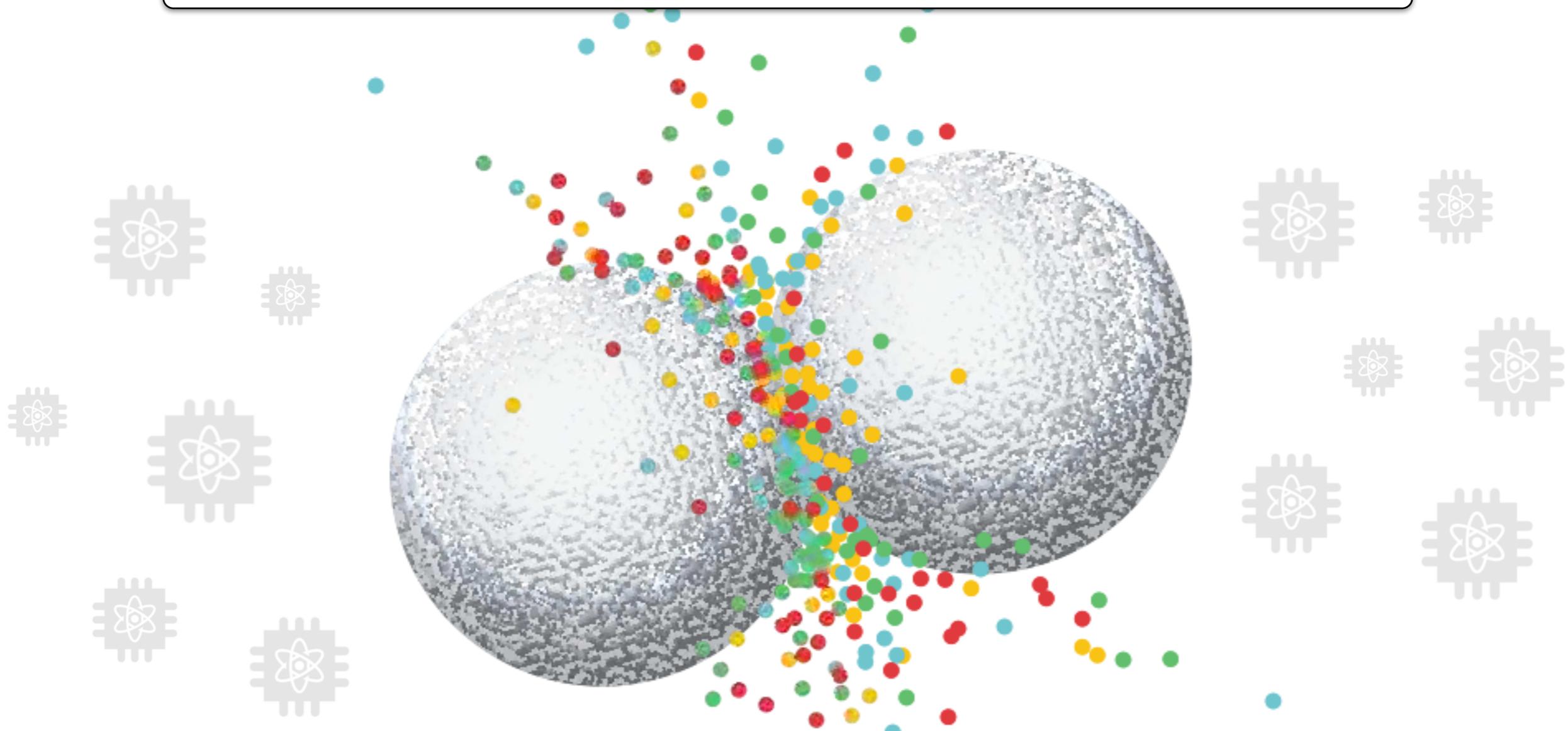


QUANTUM COMPUTATION OF LATTICE GAUGE THEORIES (PART III)

ZOHREH DAVOUDI
University of Maryland, College Park

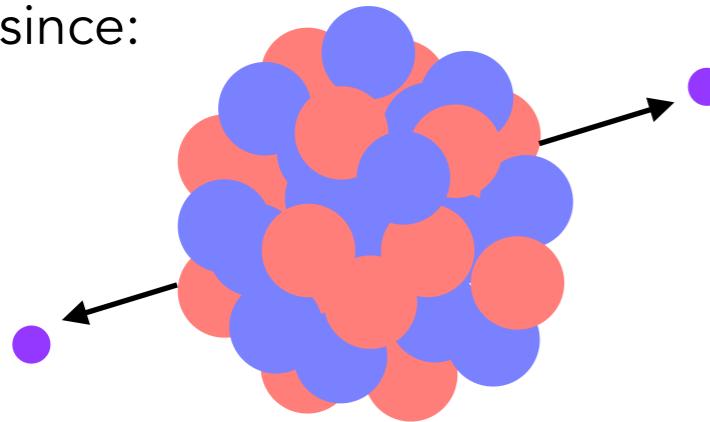


DTP-TALENT COURSE ON QUANTUM
COMPUTING FOR NUCLEAR PHYSICS
ECT*, TRENTO, ITALY
JUNE 2025

WHAT ARE CLASSICALLY INTRACTABLE
PROBLEMS IN NUCLEAR PHYSICS?

LIMITS OF CLASSICAL SIMULATIONS OF QUANTUM SYSTEMS IN NP/HEP

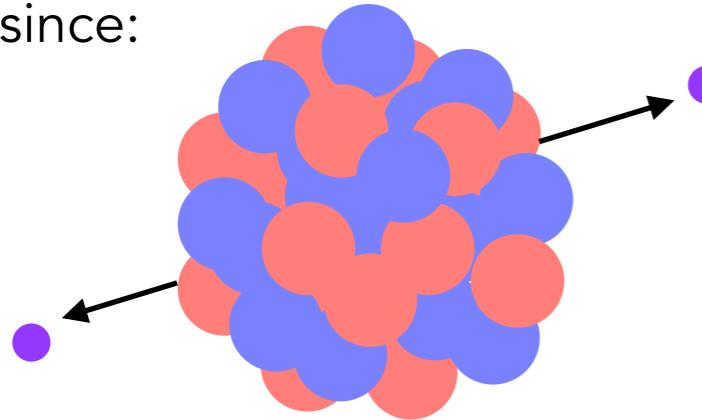
i) First-principles simulations of nuclei are hard since:



- The complexity of systems grows factorially with the number of quarks.
- There is a severe signal-to-noise degradation in Euclidean Monte Carlo simulations.
- Excitation energies of large nuclei are tiny compared to the QCD scale.

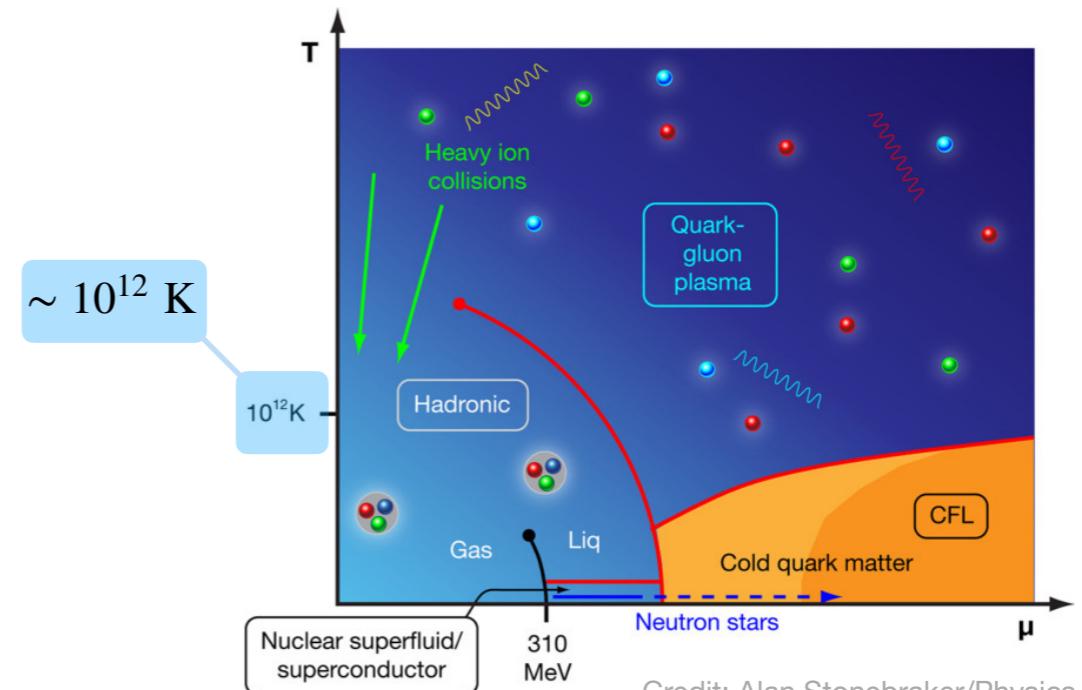
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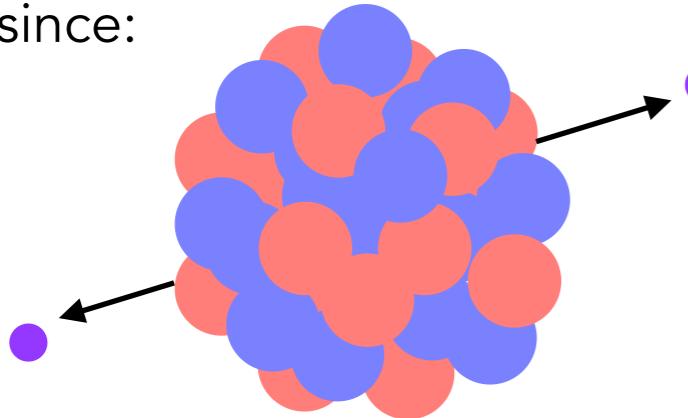
ii) Studies of dense matter, phase diagram of strong interactions not yet fully feasible.



Credit: Alan Stonebraker/Physics Today

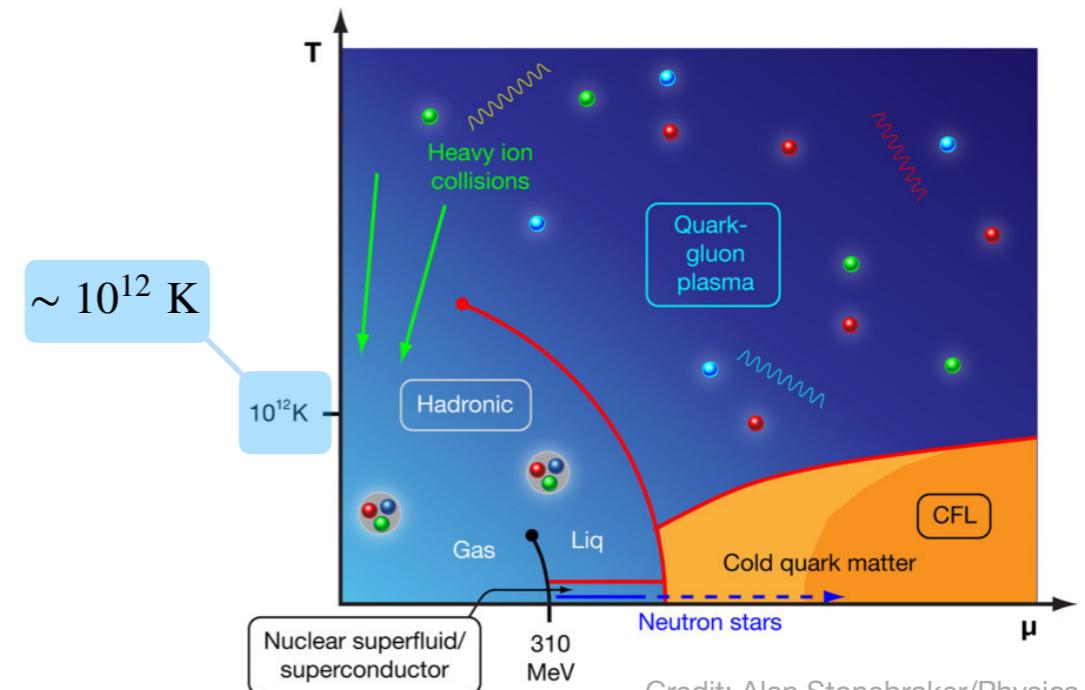
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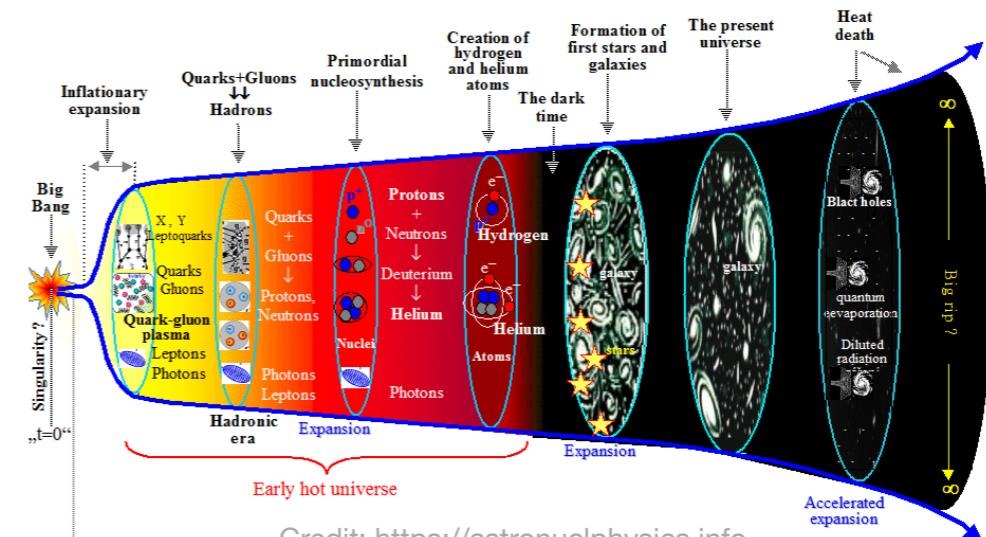


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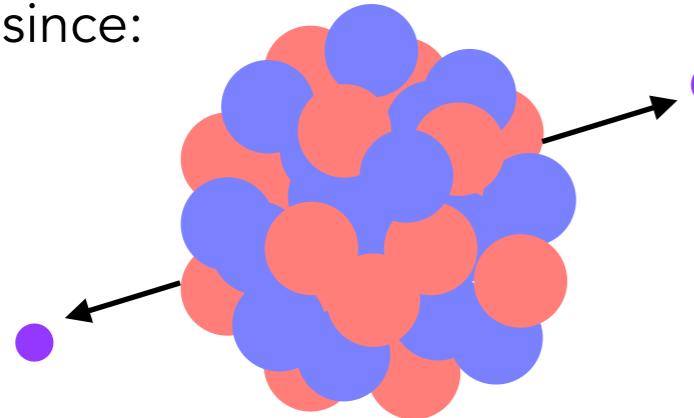


iii) Real-time dynamics of matter, dynamical response functions, transport properties, structure functions, not fully accessible.



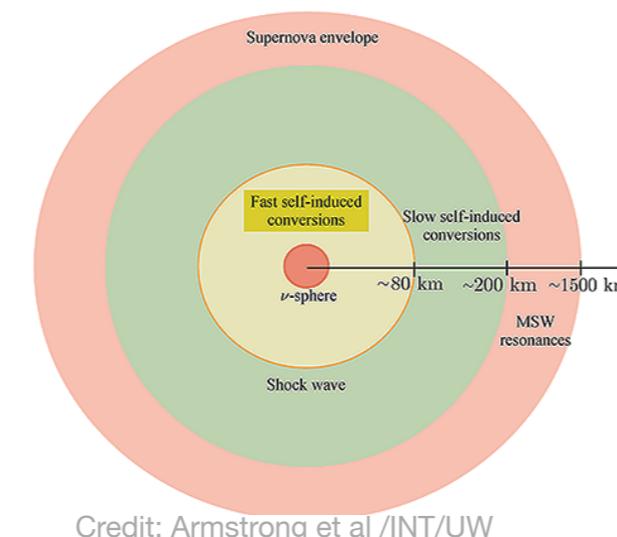
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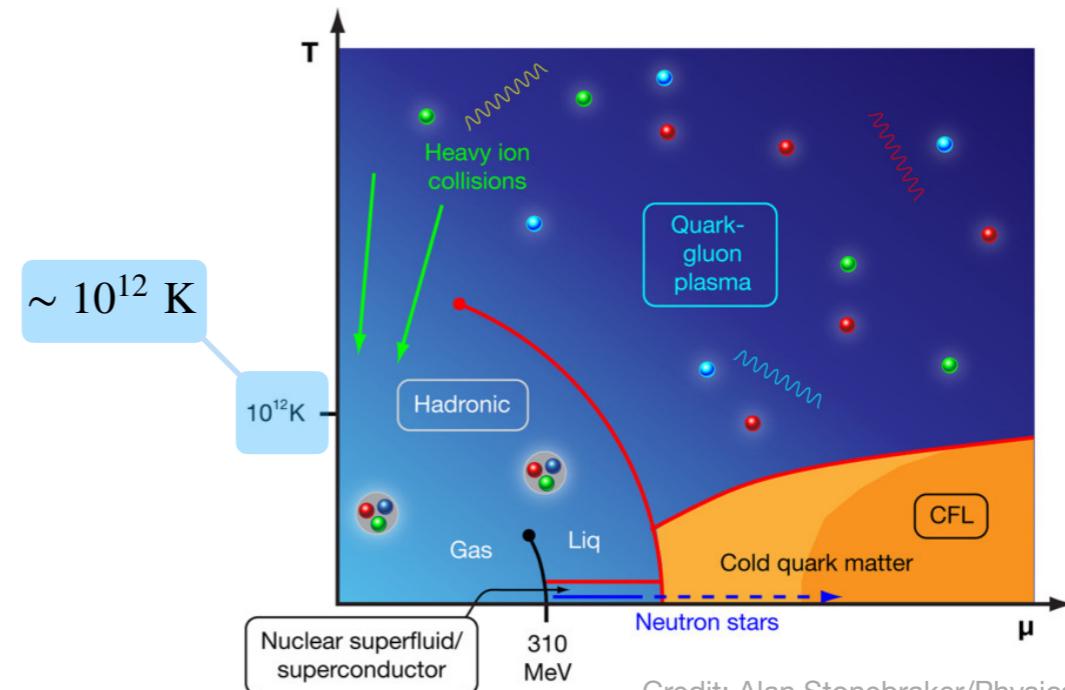


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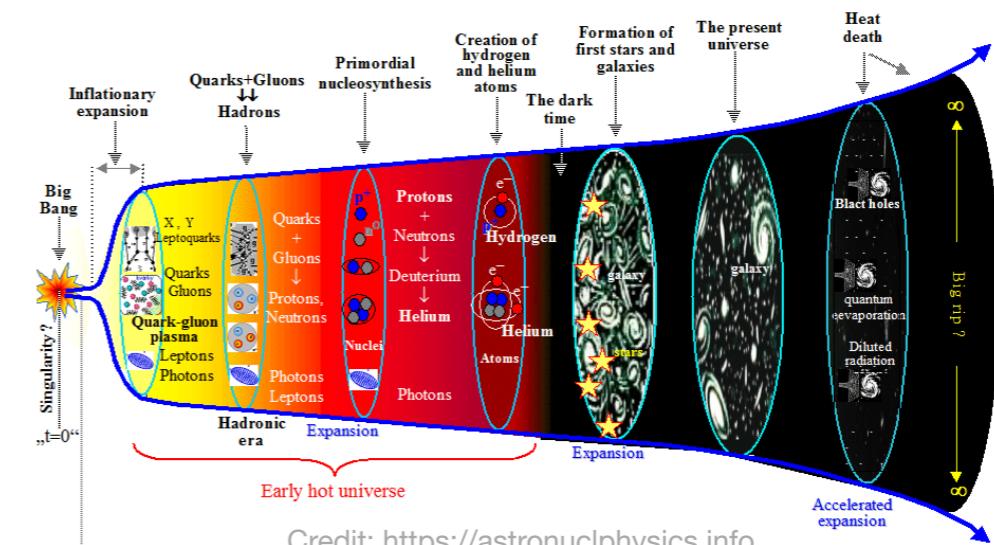
iv) Accurately predicting the role of neutrinos in dense astrophysical environments and supernovae evolution is challenging.



