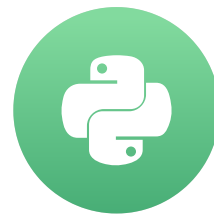


# Dimensionality reduction: feature extraction

PREPARING FOR MACHINE LEARNING INTERVIEW QUESTIONS IN PYTHON

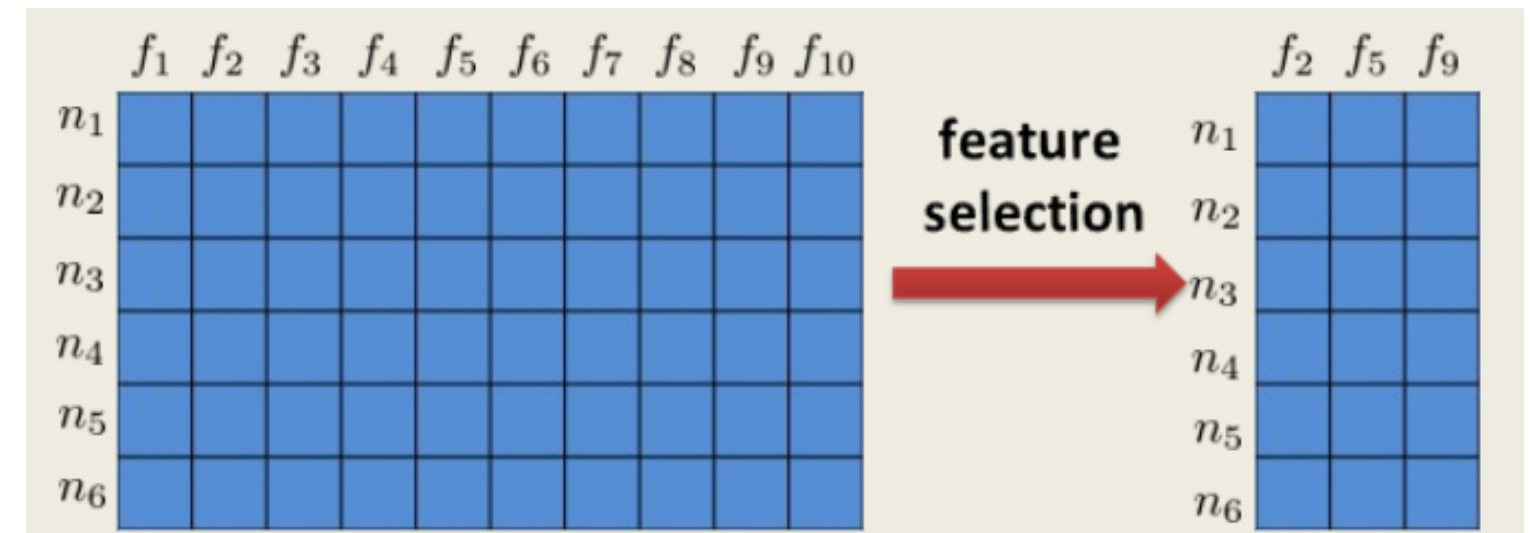
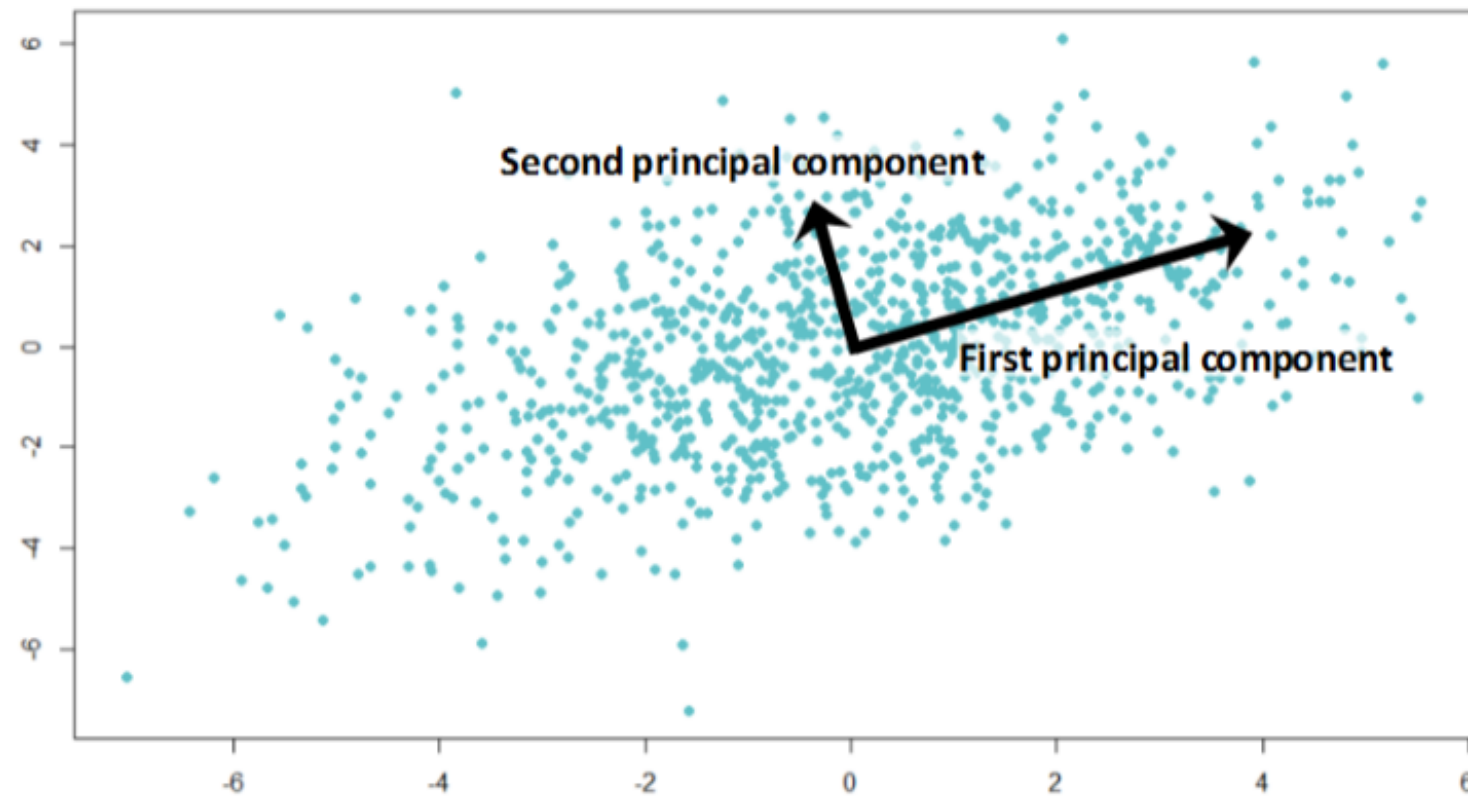
Lisa Stuart  
Data Scientist



# Unsupervised learning methods

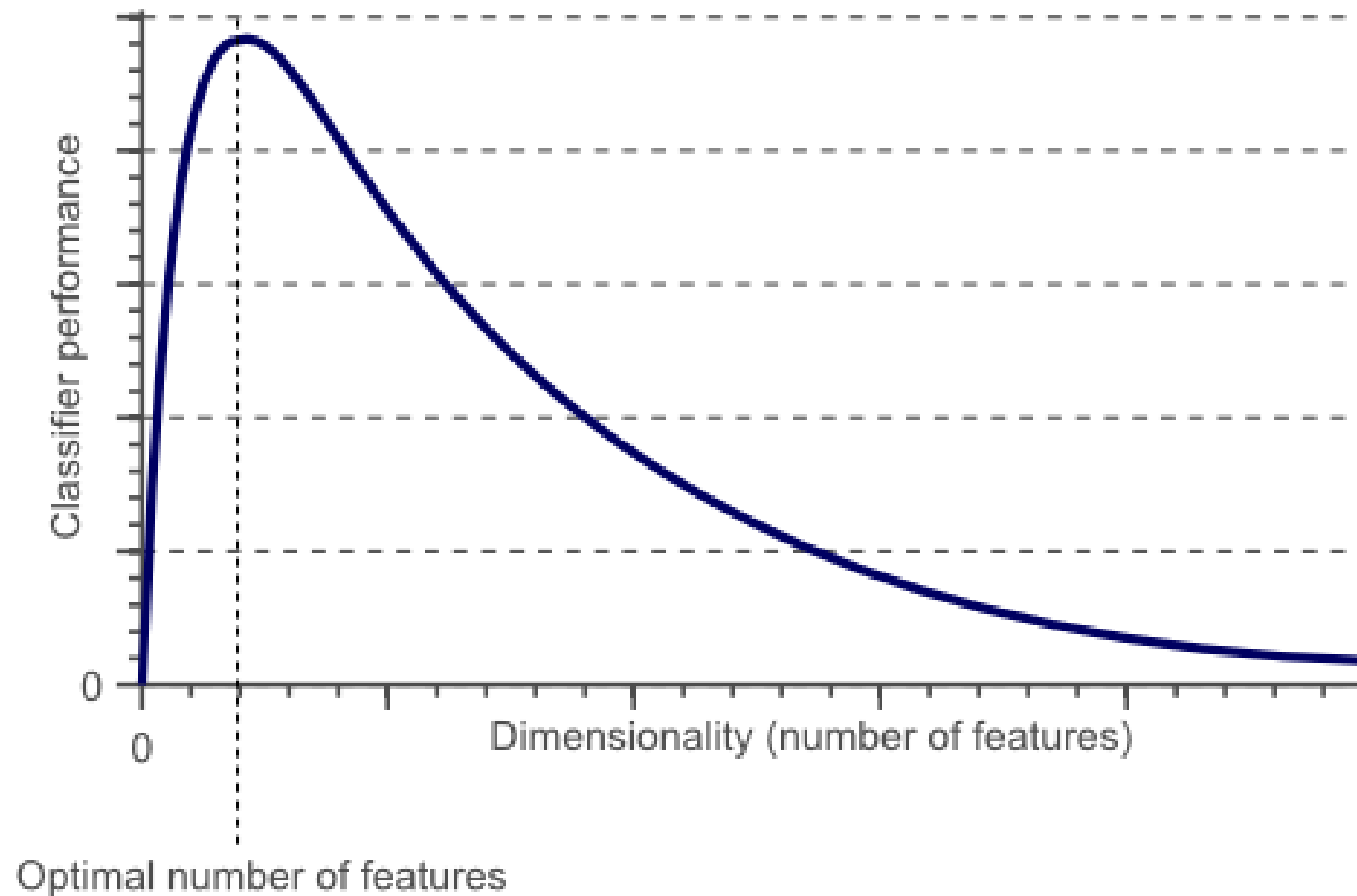
- Principal component analysis (PCA) --> Lesson 3.1
- Singular value decomposition (SVD) --> Lesson 3.1
- Clustering/grouping --> Lesson 3.3
- Exploratory data mining

