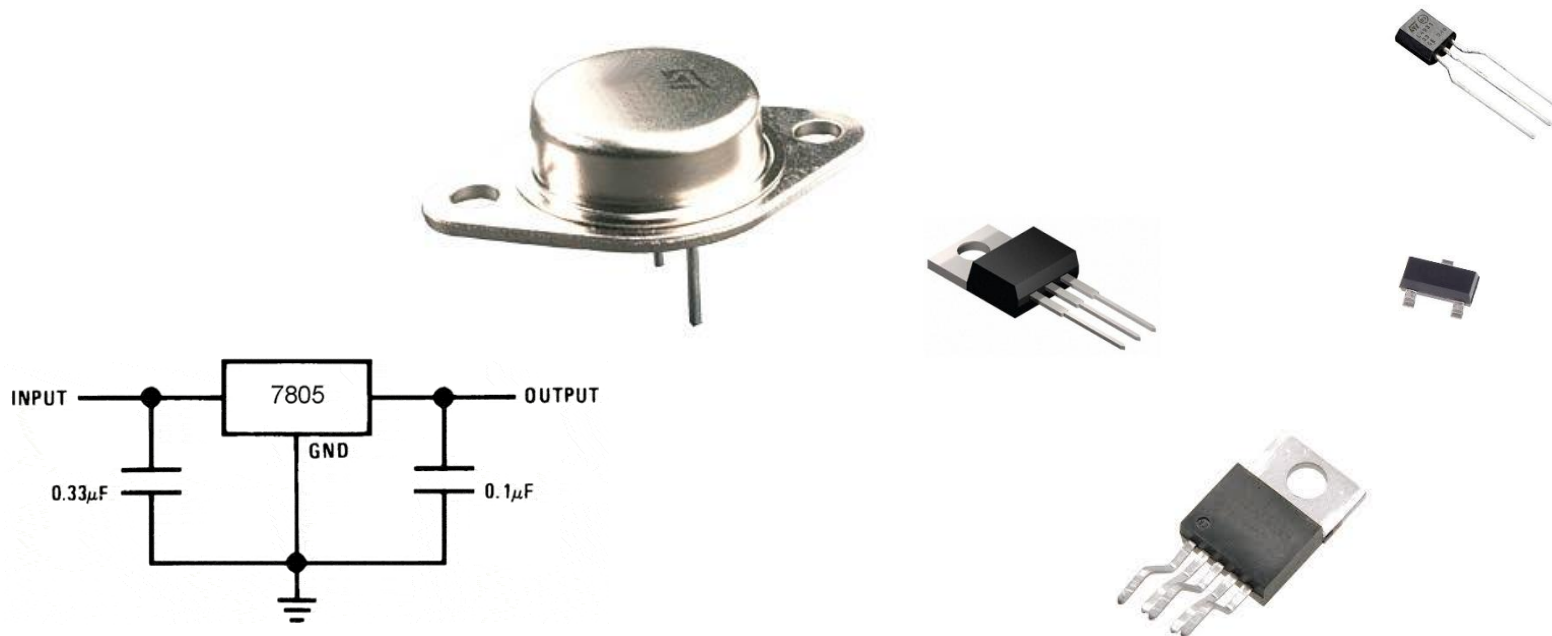
= Non-zero dropout voltage

Main limitation: non-inverting, attenuator

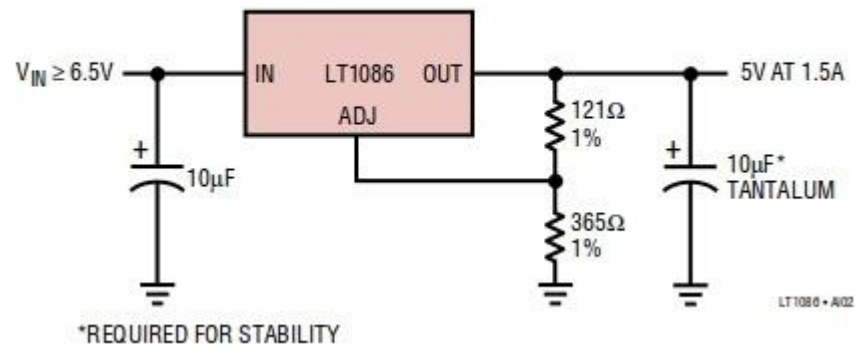
2. The linear regulator: some important features to check



