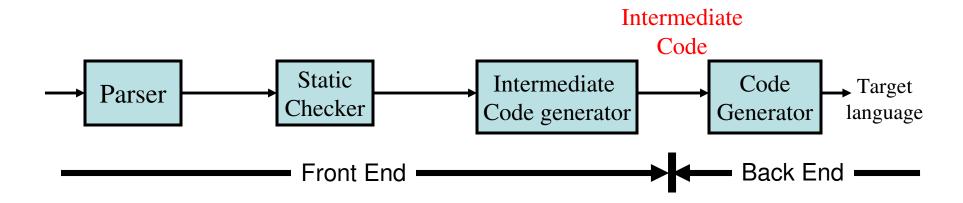
## Intermediate Code Generation

Part I

## Compiler Architecture



- m × n compliers can be built by writing m front ends and n back ends – save considerable amount of effort
- We assume parsing, static checking and IC generation is done sequentially
  - These can be combined and done during parsing
- Static checking
  - Operator operand compatibility
  - Proper placement of break/continue keywords etc.

## Intermediate Code (IC)

- The given program in a source language is converted to an equivalent program in an intermediate language by the IC generator.
- Ties the front and back ends together
- Language and Machine neutral
- Many forms
- Level depends on how being processed
- More than one intermediate language may be used by a compiler

- Intermediate language can be many different languages, and the designer of the compiler decides this intermediate language.
  - syntax trees can be used as an intermediate language.
  - postfix notation can be used as an intermediate language.
  - three-address code (Quadraples) can be used as an intermediate language
    - we will use quadraples to discuss intermediate code generation
    - quadraples are close to machine instructions, but they are not actual machine instructions.
  - some programming languages have well defined intermediate languages.
    - java java virtual machine
    - prolog warren abstract machine
    - In fact, there are byte-code emulators to execute instructions in these intermediate languages.

## Intermediate language levels

## High

T1 
$$\leftarrow$$
 a[i,j+2]

#### Medium

$$t1 \leftarrow j + 2$$

#### Low

$$r1 \leftarrow [fp-4]$$

$$r2 \leftarrow r1 + 2$$

$$r3 \leftarrow [fp-8]$$

$$r5 \leftarrow r4 + r2$$

$$r7 \leftarrow fp - 216$$

$$f1 \leftarrow [r7+r6]$$

## Intermediate Languages Types

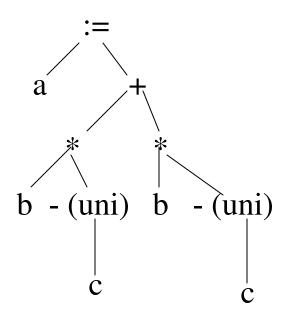
- Graphical IRs:
  - Abstract Syntax trees
  - Directed Acyclic Graphs (DAGs)
  - Control Flow Graphs
- Linear IRs:
  - Stack based (postfix)
  - Three address code (quadruples)

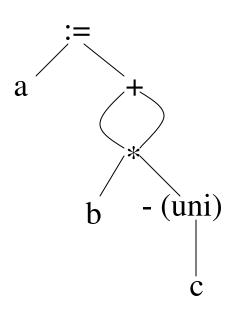
#### Graphical IRs

- Abstract Syntax Trees (AST) retain essential structure of the parse tree, eliminating unneeded nodes.
- Directed Acyclic Graphs (DAG) compacted AST to avoid duplication – smaller footprint as well
- Control flow graphs (CFG) explicitly model control flow