# Dimensionality reduction != feature selection



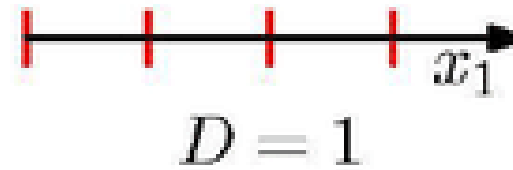
<sup>1</sup> <https://slideplayer.com/slide/9699240/> <sup>2</sup> <https://www.analyticsvidhya.com/blog/2016/03/practical-guide-principal-component-analysis-python/>

# Curse of dimensionality

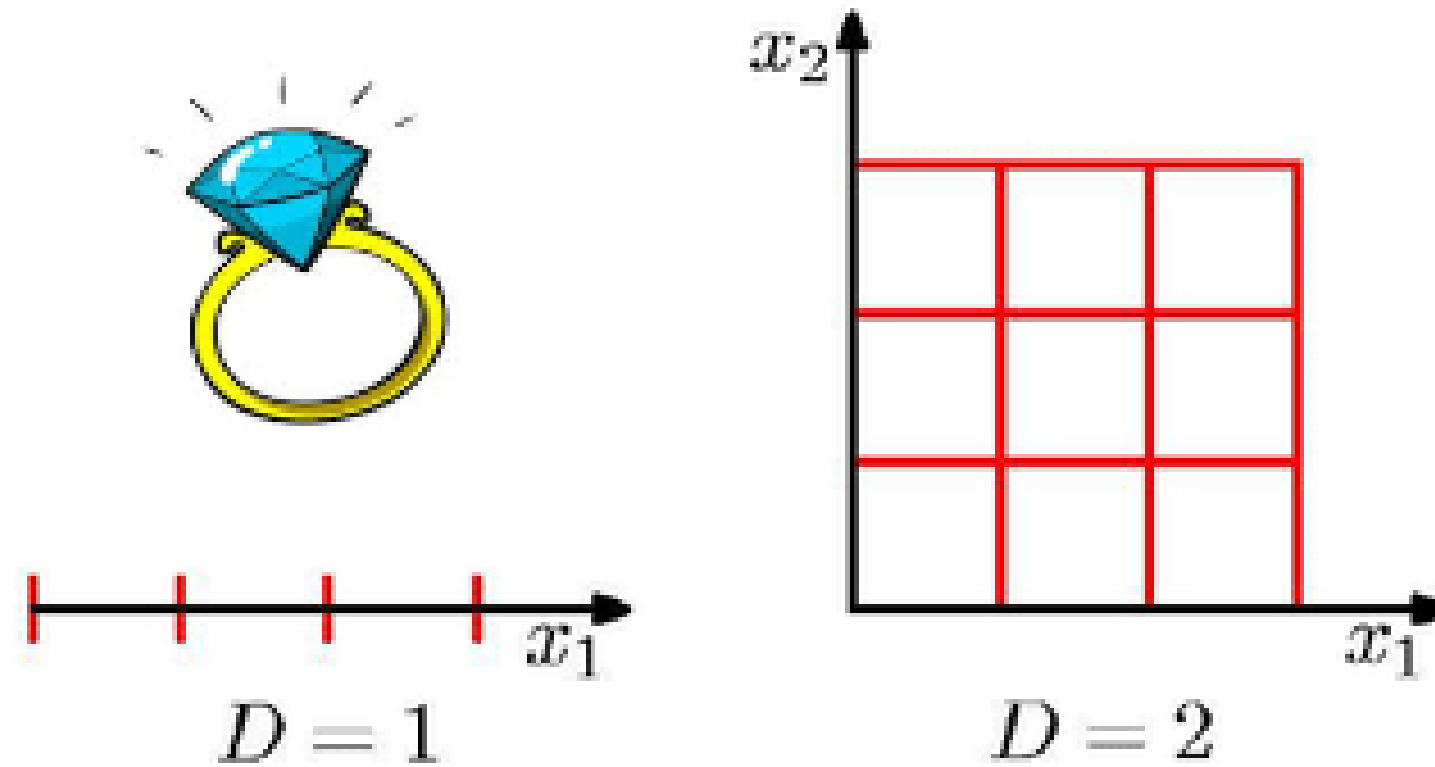


<sup>1</sup> <https://www.visiondummys.com/2014/04/curse> <sup>2</sup> dimensionality <sup>3</sup> affect <sup>4</sup> classification/

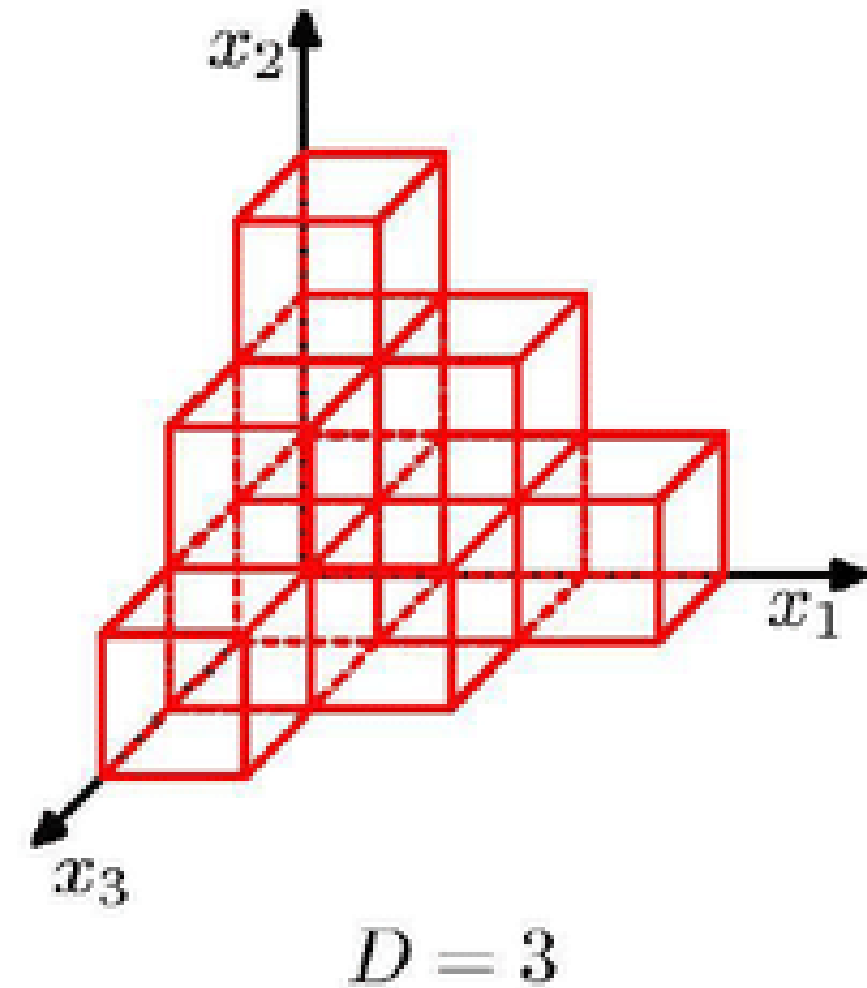
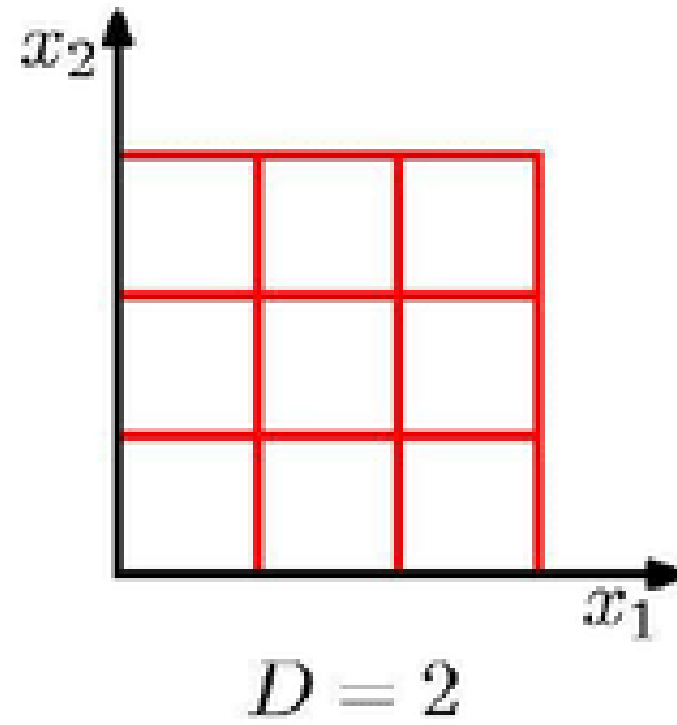
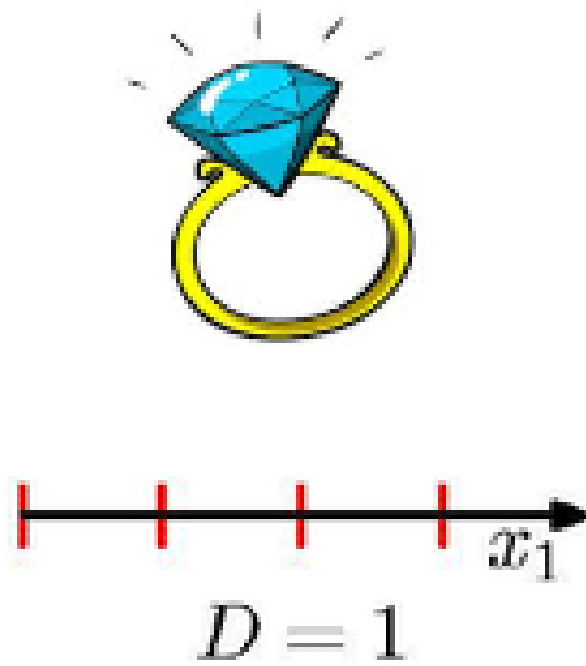
# 1-D search



