```
Initialization
```

```
init_price <- 50
K <- 50
r<- 0.0175
sigma <- 0.2
T <- 5
M <- 10000
N <- 10000</pre>
```

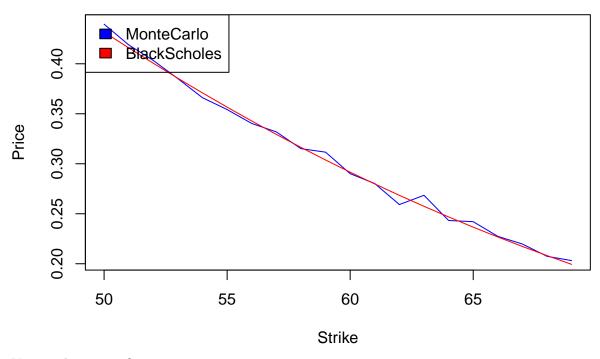
Code for Black Scholes and Monte Carlo Pricing

```
BS_V0 <- function(S_0, K, r, sigma, T){
    d2 <- (log(S_0/K) + (r - sigma^2/2)*T)/(sigma * sqrt(T))
    res <- pnorm(d2) * exp(-r * T)
    return(res)
}

MC_V0 <- function(S_0, K, r, sigma, T, N, M){
    payoff <- rep(0,M)
    for (i in 1:M){
        s <- S_0
        for (n in 1:N){
            s <- r**s*(T/N) + sigma * s * sample(c(-1,1), 1) * sqrt(T/N)
        }
    if (s>=K){
        payoff[[i]] <- 1
    } else {
        payoff[[i]] <- 0
    }
    res <- (1 + r * (T/N))^-N * mean(payoff)
}</pre>
```

Out of money

plot K = 50,...,70, M=N=1000

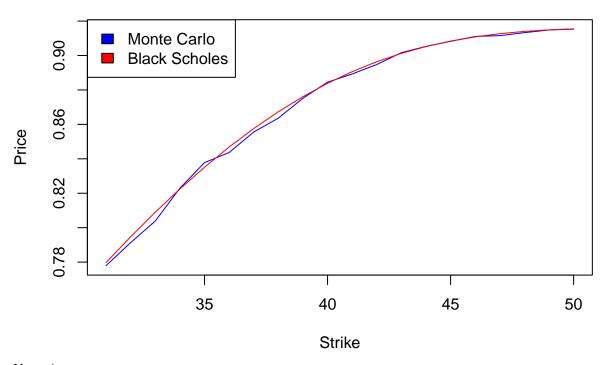


Vary in the money Options

```
priceMC <- rep(0,20)
priceBS <- rep(0,20)

for (i in 0:19){
    priceMC[[i+1]] <- MC_VO(init_price, K-19-i, r, sigma, T, M, N)
    priceBS[[i+1]] <- BS_VO(init_price, K-19-i, r, sigma, T)
}
plot(K-rev(c(0:19)), priceMC, main = "Price against Strike", ylab = "Price", xlab = "Strike", type = "lines(K-rev(c(0:19)), priceBS, col="red")
legend("topleft", c("Monte Carlo", "Black Scholes"), fill=c("blue", "red"))</pre>
```

Price against Strike



Vary sigma

```
sigmas = c(0.01, 0.1, 0.2, 0.5, 1, 2, 5, 10)
priceMC = rep(0, length(sigmas))
priceBS = rep(0, length(sigmas))
for (i in 1:length(sigmas)){
    priceMC[[i]] <- MC_V0(init_price, K, r, sigmas[i], T, M, N)
    priceBS[[i]] <- BS_V0(init_price, K, r, sigmas[i], T)
}
plot(sigmas, priceMC, main = "Price against Sigma", ylab="Price",xlab="Volatility", type="l", col="blue lines(sigmas, priceBS, col="red")
legend("topleft", c("Monte Carlo", "Black Scholes"), fill = c("blue", "red"))</pre>
```

Price against Sigma

