



Learning with Small Samples

Including zero-shot learning

Nour Karessli
DSR 2018



Structure

- Introduction & motivation
- Zero-shot learning
 - Definition
 - Side information
 - Zero-shot learning models
 - Exercise
- Low-shot learning
 - Definition
 - Low-shot learning models
- Tips & tricks
- Exercises



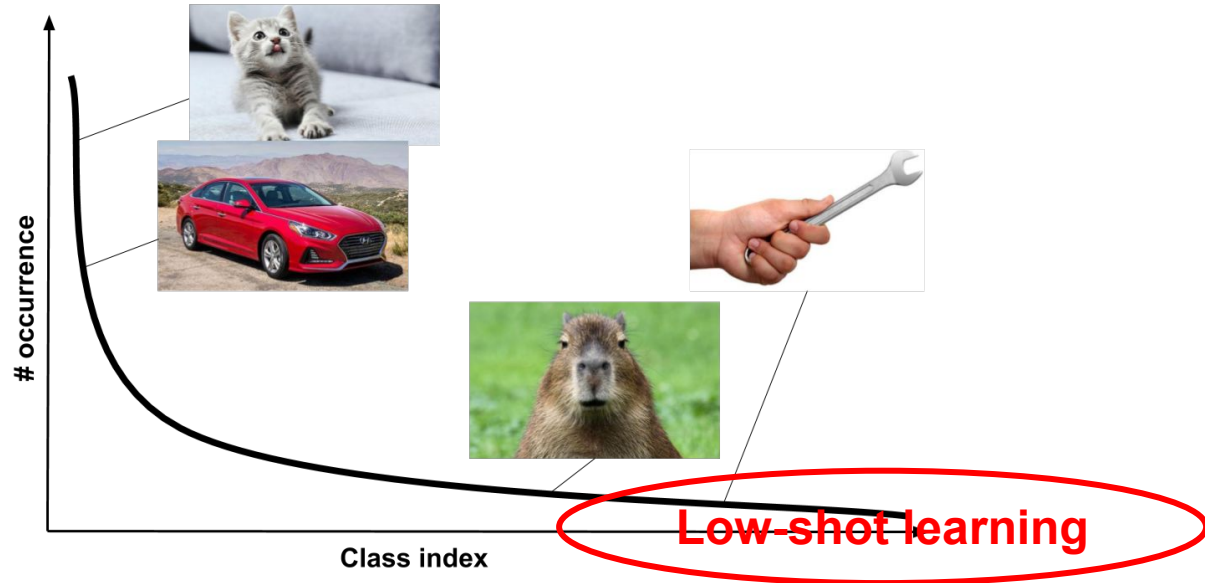
Low-shot Learning



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Go back to tail distribution..



<https://www.cars.com/>

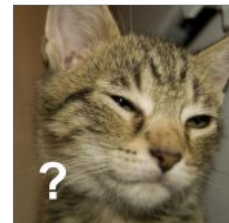
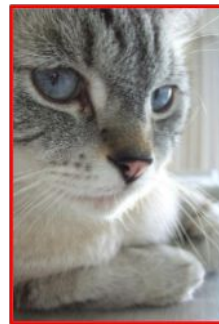
<http://www.foxnews.com/lifestyle/2017/11/09/how-to-keep-cat-from-scratching-your-sofa-to-shreds.html>

<https://www.livescience.com/55223-capybara-facts.html>

<https://www.indiamart.com/proddetail/hand-wrench-13045857897.html>

Low-shot learning

- Ability to generalize only with a few examples
- Exploits prior learning on other classes