# 2-D search



# 3-D search



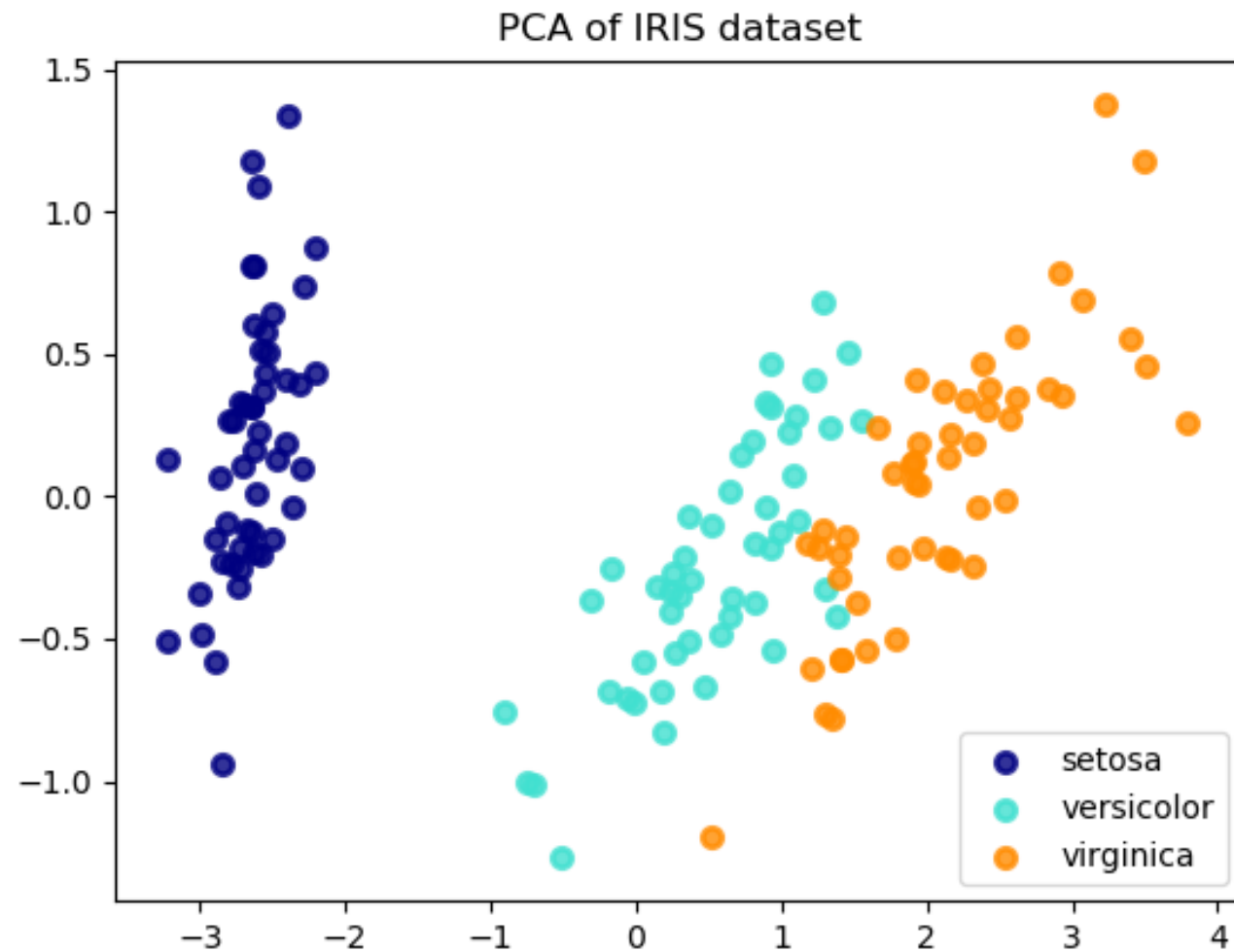
# Dimensionality reduction methods

- PCA
- SVD



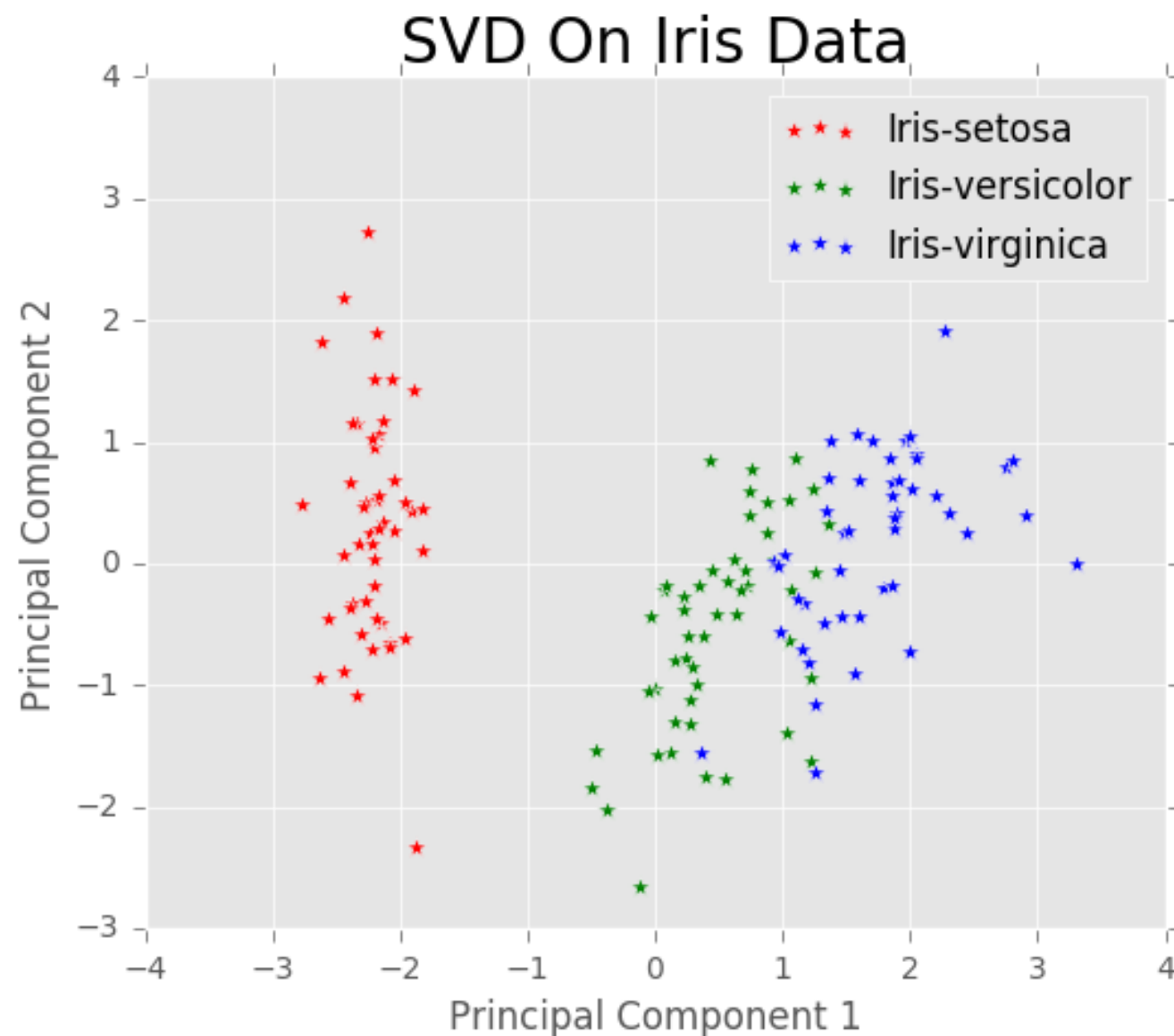
# PCA

- PCA
  - Relationship between X and y
  - Calculated by finding principal axes
  - Translates, rotates and scales
  - Lower-dimensional projection of the data



<sup>1</sup> <https://scikit-learn.org/stable/modules/decomposition.html>

# SVD



- SVD
  - Linear algebra and vector calculus
  - Decomposes data matrix into three matrices
  - Results in 'singular' values
  - Variance in data approximately equals SS of singular values

<sup>1</sup> <https://galaxydatatech.com/2018/07/15/singular> <sup>2</sup> value <sup>3</sup> decomposition/

# Dimension reduction functions

Function/method	returns
<code>sklearn.decomposition.PCA</code>	principal component analysis
<code>sklearn.decomposition.TruncatedSVD</code>	singular value decomposition
<code>PCA/SVD.fit_transform(X)</code>	fits and transforms data
<code>PCA/SVD.explained_variance_ratio_</code>	variance explained by PCs

- **Other matrix decomposition algorithms**

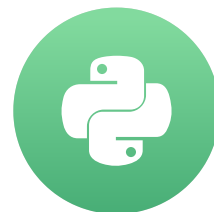
# Let's practice!