2. The linear regulator: what does it look like?

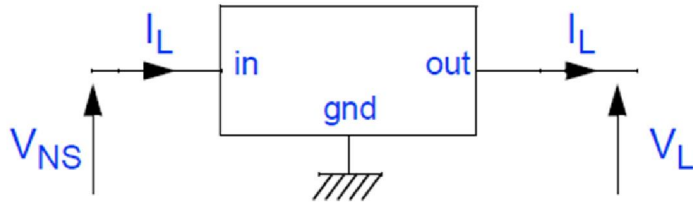


5V, 1.5A Regulator



2. The linear regulator: drop-out voltage issue

- Why is drop-out voltage (V_{DO}) an issue?

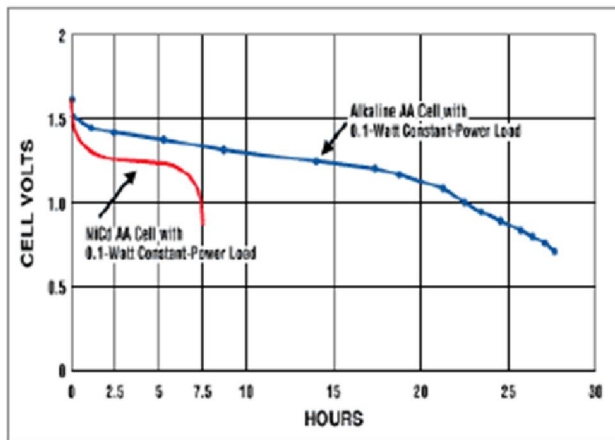


Dissipated power: $P_D = (V_{NS} - V_L) \cdot I_L$

Min. dissipated power: $P_D = V_{DO} \cdot I_L$
min

efficiency: $\eta_{\max} \approx \frac{V_L}{V_{NS}} = \frac{V_{NS} - V_{DO}}{V_{NS}} = 1 - \frac{V_{DO}}{V_{NS}}$
min

Drop-out voltage impacts battery lifetime: example for $V_L = 3.3V$, $I_L = 30mA$



$V_{DO} = 1.8V$

$V_{NSmin} = V_L + V_{DO} = 5.1V$

4 cells

min. 1.28V per cells

battery lifetime ~ 10h

$V_{DO} = 380mV$

$V_{NSmin} = 3.68V$

3 cells

min. 1.22V per cells

battery lifetime ~ 15h

$V_{DO} = 110mV$

$V_{NSmin} = 3.44V$

3 cells

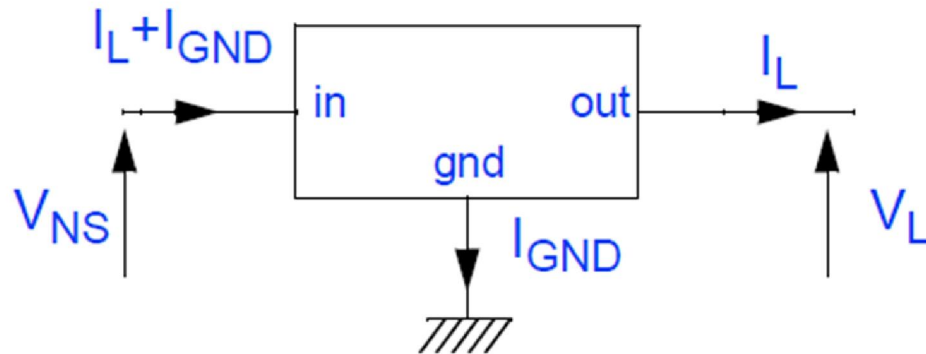
min. 1.11V per cells

battery lifetime ~ 20h

Competitive advantage for Low Drop-Out (LDO) regulators

2. The linear regulator: ground current issue

- When is ground current (I_{GND}) an issue?