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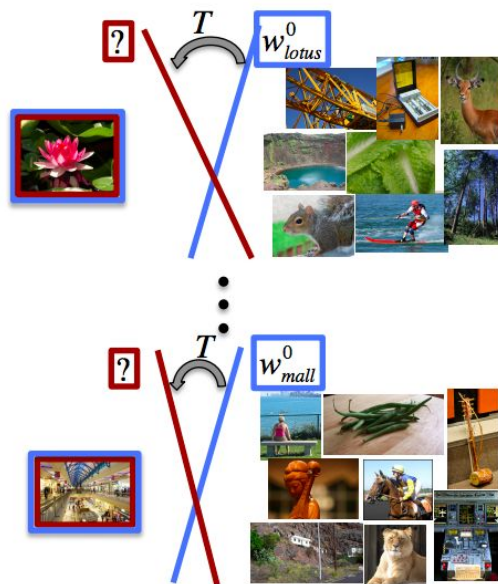
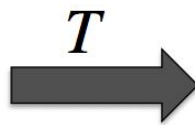
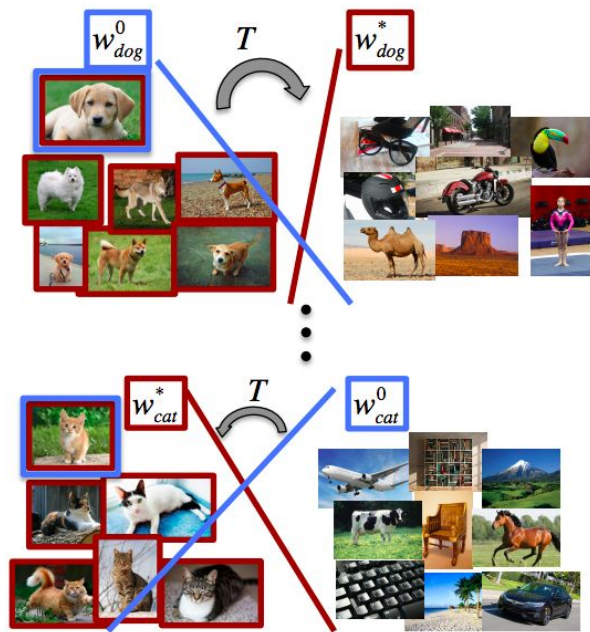


Low-shot learning approaches

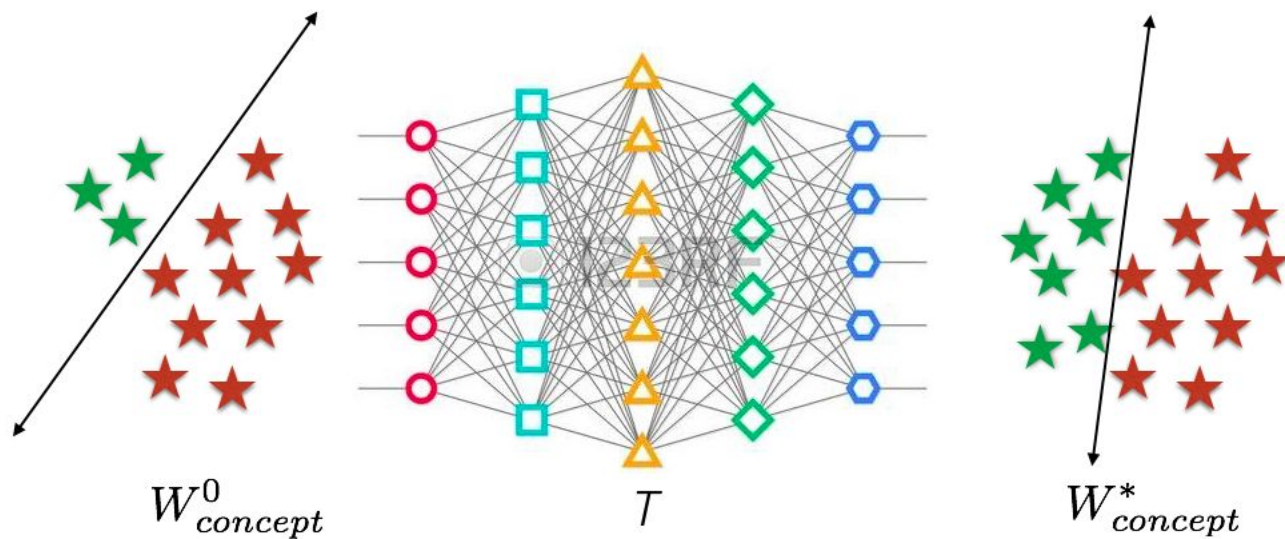
We will overview three recent works on the problem of low-shot image classification