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# Dimensionality reduction: visualization techniques

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Lisa Stuart  
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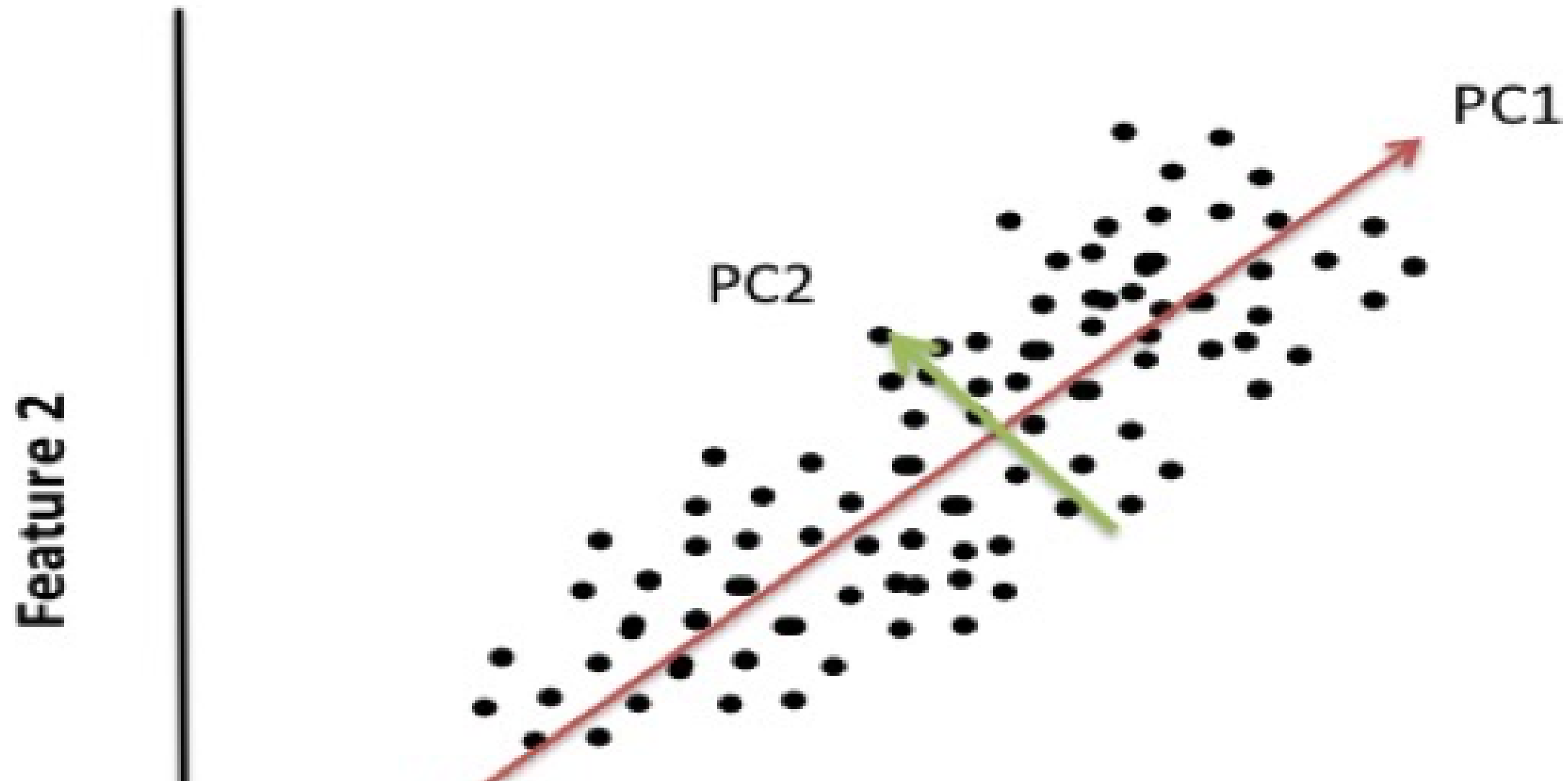
# Why dimensionality reduction?

1. Speed up ML training
2. Visualization
3. Improves accuracy

# Visualization techniques

- PCA
- t-SNE

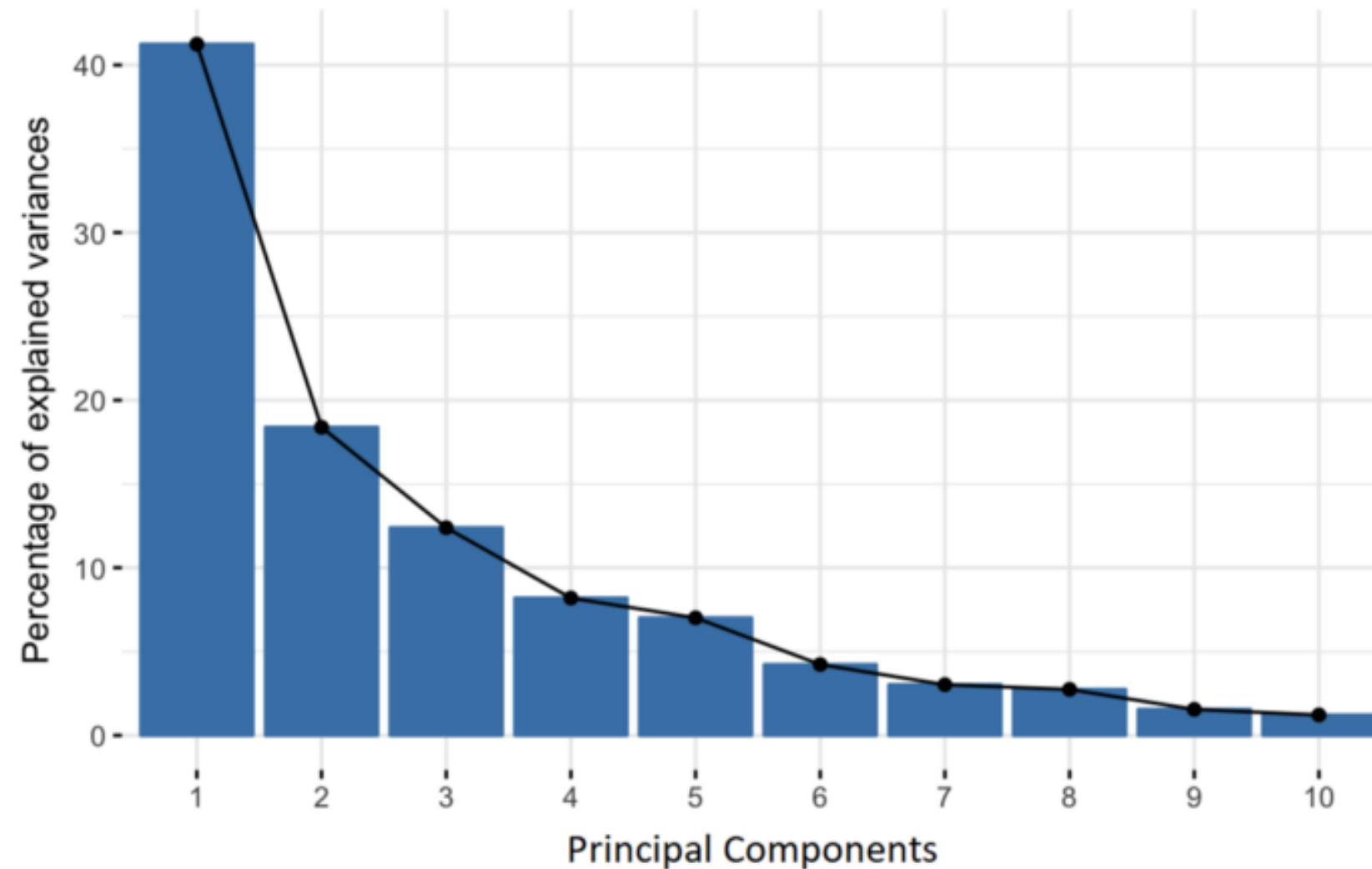
# Visualizing with PCA



<sup>1</sup> <https://districtdatalabs.silvrback.com/principal-component-analysis-with-python>



# Scree plot



<sup>1</sup> <https://towardsdatascience.com/a-step-by-step-explanation-of-principal-component-analysis-b836fb9c97e2>

# t-SNE

- Probabilistic
- Pairs of data points
- Low-dimensional embedding
- Plot embeddings