best case for V_{NS}

$$\text{efficiency: } \eta_{\max} \approx \frac{V_L \cdot I_L}{V_{NS} \cdot (I_L + I_{GND})} = \left(1 - \frac{V_{DO_{\min}}}{V_{NS}}\right) \cdot \frac{I_L}{I_L + I_{GND}}$$

Design target: $I_{L\min} \gg I_{GND}$

May be an issue when $I_L = 0$ (sleep mode)

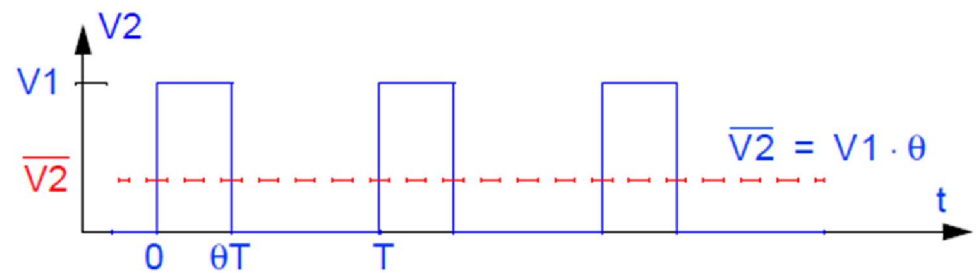
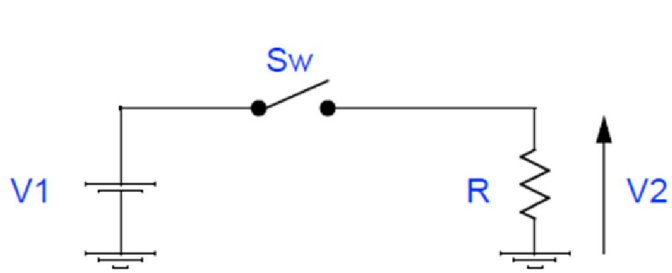
3. Switching regulators: the idea behind that

- Why not a linear regulator?

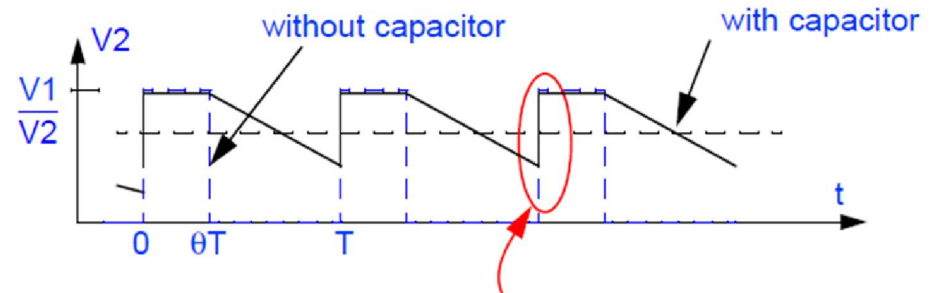
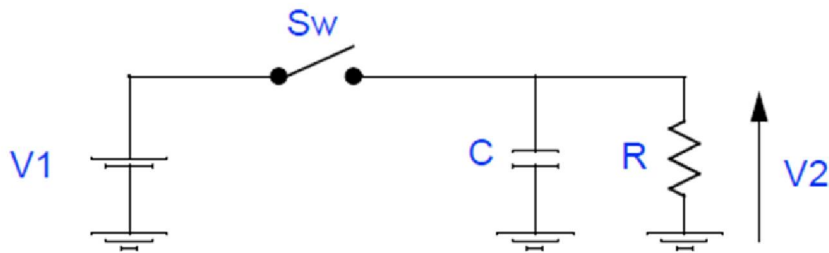
The linear regulator dissipates power continuously = bad efficiency

Solution: provide power when necessary to an energy "tank"