- Learning to learn
- Matching nets
- Shrinking and Hallucinating Features

Learning to learn



Learning to learn



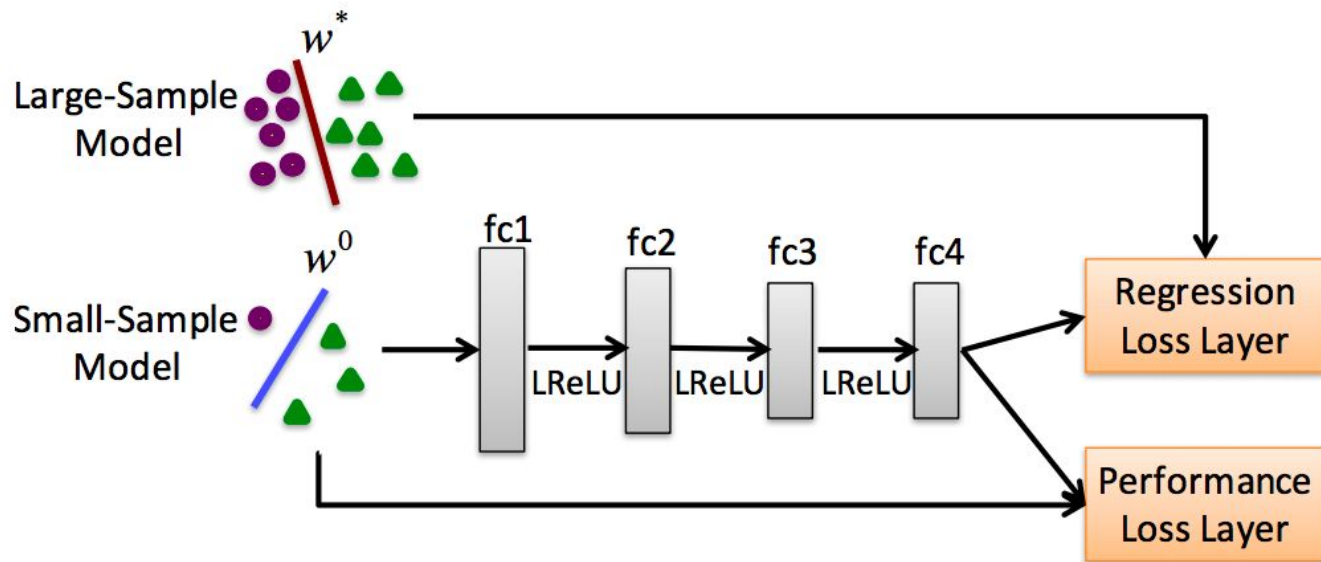


Learning to learn

Loss function

$$L(\Theta) = \sum_{j=1}^J \left\{ \underbrace{\frac{1}{2} \|\mathbf{w}_j^* - T(\mathbf{w}_j^0, \Theta)\|_2^2}_{\substack{\text{Model regression term} \\ \text{Euclidean distance}}} + \lambda \sum_{i=1}^{M+N} \underbrace{\left[1 - y_i^j \left(T(\mathbf{w}_j^0, \Theta)^T \mathbf{x}_i^j \right) \right]_+}_{\substack{\text{Data fitting term} \\ \text{Hinge loss}}} \right\}$$

Learning to learn





Learning to learn

Novel categories:

- **Initialization**
learn model from small set of K (image,label) pairs
- **Transformation**
perform the learned transformation T
- **Refinement**
retrain SVM using the transformed model as regularizer

$$R(\mathbf{w}) = \frac{1}{2} \|\mathbf{w} - T(\mathbf{w}^0, \Theta)\|_2^2 + \eta \sum_{i=1}^K [1 - y_i (\mathbf{w}^T \mathbf{x}_i)]_+$$



