

Syntax-Directed Translation

Part V

Eliminating Left Recursion from Translation Scheme

- A translation scheme with a left recursive grammar.

$$E \rightarrow E_1 + T \{ E.val = E_1.val + T.val \}$$
$$E \rightarrow E_1 - T \{ E.val = E_1.val - T.val \}$$
$$E \rightarrow T \{ E.val = T.val \}$$
$$T \rightarrow T_1 * F \{ T.val = T_1.val * F.val \}$$
$$T \rightarrow F \{ T.val = F.val \}$$
$$F \rightarrow (E) \{ F.val = E.val \}$$
$$F \rightarrow \mathbf{digit} \{ F.val = \mathbf{digit.lexval} \}$$

- When we eliminate the left recursion from the grammar (to get a suitable grammar for the top-down parsing) we also have to change semantic actions

Eliminating Left Recursion (cont.)

inherited attribute

synthesized attribute

$E \rightarrow T \{ A.in = T.val \} A \{ E.val = A.syn \}$

$A \rightarrow + T \{ A_1.in = A.in + T.val \} A_1 \{ A.syn = A_1.syn \}$

$A \rightarrow - T \{ A_1.in = A.in - T.val \} A_1 \{ A.syn = A_1.syn \}$

$A \rightarrow \varepsilon \{ A.syn = A.in \}$

$T \rightarrow F \{ B.in = F.val \} B \{ T.val = B.syn \}$

$B \rightarrow * F \{ B_1.in = B.in * F.val \} B_1 \{ B.syn = B_1.syn \}$

$B \rightarrow \varepsilon \{ B.syn = B.in \}$

$F \rightarrow (E) \{ F.val = E.val \}$

$F \rightarrow \mathbf{digit} \{ F.val = \mathbf{digit.lexval} \}$

Eliminating Left Recursion (in general)

$A \rightarrow A_1 Y \{ A.a = g(A_1.a, Y.y) \}$

$A \rightarrow X \{ A.a = f(X.x) \}$

a left recursive grammar with
synthesized attributes (a,y,x).

\Downarrow eliminate left recursion

inherited attribute of the new non-terminal

synthesized attribute of the new non-terminal

$A \rightarrow X \{ R.in = f(X.x) \} R \{ A.a = R.syn \}$

$R \rightarrow Y \{ R_1.in = g(R.in, Y.y) \} R_1 \{ R.syn = R_1.syn \}$

$R \rightarrow \varepsilon \{ R.syn = R.in \}$

Eliminating Left Recursion (Example)

- 1) $T \rightarrow T * F \quad \{ T.val = T_1.val * F.val \}$
- 2) $T \rightarrow F \quad \{ T.val = F.val \}$
- 3) $F \rightarrow \mathbf{digit} \quad \{ F.val = \mathbf{digit.lexval} \}$

$T \rightarrow FT'$
$T' \rightarrow *F T'$
$T' \rightarrow \varepsilon$
$F \rightarrow \mathbf{digit}$