# Visualizing with t-SNE

```
# t-sne with loan data
from sklearn.manifold import TSNE
import seaborn as sns

loans = pd.read_csv('loans_dataset.csv')

# Feature matrix
X = loans.drop('Loan Status', axis=1)

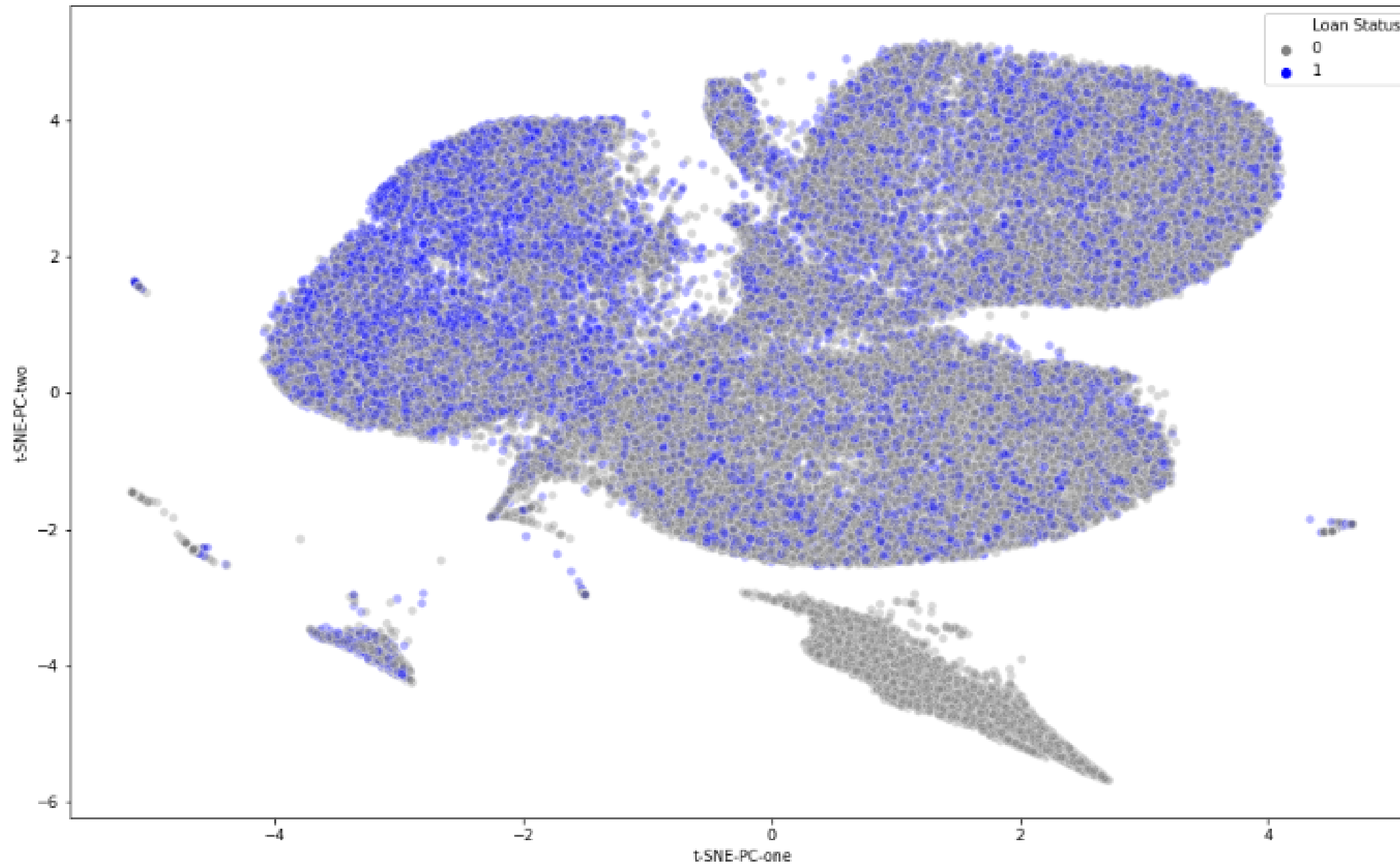
tsne = TSNE(n_components=2, verbose=1, perplexity=40)
tsne_results = tsne.fit_transform(X)

loans['t-SNE-PC-one'] = tsne_results[:,0]
loans['t-SNE-PC-two'] = tsne_results[:,1]
```

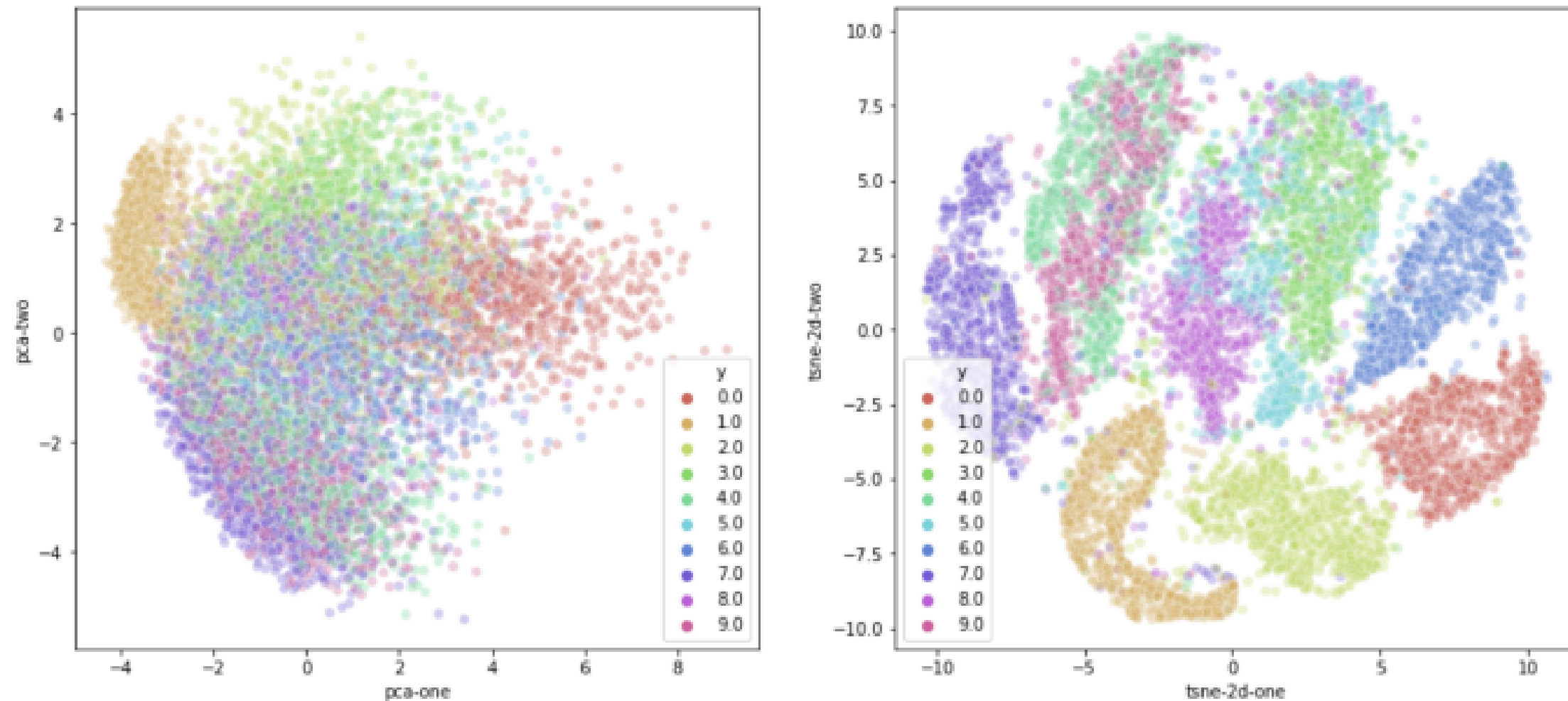
```
# t-sne viz
plt.figure(figsize=(16,10))
sns.scatterplot(
    x="t-SNE-PC-one", y="t-SNE-PC-two",
    hue="Loan Status",
    palette=sns.color_palette(["grey", "blue"]),
    data=loans,
    legend="full",
    alpha=0.3
)
```

<sup>1</sup> <https://scikit-learn.org/stable/modules/generated/sklearn.manifold.TSNE.html>

# Visualizing with t-SNE



# PCA vs t-SNE digits data



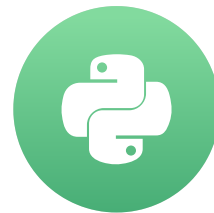
<sup>1</sup> <https://towardsdatascience.com/visualising-high-dimensional-datasets-using-pca-and-t-sne-in-python-8ef87e7915b>

# Let's practice!

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# Clustering analysis: selecting the right clustering algorithm

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Lisa Stuart  
Data Scientist

# Clustering algorithms

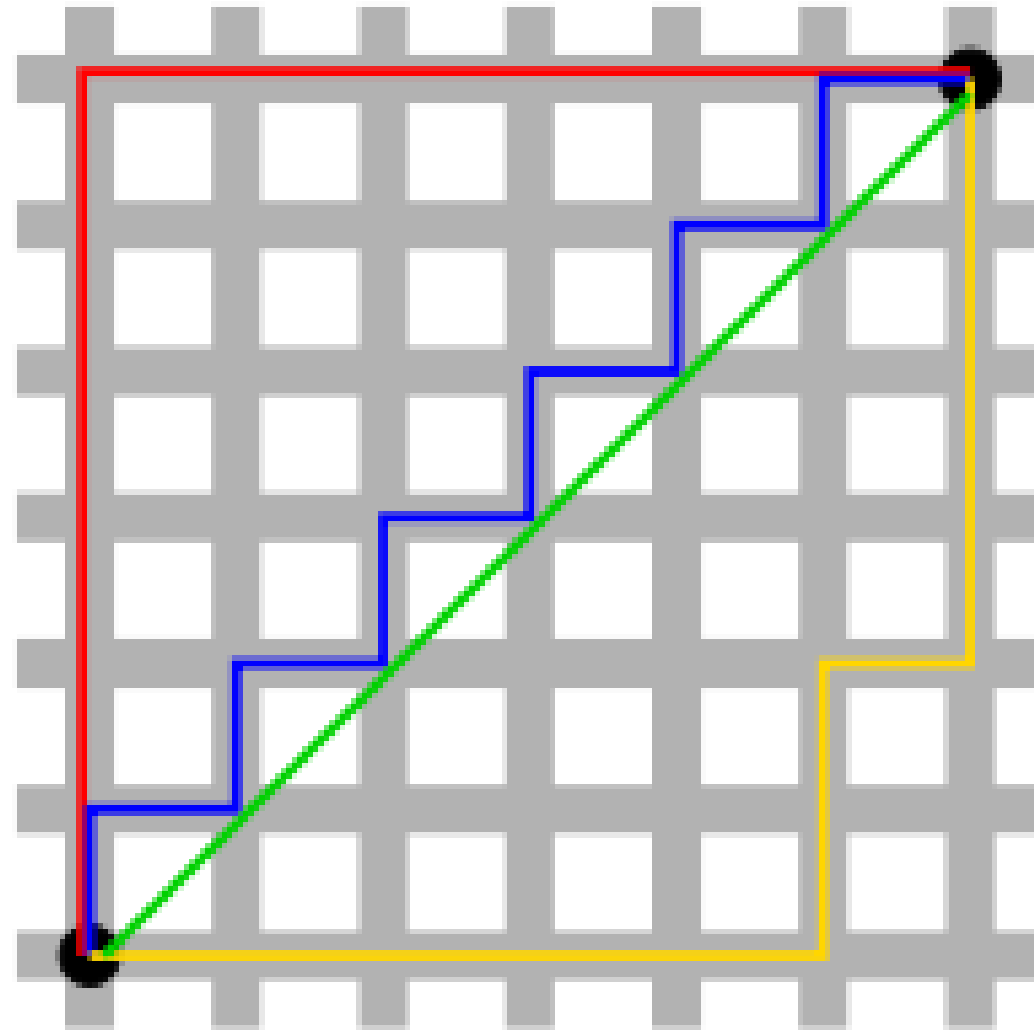
- Features >> Observations
- Model training more challenging
- Rely on distance calculations
- Most commonly used unsupervised technique