Matching Networks

Given a support set $S = \{(x_i, y_i)\}_{i=1}^k$ learns the mapping $S \rightarrow C_S(x)$

The classifier defines the probability distribution, P is parameterized by a neural network:

$$C(x^{test}) = P(y^{test}|x^{test}, S)$$

Prediction:

$$\operatorname{argmax}_y P(y|x^{test}, S)$$



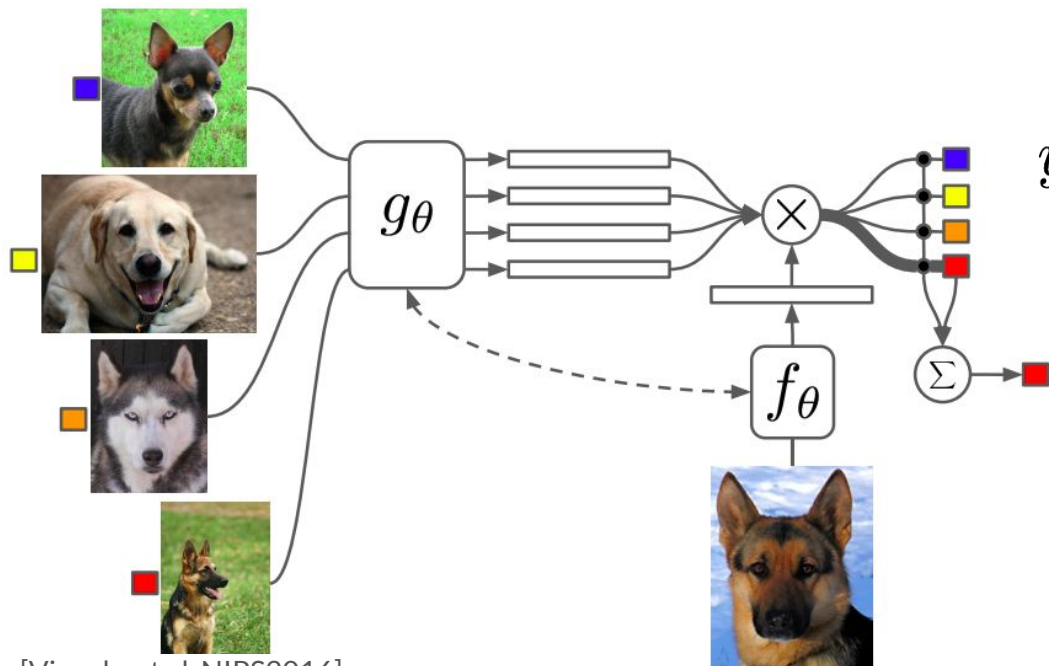
Matching Networks

Prediction

$$y^{test} = \sum_{i=1}^k a(x^{test}, x_i) y_i$$

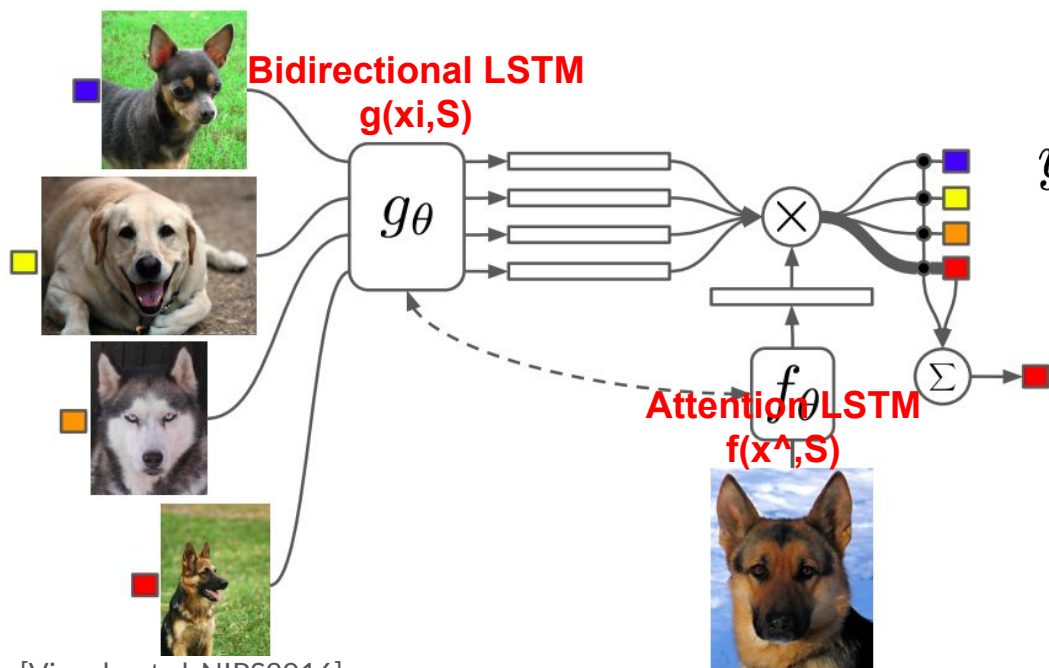
- Attention mechanism
- Linear combination of support set labels

Matching Networks



$$y^{test} = \sum_{i=1}^k a(x^{test}, x_i) y_i$$