- Principle of operation

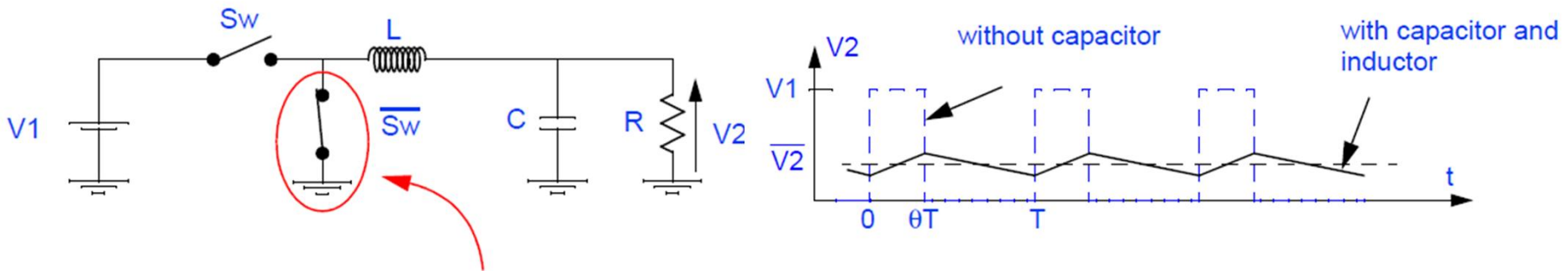


Requires a capacitor to smooth the output voltage



Requires an inductor to limit current spikes in the capacitor when turning the switch on

3. Switching regulators: the idea behind that (2)

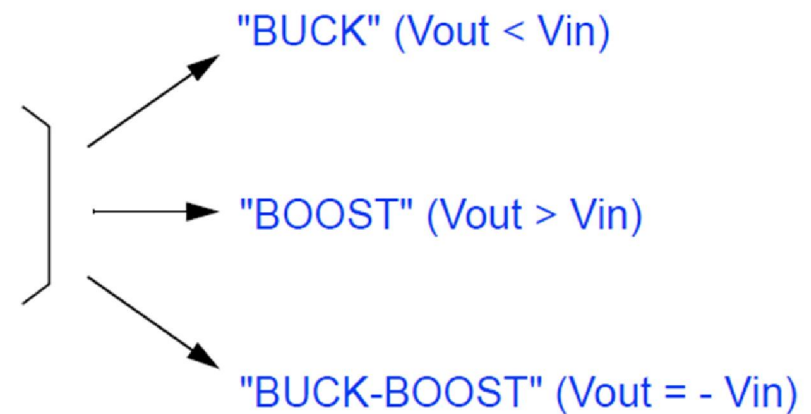


Current can't be zeroed instantaneously in an inductor: a second switch is required to close the path

- Minimum required hardware

A filtering capacitor at the output

A combination of 2 switches and an inductor

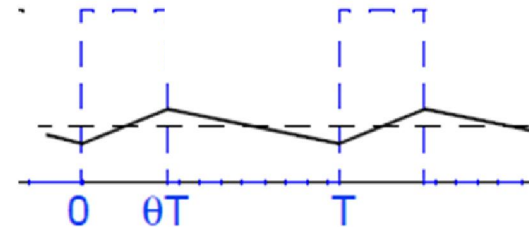


3. Switching regulators: L & C in periodic steady state

duality principle:

inductor \longleftrightarrow capacitor
current \longleftrightarrow voltage
no current discontinuity through an inductor
no voltage discontinuity across a capacitor