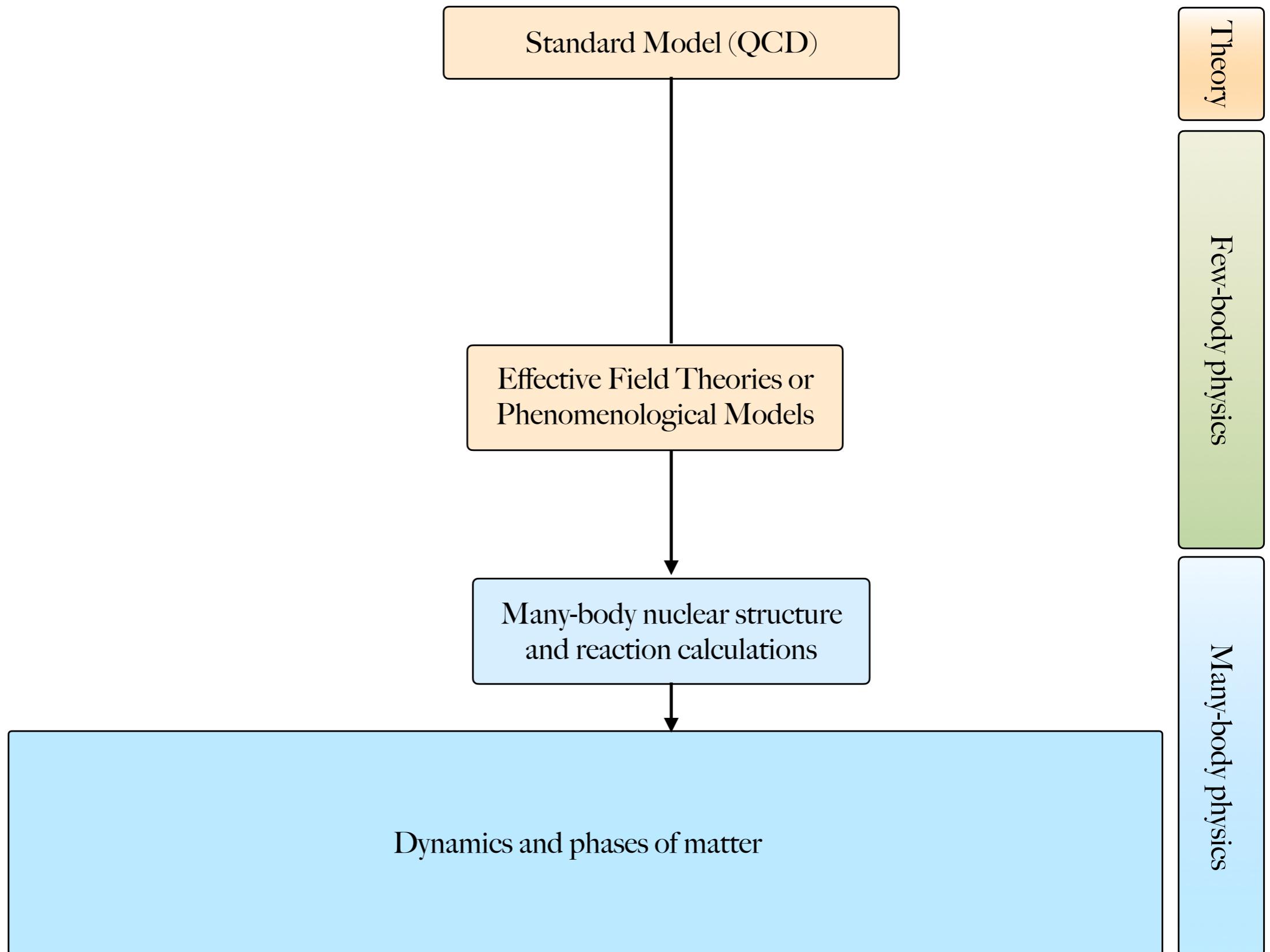
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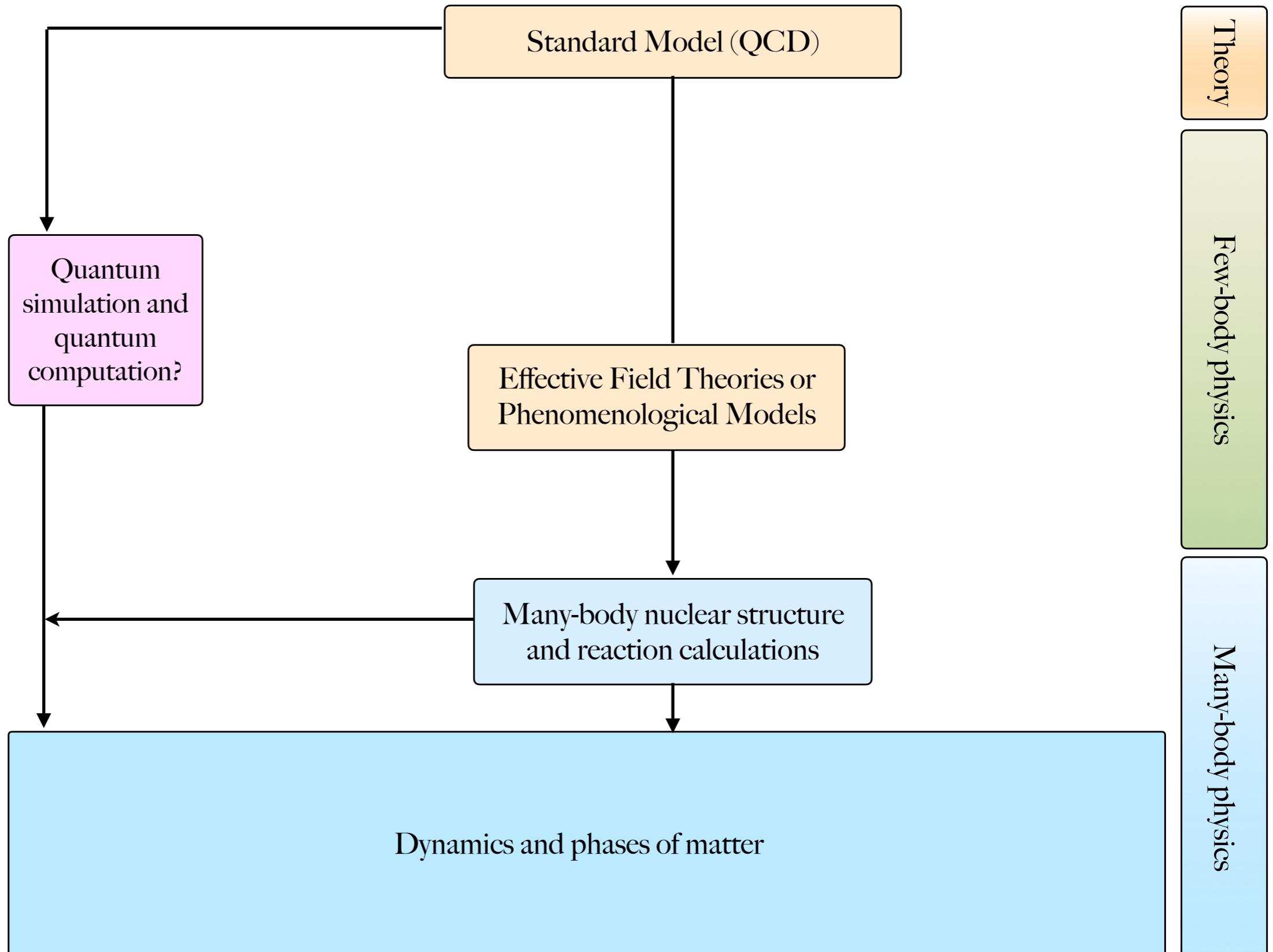
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A NUCLEAR/PARTICLE PHYSICS ROADMAP



A NUCLEAR/PARTICLE PHYSICS ROADMAP FOR LEVERAGING QUANTUM TECHNOLOGIES



SO HOW MUCH DOES IT COST TO
QUANTUM COMPUTE QCD DYNAMICS?

SO HOW MUCH DOES IT COST TO QUANTUM COMPUTE QCD DYNAMICS?

Algorithms for simulating quantum field theories started from pioneering work of Jordan, Lee, Preskill.

Science 336, 6085 1130–1133 (2012).

Algorithmic progress for U(1), SU(2), and SU(3) quantum field theories include:

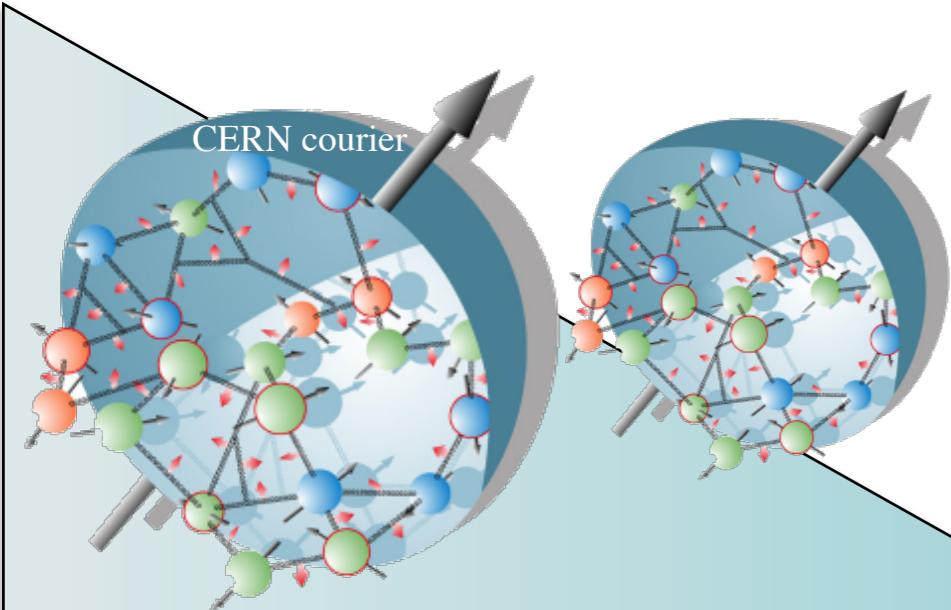
- Byrnes and Yamamoto, Phys. Rev. A73 (2006) 022328.**
- Shaw, Lougovski, Stryker, Wiebe, Quantum 4, 306 (2020).**
- Ciavarella, Klco, and Savage, Phys. Rev. D 103, 094501 (2021).**
- Kan and Nam, arXiv:2107.12769 [quant-ph].**
- Lamm, Lawrence, and Yamauchi, Phys. Rev. D 100 (2019) 3, 034518.**
- Paulson et al, PRX Quantum 2 (2021) 030334.**
- Murairi, Cervia, Kumar, Bedaque, Alexandru, arXiv:2208.11789 [hep-lat].**
- ZD, Shaw, and Stryker, Quantum 7, 1213 (2023).**
- Sakamoto, Morisaki, Haruna, Itou, Fujii, Mitarai, Quantum 8, 1474 (2024).**
- M. Rhodes, M. Kreshchuk, S. Pathak, PRX Quantum 5:040347 (2024).**
- Lamm et al, arXiv:2405.12890 [hep-lat].**

Second-order product formula
Non-local fermion encoding

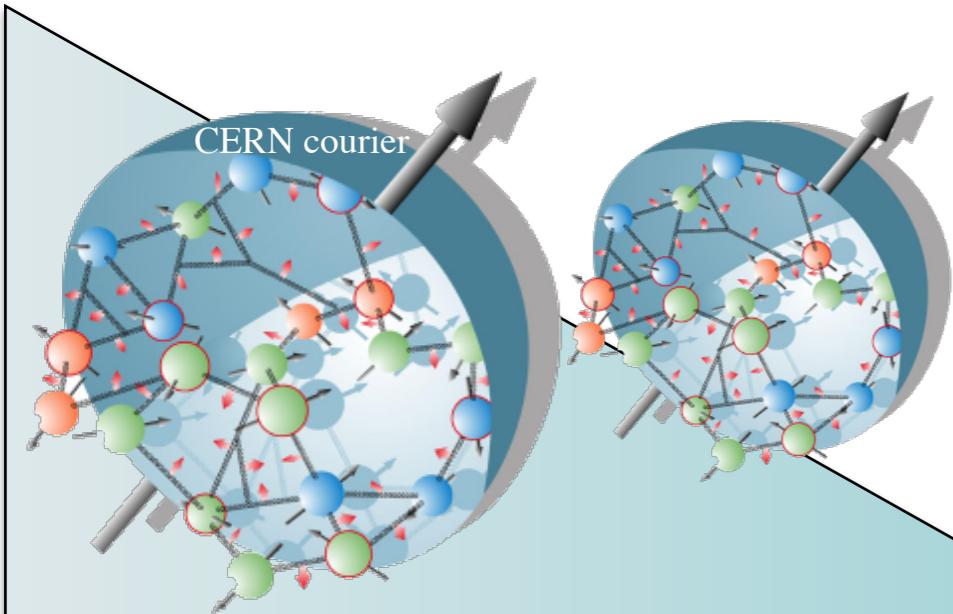
$O(10^{53})$ T gates

Kan, Nam (2021)

Time evolving under QCD
in a $10 \times 10 \times 10$ lattice at
fixed parameters with
error 10^{-3} (10^{10} qubits).



Starting from the Standard Model



$O(10^{53})$ T gates

Kan, Nam (2021)



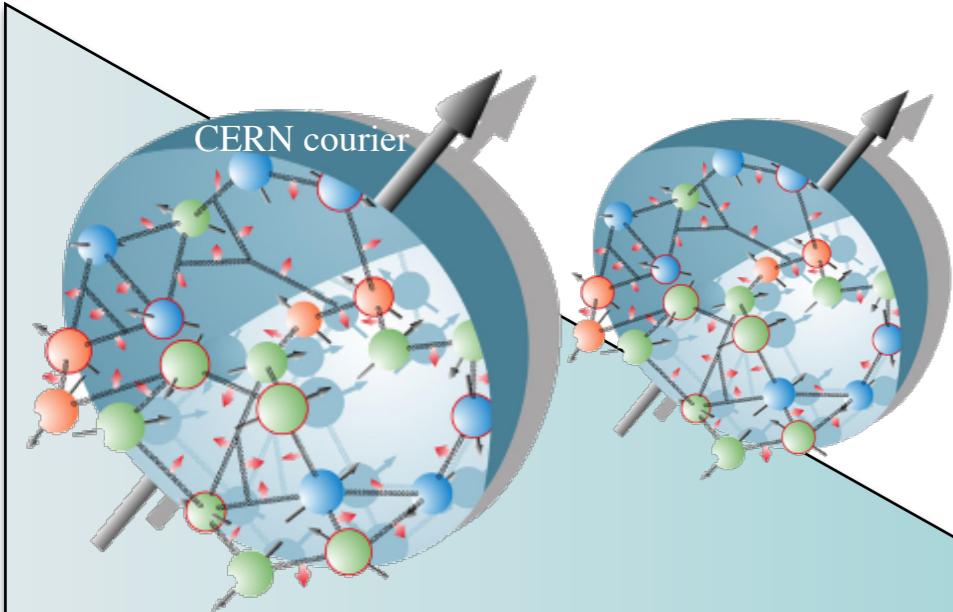
$O(10^{39})$ T gates

ZD, Stryker (2025)

Time evolving under QCD
in a $10 \times 10 \times 10$ lattice at
fixed parameters with
error 10^{-3} (10^{10} qubits).

Second-order product formula (better term decomposition)
Non-local fermion encoding

Starting from the Standard Model



$O(10^{53})$ T gates

Kan, Nam (2021)



$O(10^{39})$ T gates

ZD, Stryker (2025)



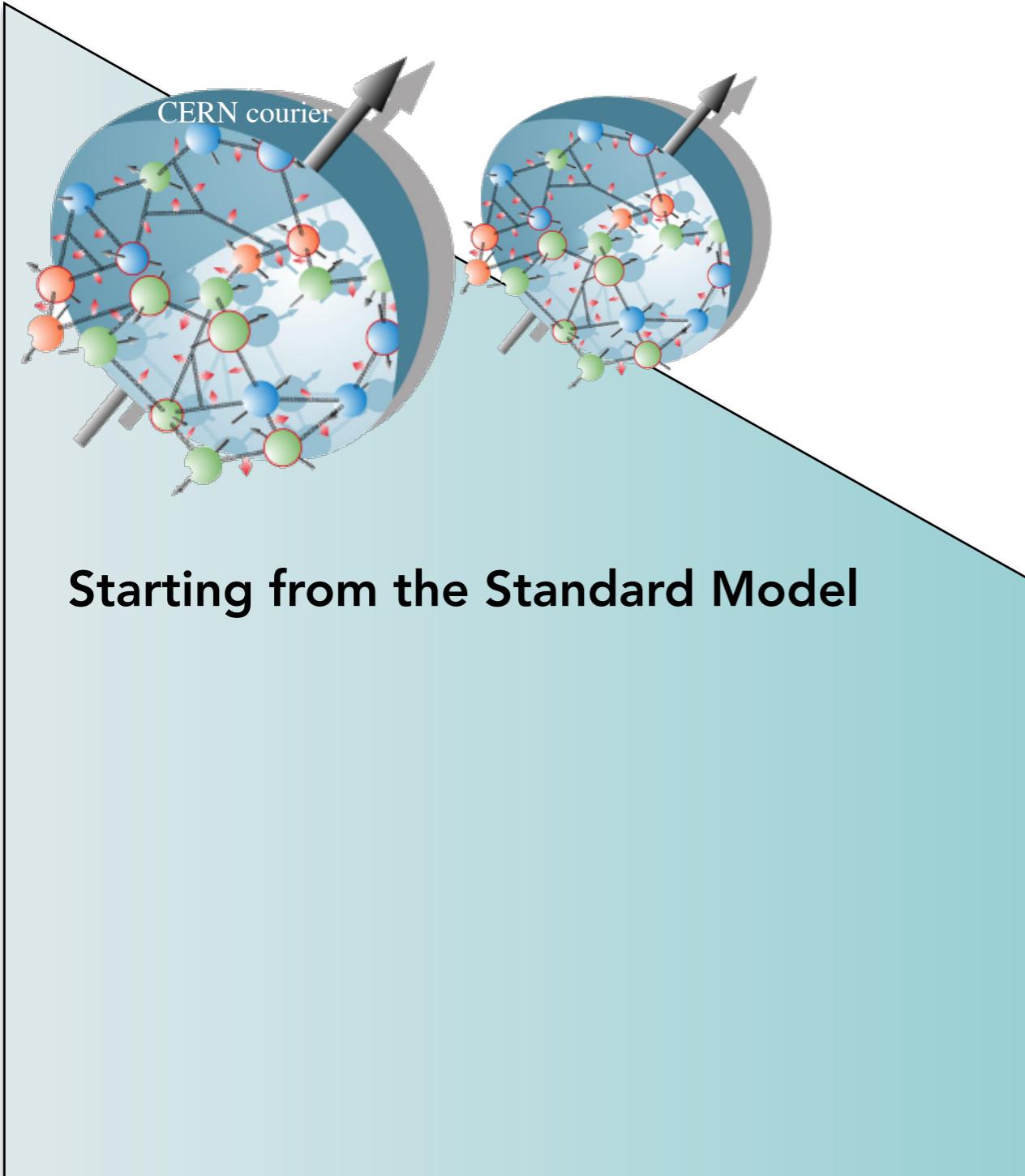
$O(10^{28})$ T gates

Rhodes, Kreshchuk, Pathak (2024)

Time evolving under QCD
in a $10 \times 10 \times 10$ lattice at
fixed parameters with
error 10^{-3} (10^{10} qubits).

Starting from the Standard Model

Near-optimal time-evolution algorithms
Local fermion encoding



$O(10^{53})$ T gates

Kan, Nam (2021)



$O(10^{39})$ T gates

ZD, Stryker (2025)



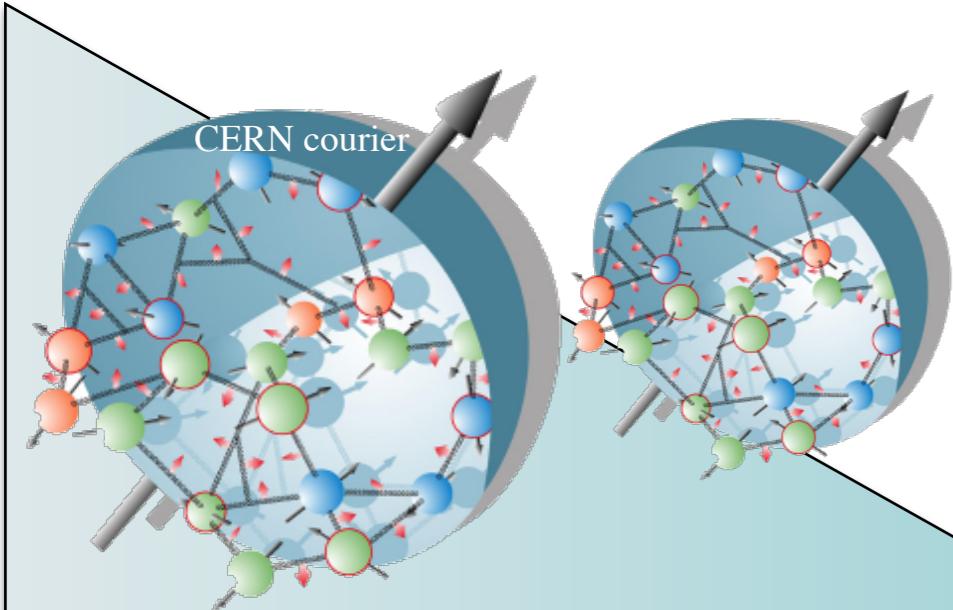
$O(10^{28})$ T gates

Rhodes, Kreshchuk, Pathak (2024)



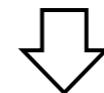
?

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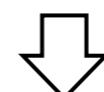
$O(10^{53})$ T gates

Kan, Nam (2021)



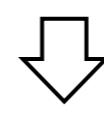
$O(10^{39})$ T gates

ZD, Stryker (2025)



$O(10^{28})$ T gates

Rhodes, Kreshchuk, Pathak (2024)



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Starting from the Standard Model

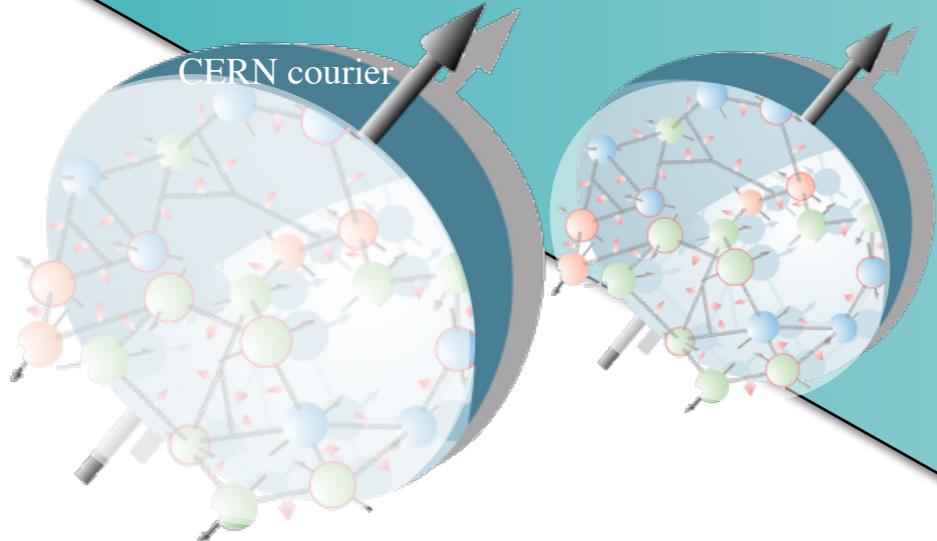
Classically:

$O(10^{18})$ floating-point
operations per second

$O(10^{15})$ bytes of memory

HOW MUCH DOES IT COST TO
INSTEAD QUANTUM COMPUTE
NUCLEAR EFFECTIVE FIELD THEORIES?

CERN courier



Starting from the nuclear Hamiltonian

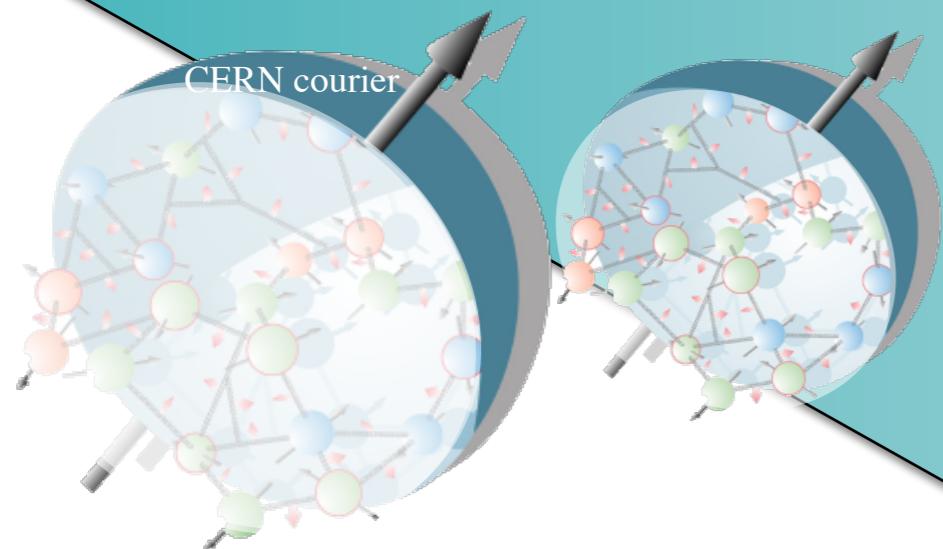
$O(10^{11})$ CNOT depth

Roggero, Li, Carlson,
Gupta, Perdue (2020)

Time evolving an $A=40$ nucleus under pionless EFT in a $10 \times 10 \times 10$ lattice at fixed parameters with error 10^{-1} (10^4 qubits).

