ASSIGNMENT-15 18 K41 A02 31

pet consider a sample dataset house one enput (x12) and one output (42), and number of samples 4. Develop a simple lenear regression model using RMSprop optimizer.

		7 - 17
Sample (1)	X,a	Y.a
0) (6,10) + (	0.2 0) Y (383)	3.42.8
ي	0.4	3.8
3	٥.ړ	4.2
(104 R)-) V	0.8	~4.6 0.6) x (n

Manual colculations!

steps: 
$$g_m = -(3.4-(1)(0.2)+1)(0.2) = -0.84$$

$$signs: Em: (0.9)(0) + (0.1)(-0.84)^2 = 0.0707$$

$$\frac{9406!}{\sqrt{0.07+10^6}} \times (-0.841) = 0.317$$

$$\Delta c = \frac{-0.1}{\sqrt{1.76 + 10^8}} \times (-4.2) = 0.322$$

Stop 1: 
$$M = M + \Delta M = 1 + (-0.314) + 0.686$$

c.  $C + DC = -1 - 0.320 = + 1.322$ 

stop 2:  $C + DC = -1 - 0.320 = + 1.322$ 

stop 3:  $C + DC = -1 - 0.320 = + 1.322$ 

stop 4:  $C + DC = -1 - 0.320 = + 1.322$ 

stop 4:  $C + DC = -1 - 0.320 = + 1.322$ 

stop 5:  $C + DC = -1 - 0.320 = + 1.322$ 

stop 6:  $C + DC = -1 - 0.320 = + 1.322$ 

stop 6:  $C + DC = -1 - 0.320 = + 1.322$ 
 $C + DC = -1 - 0.320 = + 1.322$ 

stop 6:  $C + DC = -1.0312$ 

stop 7:  $C + DC = -1.0312$ 

stop 8:  $C + DC = -1.0312$ 

stop 8:  $C + DC = -1.0312$ 

stop 9:  $C + DC = -1.0312$ 

· true -> goto next step

Top Lara V

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salse -> goto stop 3
      ·9m = - (3.4 - (0.9785 x 0.2) +1.0798) 0.2
       gc = -4.2501
\Delta m = \frac{-0.1}{\sqrt{0.469571 + 10^{-8}}} \left(-0.85640\right) = 0.05868
       \Delta C = \frac{-0.1}{\sqrt{5.3773 + 10^8}} \cdot (-4.8821) = 0.18466
      m = m+Dm = 0.9785 +0.0586 = (.0371
        C= C+ DC = -1.07781 + 0.18466 = -0.89314
       Sample = Sample +1
= 1+1=2=0 (10000)
       false => goto step 4
Agy: 9m = - (3.8-(1.0371 x0.4)+0.89314)0.4
```

Stops: 
$$l_{m} = (0.9) \times (5.393) + (0.1) + (-4.2983)$$

$$= (-6699)$$

$$dor = \frac{-0.1}{\sqrt{6.4143 + 169}} = (-4.27983) = 0.16565$$

$$dor = \frac{-0.1}{\sqrt{6.699 + 168}} = (-4.27983) = 0.16565$$

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$$c = (-4) = (-0.29274 + 0.16567) = -0.22949$$

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$$dor = \frac{3}{3} \times 2$$

$$dor$$

S