Assumption: operation in the periodic steady state



$$v(t) = L \cdot \frac{di(t)}{dt}$$

$$i(t) = i(t_0) + \frac{1}{L} \cdot \int_{t_0}^{(t_0 + t)} v(t) \cdot dt$$

$$i(t_0) = i(t_0 + T)$$

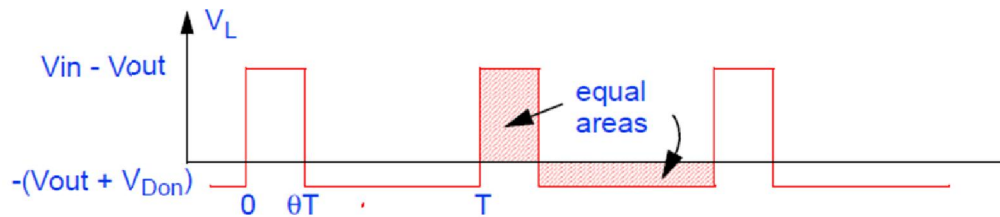
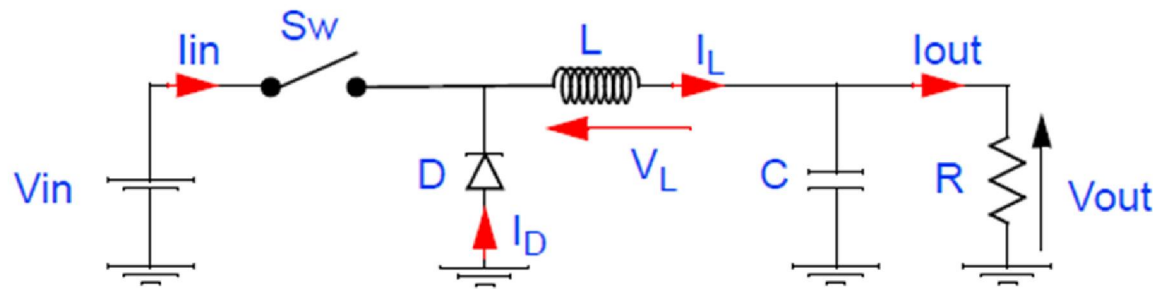
$$i(t_0 + T) - i(t_0) = 0$$

$$\text{thus: } \int_{t_0}^{(t_0 + T)} v(t) \cdot dt = \frac{1}{T} \cdot \int_{t_0}^{(t_0 + T)} v(t) \cdot dt = 0$$

Average voltage across an inductor is zero in periodic steady state

Duality: average current through a capacitor is zero in periodic steady state

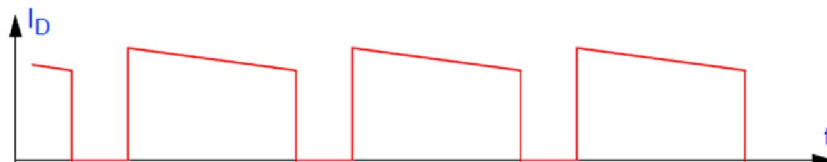
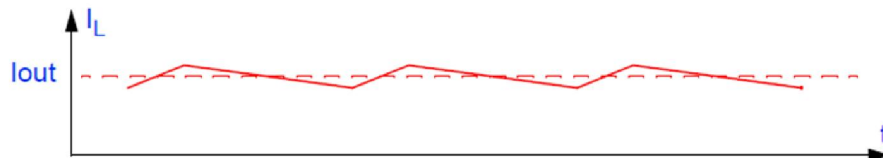
3. Switching regulators: BUCK converter



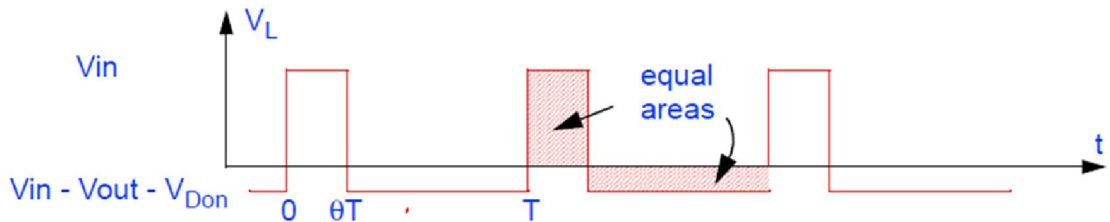
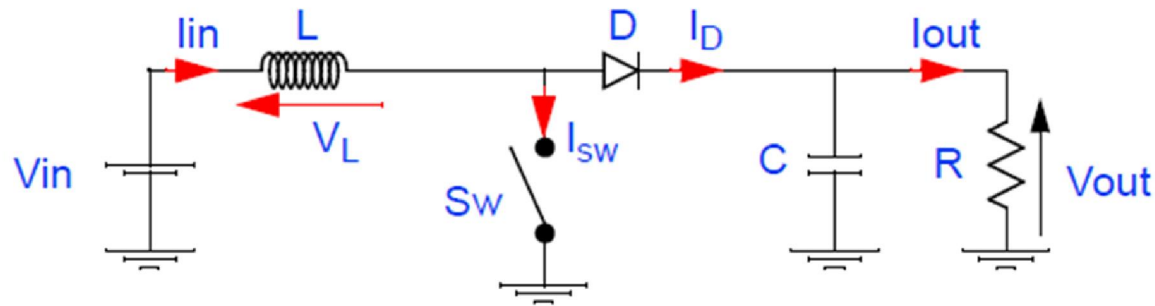
Average voltage across the inductor is zero, V_{Don} neglected (ideal diode):

