

Sets and Relations

Some sets and relations bs was done.

Keywords

- Image of a function
- Codomain of a function
- range of a function
- Reflexive relation
 - $(a,a) \in R$
- Symmetric relation
 - if $(b,a) \in R$ when $(a,b) \in R$
- Antisymmetric relation
 - if $(b,a) \in R$ when (a,b) does not belong to R
- Inverse of binary relation
 - $\{ (b,a) : (a,b) \in R \}$
- Partial Order Relation
 - Relation is Reflexive, Antisymmetric and Transitive
 - Example: $x \geq y$
- Total Order Relations
 - A partial order relation is a total order relation **for all a,b whenever $a,b \in A$ either $(a,b) \in R$ or $(b,a) \in R$**

Languages

Languages consist of a set of symbols.

The words in a language can be defined as a powerset of alphabet. This is incorrect, since a powerset does not contain repeated elements.

String

Finite sequence of symbols from the alphabet. 010101010000 is a string over the binary alphabet $\{0,1\}$