# Practical applications of clustering

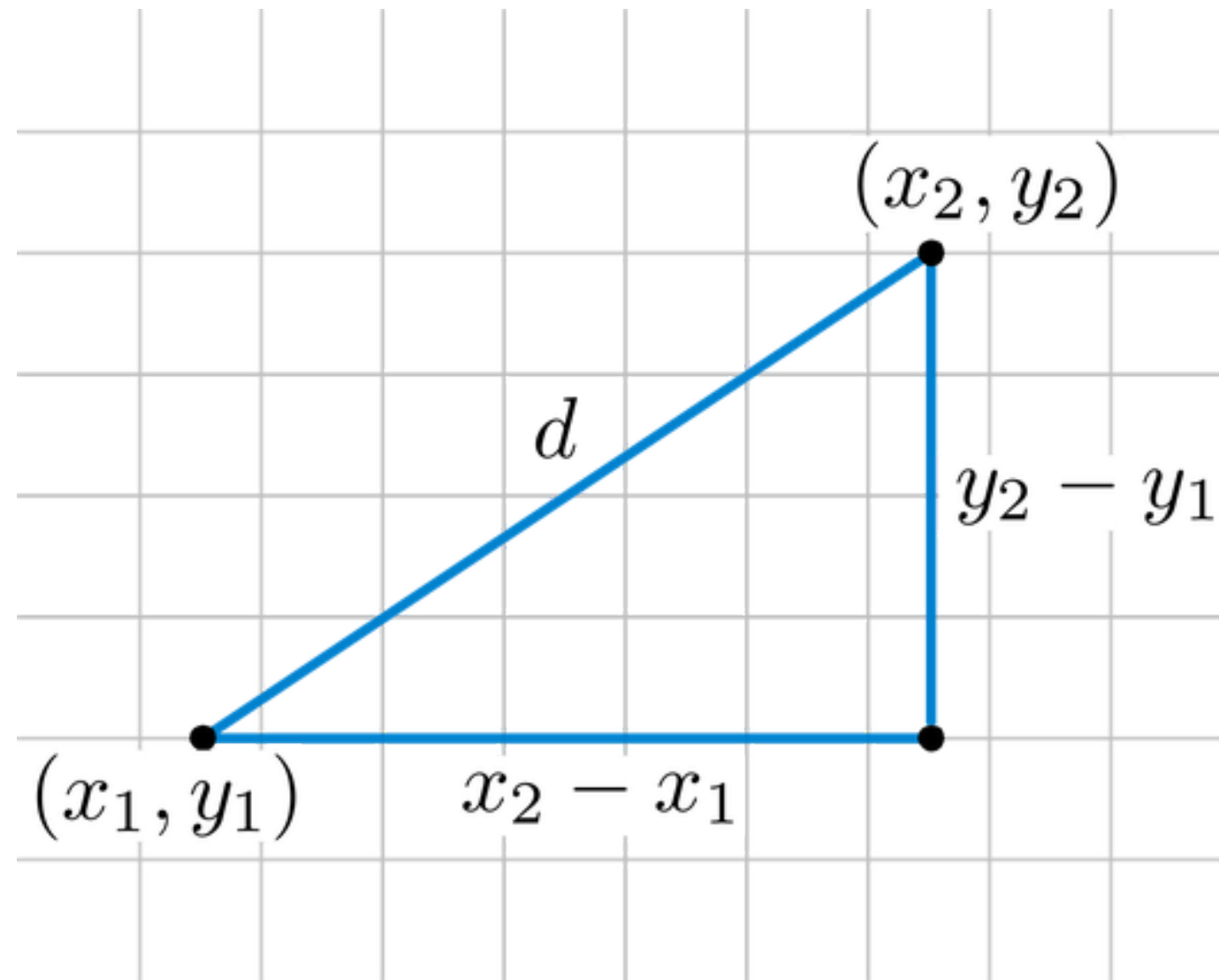
- Customer segmentation
- Document classification
- Insurance/transaction fraud detection
- Image segmentation
- Anomaly detection
- Many more...

# Distance metrics: Manhattan (taxicab) distance



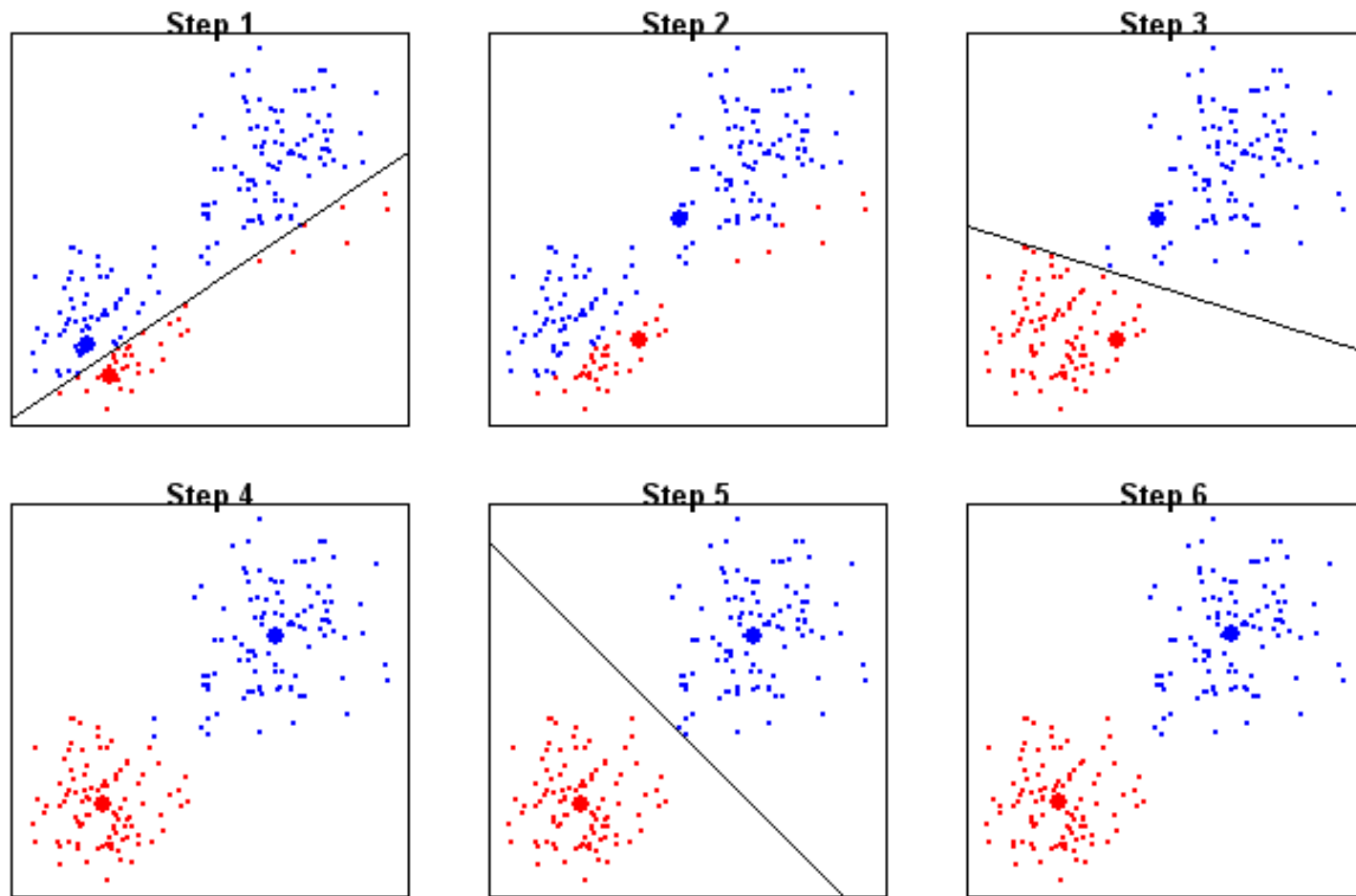
<sup>1</sup> [https://en.wikipedia.org/wiki/Taxicab\\_geometry](https://en.wikipedia.org/wiki/Taxicab_geometry)