Translation Scheme

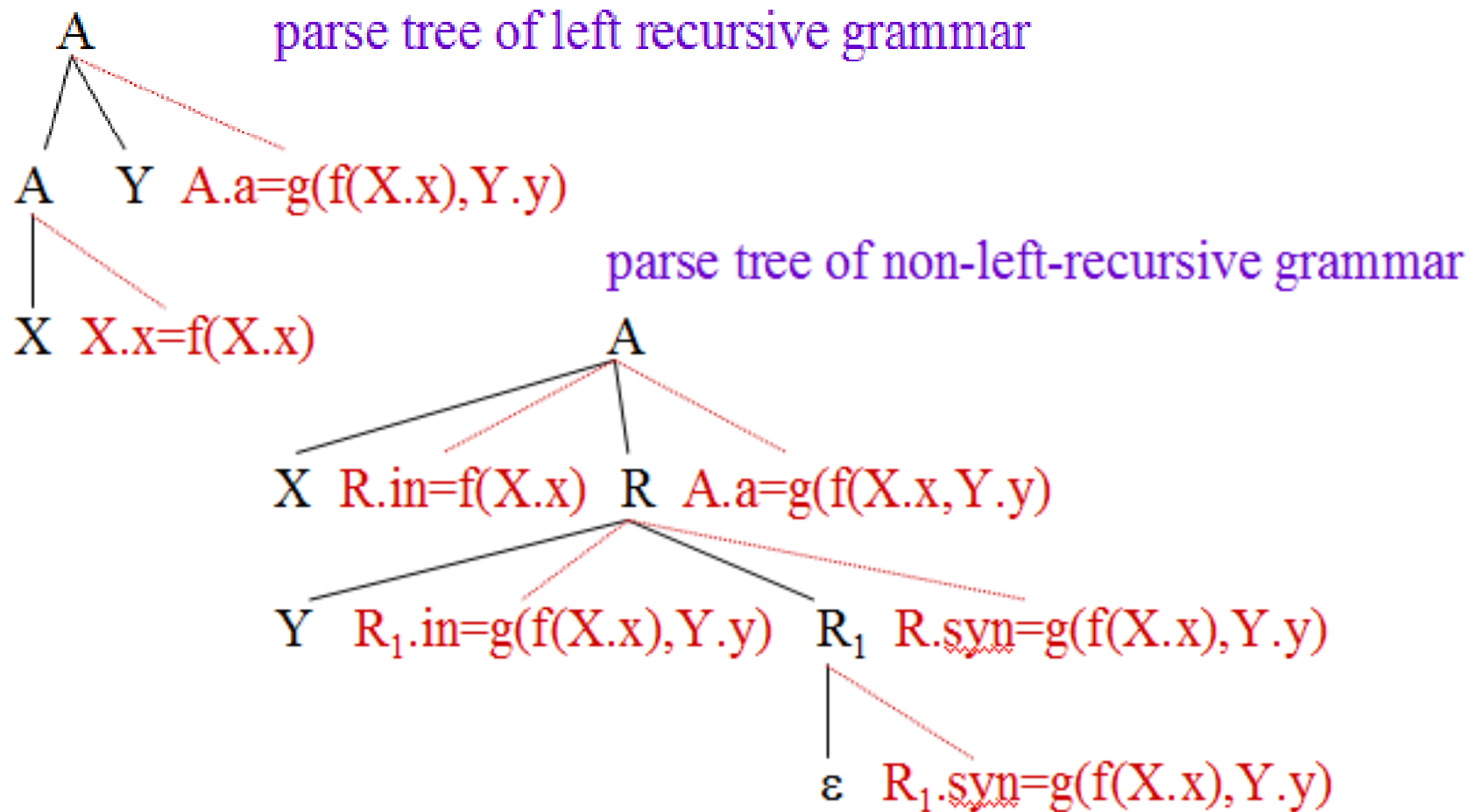
1) $T \rightarrow F \quad \{ T'.inh = F.val \} \quad T' \quad \{ T.val = T'.syn \}$

2) $T' \rightarrow * F \quad \{ T'_1.inh = T'.inh * F.val \} \quad T'_1 \quad \{ T'.syn = T'_1.syn \}$

3) $T' \rightarrow \varepsilon \quad \{ T'.syn = T'.inh \}$

4) $F \rightarrow \mathbf{digit} \quad \{ F.val = \mathbf{digit.lexval} \}$

Evaluating attributes



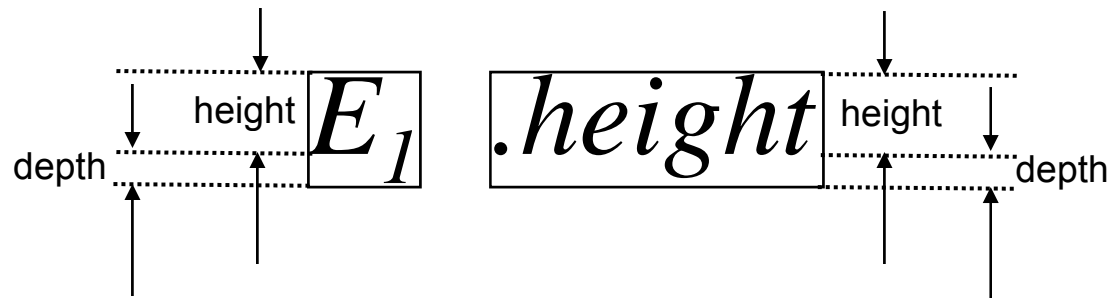
Eliminating Left Recursion (Example)

- Other examples from book
 - Figure 5.8: Page 315
 - Figure 5.13: Page 321
 - Figure 5.16: Page 322

SDTs for L-Attributed Definitions

- Rules for turning L-attributed SDD into an SDT
- Embed action that computes the inherited attributes for a non-terminal A immediately before that occurrences of A in the body of the production.
 - If several inherited attributes for A depend on one another in an acyclic fashion, order the evaluation of attributes so that those needed first are computed first.
- Place the actions that computed a synthesized attribute for the head of a production at the end of the body of that production.

Example: type setting boxes



- ps: point size. Non subscript character is 10.
Subscript point size = $0.7p$, p is the box point size
- baseline: vertical position that corresponds to the bottom of the lines of text.
- ht: height. Distance from the top of the box to baseline.
- dp: depth. Distance from the baseline to the bottom of the box.