Second-order product formula
Non-local fermion encoding

Starting from the nuclear Hamiltonian



Second-order product formula (better error bounds)
Local fermion encoding

$O(10^7)$ CNOT depth

**Watson, Bringewatt, Shaw,
Childs, Gorshkov, ZD (2023)**

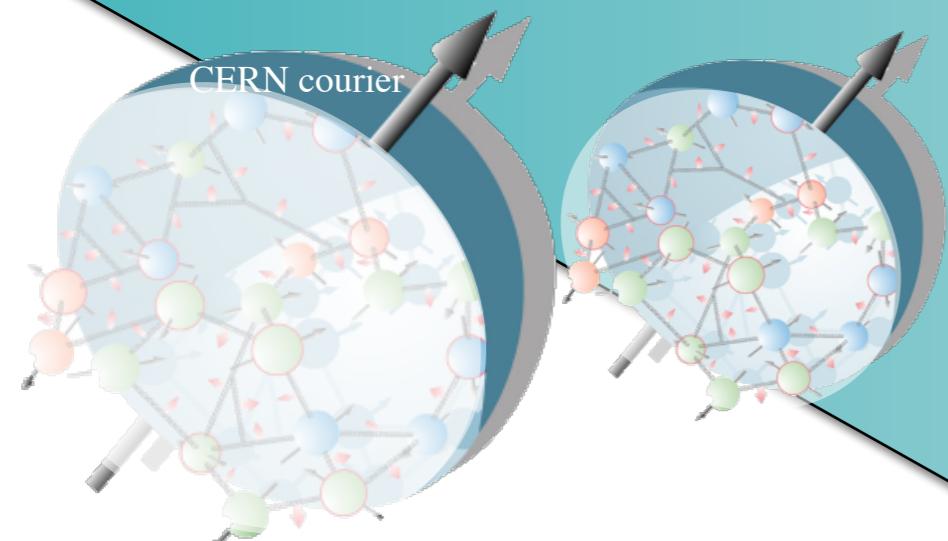


$O(10^{11})$ CNOT depth

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Time evolving an $A=40$
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EFT in a $10 \times 10 \times 10$
lattice at fixed parameters
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Starting from the nuclear Hamiltonian



?

$O(10^7)$ CNOT depth

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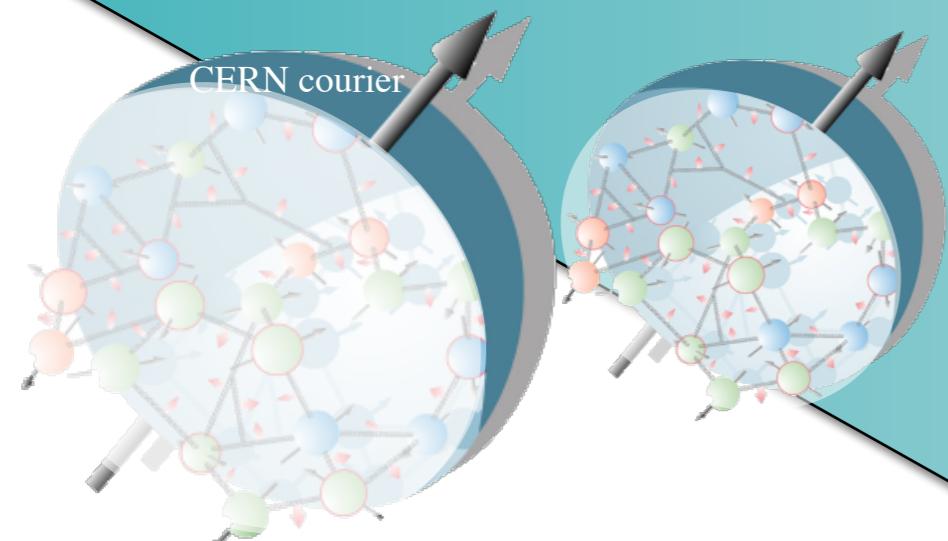


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Starting from the nuclear Hamiltonian



?

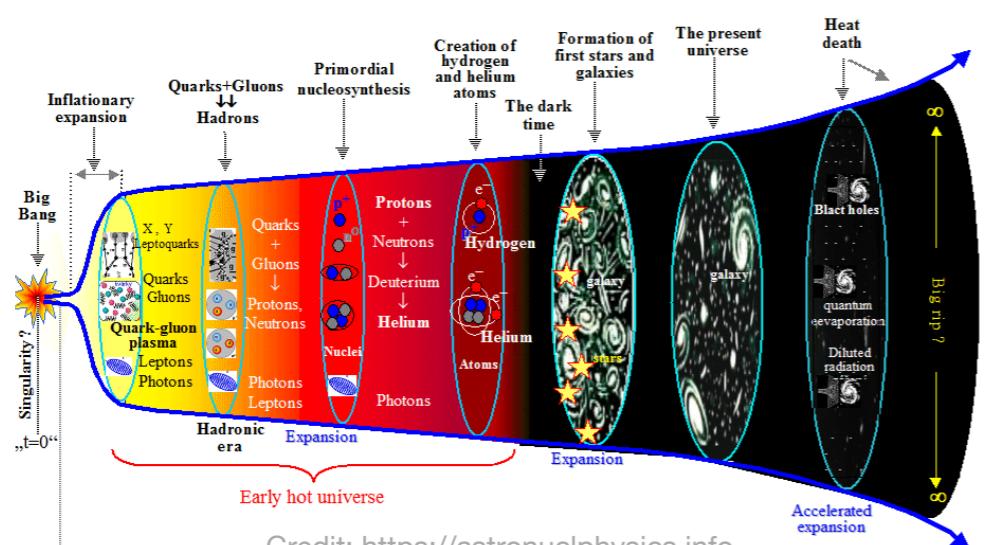
$O(10^{20})$ CNOT depth

**Watson, Bringewatt, Shaw,
Childs, Gorshkov, ZD (2023)**

Time evolving an $A=40$ nucleus under LO chiral EFT in a $10 \times 10 \times 10$ lattice at fixed parameters with error 10^{-1} (10^4 qubits).

EXAMPLES OF PROGRESS IN REAL-TIME NONEQUILIBRIUM EXPLORATIONS WITH QUANTUM COMPUTERS

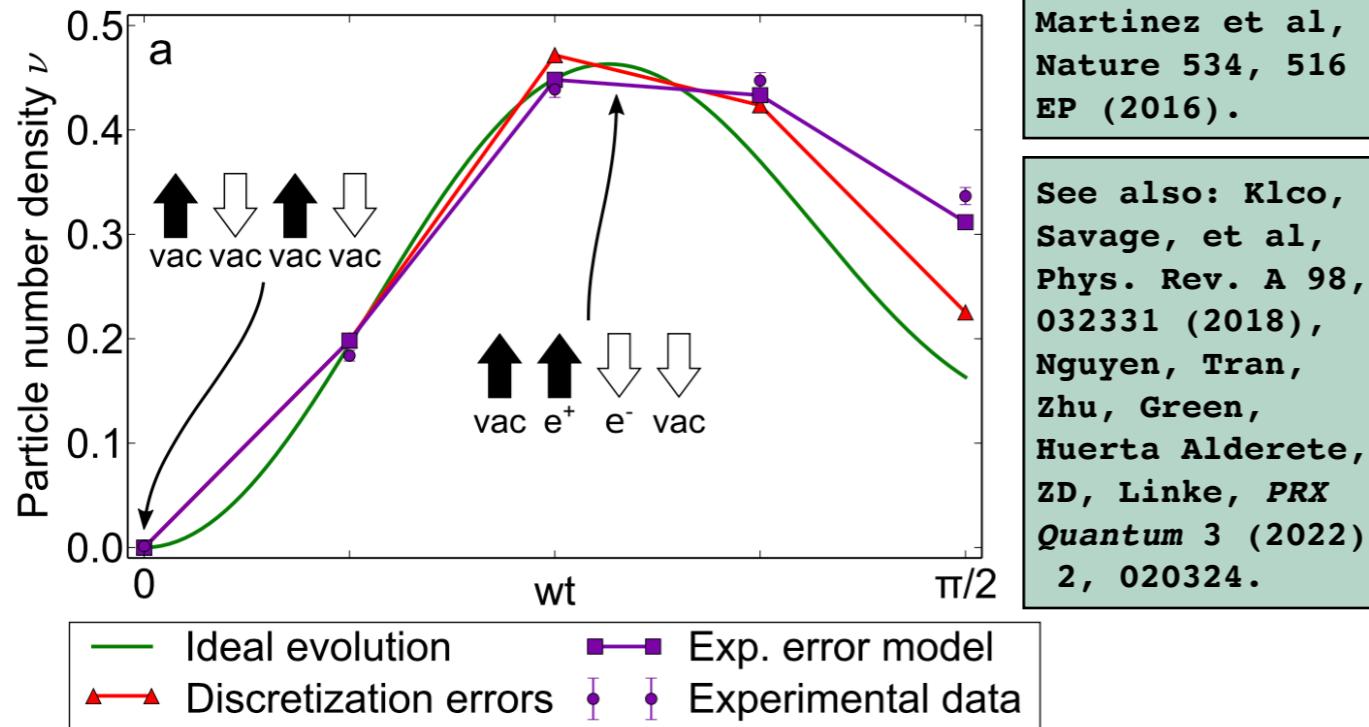
Evolution of matter?



REAL-TIME EVOLUTION AND QUENCH DYNAMICS IN LATTICE GAUGE THEORIES



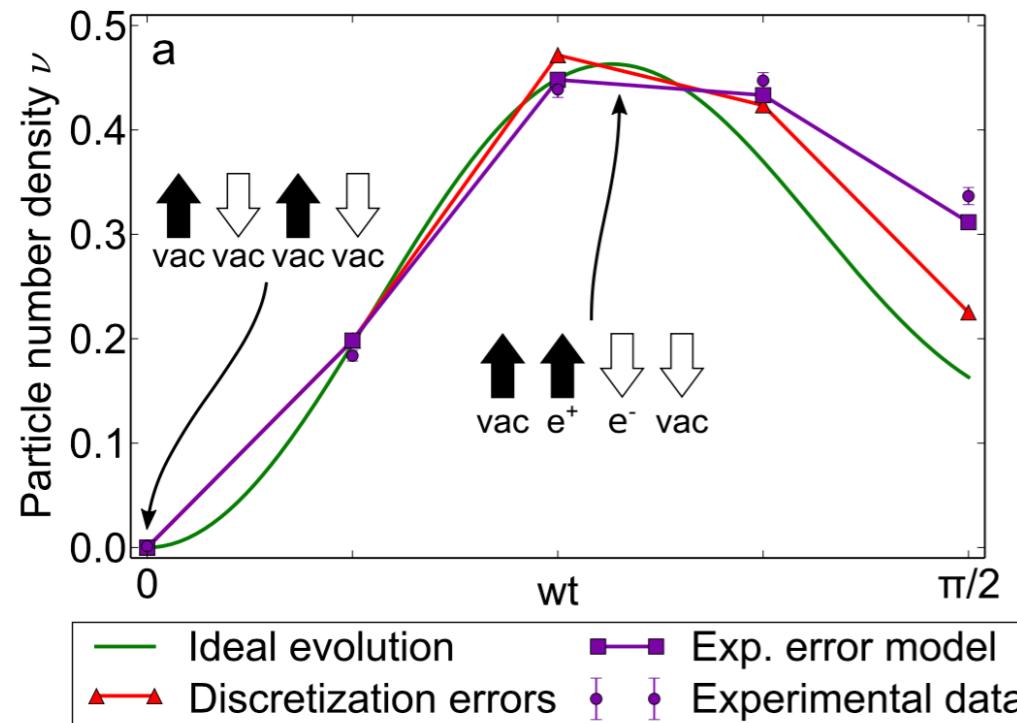
Real-time dynamic of lattice Schwinger model



REAL-TIME EVOLUTION AND QUENCH DYNAMICS IN LATTICE GAUGE THEORIES



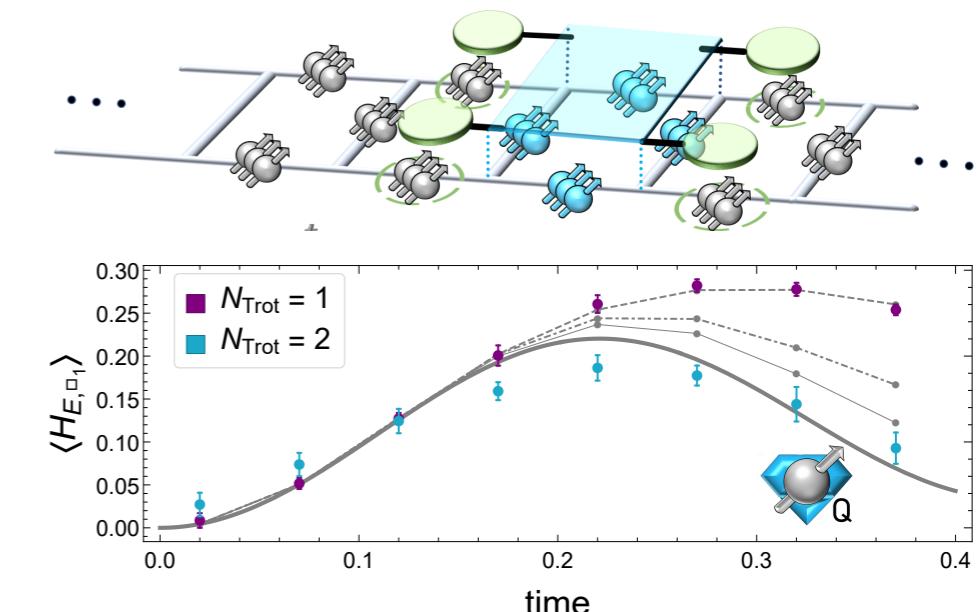
Real-time dynamic of lattice
Schwinger model



Martinez et al,
Nature 534, 516
EP (2016).

See also: Klco,
Savage, et al,
Phys. Rev. A 98,
032331 (2018),
Nguyen, Tran,
Zhu, Green,
Huerta Alderete,
ZD, Linke, PRX
Quantum 3 (2022)
2, 020324.

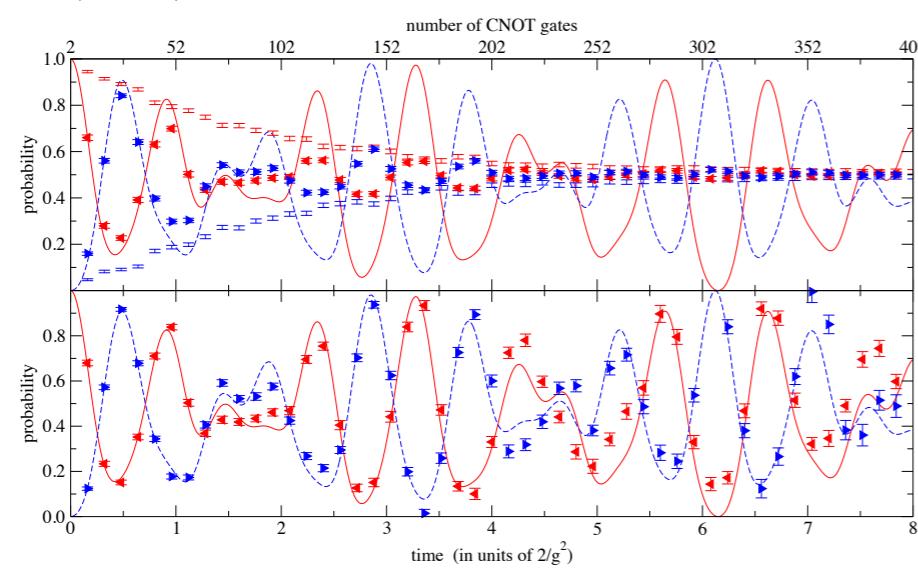
Real-time dynamic of pure (2+1)D
SU(2) with global irreps



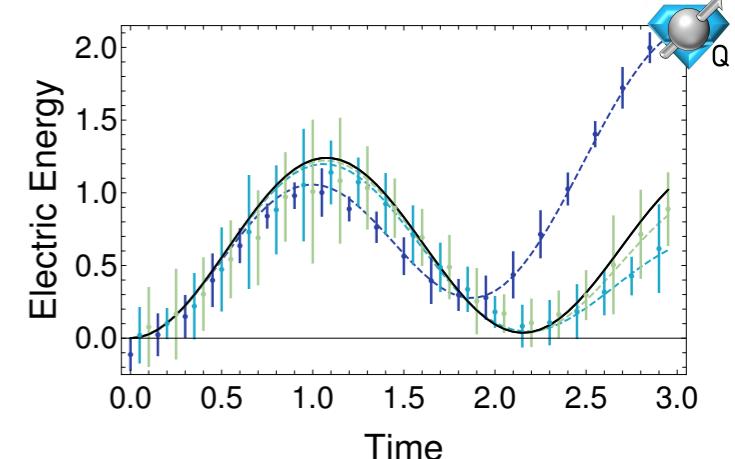
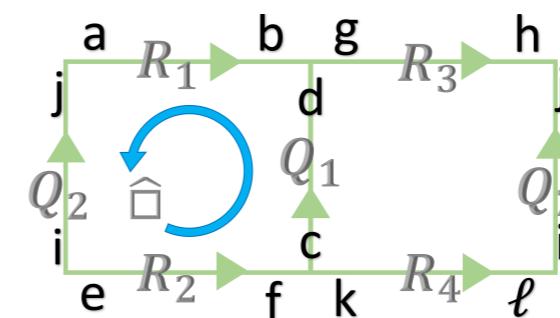
Klco, Savage, and Stryker, Phys. Rev.
D 101, 074512 (2020).

Self-mitigating Trotter
circuits for pure SU(2)
LGT in (2+1)D

Rahman, Lewis, Mendicelli,
Powell, Phys. Rev. D 106,
074502 (2022).



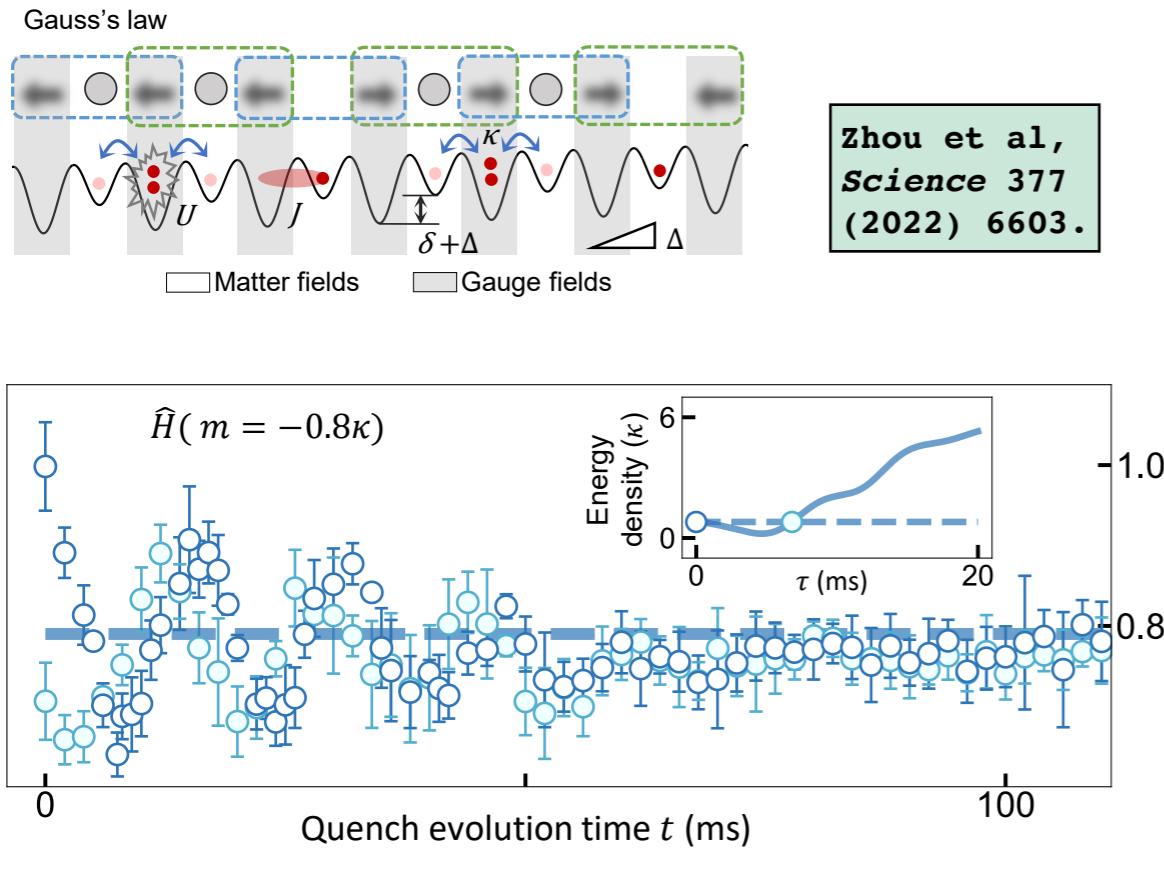
Real-time dynamic of pure (2+1)D SU(3)
with global irreps



Ciavarella, Klco, and Savage,
Phys. Rev. D 103, 094501 (2021).