Matching Networks



$$y^{test} = \sum_{i=1}^k a(x^{test}, x_i) y_i$$

0.1*Chihuahua
0.1*Labrador Retriever
0.5*German Shepherd
0.3*Siberian Husky



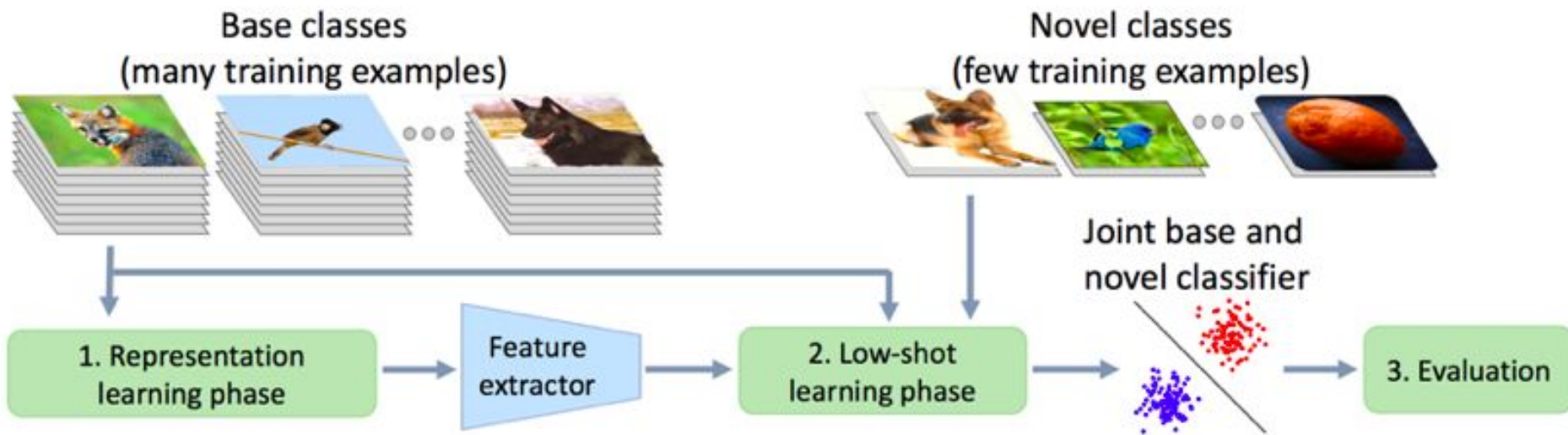
Matching Networks

Training strategy

1. Sample task **T** (5 labels, up to 5 examples per label)
2. Sample a label set **L** from **T** e.g. {cats, dogs}
3. Sample a support set **S** examples from **L**
4. Sample batch **B** examples from **L**
5. Evaluate loss on **B** using **S**

$$\theta = \underset{\theta}{\operatorname{argmax}} E_{L \sim T} [E_{S \sim L, B \sim L} [\sum_{(x,y) \in B} \log P_{\theta}(y|x, S)]]$$

