IIR Filter IP

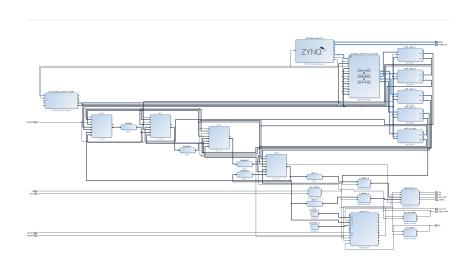
□ System Design

- □ System Design
- □ IIR IP

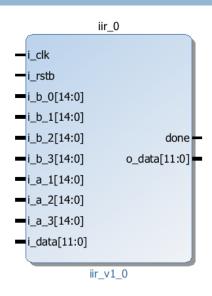
- □ System Design
- □ IIR IP
- □ Zynq Communication

- □ System Design
- □ IIR IP
- □ Zynq Communication
- Example Outputs

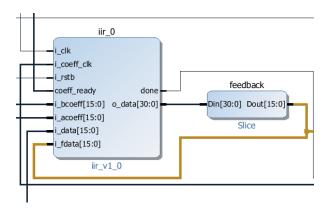
System Design



IIR IP — Hardware Only



IIR IP — Zynq Fed



IIR IP — Data Input Process

```
70--- Data input ---
71
72    p_data_input : process (i_rstb,i_clk)
73    begin
74    if(i_rstb='1') then
75    p_data <= (others=>(others=>'0'));
76    p_fdata <= (others=>(others=>'0'));
77    elsif(rising_edge(i_clk)) then
78    p_data <= signed(i_data)&p_data(0 to p_data'length-2);
79    p_fdata <= signed(i_fdata)&p_fdata(0 to p_fdata'length-2);
80    end if;
81    end process p_data_input;
```

IIR IP — Arithmetic

IIR IP — Arithmetic

```
if(i rstb='l') then
        r add st0 <= (others=>(others=>'0')):
       r fadd st0 <= (others=>(others=>'0'));
        elsif(i clk='1') then
                                r \text{ add } st0(k) \ll resize(r \text{ mult}(2*k).33) + resize(r \text{ mult}(2*k+1).33);
                               r = \frac{1}{2} r = 
end process p add st0:
  p add stl : process (i rstb,i clk,r add st0,r fadd st0)
    if(i rstb='l') then
                      r add st1 <= (others=>'0');
                         r fadd stl <= (others=>'0');
    elsif(i clk='1') then
                         <u>r add stl <= resize(r_add_st0(0),34) + resize(r_add_st0(1),34);</u>
                         r = fadd = st1 <= resize(r = fadd = st0(0),34) + resize(r = fadd = st0(1),34);
  end process p add stl;
```

IIR IP — Arithmetic

IIR IP — Data Output

IIR IP — IIR Troubles

□ Single Stage vs BiQuad

IIR IP — IIR Troubles

- ☐ Single Stage vs BiQuad
- □ Floating Point to Fixed Point

IIR IP — IIR Troubles

- ☐ Single Stage vs BiQuad
- ☐ Floating Point to Fixed Point
- ☐ Gains and Scaling

□ Number of coefficients increases dramatically

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- ☐ Numerator coefficients approach zero

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- Denominator coefficients approach infinity

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```
Numerator:
0.067504806016373181
0.27001922406549272
0.40502883609823914
0.27001922406549272
0.067504806016373181
Denominator:
1
-0.39064145319446159
0.53430063715423204
-0.04233712203843125
0.020651424506043823
```

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- Numerator coefficients approach zero
- Denominator coefficients approach infinity

```
Numerator:
0.067504806016373181
0.27001922406549272
0.40502883609823914
0.27001922406549272
0.067504806016373181
Denominator:
1
-0.39064145319446159
0.53433063715423204
-0.084233712203843125
0.0206518245806043823
```

Numerator: 0.00041659920440659937 0.0016663568176263975 0.0024995952264395961 0.0016663968176263975 0.00041659920440659937 Denominator: 1 -3.1806385488747191 3.8611943489942142 -2.1121563551109691 0.48826514226197993

- Number of coefficients increases dramatically
- □ Numerator coefficients approach zero
- □ Denominator coefficients approach infinity

```
Numerator:
0.067504806016373181
0.27001922406549272
0.40502883609823914
0.27001922406549272
0.067504806016373181
Denominator:
1
-0.39064145319446159
0.53430063715423204
-0.084233712203843125
```