$$(V_{in} - V_{out}) \cdot \theta T = V_{out} \cdot T \cdot (1 - \theta)$$

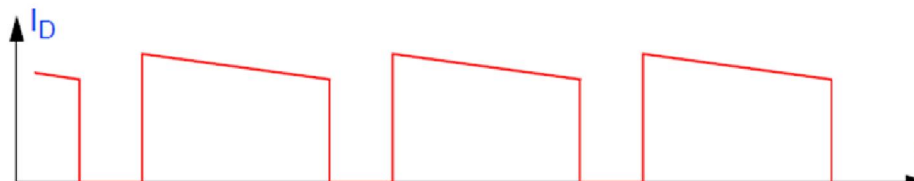
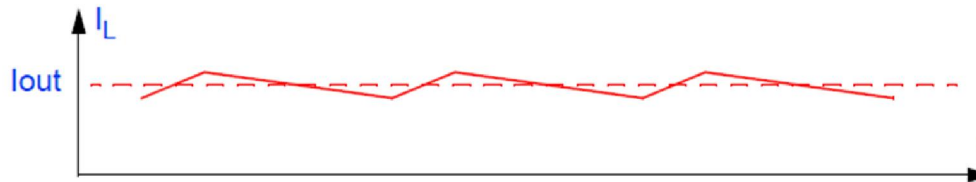
$$\frac{V_{out}}{V_{in}} = \theta$$



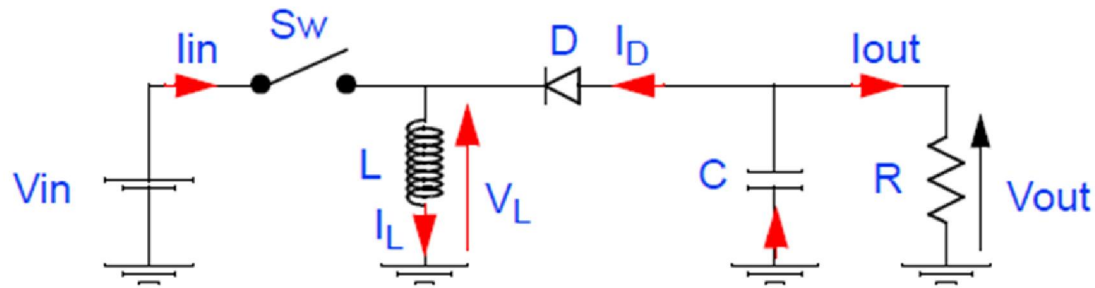
3. Switching regulators: BOOST converter