Example: type setting boxes

Production	Semantic Rules
$S \rightarrow B$	$B.ps = 10$
$B \rightarrow B_1 B_2$	$B_1.ps = B.ps$ $B_2.ps = B.ps$ $B.ht = \max(B_1.ht, B_2.ht)$ $B.dp = \max(B_1.dp, B_2.dp)$
$B \rightarrow B_1 \text{ sub } B_2$	$B_1.ps = B.ps$ $B_2.ps = 0.7 * B.ps$ $B.ht = \max(B_1.ht, B_2.ht - 0.25 * B.ps)$ $B.dp = \max(B_1.dp, B_2.dp + 0.25 * B.ps)$
$B \rightarrow (B_1)$	$B_1.ps = B.ps$ $B.ht = B_1.ht$ $B.dp = B_1.dp$
$B \rightarrow \text{text}$	$B.ht = \text{getHt}(B.ps, \text{text.lexval})$ $B.dp = \text{getDp}(B.ps, \text{text.lexval})$

SDD for type setting box

Production	Semantic Actions
$S \rightarrow B$	$\{B.ps = 10\}$
$B \rightarrow B_1 B_2$	$\{B_1.ps = B.ps$ $B_2.ps = B.ps$ $B.ht = \max(B_1.ht, B_2.ht)$ $B.dp = \max(B_1.dp, B_2.dp)\}$
$B \rightarrow B_1 \text{ sub } B_2$	$\{B_1.ps = B.ps$ $B_2.ps = 0.7 * B.ps$ $B.ht = \max(B_1.ht, B_2.ht - 0.25 * B.ps)$ $B.dp = \max(B_1.dp, B_2.dp + 0.25 * B.ps)\}$
$B \rightarrow (B_1)$	$\{B_1.ps = B.ps$ $B.ht = B_1.ht$ $B.dp = B_1.dp\}$
$B \rightarrow \text{text}$	$\{B.ht = \text{getHt}(B.ps, \text{text.lexval})$ $B.dp = \text{getDp}(B.ps, \text{text.lexval})\}$

SDT for type setting box

Example: intermediate code for while-statement

- $S \rightarrow \text{while } (C) S_1$

Production	Semantic Rules
$S \rightarrow \text{while } (C) S_1$	$L1 = \text{new}();$ $L2 = \text{new}();$ $S_1.\text{next} = L1;$ $C.\text{false} = S.\text{next};$ $C.\text{true} = L2;$ $S.\text{code} = \text{label} \parallel L1 \parallel C.\text{code} \parallel \text{label} \parallel L2 \parallel S_1.\text{code}$

Production	Semantic Actions
$S \rightarrow \text{while } ($ $C)$ S_1	$\{L1 = \text{new}();$ $L2 = \text{new}();$ $C.\text{false} = S.\text{next};$ $C.\text{true} = L2;\}$ $\{S1.\text{next} = L1;\}$ $S.\text{code} = \text{label} \parallel L1 \parallel C.\text{code} \parallel \text{label} \parallel L2 \parallel S1.\text{code}$

Translation during Recursive-Descent Parsing

- In recursive-descent parser a function A is used for each non-terminal A
 - The arguments of function A are the inherited attributes of non-terminal A .
 - The return-value of function A are the collection of synthesized attributes of non-terminal A .

Translation during Recursive-Descent Parsing

- In the body of function A
 - Decide upon the production used to expand A
 - Check that each terminal appears on the input when it is required
 - Preserve in local variables the values of all attributes needed to compute inherited attributes for nonterminals in the body or synthesized attributes for the head nonterminal.
 - Call functions corresponding to nonterminals in the body of the selected production with proper arguments.

Example

Production	Semantic Actions
$S \rightarrow \text{while } (C) S_1$	$L1 = \text{new}();$ $L2 = \text{new}();$ $S1.\text{next} = L1;$ $C.\text{false} = S.\text{next};$ $C.\text{true} = L2;$ $S.\text{code} = \text{label} \parallel L1 \parallel C.\text{code} \parallel \text{label} \parallel L2 \parallel S1.\text{code}$

```
String S(label next){
    string Scode, Ccode; /* local variables holding code fragments */
    label L1, L2; /* the local labels */
    if (current input == token while){
        advance input;
        check '(' is next on the input, and advance;
        L1=new();
        L2=new();
        Ccode=C(next,L2);
        check ')' is next on the input, and advance;
        Scode= S(L1);
        return("label" || L1 || Ccode || "label" || L2 || Scode);
    }
    else / * other statement types */
}
```