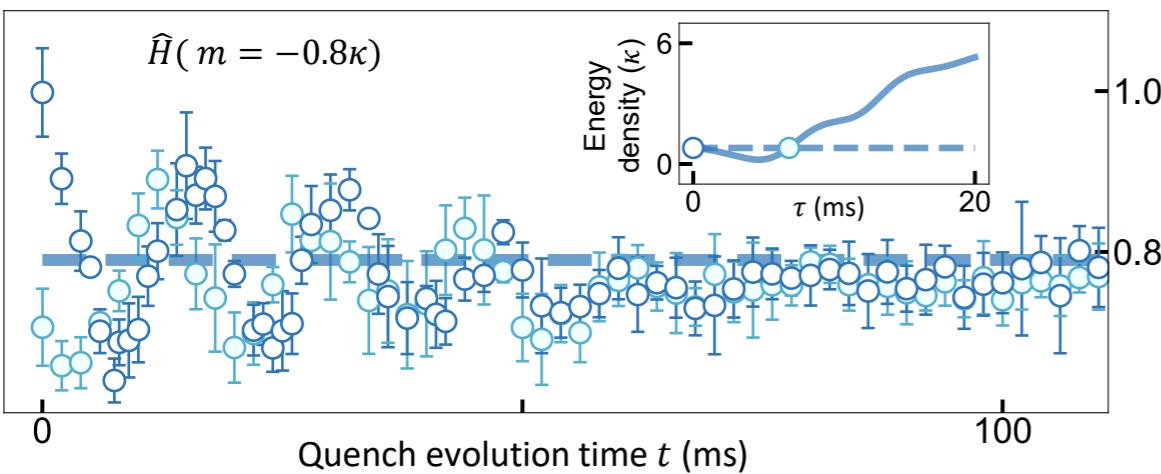
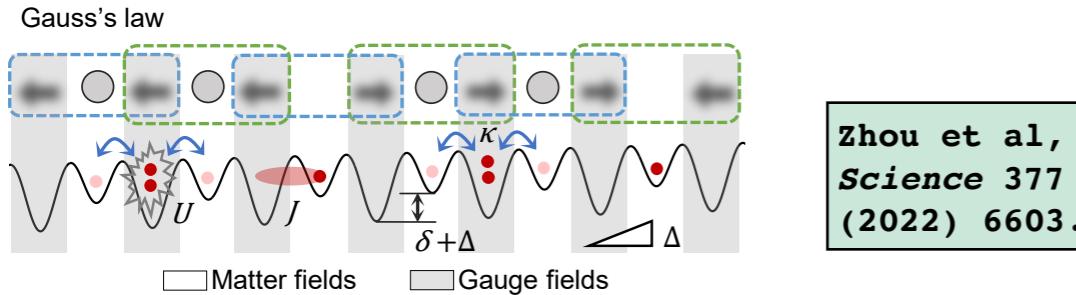
THERMALIZATION AND NON-EQUILIBRIUM PROPERTIES

Thermalization dynamics of (1+1)D U(1) Quantum Link Model in a 71-site analog simulator

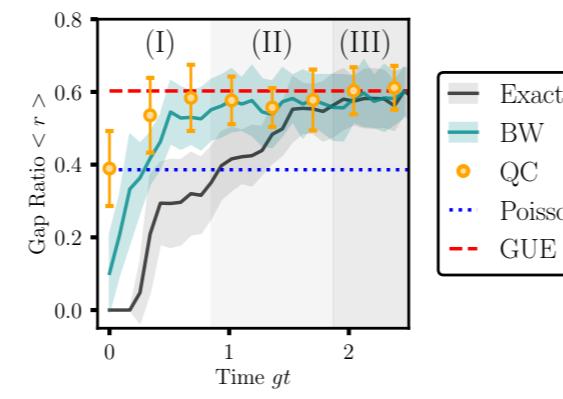
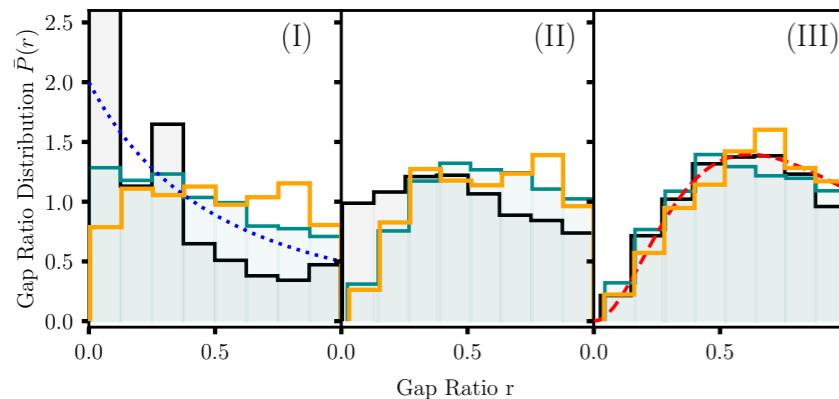


THERMALIZATION AND NON-EQUILIBRIUM PROPERTIES

Thermalization dynamics of (1+1)D U(1) Quantum Link Model in a 71-site analog simulator



Stages of thermalization dynamics of Z_2 LGT in (2+1)D from entanglement spectrum



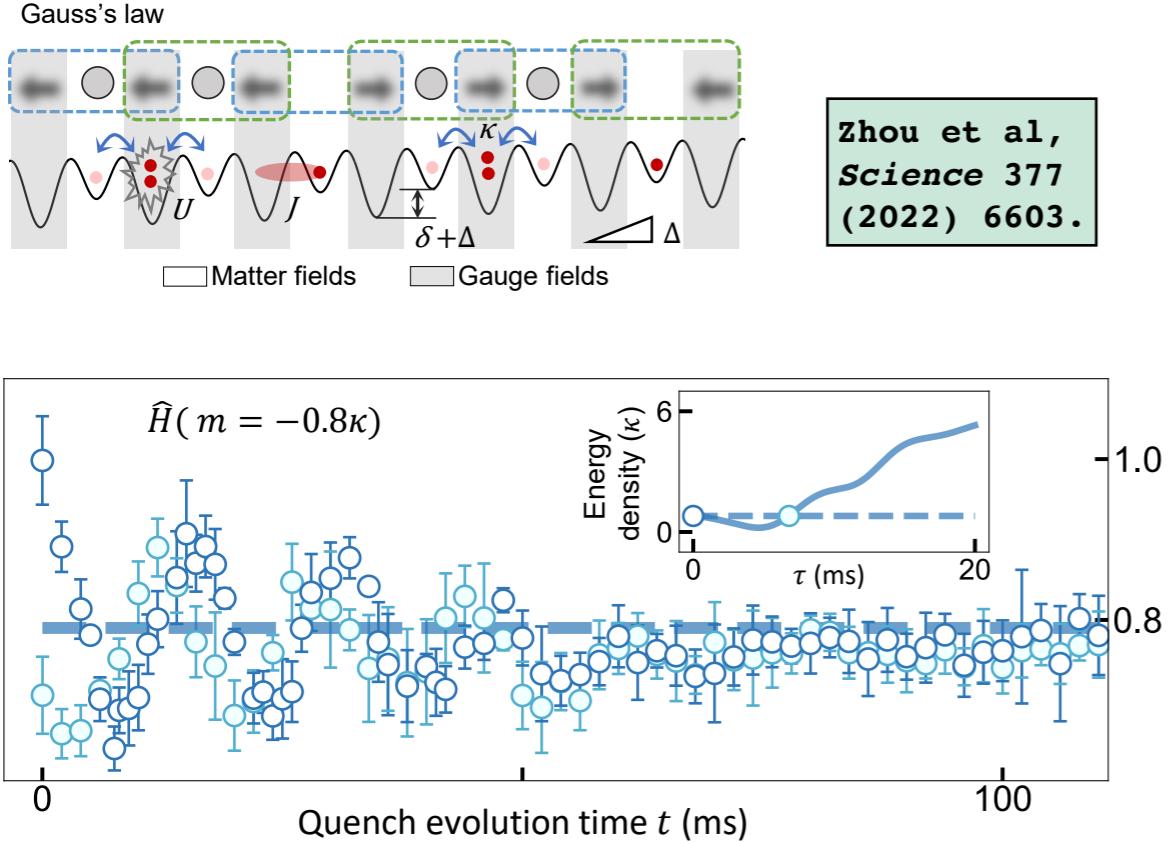
Mueller, Zache, Ott, Phys. Rev. Lett. 129, 011601 (2022).

Experimental demonstration with trapped ions:

Mueller, Wang, Katz, ZD, Cetina, arXiv:2408.00069 [quant-ph].

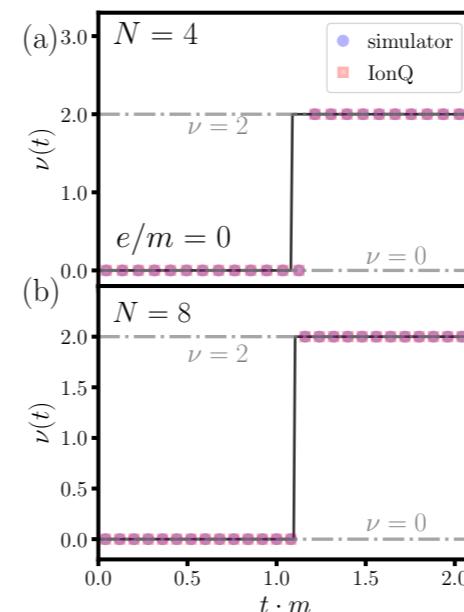
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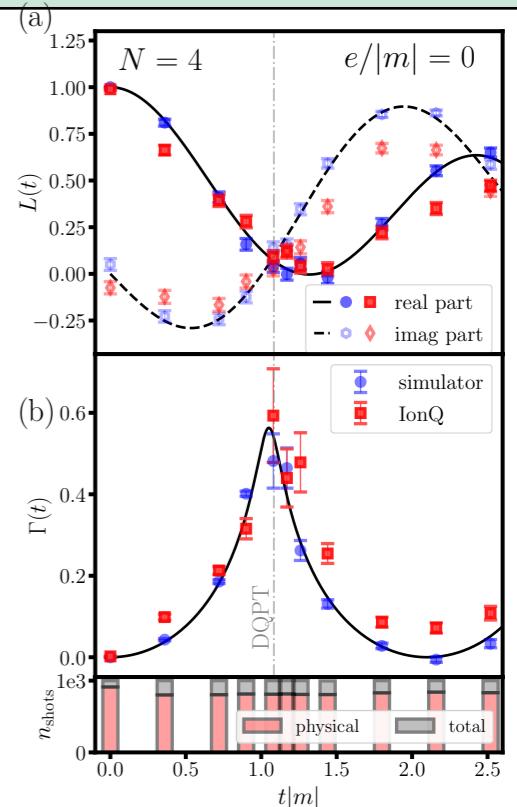


A dynamical phase transition and topological order in lattice Schwinger model

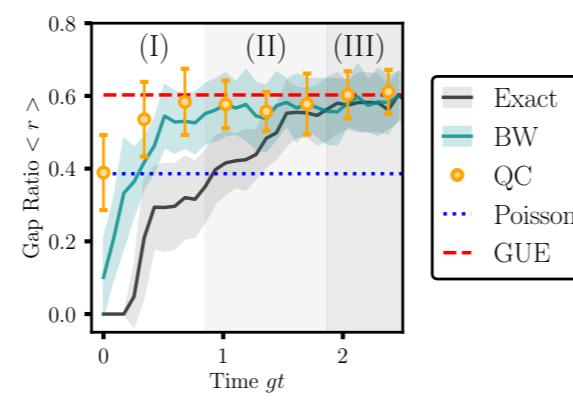
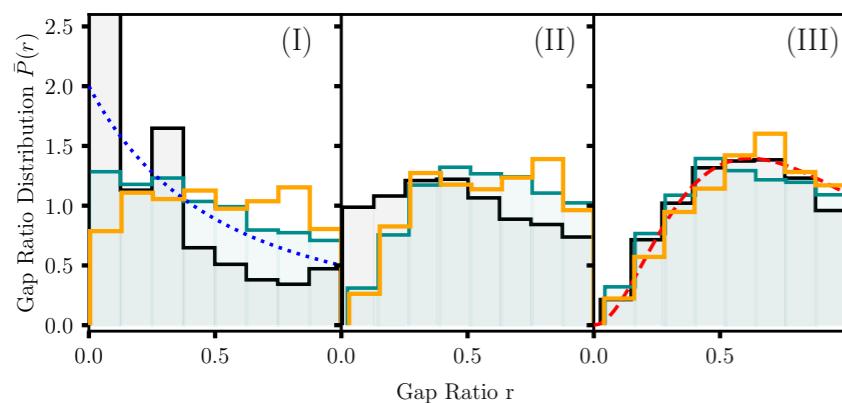
For other quantum PTs see: Thompson and Siopsis, Quant. Inf. Proc. 22 (2023) 11, 396, and Quant. Sci. Tech. 7 (2022) 3, 035001.



Mueller, Carolan, Connelly, ZD, Dumitrescu, Yeter-Aydeniz, PRX Quantum 4 (2023) 3.



Stages of thermalization dynamics of Z_2 LGT in (2+1)D from entanglement spectrum



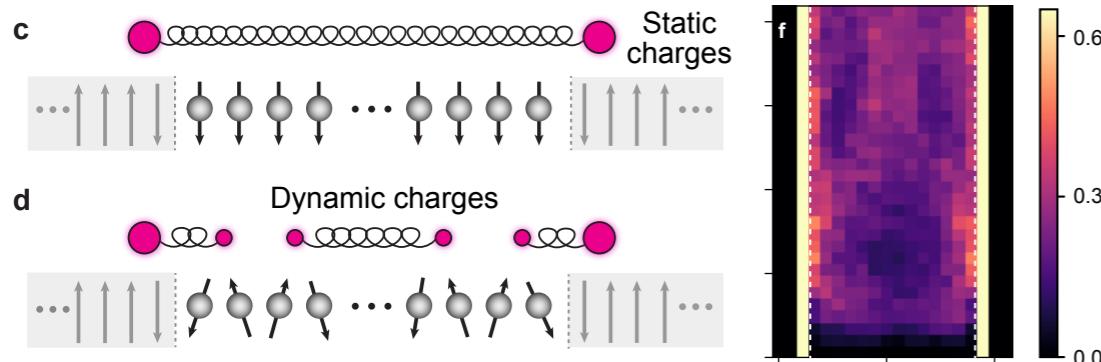
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STRING BREAKING, BUBBLE NUCLEATION, AND PARTICLE PRODUCTION

String breaking in an Ising model (a Z_2 gauge theory) using a trapped-ion simulator:

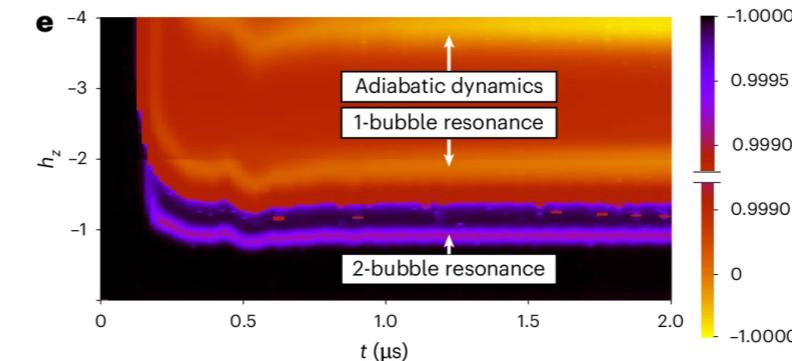


De et al (ZD), arXiv:2410.13815 [quant-ph].

See also Luo et al (ZD), arXiv:2505.09607 [quant-ph], Alexandru et al, arXiv:2504.13760 [hep-lat].

False-vacuum decay in an Ising model (a Z_2 gauge theory) with a D-wave quantum annealer:

Vodeb et al, Nature Physics 21, 386–392 (2025).

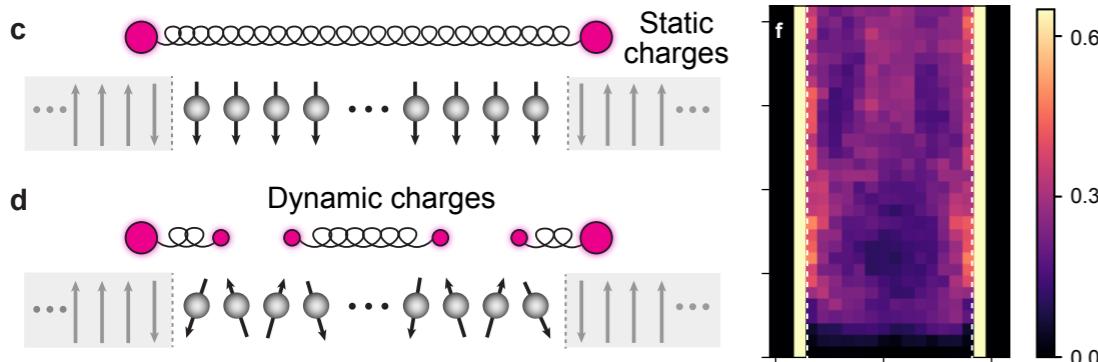


See also: Zhu et al, arXiv:2411.12565 [cond-mat.quant-gas].

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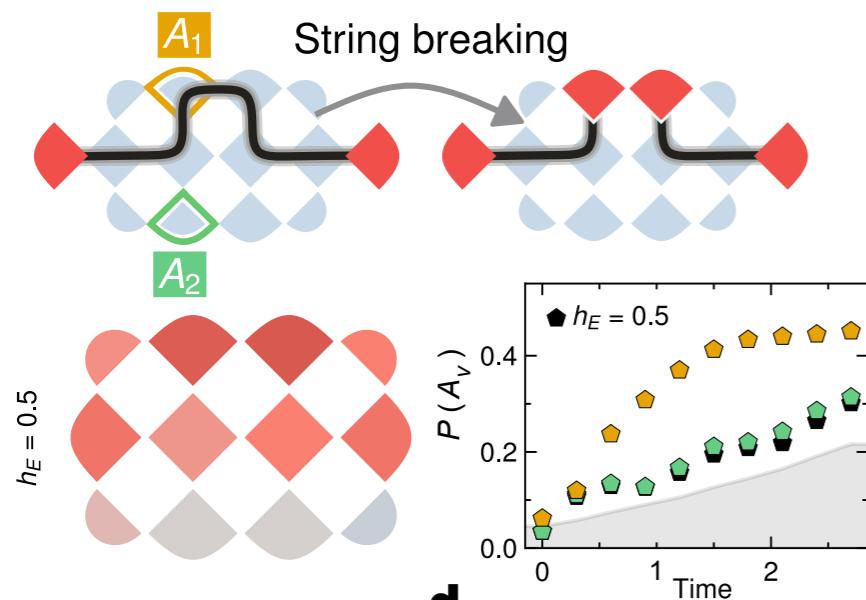
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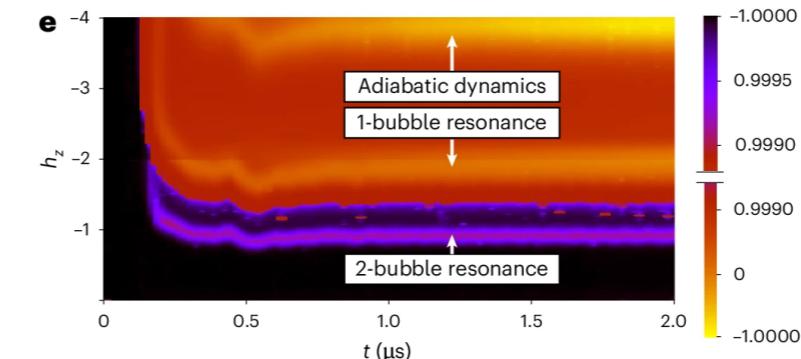
String breaking in a (2+1)D Z_2 gauge theory with a superconducting quantum processor:

Cochran et al, arXiv:2409.17142 [quant-ph].



False-vacuum decay in an Ising model (a Z_2 gauge theory) with a D-wave quantum annealer:

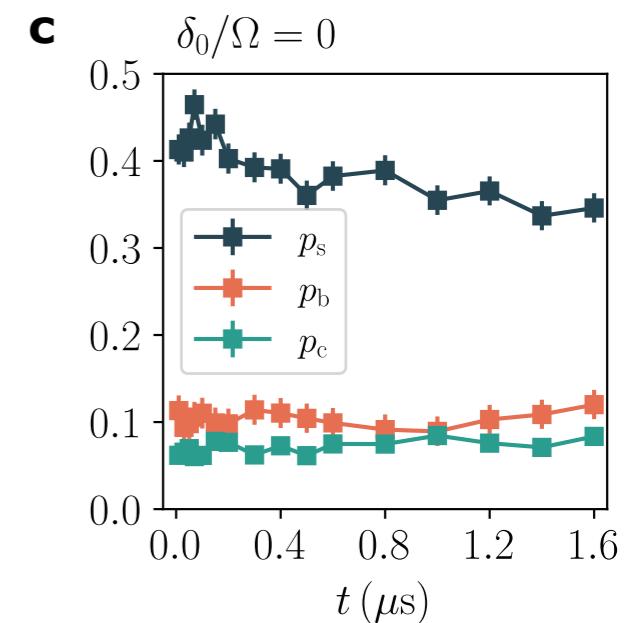
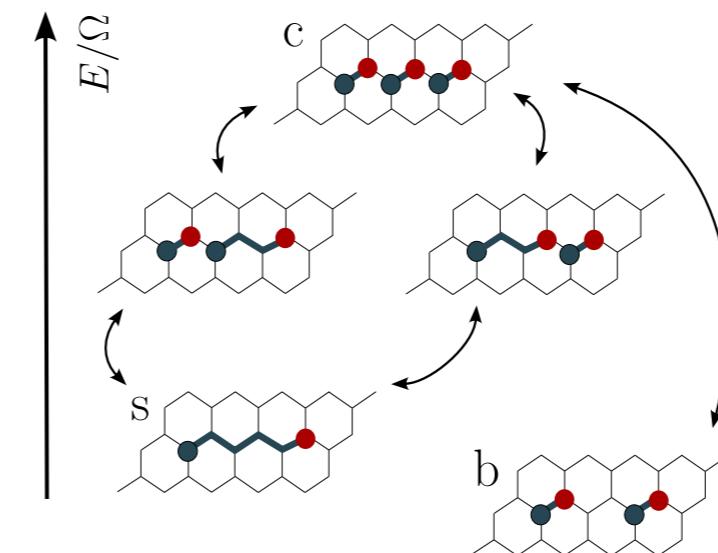
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See also: Zhu et al, arXiv:2411.12565 [cond-mat.quant-gas].

String breaking in (2+1)D U(1) quantum link model with a Rydberg-array simulator:

a String configurations



Gonzalez-Cuadra et al, arXiv:2410.16558 [quant-ph].

Vacuum and hadronic states?