# Distance metrics: Euclidian distance



<sup>1</sup> <http://rosalind.info/glossary/euclidean> <sup>2</sup> distance/

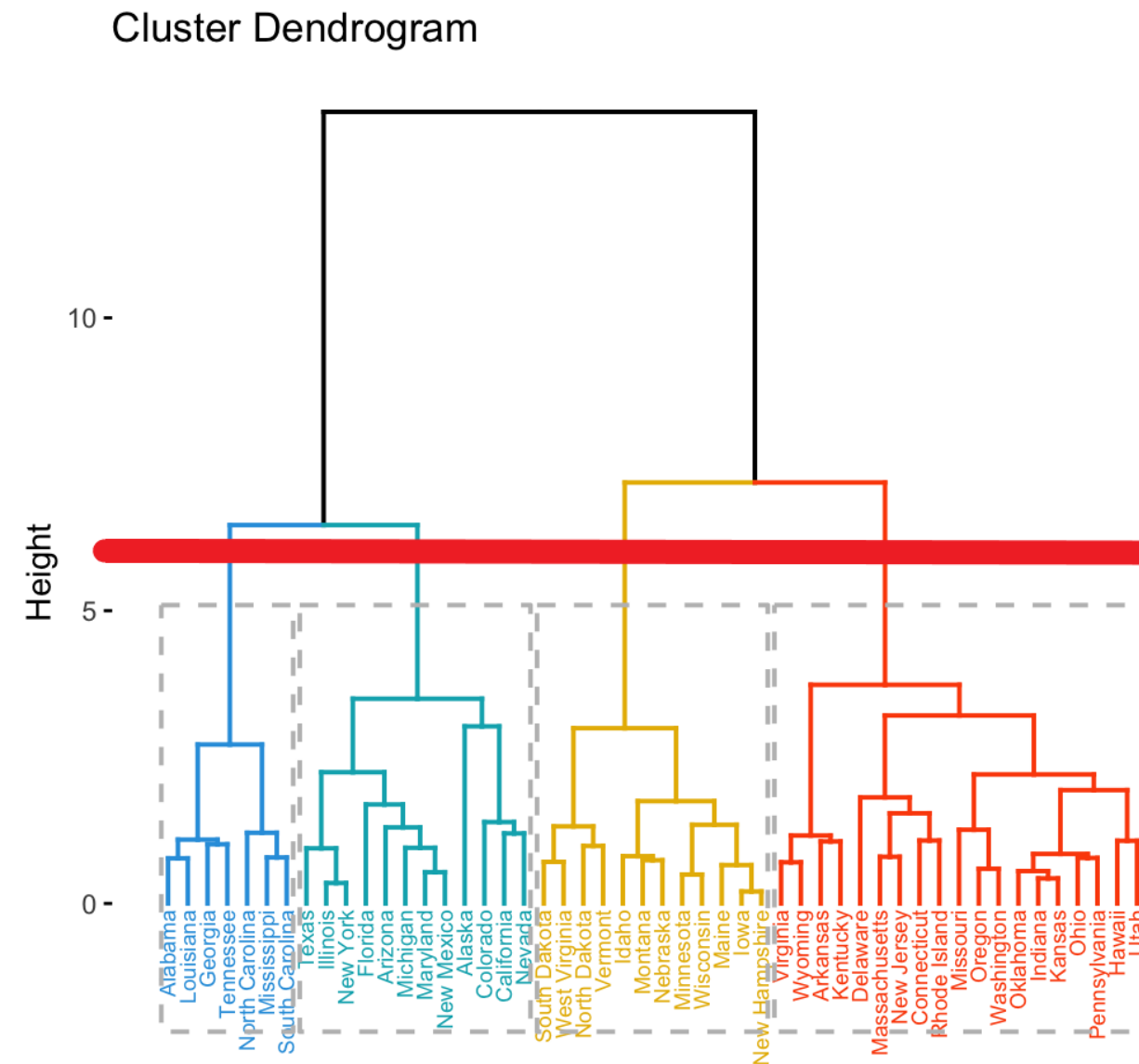
# K-means



1. Initial centroids
2. Assign each observation to nearest centroid
3. Create new centroids
4. Repeat steps 2 and 3

<sup>1</sup> <http://sherrytowers.com/2013/10/24/k-means-clustering/>

# Hierarchical agglomerative clustering

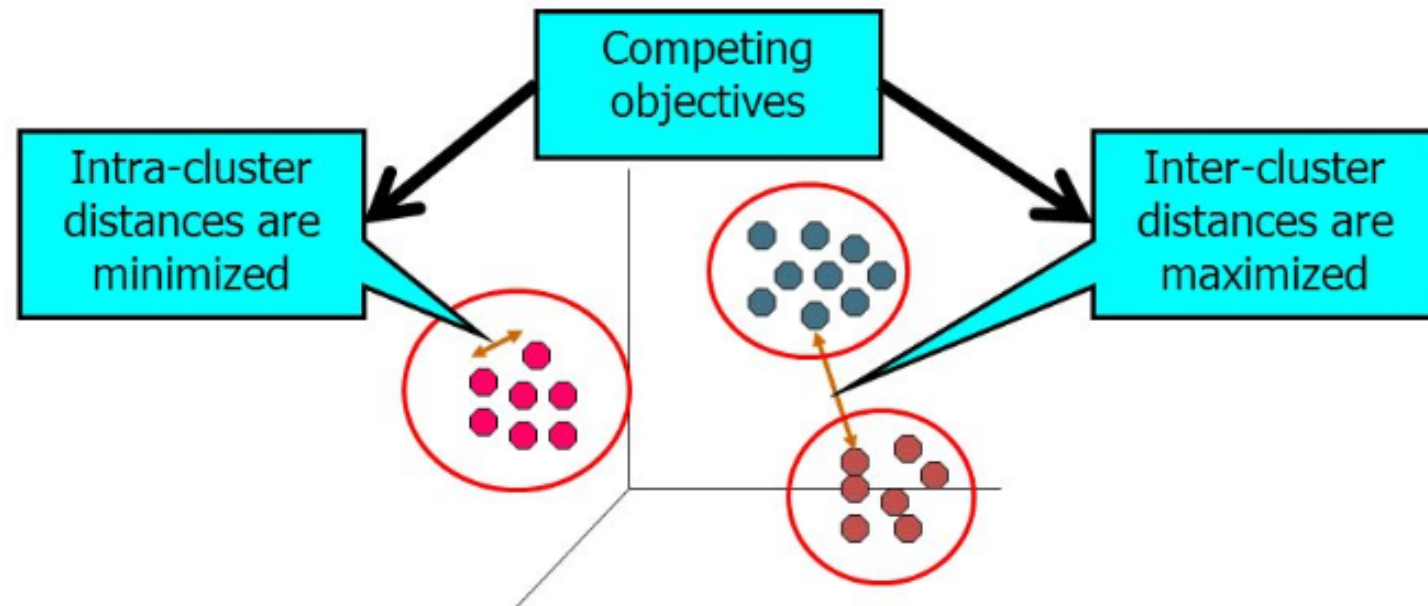


<sup>1</sup> <https://www.datanovia.com/en/lessons/agglomerative> <sup>2</sup> hierarchical <sup>3</sup> clustering/

# Agglomerative clustering linkage

- Ward linkage
- Maximum/complete linkage
- Average linkage
- Single linkage

# Selecting a clustering algorithm



- Cluster stability assessment
  - K-means and HC use Euclidian distance
  - Inter- and intra-cluster distances
- "An appropriate dissimilarity measure is far more important in obtaining success with clustering than choice of clustering algorithm." - from **Elements of Statistical Learning**

<sup>1</sup> <https://slideplayer.com/slide/8363774/>

# Clustering functions

Function/method	returns
<code>sklearn.cluster.Kmeans</code>	K-Means clustering algorithm
<code>sklearn.cluster.AgglomerativeClustering</code>	Agglomerative clustering algorithm
<code>kmeans.inertia_</code>	SS distances of observations to closest cluster center
<code>scipy.cluster.hierarchy</code> as <code>sch</code>	Hierachical clustering for dendrograms
<code>sch.dendrogram()</code>	Dendrogram function



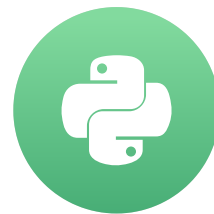
# Let's practice!

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# Clustering analysis: choosing the optimal number of clusters

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Lisa Stuart  
Data Scientist