$$\frac{V_{out}}{V_{in}} = \frac{1}{1 - \theta}$$



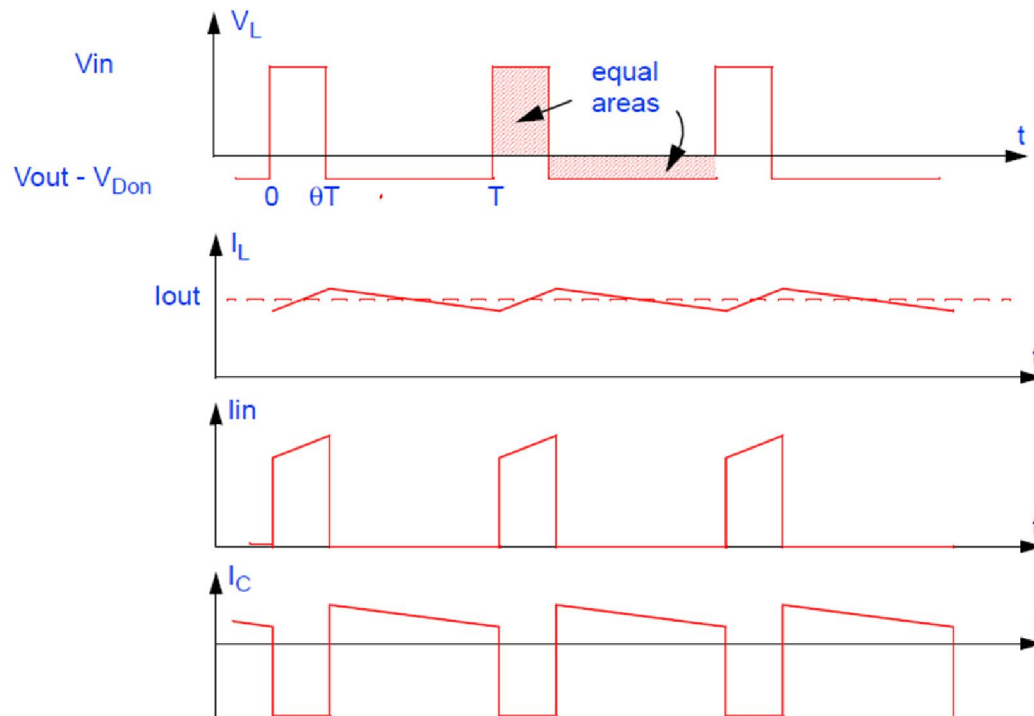
3. Switching regulators: BUCK-BOOST converter



Average voltage across the inductor is zero, V_{Don} neglected (ideal diode):

$$V_{in} \cdot \theta T = -V_{out} \cdot T \cdot (1 - \theta)$$

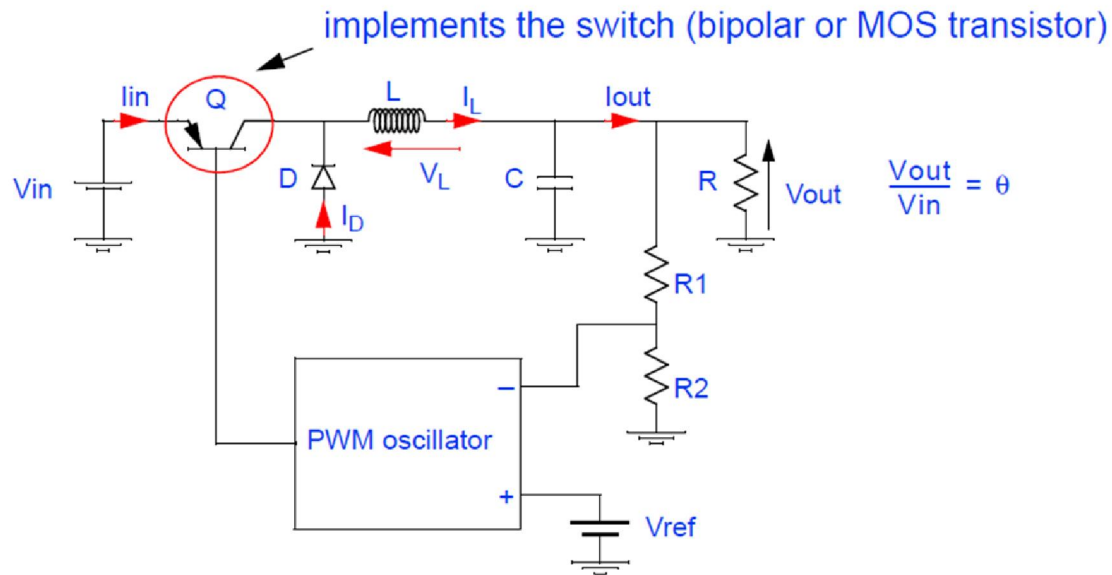
$$\frac{V_{out}}{V_{in}} = \frac{-\theta}{1 - \theta}$$