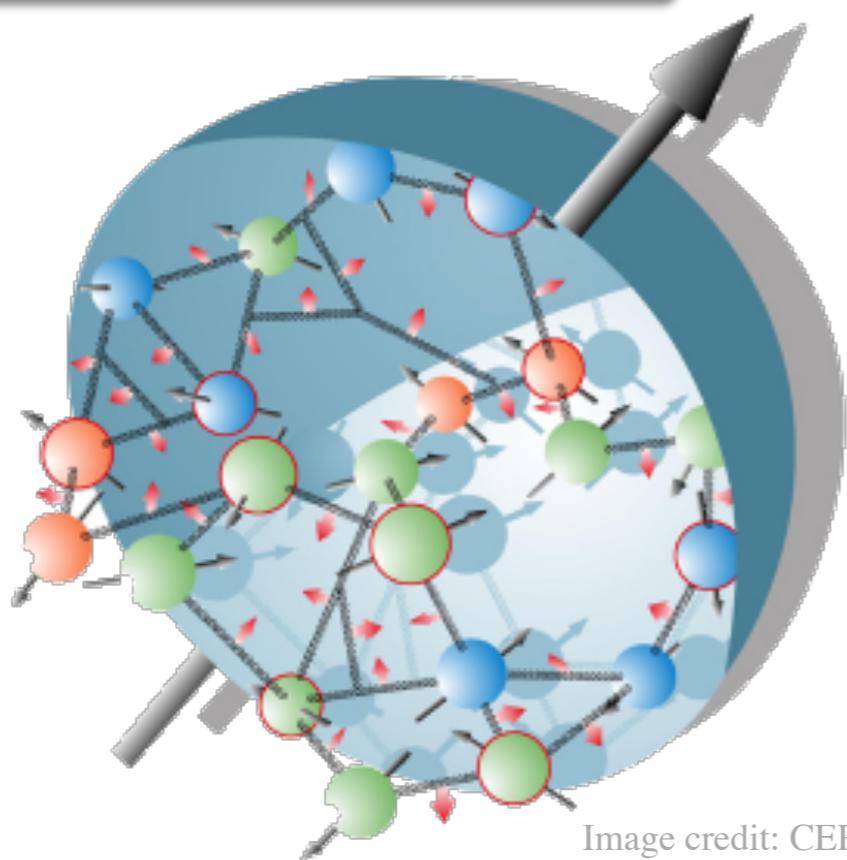
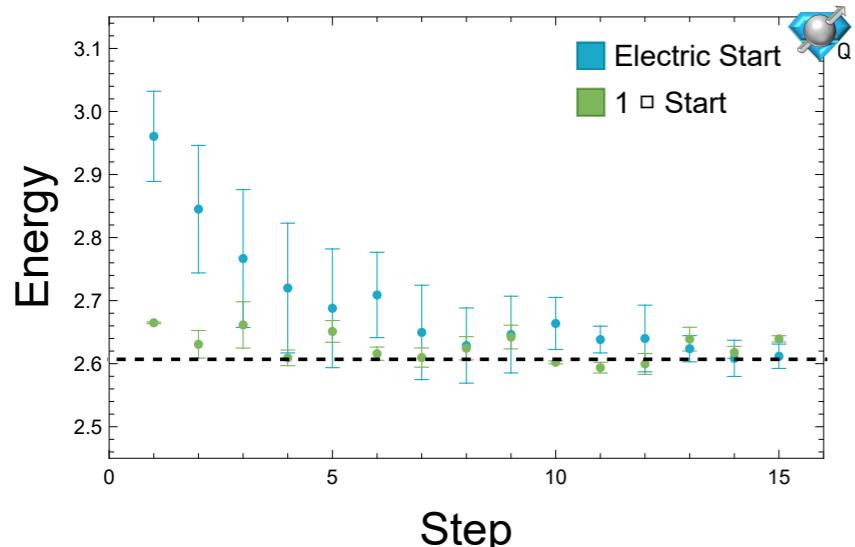


Image credit: CERN courier

VACCUM AND HADRONIC STATE PREPARATION AND SPECTROSCOPY IN GAUGE THEORIES

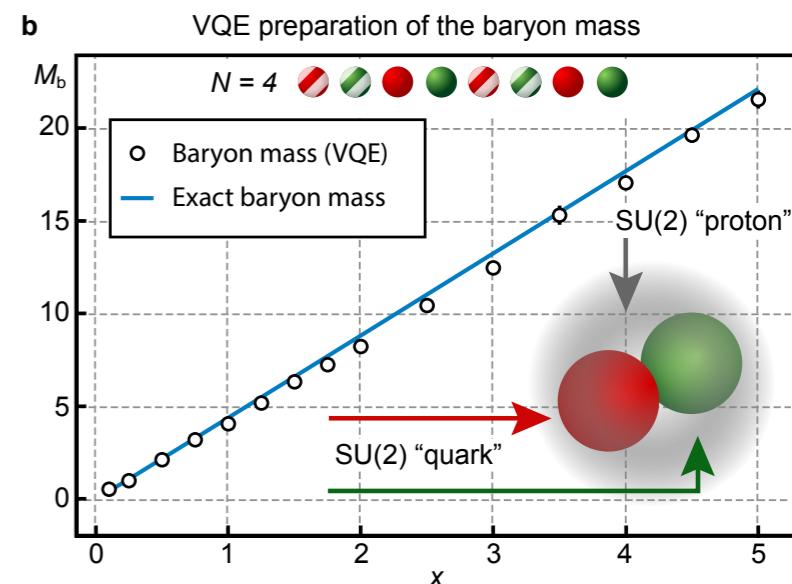
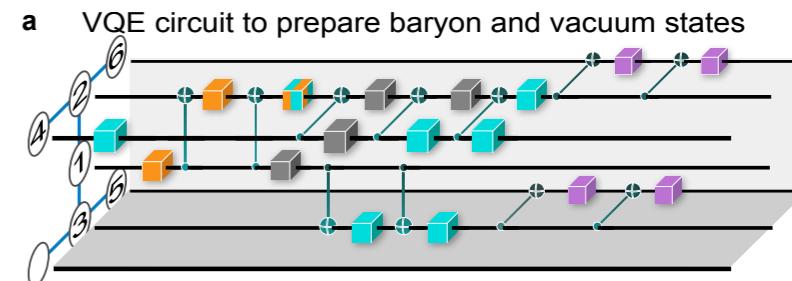
Variational state preparation of the vacuum state for a two plaquette system in pure SU(2) LGT



Ciavarella and Chernyshev,
Phys. Rev. D 105 (2022) 7, 074504.

See also: Gustafson et al,
[arXiv:2408.12641 \[quant-ph\]](https://arxiv.org/abs/2408.12641).

Low-lying spectrum of SU(2)
with matter in 1+1 D

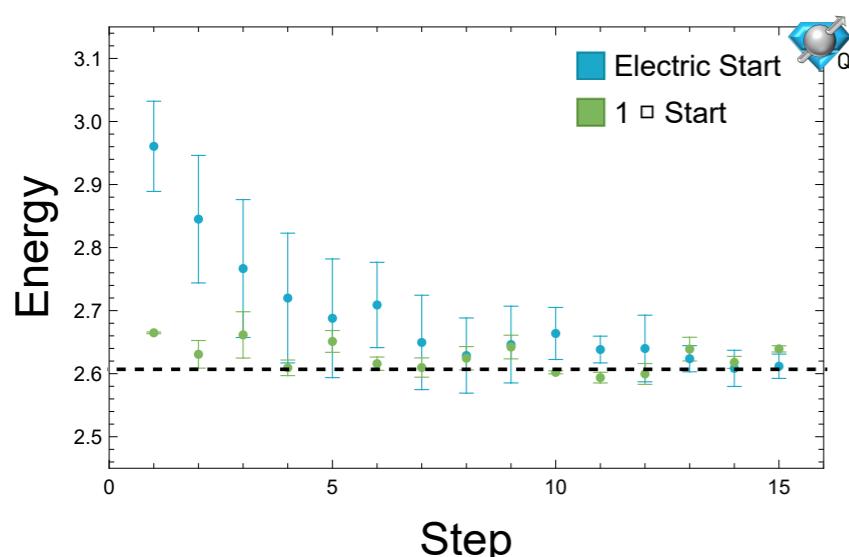


Atas et al, *Nature Communications* 12, 6499 (2021). SU(3) example: Atas et al: [arXiv:2207.03473 \[quant-ph\]](https://arxiv.org/abs/2207.03473).

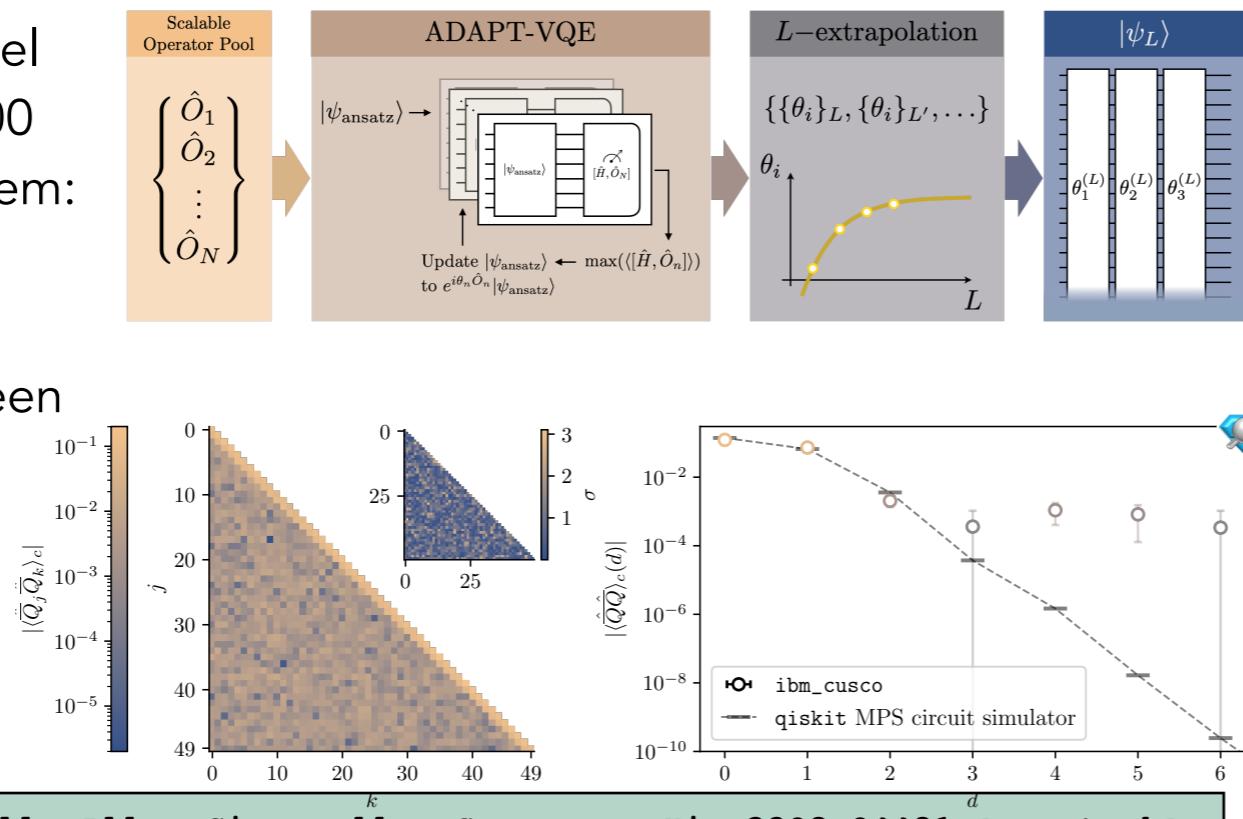
For Hamiltonian spectroscopy methods in general, see: Itou, Matsumoto, Tanizaki, [arXiv:2307.16655 \[hep-lat\]](https://arxiv.org/abs/2307.16655).
See also studies on D-wave annealers:
Rahman et al, *Phys. Rev. D* 104, 034501 (2021), Illa and Savage, [arXiv:2202.12340 \[quant-ph\]](https://arxiv.org/abs/2202.12340), Farrel et al, [arXiv:2207.01731 \[quant-ph\]](https://arxiv.org/abs/2207.01731).
Digital approaches: Kane, Gomes, and Kreshchuk, [arXiv:2310.13757 \[quant-ph\]](https://arxiv.org/abs/2310.13757).

VACCUM AND HADRONIC STATE PREPARATION AND SPECTROSCOPY IN GAUGE THEORIES

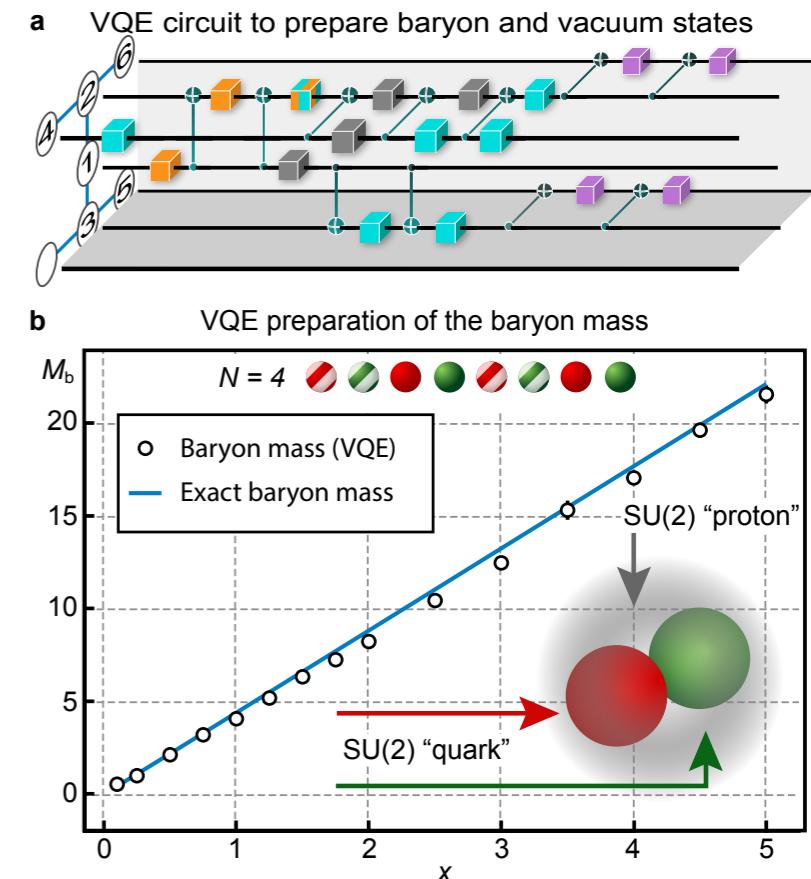
Variational state preparation of the vacuum state for a two plaquette system in pure SU(2) LGT



Schwinger model
vacuum on a 100
qubits IBM system:
Connected
correlation
functions between
spatial charges



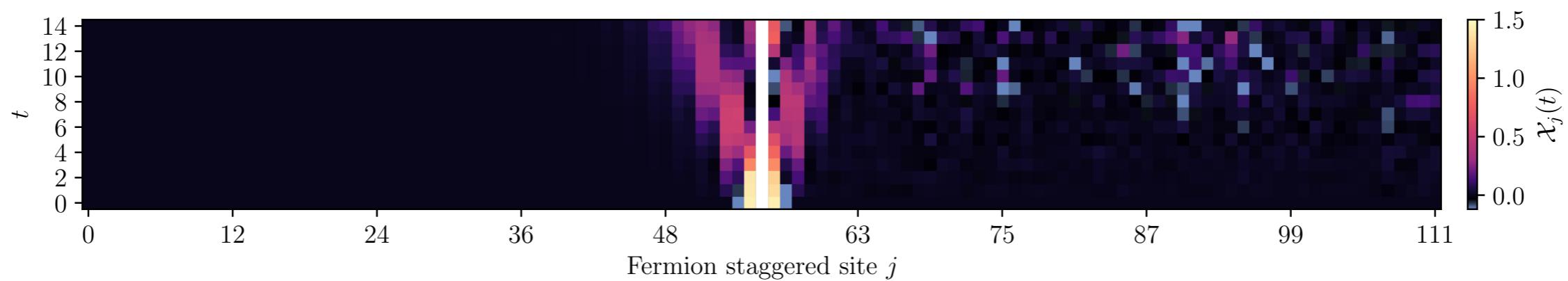
Low-lying spectrum of SU(2)
with matter in 1+1 D



For Hamiltonian spectroscopy methods in general, see: Itou, Matsumoto, Tanizaki, arXiv:2307.16655 [hep-lat].
See also studies on D-wave annealers: Rahman et al, *Phys. Rev. D* 104, 034501 (2021), Illa and Savage, arXiv:2202.12340 [quant-ph], Farrell et al, arXiv:2207.01731 [quant-ph].
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FIRST STEPS TOWARD HADRONIC WAVE PACKETS FOR COLLISION PROCESSES

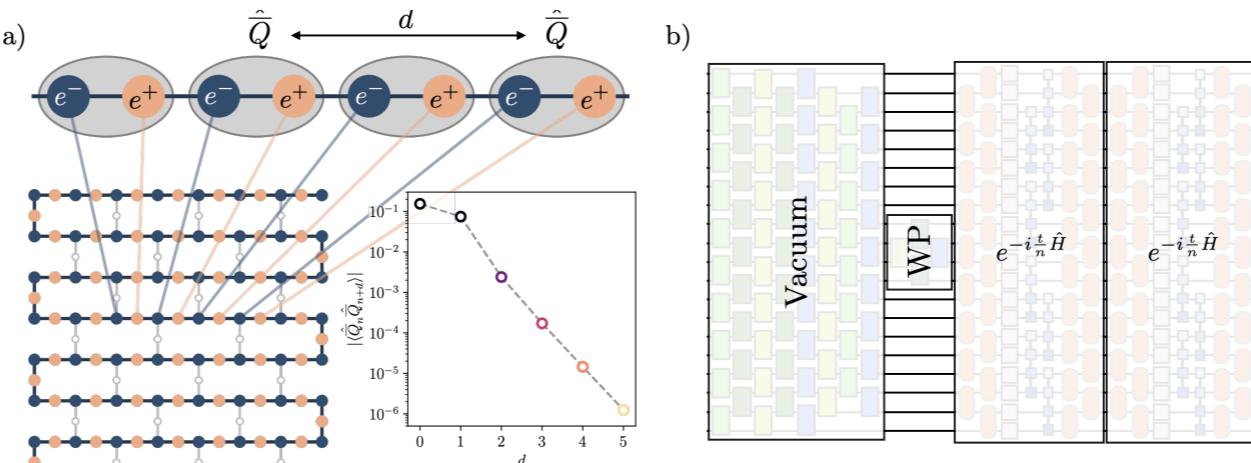
Hadron wave-packet evolution
in the Schwinger model (112
staggered sites with IBM with
noise mitigation):



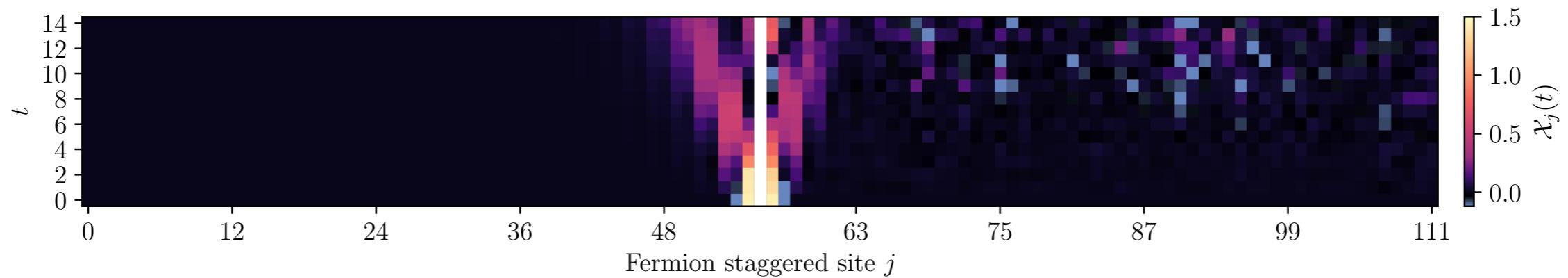
**Farrell, Illa,
Ciavarella, Savage,
Phys. Rev. D 109 (2024)
11, 114510.**

FIRST STEPS TOWARD HADRONIC WAVE PACKETS FOR COLLISION PROCESSES

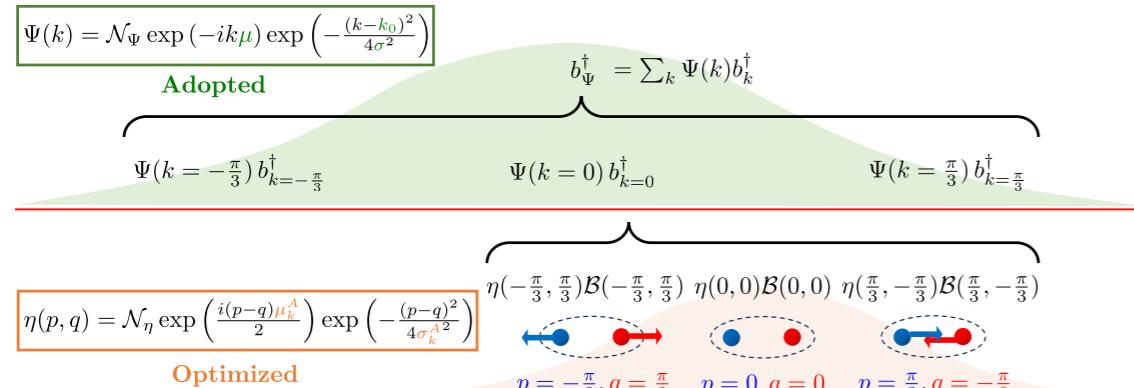
Hadron wave-packet evolution in the Schwinger model (112 staggered sites with IBM with noise mitigation):



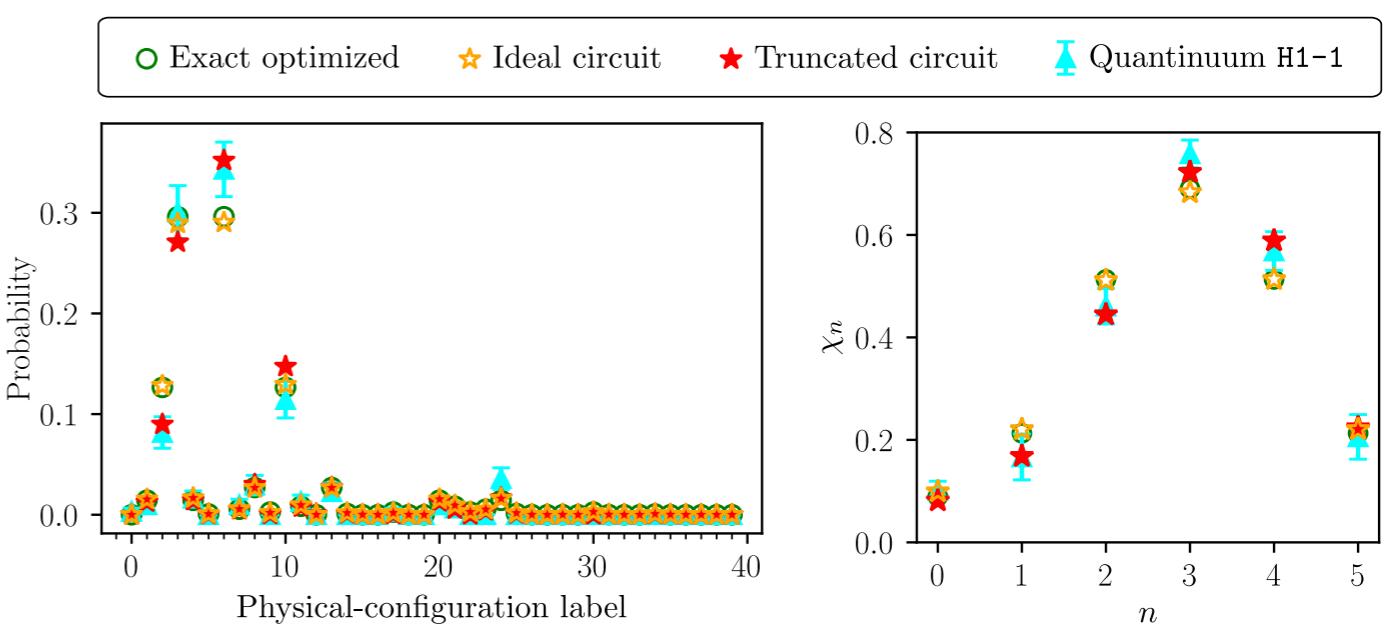
**Farrell, Illa,
Ciavarella, Savage,
Phys. Rev. D 109 (2024)
11, 114510.**



Hadron wave packet in the Z_2 gauge theory (12 staggered sites with Quantinuum, minimal noise mitigation):



ZD, Hsieh, and Kadam, Quantum 8, 1520 (2024).



Scattering and transitions?