# Methods for optimal k

- Silhouette method
- Elbow method

# Silhouette coefficient

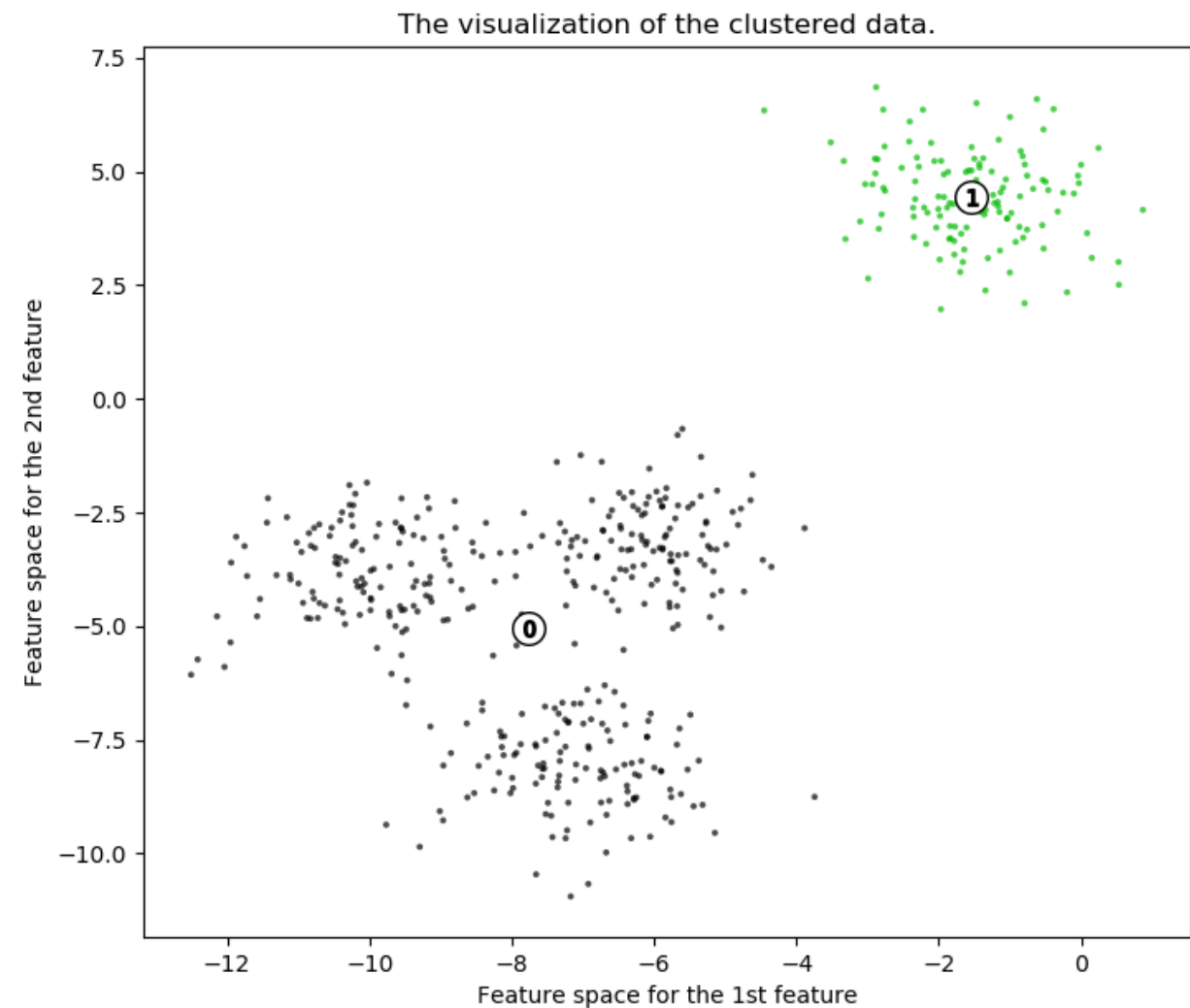
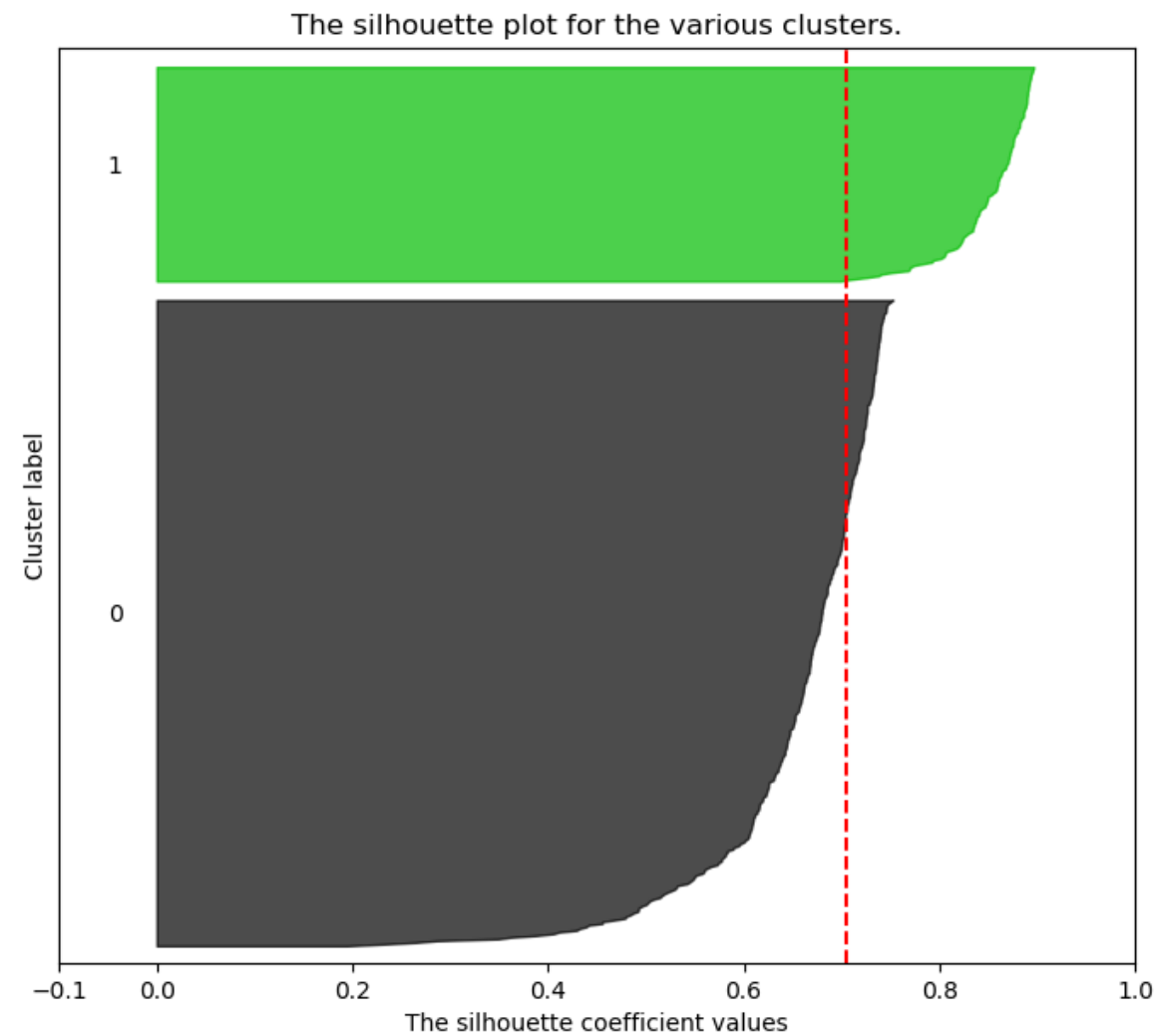
- Composed of 2 scores
  - Mean distance between each observation and all others:
    - in the same cluster
    - in the nearest cluster

# Silhouette coefficient values

- Between -1 and 1
  - 1
    - near others in same cluster
    - very far from others in other clusters
  - -1
    - not near others in same cluster
    - close to others in other clusters
  - 0
    - denotes overlapping clusters

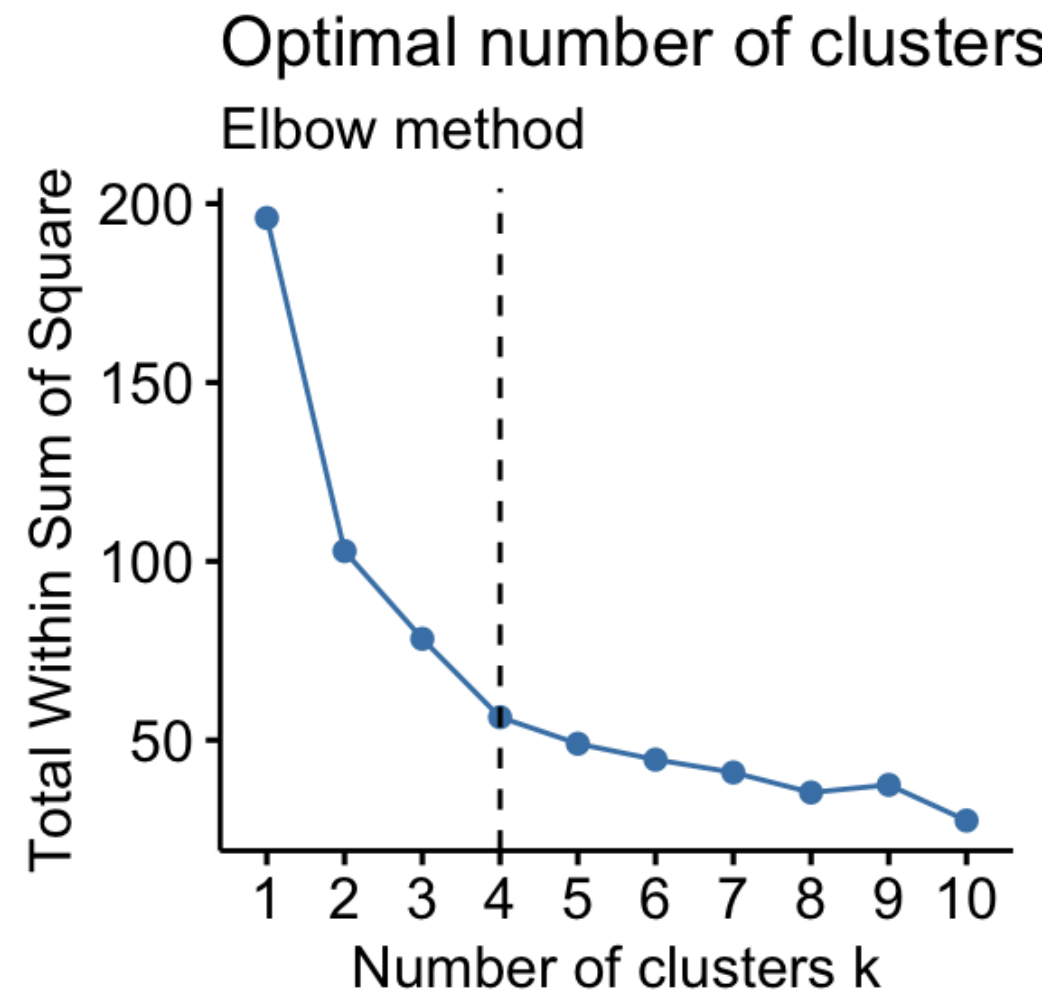
# Silhouette score

**Silhouette analysis for KMeans clustering on sample data with  $n\_clusters = 2$**



<sup>1</sup> [https://scikit-learn.org/stable/auto\\_examples/cluster/plot\\_kmeans\\_silhouette\\_analysis.html](https://scikit-learn.org/stable/auto_examples/cluster/plot_kmeans_silhouette_analysis.html)

# Elbow method



<sup>1</sup> <https://www.datanovia.com/en/lessons/determining-the-optimal-number-of-clusters-3-must-know-methods/>

# Optimal k selection functions

Function/method	returns
<code>sklearn.cluster.KMeans</code>	K-Means clustering algorithm
<code>sklearn.metrics.silhouette_score</code>	score between -1 and 1 as measure of cluster stability
<code>kmeans.inertia_</code>	SS distances of observations to closest cluster center
<code>range(start, stop)</code>	list of values beginning with start, up to but not including stop
<code>list.append(kmeans.inertia_)</code>	appends inertia value to list



# Let's practice!

PREPARING FOR MACHINE LEARNING INTERVIEW QUESTIONS IN PYTHON