#### ASTs and DAGs:

$$a := b *-c + b*-c$$

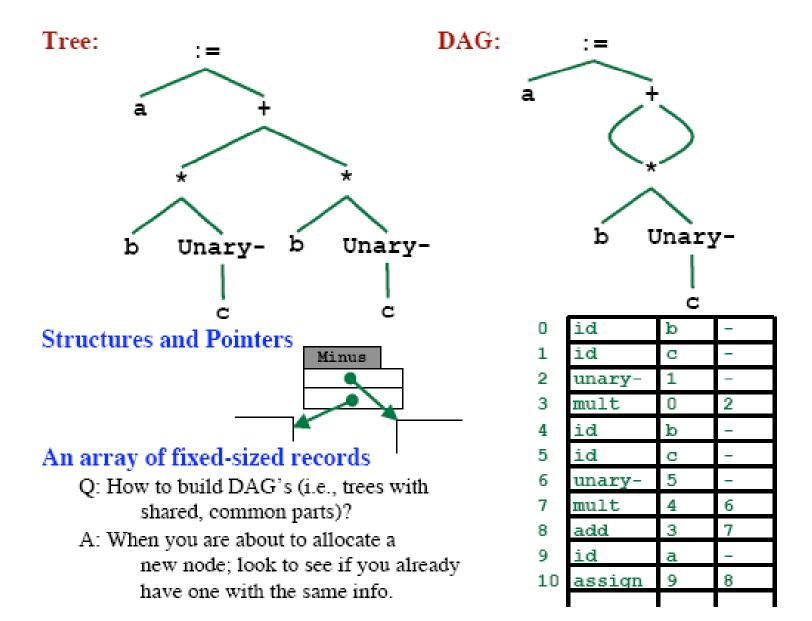




**AST** 

**DAG** 

## Implementation of DAG/AST: Value Number Method



#### Three-Address Code

A three-address code is:

where x, y and z are names, constants or compiler-generated temporaries; op is any operator.

 But we may also the following notation for three-address code (it looks like a machine code instruction)

apply operator op to y and z, and store the result in x.

 We use the term "three-address code" because each statement usually contains three addresses (two for operands, one for the result).

## Linearized Representation of DAG/AST

Source Code

$$- a = b * -c + b * -c$$

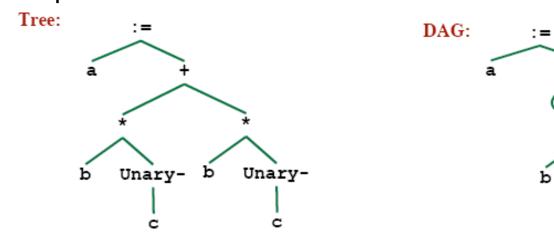
Three address code

Each instruction has (up to) 3 operands.

$$t1 := -c$$
 $neg$  $c$  $\Rightarrow t1$  $t2 := b * t1$  $mult$  $b,t1$  $\Rightarrow t2$  $t3 := -c$  $neg$  $c$  $\Rightarrow t3$  $t4 := b * t3$  $mult$  $b,t3$  $\Rightarrow t4$  $t5 := t2 + t4$  $add$  $t2,t4$  $\Rightarrow t5$  $a := t5$  $move$  $t5$  $\Rightarrow a$ 

Unary-

Tree Representation



#### **Three-Address Statements**

```
Binary Operator: op y,z,result or result :=
y op z
```

where op is a binary arithmetic or logical operator. This binary operator is applied to y and z, and the result of the operation is stored in result.

```
Ex: add a,b,c gt a,b,c addr a,b,c addi a,b,c
```

```
Unary Operator: op y,,result or result :=
  op y
```

where op is a unary arithmetic or logical operator. This unary operator is applied to y, and the result of the operation is stored in result.

Ex: uminus a,,c

#### Three-Address Code

- Two concepts
  - Address
  - Instruction
- Address
  - Name: source-program names to appear as addresses
  - Constant: Different types of constants
  - Compiler Generated temporary:

#### Three-Address Instruction

```
Assignment Type 1: x := y op z
op is a binary arithmetic or logical operation
x, y and z are addresses
Assignment Type 2: x := op z
```

op is a unary arithmetic or logical operation x and z are addresses

#### **Copy Instruction:** x := y

x and z are addresses and x is assigned the value of y

#### Three-Address Instructions

#### Unconditional Jump: goto L

We will jump to the three-address code with the label  $\mathbb{L}$ , and the execution continues from that statement.

```
Ex: goto L1 // jump to L1 jmp 7 // jump to the statement 7
```

#### Conditional Jump 1: if x goto L and ifFalse x goto L

We will jump to the three-address code with the label  $\bot$  if x is TRUE and FALSE, respectively. Otherwise, the following three-address instruction in sequence is executed next.

#### Conditional Jump 2: if x relop y goto L

We will jump to the three-address code with the label  $\bot$  if the result of y relop z is true, and the execution continues from that statement. If the result is false, the execution continues from the statement following this conditional jump statement.