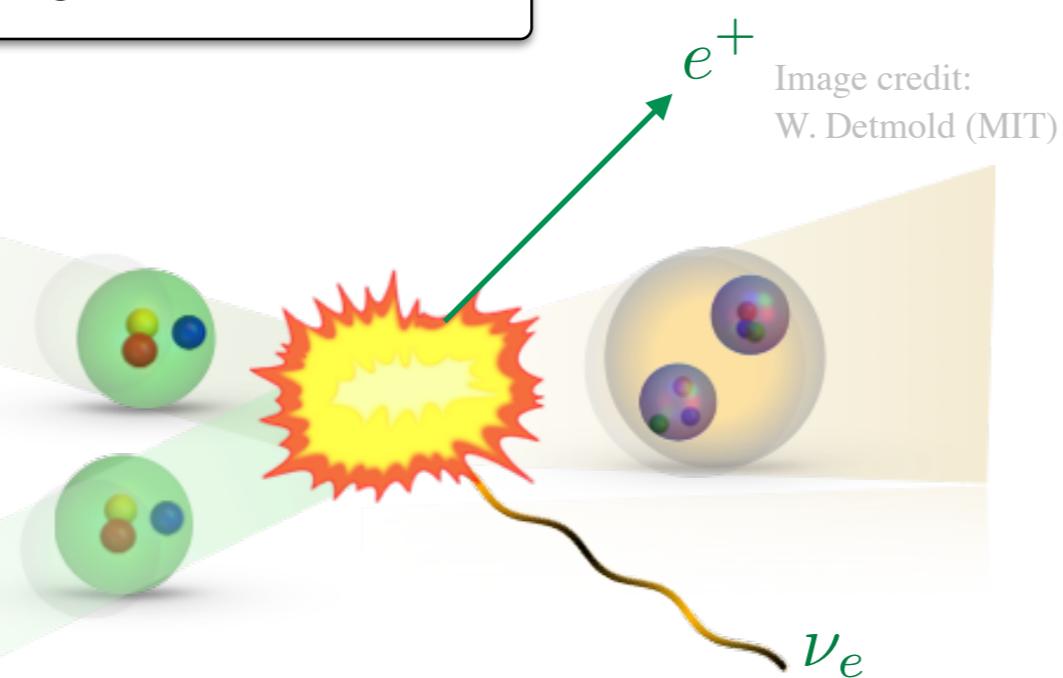
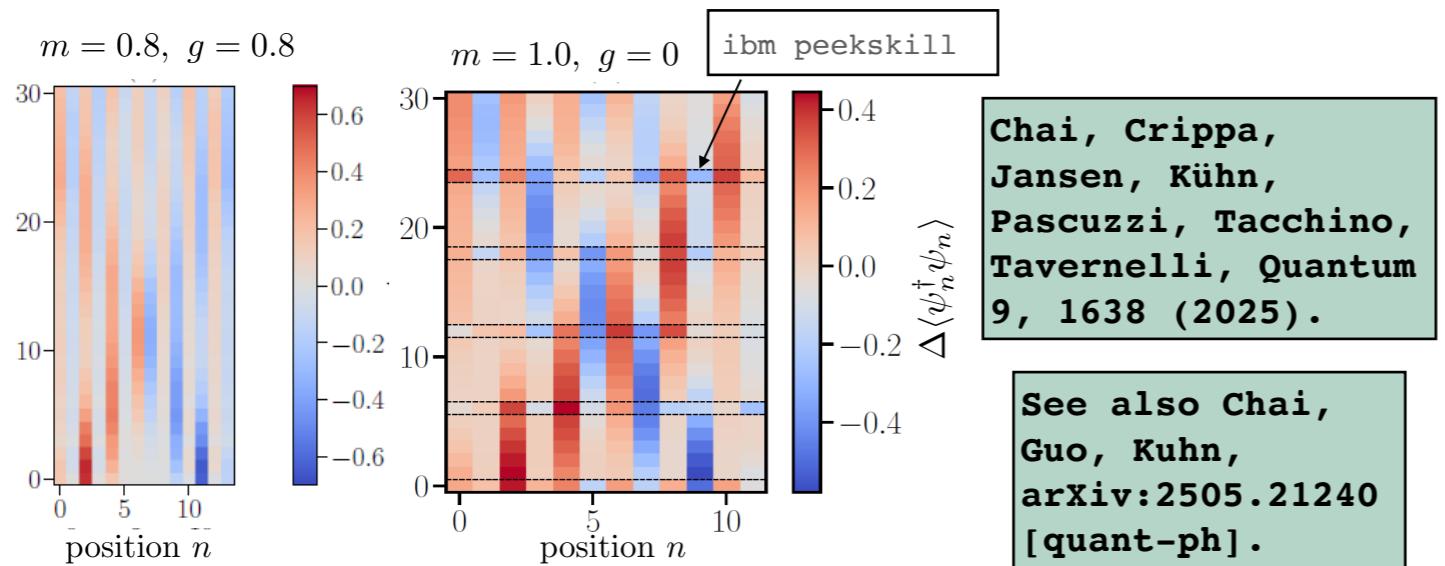


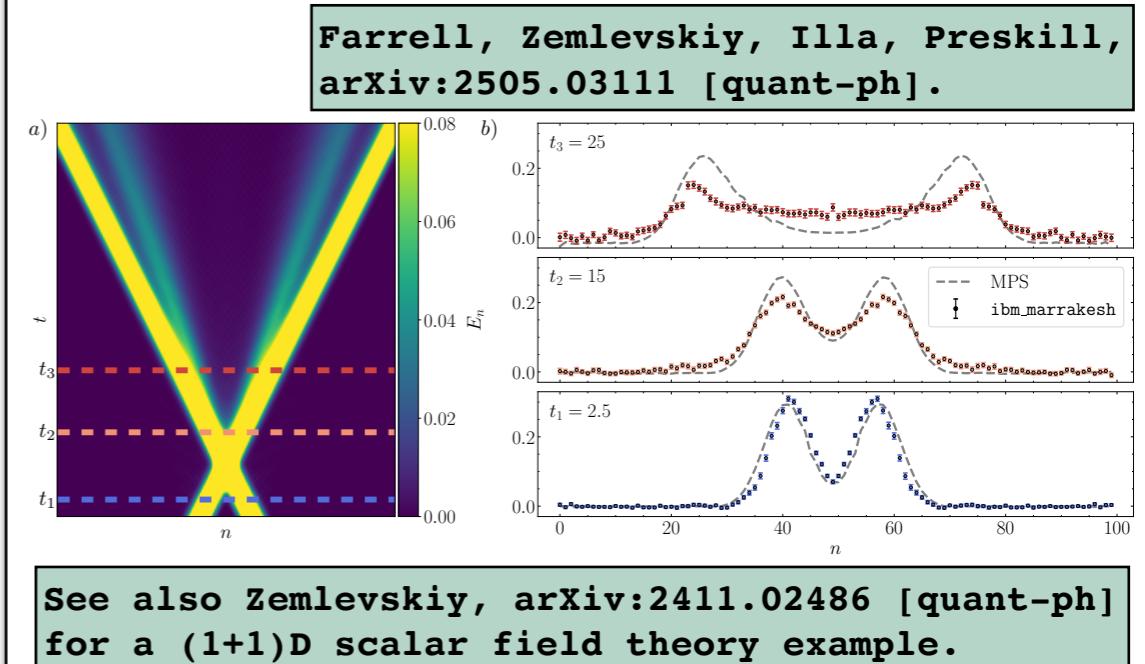
Image credit:
W. Detmold (MIT)

FIRST STEPS TOWARD COLLISION/REACTION PROCESSES

Fermion-antifermion scattering in the (1+1)D Thirring model

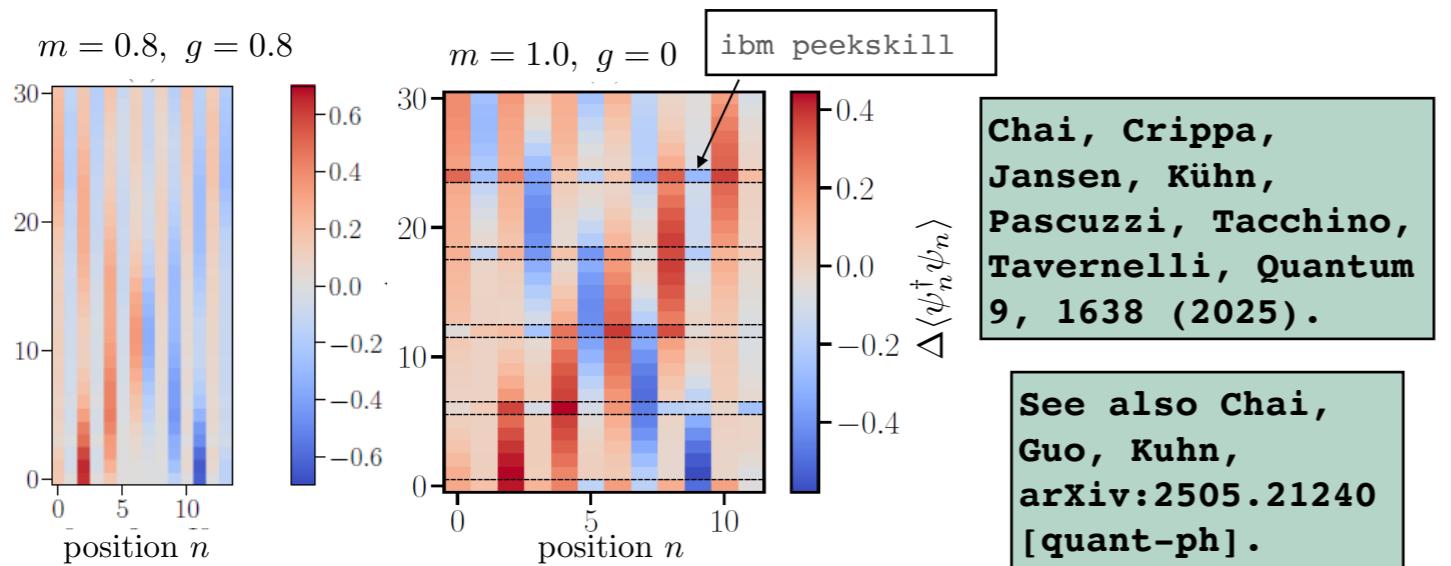


Scattering in (1+1)D Ising field theory

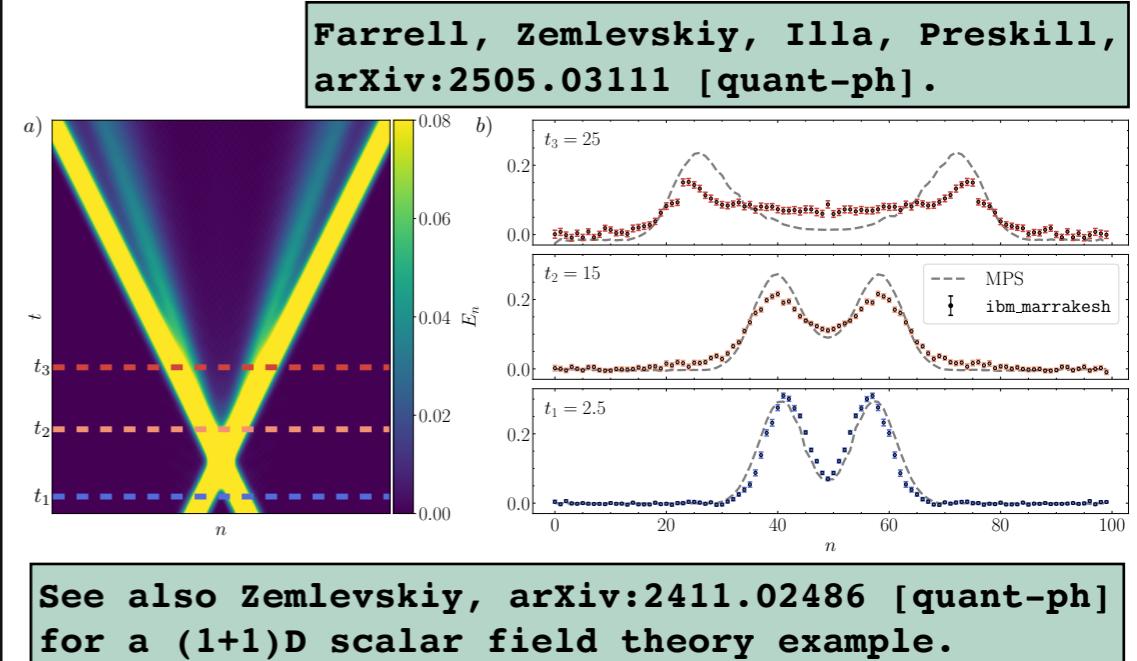


FIRST STEPS TOWARD COLLISION/REACTION PROCESSES

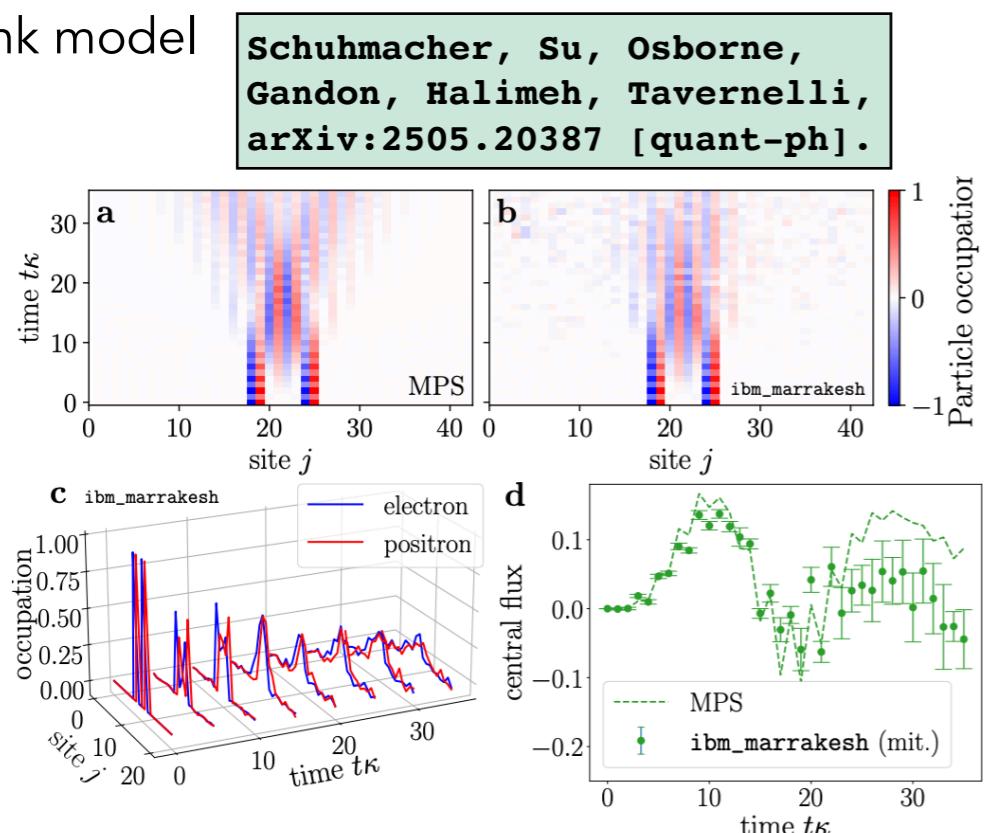
Fermion-antifermion scattering in the (1+1)D Thirring model



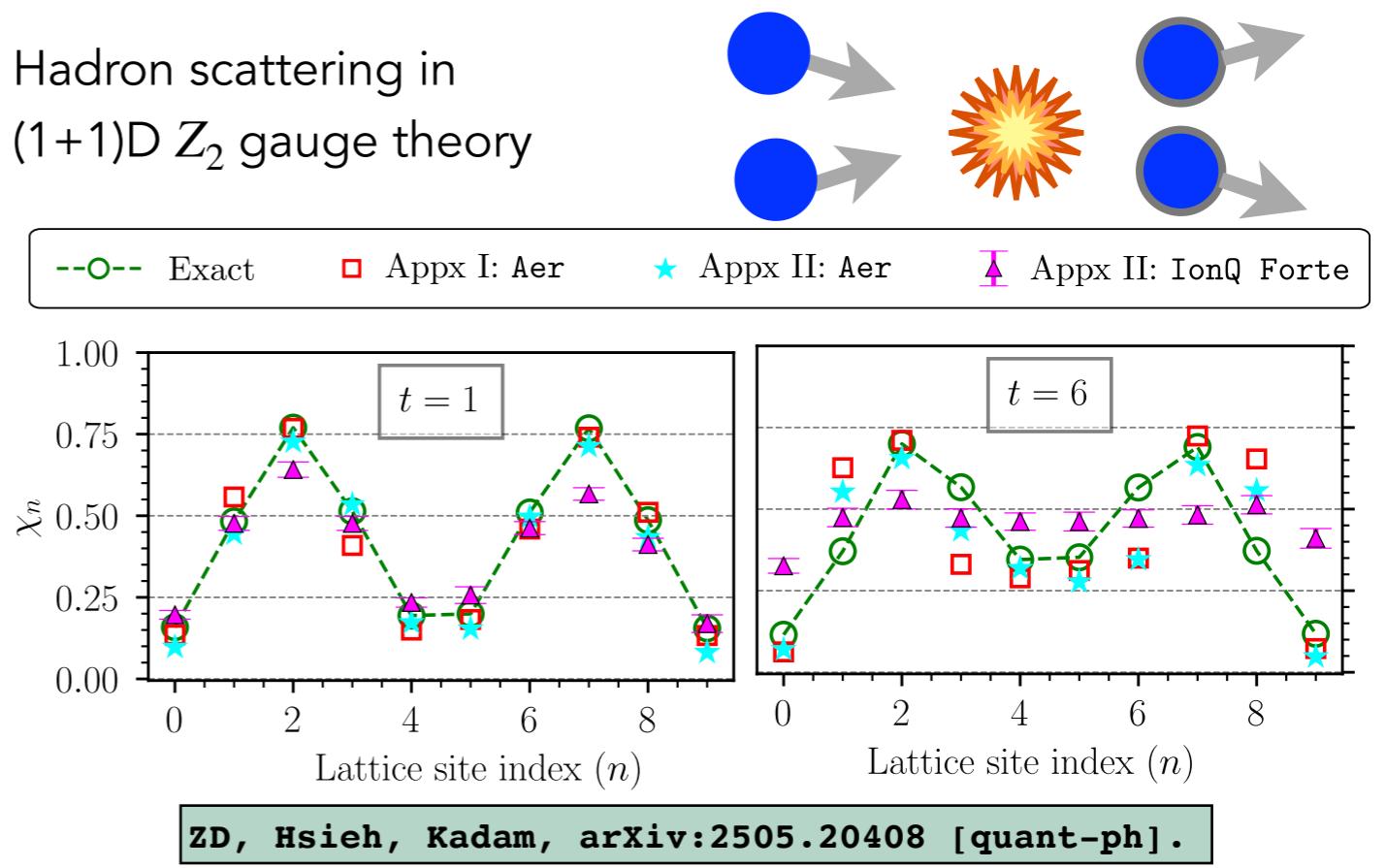
Scattering in (1+1)D Ising field theory



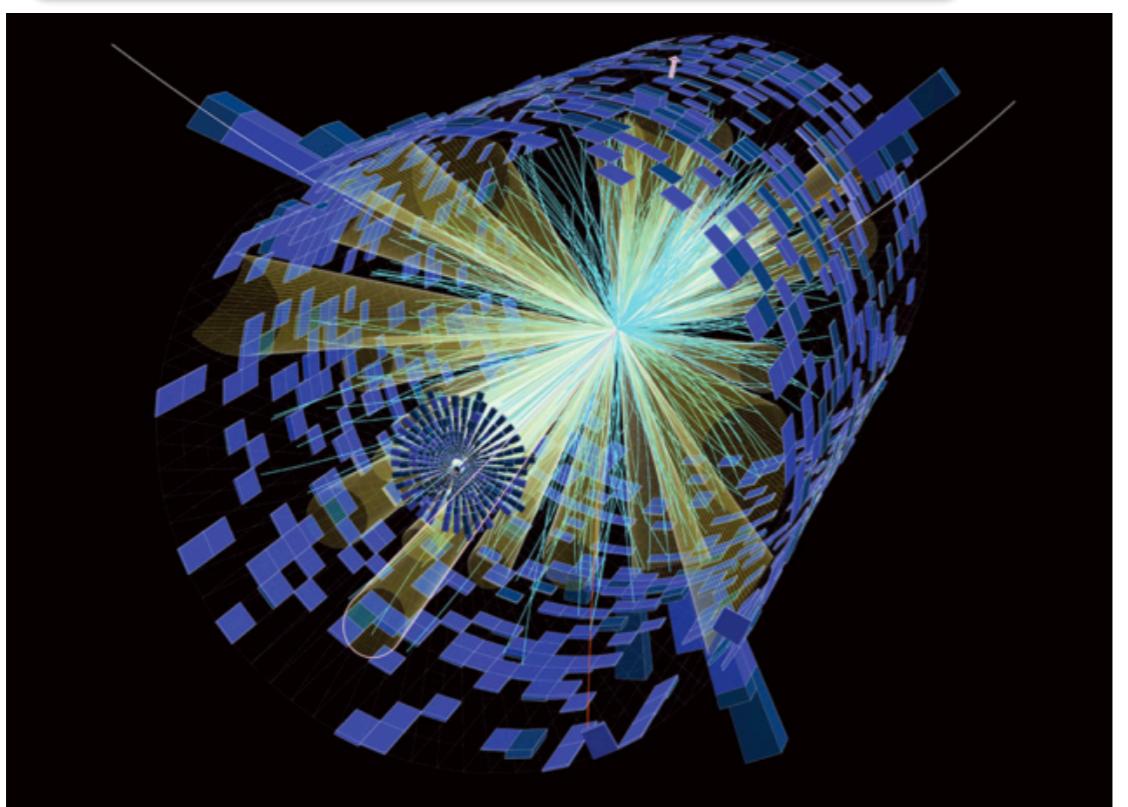
Hadron scattering in a (1+1)D U(1) quantum link model



Hadron scattering in (1+1)D Z_2 gauge theory



Physics of Large Hadron Collider?

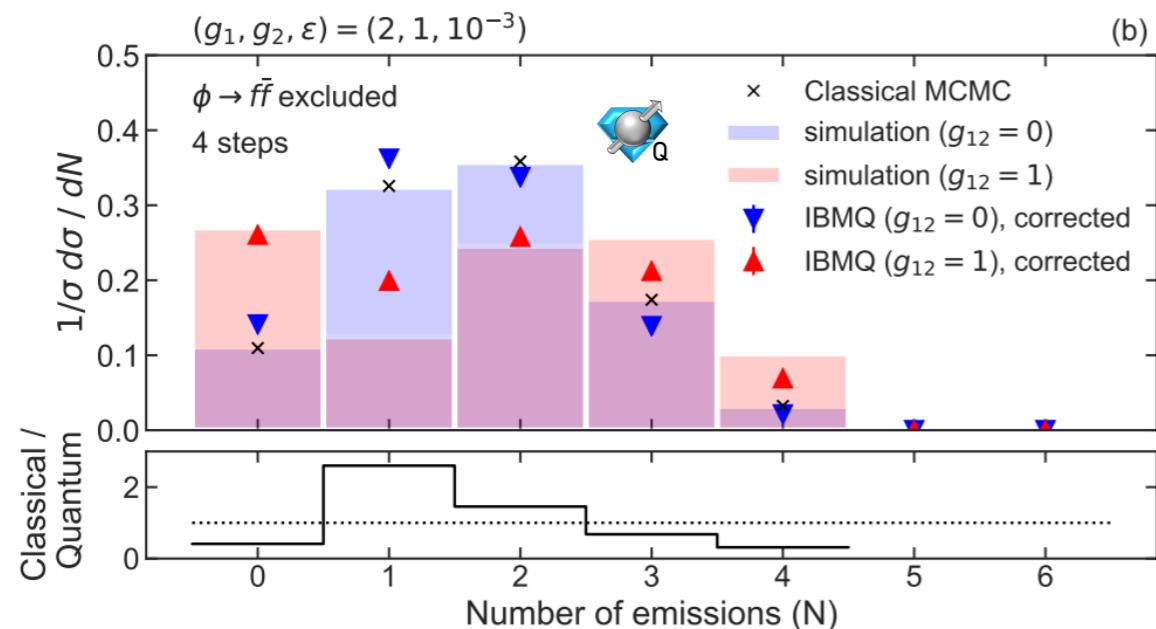


Credit: CERN

ALGORITHMS RELEVANT TO THE PARTON SHOWER/JETS/PDFS

A polynomial-time quantum final-state shower algorithm that models the effects of intermediate spin states similar to those present in electroweak showers.

Nachman, Provasoli, and Bauer†, *Phys. Rev. Lett.* 126 (2021) 6, 062001.