Shrinking and Hallucinating Features

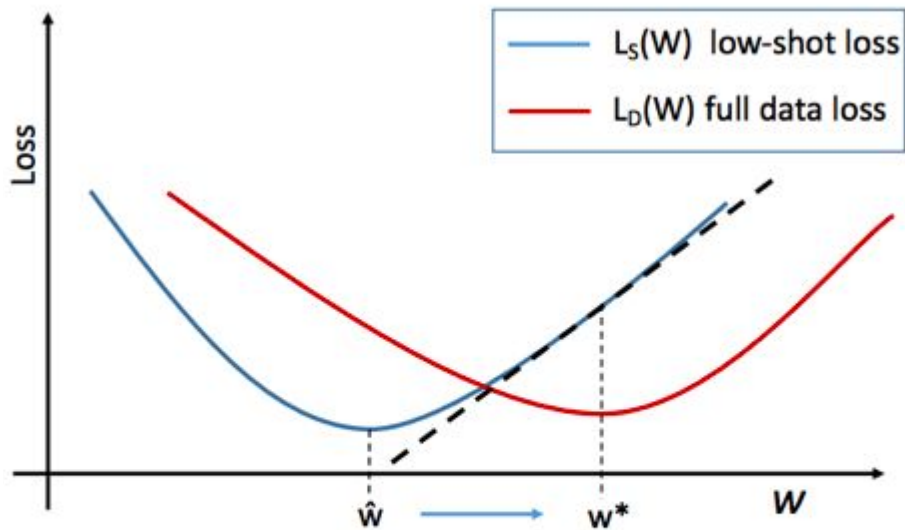


Shrinking and Hallucinating Features

Introduces Squared Gradient Magnitude loss

- Minimise the loss of low-shot during representation learning

→ better representation for low-shot learning



Shrinking and Hallucinating Features

Train feature extractor and classifier on D (all data) has the objective

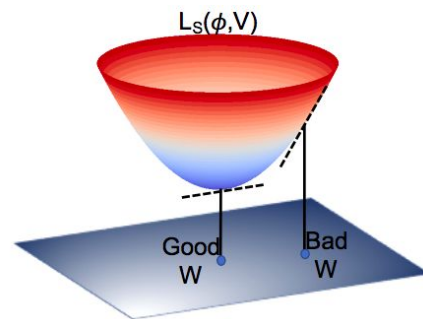
$$\min_{W, \phi} L_D(\phi, W) = \min_{W, \phi} \frac{1}{|D|} \sum_{(x, y) \in D} L_{cls}(W, \phi(x), y)$$

For small set S, the objective

$$\min_V L_S(\phi, V) = \min_V \frac{1}{|S|} \sum_{(x, y) \in S} L_{cls}(V, \phi(x), y)$$

Minimise

$$\tilde{L}_S(\phi, W) = \|\nabla_V L_S(\phi, V)|_{V=W}\|^2$$





Shrinking and Hallucinating Features

$$\begin{aligned}\tilde{L}_S(\phi, W) &= \sum_{k=1}^K (p_k(W, \phi(x)) - \delta_{yk})^2 \|\phi(x)\|^2 \\ &= \alpha(W, \phi(x), y) \|\phi(x)\|^2.\end{aligned}$$

$\alpha(W, \phi(x), y)$ Per example weight that is higher for misclassified data points

Final SGM loss

$$L_D^{SGM}(\phi, W) = \frac{1}{|D|} \sum_{(x,y) \in D} \alpha(W, \phi(x), y) \|\phi(x)\|^2$$



Shrinking and Hallucinating Features

Train feature representation by minimizing a linear combination of the SGM loss and the original classification objective

$$\min_{W, \phi} L_D(\phi, W) + \lambda L_D^{SGM}(\phi, W)$$

Shrinking and Hallucinating Features

Hallucinate samples



perched bird with sky background



perched bird with green background

Assumption

Any two examples z_1 and z_2 belonging to the same category represent a plausible transformation.