## Three-Address Statements (cont.)

# Procedure Parameters: param x Procedure Calls: call p, n

where  $\mathbf{x}$  is an actual parameter, we invoke the procedure  $\mathbf{p}$  with  $\mathbf{n}$  parameters.

```
Ex: param x_1

param x_2

..... \Rightarrow p(x_1, ..., x_n)

param x_n

call p, n, \leftarrow \Rightarrow n \text{ is necessary because call can be nested}

f(x+1,y) \Rightarrow add x, 1, t1

param t1,,

param y,,

call f, 2,
```

## Three-Address Statements (cont.)

### Indexed Assignments:

```
x := y[i]
```

sets x to the value in location i memory units beyond location y

$$y[i] := x$$

sets contents of the location i memory units beyond location y to the value of x

## Address and Pointer Assignments:

sets the r-value of x to l-value of y

x := \*y where y is a pointer whose r-value is a location

sets the r-value of x equal to the contents of that location

sets the r-value of the object pointed by x to the r-value of y

## Three address code example

## do i=i+1; while (a[i] < v)

L: 
$$t_1=i+1$$
  
 $i=t_1$   
 $t_2=i*8$   
 $t_3=a[t_2]$   
if  $t_3 < v$  goto L

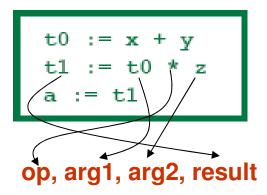
(A) Symbolic Labels

100: 
$$t_1 = I + 1$$
  
101:  $i = t_1$   
102:  $t_2 = i*8$   
103:  $t_3 = a[t2]$   
104: if  $t_3 < v$  goto 100

(B) Position Numbers

## Representing 3-Address Statements

- Quadruples ("Quads")
- Triples
- Indirect Triples



- x = minus y
  - Does not use arg2
- $\cdot x = y$ 
  - Op is =
- param a1
  - Uses neither arg2 nor result
- Conditional/Unconditional jumps
  - Put the target label in result

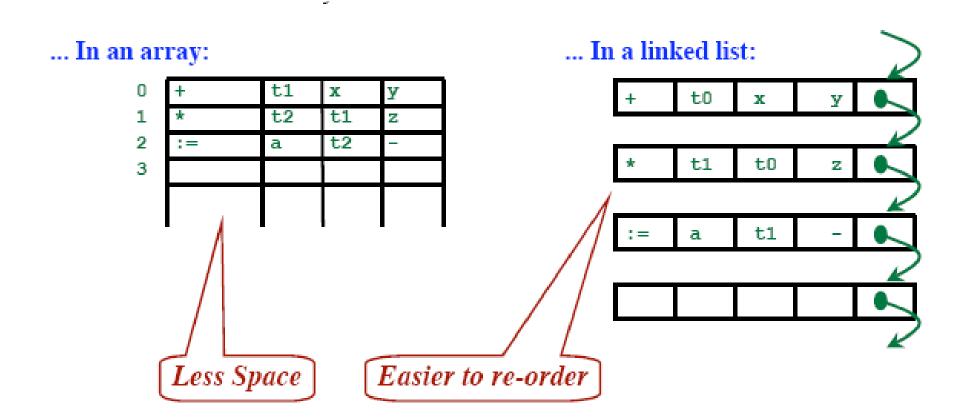
## Quadruples

• 
$$a = b * -c + b * -c$$

Instr	Operation	Arg 1	Arg 2	Result
(0)	uminus	С		$t_1$
(1)	mult	Ъ	$t_1$	$t_2$
(2)	add	a	$t_2$	$t_3$
(3)	move	$t_3$		a

## Quadruples

Store each fields directly



## **Triples**

Don't store the result directly.

Implicitly associate a temporary result with each triple.

Avoids creating the temporaries.

Saves storage.

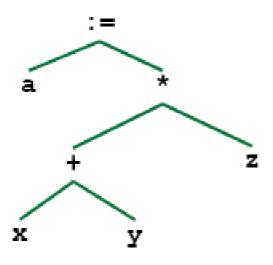
Difficult to re-order instructions.

0	+	x	У
1	*	0	Z
2	:=	a	1
3			

The following instruction is difficult

$$x[i] := y$$

It takes 2 triples.



	ор	arg1	arg2
0	[]=	X	i
1		0	У

## **Indirect Triples**

Get around the re-ordering problem

... by introducing another data structure.

0 :	100 -	<b>1</b> 00:	+	x	У
1:	101 -	101:	*	100	Z
2:	102 -	102:	:=	a	101
3:	103 -	<b>1</b> 03:	:=	b	w

#### **Quadruples**

Less indirection, simpler

Easier to manipulate, reorder

#### <u>Triples</u>

#### **Indirect Triples**

About same amount of space as quadruples May save space when lots of shared sub-expressions More complex