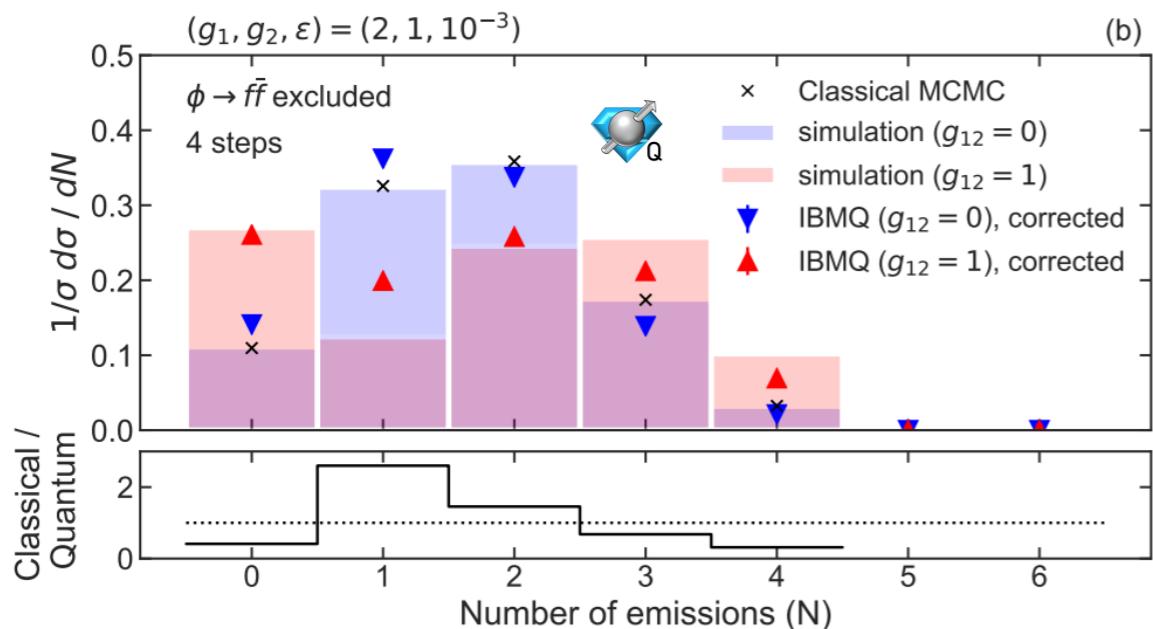


See also Bepari, Malik, Spannowsky, Williams, *Phys. Rev. D* 103, 076020 (2021), Williams, Malik, Spannowsky, Bepari, *Phys. Rev. D* 106 (2022) 056002, Gustafson, Prestel, Spannowsky, Williams, *J. High Energ. Phys.* 2022, 35 (2022).

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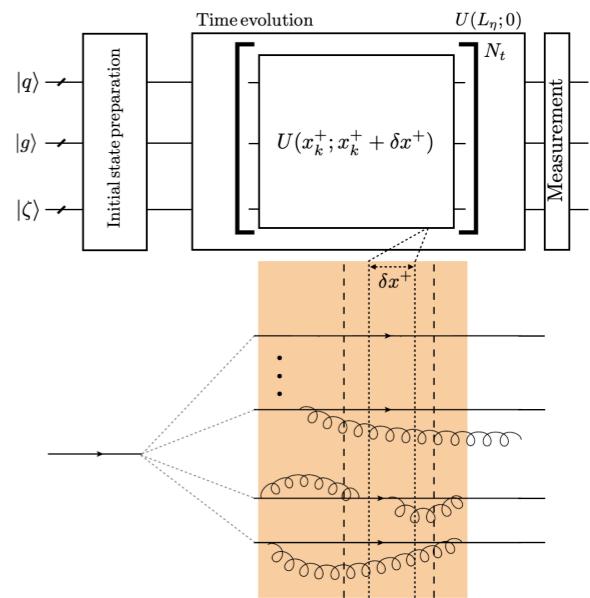
Nachman, Provasoli, and Bauer†, Phys. Rev. Lett. 126 (2021) 6, 062001.



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A quantum algorithm for tracing the evolution of a multi-particle jet probe in the presence of a medium described as a stochastic color field:

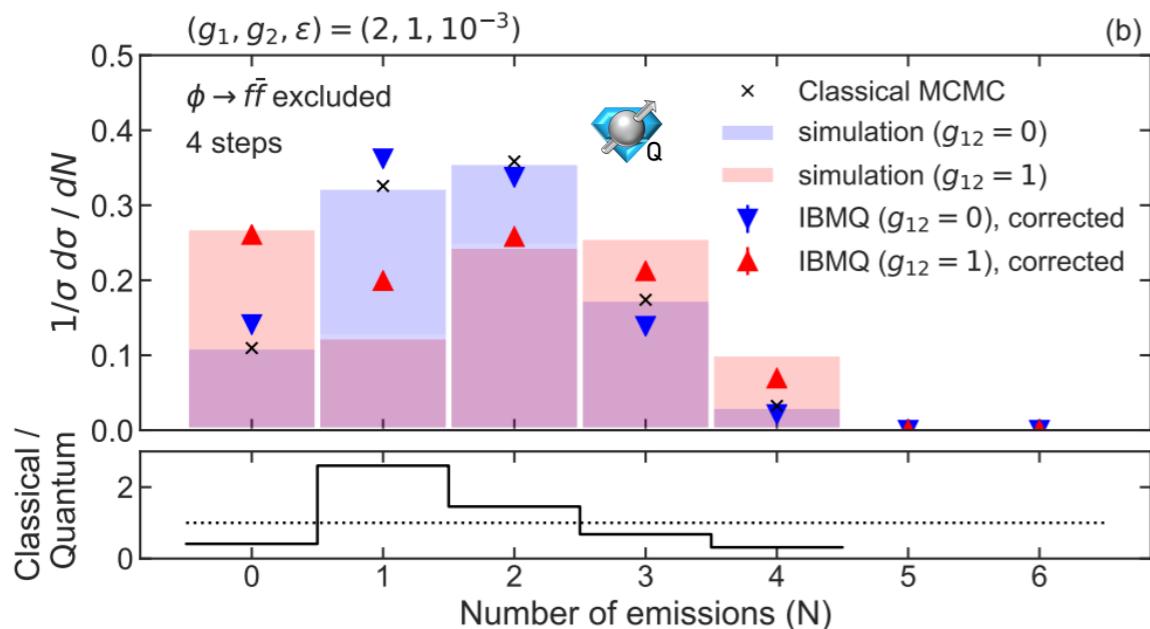
Barata, Du, Li, Qian, Salgado, Phys. Rev. D, 108, 056023. See also: Barata, Du, Li, Qian, Salgado, Phys. Rev. D 106 (2022) 7, 074013, and Barata, Rico, arXiv:2502.17558 [hep-ph].



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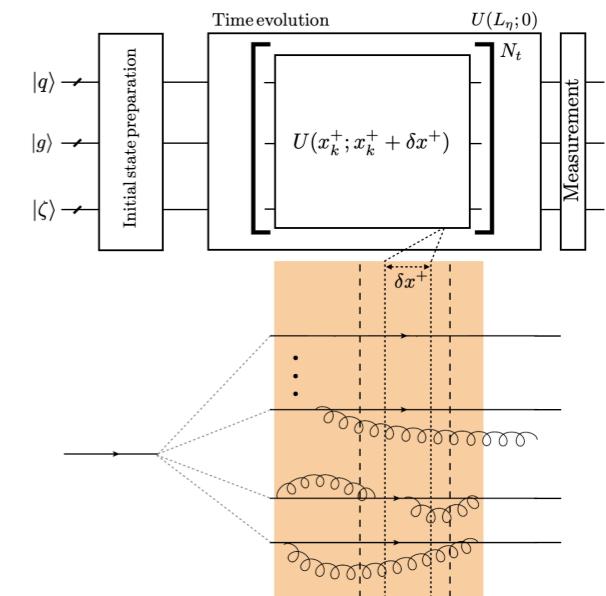
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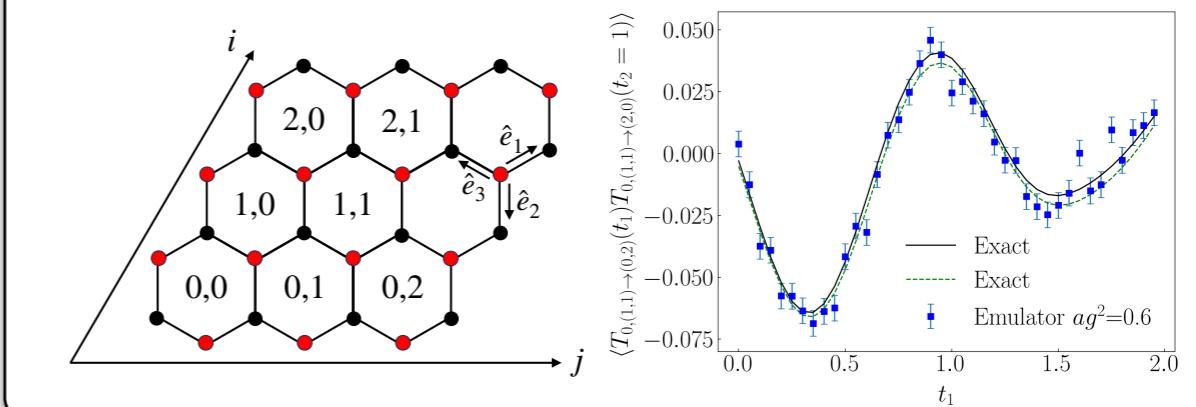
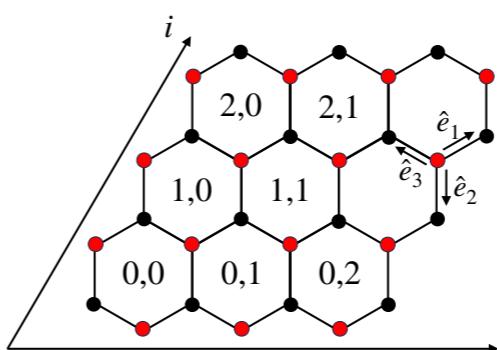
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Energy-energy correlators in (2+1) SU(2) LGT ultimately useful in studies of jet substructure:

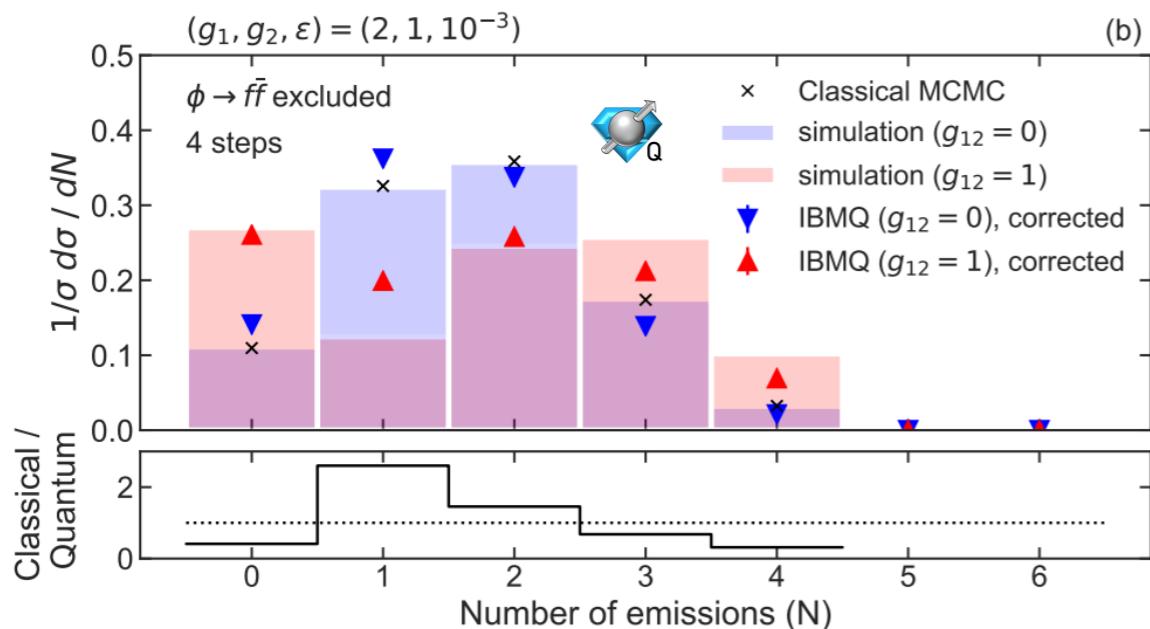
Kyle Lee, Francesco Turro, Xiaojun Yao, Phys. Rev. D 111, 054514 (2025).



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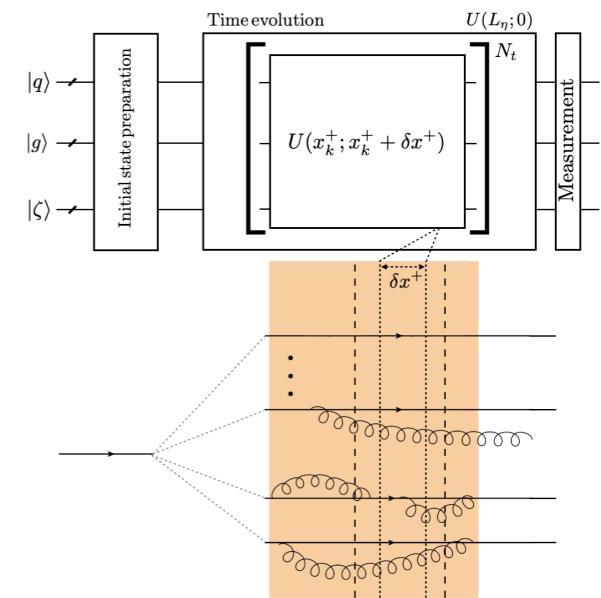
See also Bepari, Malik, Spannowsky, Williams, Phys. Rev. D 103, 076020 (2021), Williams, Malik, Spannowsky, Bepari, Phys. Rev. D 106 (2022) 056002, Gustafson, Prestel, Spannowsky, Williams, J. High Energ. Phys. 2022, 35 (2022).

Distribution functions and first attempts at fragmentation functions from non-equal time amplitudes:

Mueller, Tarasov, and Raju Venugopalan, PRD 102, 016007 (2020), Lamm, Lawrence, and Yamauchi, Phys. Rev. Res. 2, 013272 (2020), Echevarria, Egusquiza, Rico, and Schnell, PRD 104, 014512 (2021), Gustin, Goldstein arXiv:2211.07826 [hep-th], Li, Xing, Zhang, arXiv:2406.05683 [hep-ph].

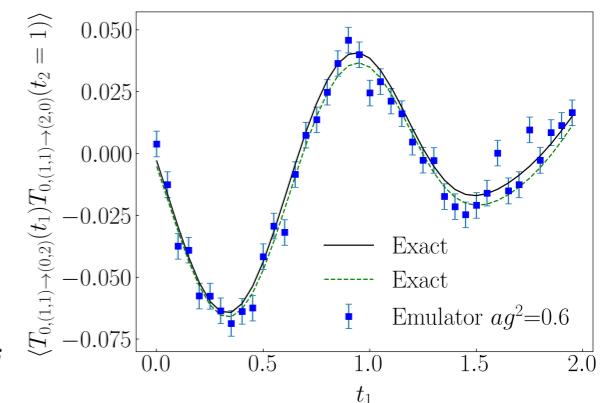
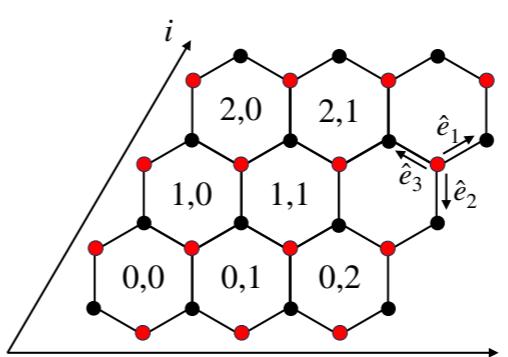
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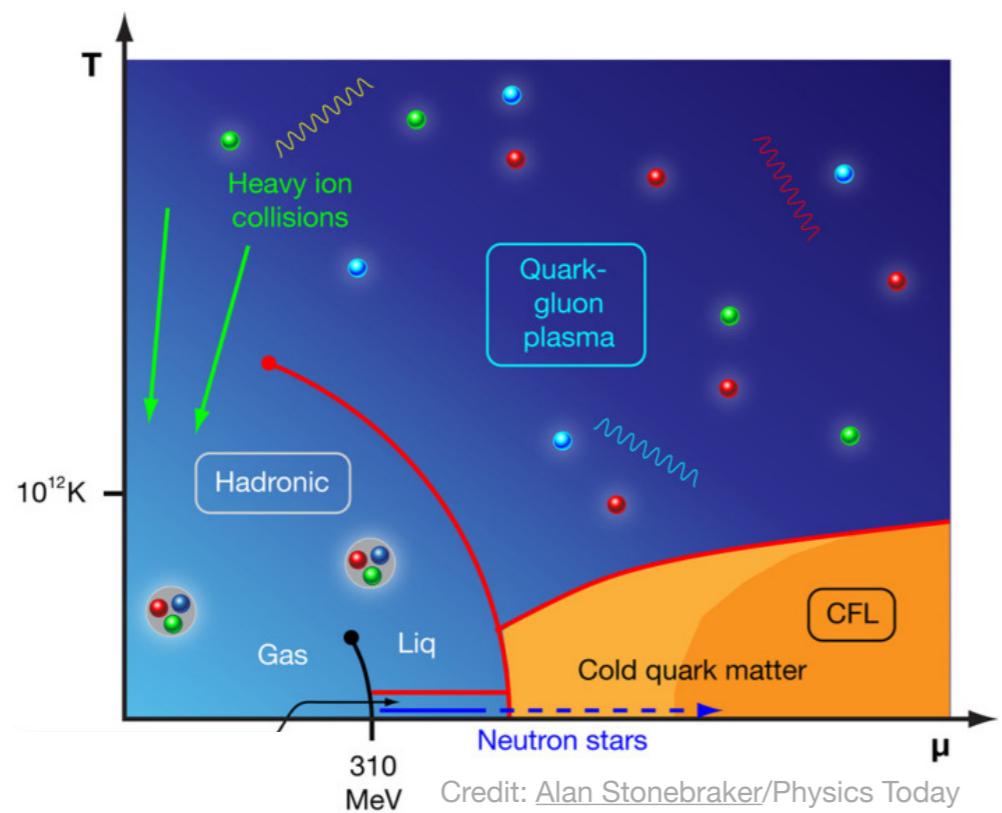


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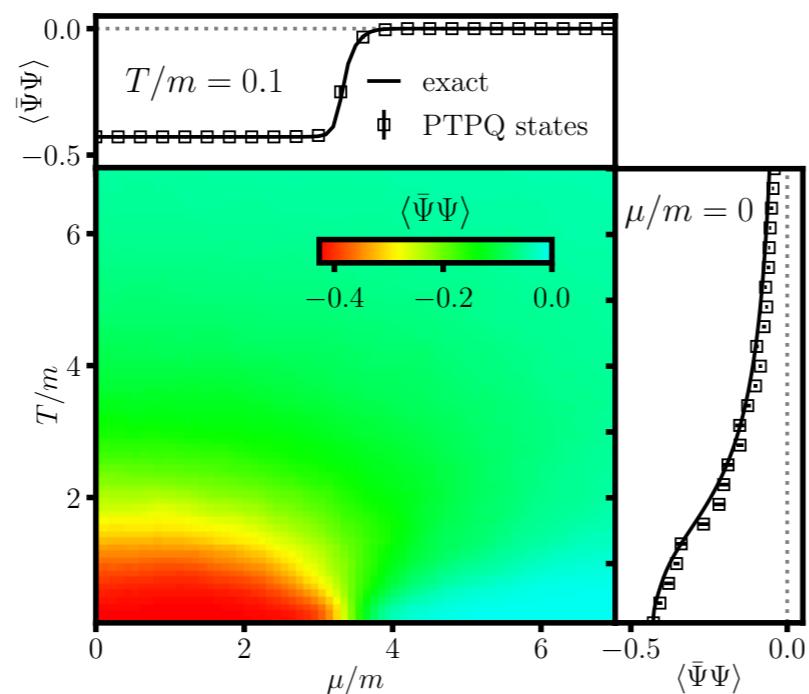
Phase diagram of matter under strong interactions?



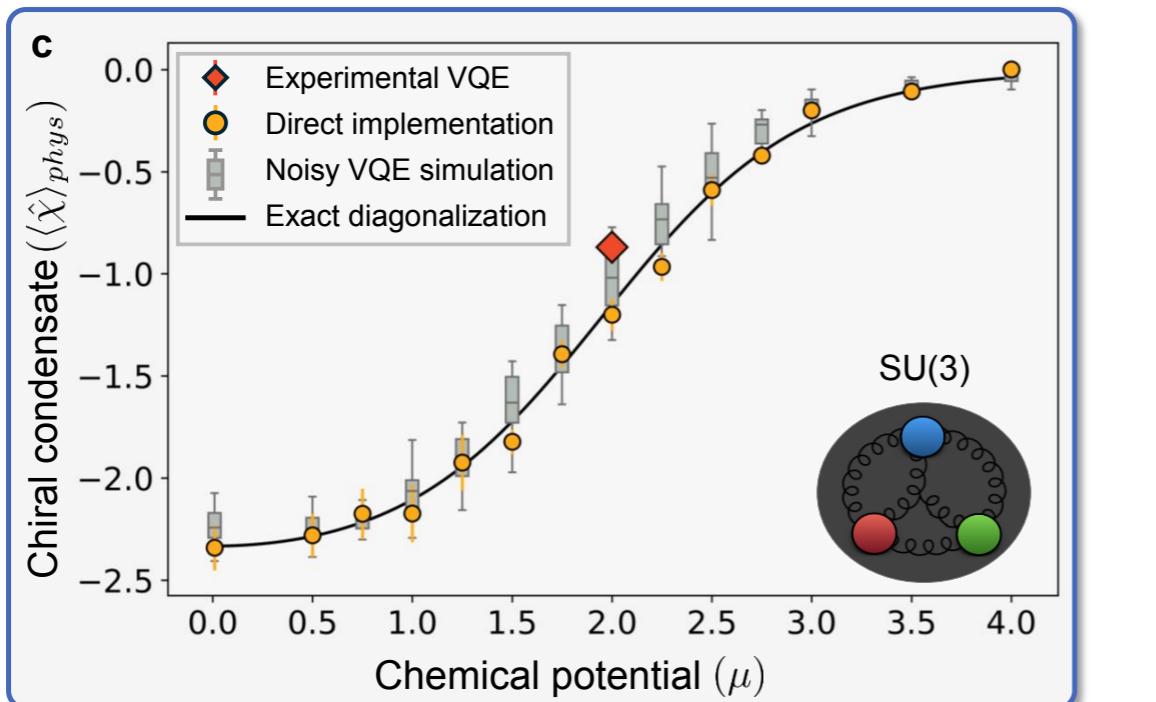
FINITE-TEMPERATURE AND FINITE-DENSITY PHASE DIAGRAM, TRANSPORT

Phase diagram
of (1+1)D Z_2
with fermions

ZD, Mueller,
Powers, Phys.
Rev. Lett. 131
(2023) 8, 081901.