3. The switching regulator: what does it look like?



3. Switching regulators: output voltage regulation



PWM = Pulse Width Modulation : duty cycle θ is adjusted to keep V_{out} constant whatever the variations of V_{in} and I_{out}

V_{in} constant: $V_{out} \downarrow \rightarrow \theta \uparrow \rightarrow I_L \uparrow \rightarrow I_{out} \uparrow \rightarrow V_{out} \uparrow$

constant load: $V_{in} \downarrow \rightarrow I_L \downarrow \rightarrow I_{out} \downarrow \rightarrow V_{out} \downarrow \rightarrow \theta \uparrow \rightarrow I_L \uparrow \rightarrow I_{out} \uparrow \rightarrow V_{out} \uparrow$

3. Switching regulators: efficiency & losses

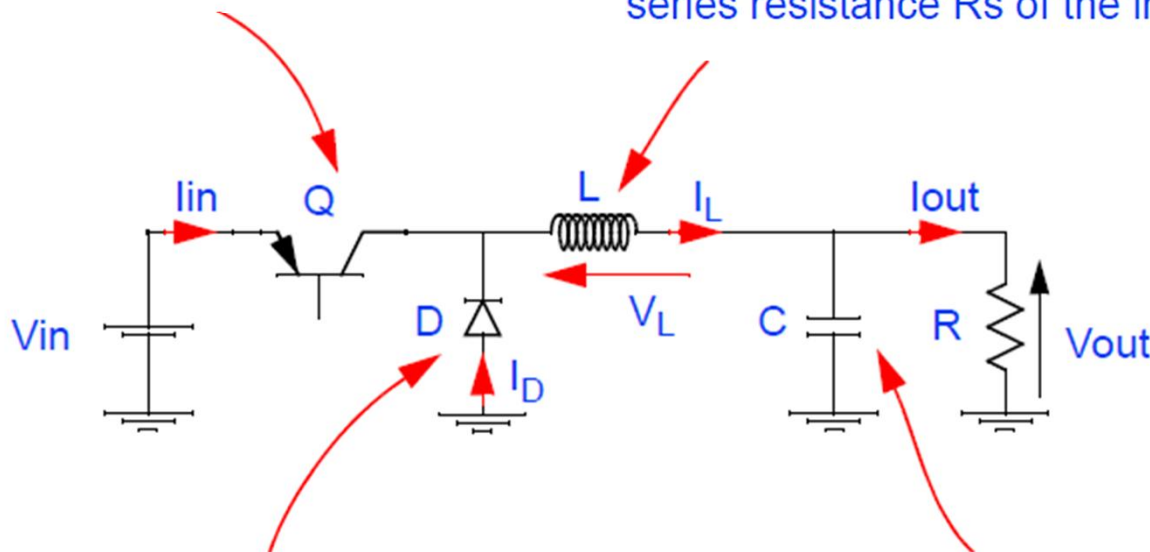
No dissipative element in the circuit: **theoretical efficiency $\eta = 100\%$!!**

Practically, $\eta < 100\%$ due to losses which come from:

power dissipated ($P_{T_{diss}}$) in the switch (transistor):

- when switch is on ($P_{T_{diss}} = V_{CEsat} * I_{in}$)
- during commutations

series resistance R_s of the inductor ($P_{R_{diss}} = R_s I_L$)



power dissipated ($P_{D_{diss}}$) in the diode
($P_{D_{diss}} = V_{D_{on}} * I_D$)

series resistance R_{ESR} of the capacitor

Use Schottky diodes!

ESR: Equivalent Series Resistor

4. Linear versus Switching

	Linear	Switching
Configurations	"BUCK" only	BOOST, BUCK, BUCK-BOOST
Efficiency	Typically low to average, high if $V_{NS}-V_L=V_{DO}$	High excepted for low load currents I_L
Temperature rise	High, depends on $V_{NS}-V_L$	Normally low
Design complexity	Low, low component count	Average to high typically more components compared to linear designs design may be difficult **
Size	large area if heathsink is mandatory	lower area compared to linear designs for high output power
Cost	low	average to high
Output noise	low	average to high

** Fortunately, free design tools exist: WEBBENCH from Texas instruments, LTpowerCAD from Linear Technology and many more....