→ Given a novel category example x , apply to x the transformation that sent z_1 to z_2 .



Shrinking and Hallucinating Features

Fully supervised regression using MLP of 3 fully connected layers



Shrinking and Hallucinating Features

Fully supervised regression using MLP of 3 fully connected layers

1. Cluster feature vectors in each category into 100 clusters.



Shrinking and Hallucinating Features

Fully supervised regression using MLP of 3 fully connected layers

1. Cluster feature vectors in each category into 100 clusters.
2. Form quadruple of centroids

Shrinking and Hallucinating Features

Fully supervised regression using MLP of 3 fully connected layers

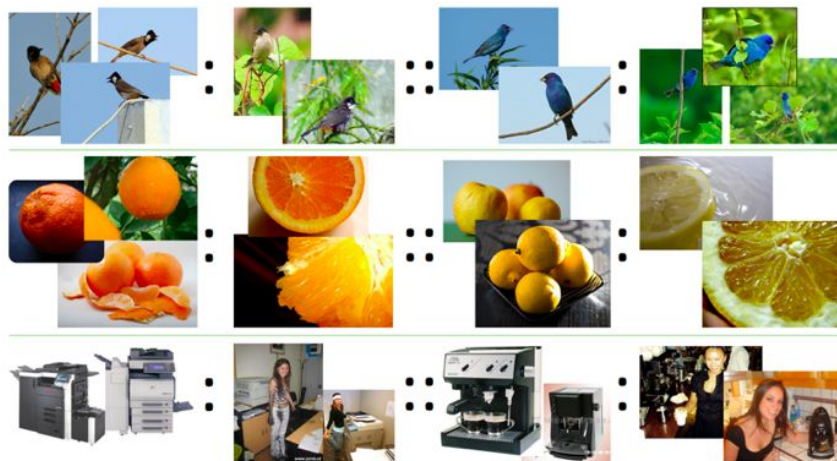
1. Cluster feature vectors in each category into 100 clusters.
2. Form quadruple of centroids
3. Feed 3 centroids and predict the forth



Shrinking and Hallucinating Features

Fully supervised regression using MLP of 3 fully connected layers

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4. Minimize the weighted sum of two losses



Shrinking and Hallucinating Features

Fully supervised regression using MLP of 3 fully connected layers

1. Cluster feature vectors in each category into 100 clusters.
2. Form quadruple of centroids
3. Feed 3 centroids and predict the forth
4. Minimize the weighted sum of two losses
 - Classification loss
 - Mean squared error



Results

Representation	Lowshot phase	n=1	2	5	10	20
<i>ResNet-10</i>						
Baseline	Classifier	14.1	33.3	56.2	66.2	71.5
Baseline	Generation* + Classifier	29.7	42.2	56.1	64.5	70.0
SGM*	Classifier	23.1	42.4	61.7	69.6	73.8
SGM*	Generation* + Classifier	32.8	46.4	61.7	69.7	73.8
L2*	Classifier	29.1	47.4	62.3	68.0	70.6
Baseline	Model Regression [47]	20.7	39.4	59.6	68.5	73.5
Baseline	Matching Network [46]	41.3	51.3	62.1	67.8	71.8