Phase diagram of QCD in (1+1)D using a trapped-ion quantum computer

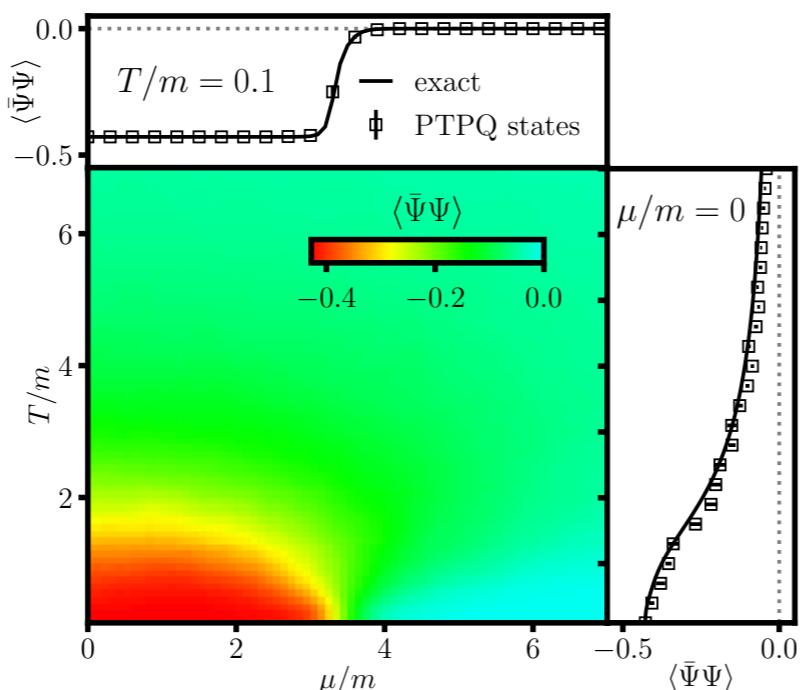


Than, Atas, Chakraborty, Zhang, Diaz, Wen, Liu, Lewis,
Green, Muschik, Linke, arXiv:2501.00579 [quant-ph].

FINITE-TEMPERATURE AND FINITE-DENSITY PHASE DIAGRAM, TRANSPORT

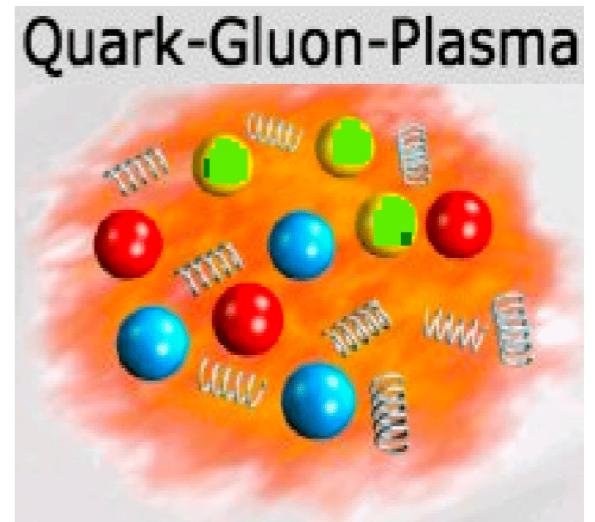
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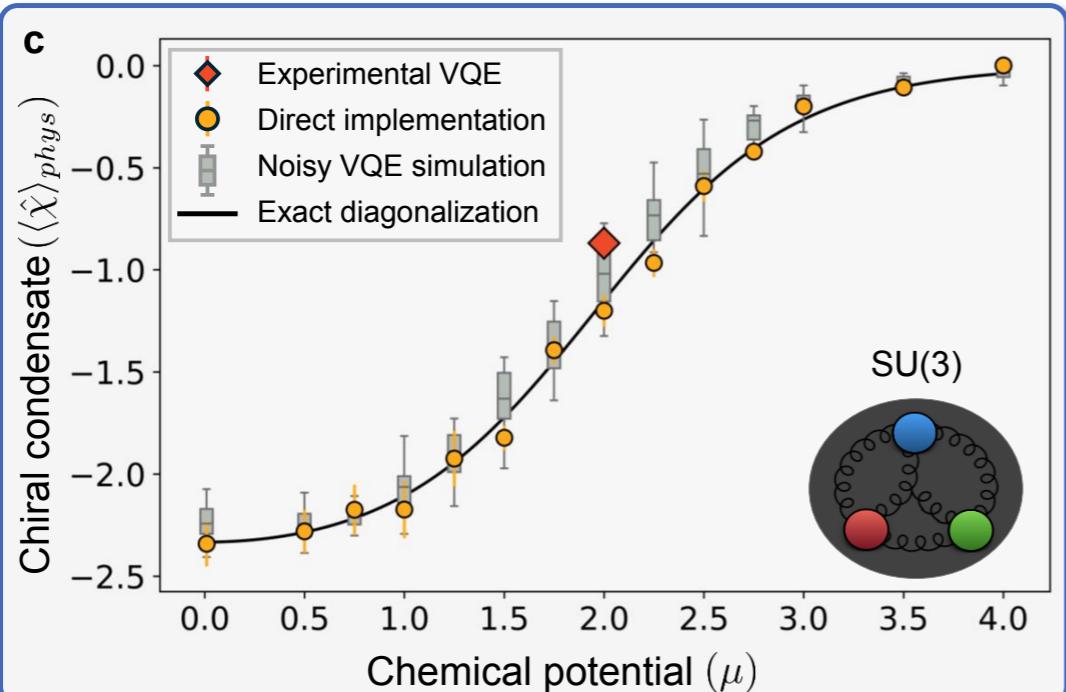


Transport coefficients
from real-time
correlators of energy
momentum tensor

Cohen, Lamm,
Lawrence, and
Yamauchi, Phys.
Rev. D 104, 094514
(2021).

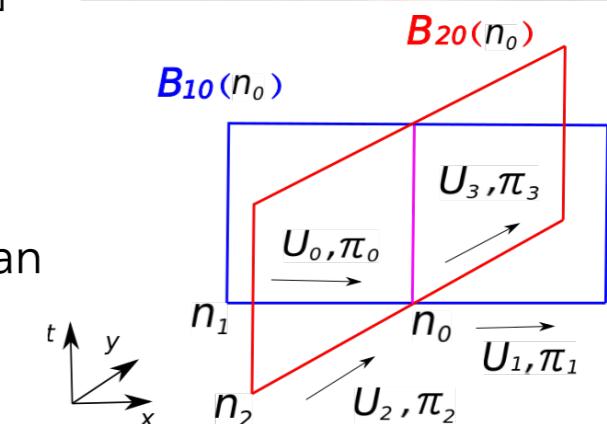


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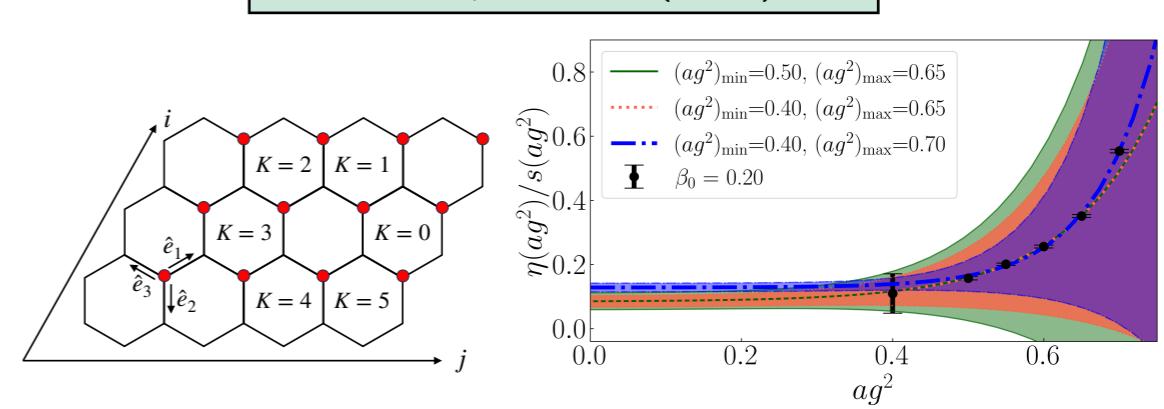
Than, Atas, Chakraborty, Zhang, Diaz, Wen, Liu, Lewis,
Green, Muschik, Linke, arXiv:2501.00579 [quant-ph].

How to define
energy-momentum
tensor in Hamiltonian
formulation



Shear viscosity in SU(2) LGT in 2+1 D with $j_{\max} = 1/2$

Turro, Ciavarella, Yao, Phys.
Rev. D 109, 114511 (2024).

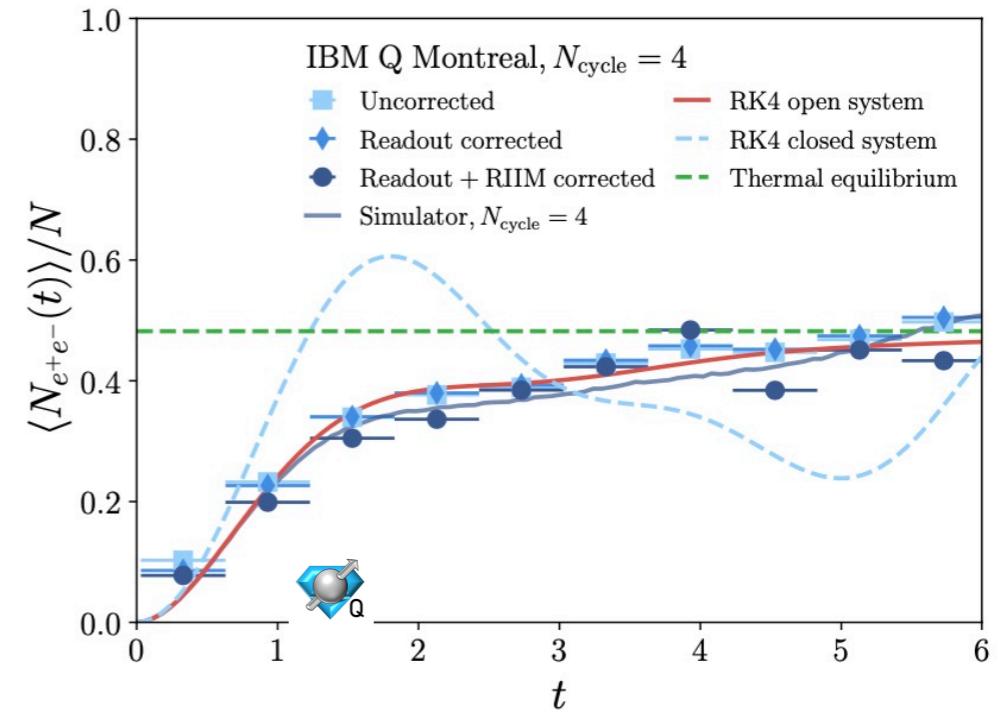
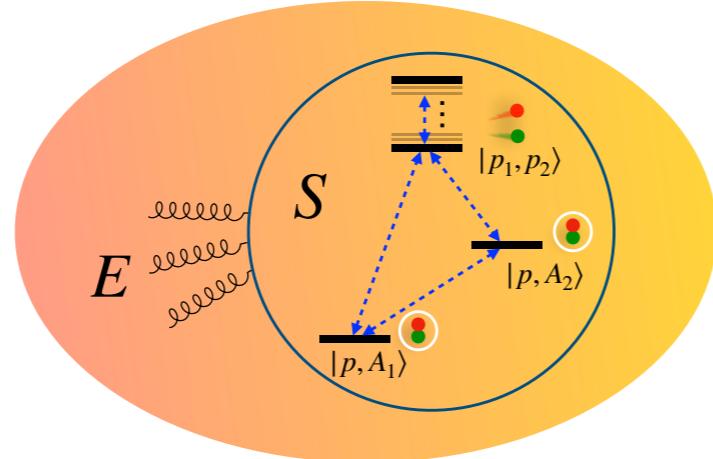


See also: Farrell, Illa, Savage,
Phys. Rev. C 111 (2025) 1, 015202.

PROBING STRONGLY-INTERACTING DENSE MATTER WITH HEAVY QUARKS

Open quantum system dynamics: $q\bar{q}$ moving in medium
(Schwinger model in the medium of scalar fields)

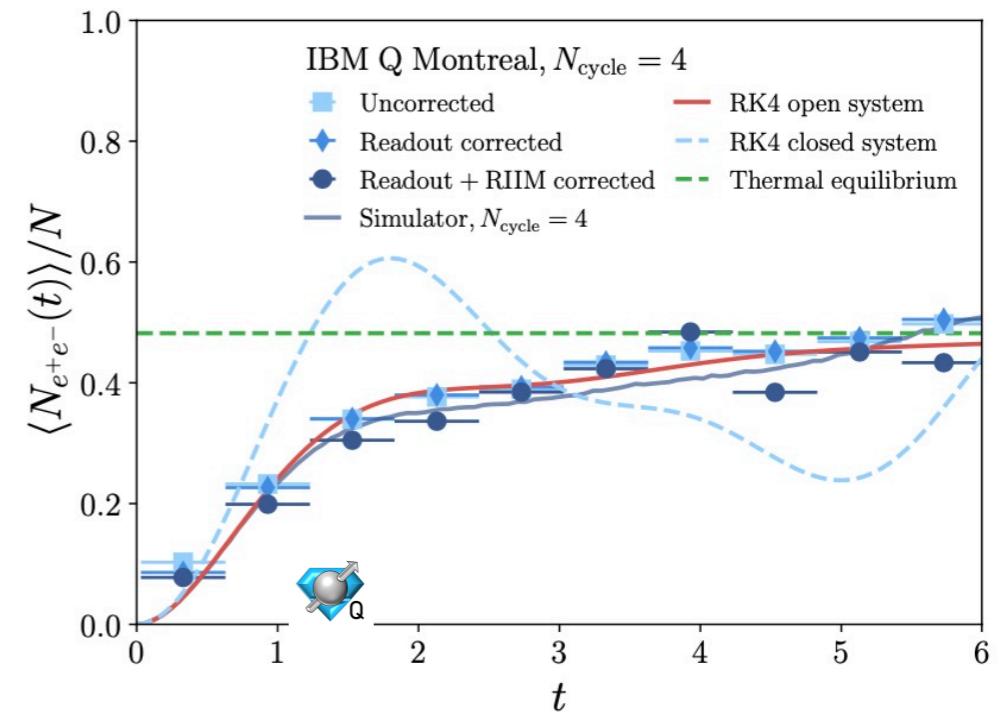
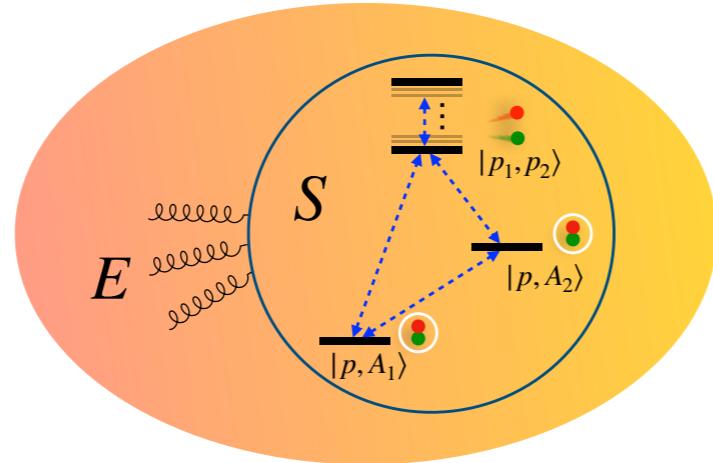
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Mulligan, Ploskon,
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Phys. Rev. D 104 (2021)
5, 051501. See also
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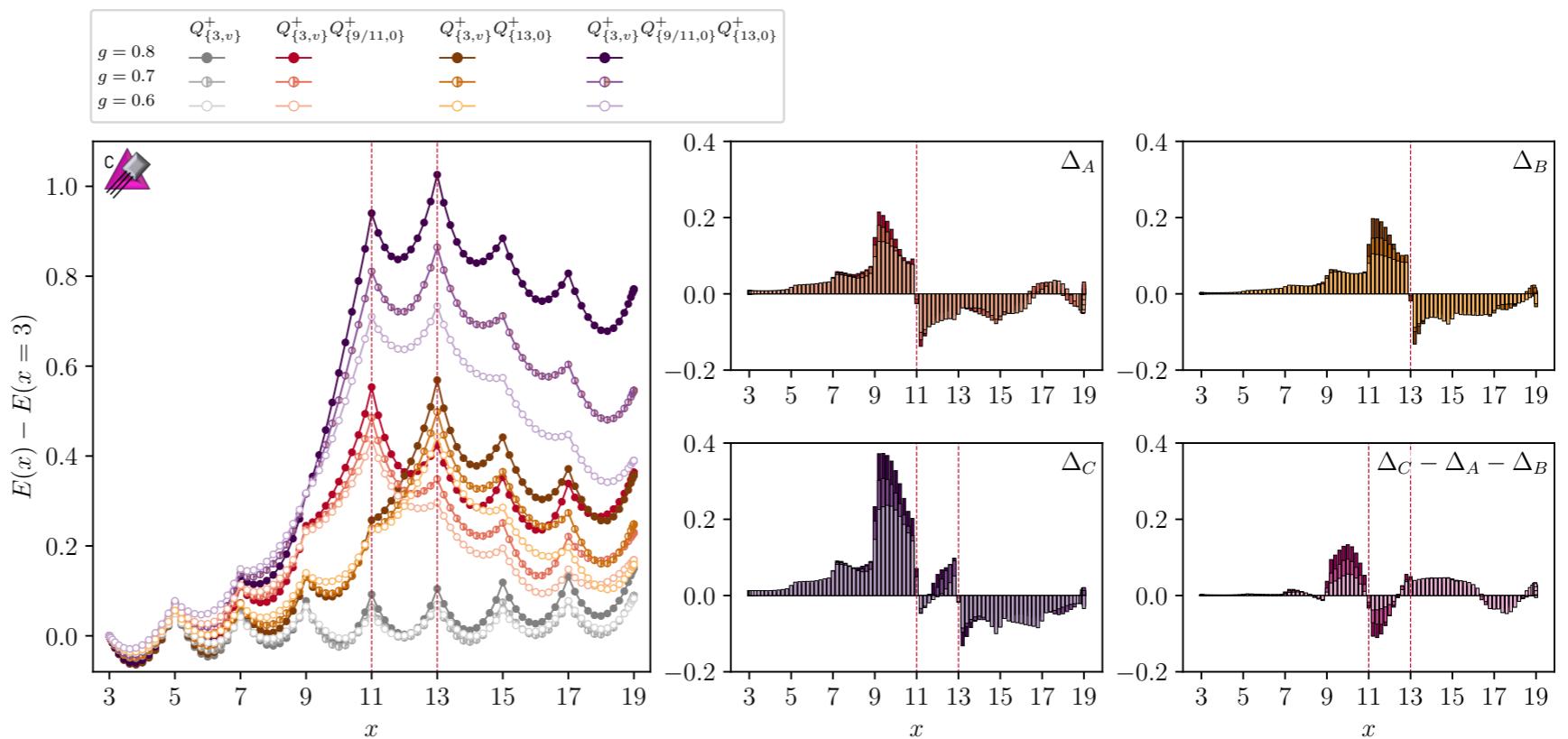
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Closed quantum system dynamics of a heavy charge moving in the background of heavy and light charges in the Schwinger model:

Farrell, Illa, Savage, Phys. Rev.C 111 (2025) 1, 015202.

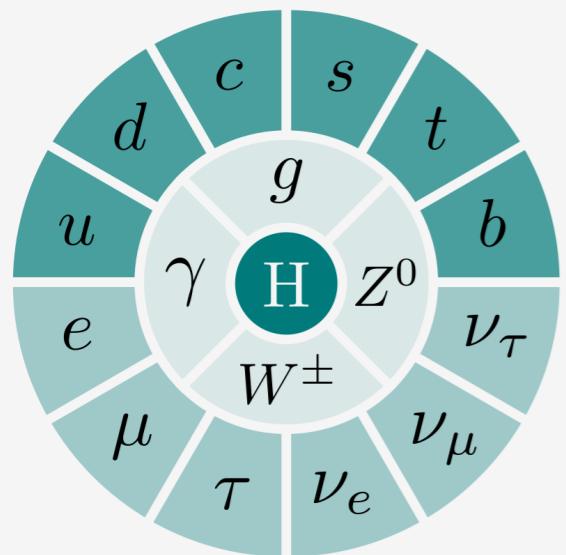


FINAL WORD...

Particles & Interactions

Quarks
Gauge Bosons

Leptons
Higgs Boson

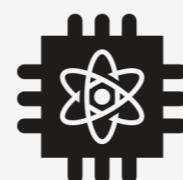


Standard Model

Simulation

0100
0011

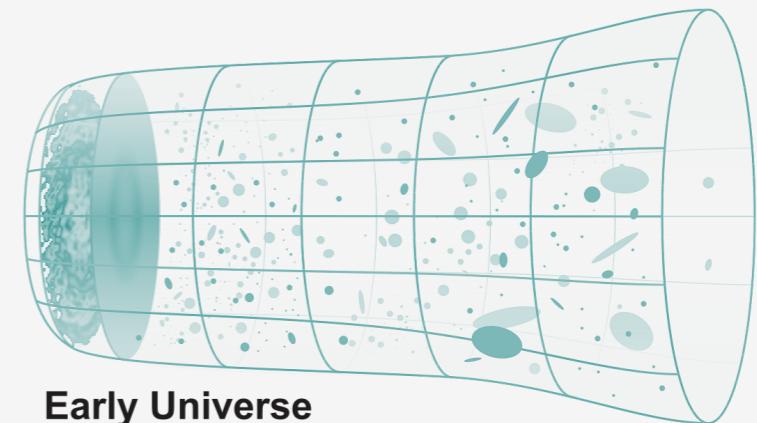
Classic Computing



Quantum Computing

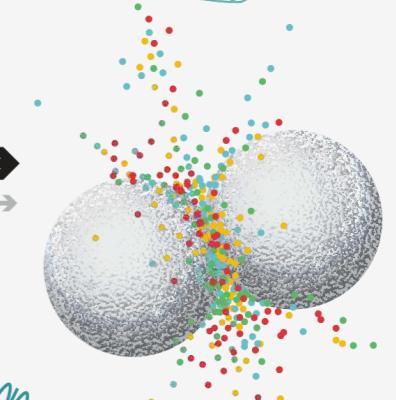
Quantum Entanglement

Phases & Dynamics of Matter

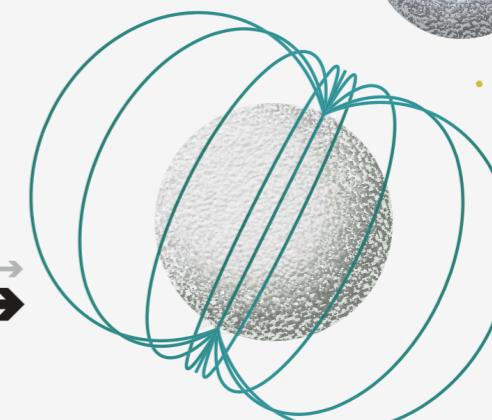


Early Universe

High-energy Particle Collisions



Neutron Star Core



Credit: Zohreh Davoudi (UMD) and Chad Smith (UMD)

Bauer, ZD, Klco, and Savage, Quantum simulation of fundamental particles and forces, *Nature Rev. Phys.* 5 (2023) 7, 420-432.

THANK YOU