Translation Scheme - Intermediate Code Generation

$E \rightarrow T \{ A.in = T.loc \} A \{ E.loc = A.loc \}$

$A \rightarrow + T \{ A_1.in = \text{newtemp}(); \text{emit}(\text{add}, A.in, T.loc, A_1.in) \}$
 $A_1 \{ A.loc = A_1.loc \}$

$A \rightarrow \varepsilon \{ A.loc = A.in \}$

$T \rightarrow F \{ B.in = F.loc \} B \{ T.loc = B.loc \}$

$B \rightarrow * F \{ B_1.in = \text{newtemp}(); \text{emit}(\text{mult}, B.in, F.loc, B_1.in) \}$
 $B_1 \{ B.loc = B_1.loc \}$

$B \rightarrow \varepsilon \{ B.loc = B.in \}$

$F \rightarrow (E) \{ F.loc = E.loc \}$

$F \rightarrow \mathbf{id} \{ F.loc = \mathbf{id.name} \}$

Predictive Parsing – Intermediate Code Generation

```
procedure E(char **Eloc) {  
    char *Ain, *Tloc, *Aloc;  
    call T(&Tloc); Ain=Tloc;  
    call A(Ain,&Aloc); *Eloc=Aloc;  
}  
procedure A(char *Ain, char **Aloc) {  
    if (currtok is +) {  
        char *A1in, *Tloc, *A1loc;  
        consume(+); call T(&Tloc); A1in=newtemp(); emit("add",Ain,Tloc,A1in);  
        call A(A1in,&A1loc); *Aloc=A1loc;  
    }  
    else { *Aloc = Ain }  
}
```


Predictive Parsing (cont.)

```
procedure T(char **Tloc) {  
    char *Bin, *Floc, *Bloc;  
    call F(&Floc); Bin=Floc;  
    call B(Bin,&Bloc); *Tloc=Bloc;  
}  
procedure B(char *Bin, char **Bloc) {  
    if (currtok is *) {  
        char *B1in, *Floc, *B1loc;  
        consume(+); call F(&Floc); B1in=newtemp(); emit("mult",Bin,Floc,B1in);  
        call B(B1in,&B1loc); Bloc=B1loc;  
    }  
    else { *Bloc = Bin }  
}  
procedure F(char **Floc) {  
    if (currtok is "(") { char *Eloc; consume("("); call E(&Eloc); consume(")"); *Floc=Eloc  
    }  
    else { char *idname; consume(id,&idname); *Floc=idname }  
}
```

Removing Embedding Semantic Actions

- In bottom-up evaluation scheme, the semantic actions are evaluated during the reductions.
- During the bottom-up evaluation of S-attributed definitions, we have a parallel stack to hold synthesized attributes.
- *Problem:* where are we going to hold inherited attributes?
- *A Solution:*
 - We will convert our grammar to an equivalent grammar to guarantee to the followings.
 - All embedding semantic actions in our translation scheme will be moved into the end of the production rules.
 - All inherited attributes will be copied into the synthesized attributes (most of the time synthesized attributes of new non-terminals).
 - Thus we will be evaluate all semantic actions during reductions, and we find a place to store an inherited attribute.

Removing Embedding Semantic Actions

- To transform our translation scheme into an equivalent translation scheme:
 1. Remove an embedding semantic action S_i , put new a non-terminal M_i instead of that semantic action.
 2. Put that semantic action S_i into the end of a new production rule $M_i \rightarrow \varepsilon$ for that non-terminal M_i .
 3. That semantic action S_i will be evaluated when this new production rule is reduced.
 4. The evaluation order of the semantic rules are not changed by this transformation.

Removing Embedding Semantic Actions

$$A \rightarrow \{S_1\} X_1 \{S_2\} X_2 \dots \{S_n\} X_n$$

\Downarrow remove embedding semantic actions

$$A \rightarrow M_1 X_1 M_2 X_2 \dots M_n X_n$$

$$M_1 \rightarrow_\varepsilon \{S_1\}$$

$$M_2 \rightarrow_\varepsilon \{S_2\}$$

.

.

$$M_n \rightarrow_\varepsilon \{S_n\}$$

Removing Embedding Semantic Actions

$E \rightarrow T R$

$R \rightarrow + T \{ \text{print}(\text{"+"}) \} R_1$

$R \rightarrow \varepsilon$

$T \rightarrow \text{id} \{ \text{print}(\text{id.name}) \}$



remove embedding semantic actions

$E \rightarrow T R$

$R \rightarrow + T M R_1$

$R \rightarrow \varepsilon$

$T \rightarrow \text{id} \{ \text{print}(\text{id.name}) \}$

$M \rightarrow \varepsilon \{ \text{print}(\text{"+"}) \}$