Top-5 accuracy on Imagenet1K for novel classes only

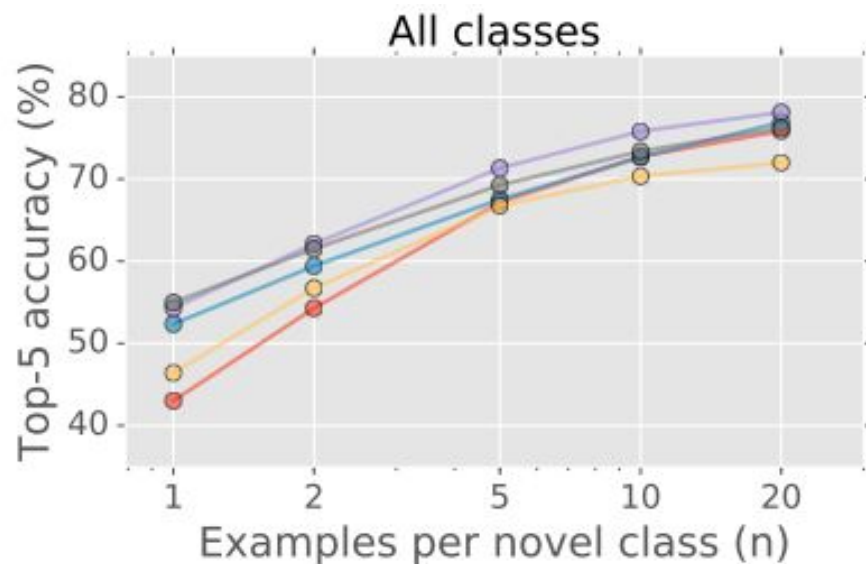
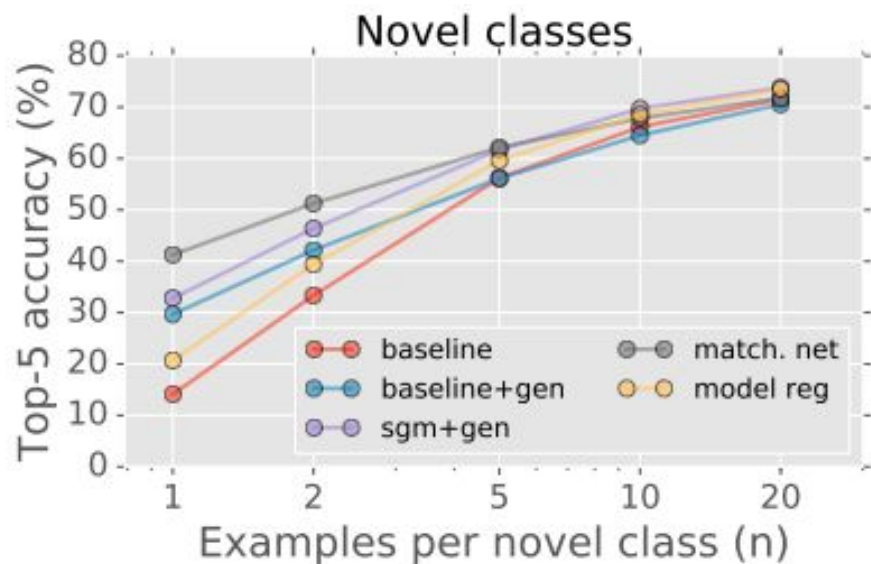


Results

Representation	Lowshot phase	n=1	2	5	10	20
<i>ResNet-10</i>						
Baseline	Classifier	43.0	54.3	67.2	72.8	75.9
Baseline	Generation* + Classifier	52.4	59.4	67.5	72.6	76.9
SGM*	Classifier	49.4	60.5	71.3	75.8	78.1
SGM*	Generation* + Classifier	54.3	62.1	71.3	75.8	78.1
L2*	Classifier	52.7	63.0	71.5	74.8	76.4
Baseline	Model Regression [47]	46.4	56.7	66.8	70.4	72.0
Baseline	Matching Network [46]	55.0	61.5	69.3	73.4	76.2

Top-5 accuracy on Imagenet1K for all classes

Results





Q & A