```
Numerator:
0.00041659920440659937
0.0016663968176263975
0.0024995952264395961
0.0016663968176263975
0.00041659920440659937
Denominator:
-3.1806385488747191
 3 8611943489942142
-2 1121553551109691
 0.43826514226197993
0.0047786506212785162
0.0047786506212785162
Denominator:
 0.42215843994659008
 0.033379585260840769
-0 0039477257655511615
```

0.00030769332294375583

Pros

■ Number of coefficients never change

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- ☐ Small coefficient magnitudes

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 Numerator coefficients need scaled

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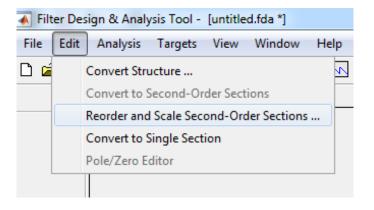
- Numerator coefficients need scaled
- □ Requires more hardware

Section #1
Numerator:
1
2
1
Denominator:
1
-0.22705028708083497
0.4514083390923061
Gain:
0.30608951300286774
Section #2
Vumerator:
L
Denominator:
1
-0.16359116611362662
0.045748876831938463
Gain:
0.22053942767957796

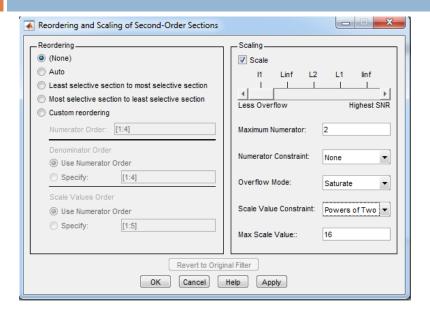
IIR IP — Fixed Point

Quantisation 1.15				
Numerator:	Fixed Point:	Hex:		
1	32768	8000		
2	65536	10000		
1	32768	8000		
Denominator:				
1	32768	8000		
-0.262322431	-8596	FFFFFDE6C		
0.676883869	22180	56A4		

IIR IP — Scaling



IIR IP — Scaling

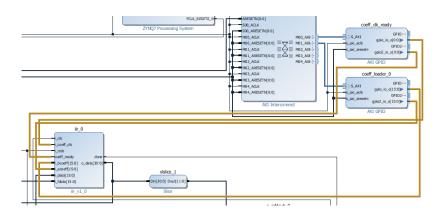


IIR IP — Scaling

Scaled with l1			
Numerator:	Fixed Point:	Hex:	
0.380710926	12475	30BB	
0.761421852	24950	6176	
0.380710926	12475	30BB	
Denominator:			
1	32768	8000	
-0.262322431	-8596	FFFFFFDE6C	
0.676883869	22180	56A4	
Gain:	2.329372168		

Scaled with L2				
Numerator:	Fixed Point:	Hex:		
0.408937915	13400	3458		
0.817875829	26800	68B0		
0.408937915	13400	3458		
Denominator:				
1	32768	8000		
-0.262322431	-8596	FFFFFDE6C		
0.676883869	22180	56A4		
Gain:	1.212884367			

Zynq Communication — Outside the IP

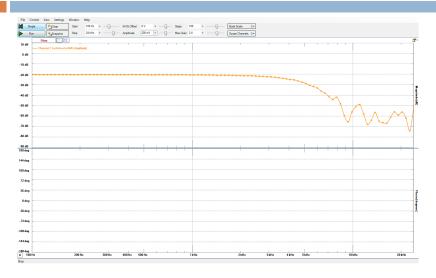


Zynq Communication — Inside the IP

```
53p_coeff_input : process (i_rstb, i_coeff_clk,coeff_ready)
      if(coeff ready='1') then
        r_bcoeff <= (others=>(others=>'0'));
r_acoeff <= (others=>(others=>'0'));
        coeff loop <= 0;
      elsif(rising_edge(i_coeff_clk)) then
        if(coeff loop /= 4) then
           r_bcoeff(coeff_loop) <= signed(i_bcoeff);
          r_acoeff(coeff_loop) <= signed(i_acoeff);
          coeff loop <= coeff loop + 1;
        elsif(coeff loop = 4) then
```

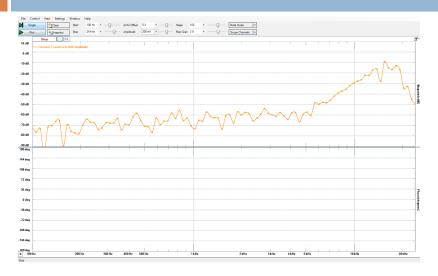
Zynq Communication — Inside the Zynq

Example Outputs — Lowpass



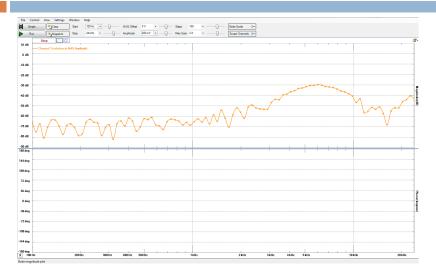
 $F_s = 48 \text{kHz}, F_c = 10.8 \text{kHz}$

Example Outputs — Highpass



 $F_s = 48 \mathrm{kHz}, \; F_c = 10.8 \mathrm{kHz}$

Example Outputs — Bandpass



 $F_s = 48$ kHz, Pass band = 8.4kHz to 13.2kHz

Conclusion

