Matrix Multiplication

A pxq matrix of real numbers can be represented by a p-slot list, each slot containing a list of size q,

for example,

Your task is to implemented functions

- mult_c(c, A): returns a resulting matrix from multiplying c (a real number) with matrix A.
- mult(A, B): returns A x B (this is a matrix multiplication).

```
def read_matrix():
    m = []
    nrows = int(input())
    for k in range(nrows):
        x = input().split()
        r = []
        for e in x:
            r.append( float(e) )
        m.append(r)
    return m

def mult_c(c, A):

def mult(A, B):

exec(input().strip())  # This command is necessary to grade your answer
```

From wikipedia (https://en.wikipedia.org/wiki/Matrix multiplication)

Definition [edit]

If **A** is an $n \times m$ matrix and **B** is an $m \times p$ matrix,

$$\mathbf{A} = \begin{pmatrix} a_{11} & a_{12} & \cdots & a_{1m} \\ a_{21} & a_{22} & \cdots & a_{2m} \\ \vdots & \vdots & \ddots & \vdots \\ a_{n1} & a_{n2} & \cdots & a_{nm} \end{pmatrix}, \quad \mathbf{B} = \begin{pmatrix} b_{11} & b_{12} & \cdots & b_{1p} \\ b_{21} & b_{22} & \cdots & b_{2p} \\ \vdots & \vdots & \ddots & \vdots \\ b_{m1} & b_{m2} & \cdots & b_{mp} \end{pmatrix}$$

the matrix product C = AB (denoted without multiplication signs or dots) is defined to be the $n \times p$ matrix

$$\mathbf{C} = egin{pmatrix} c_{11} & c_{12} & \cdots & c_{1p} \ c_{21} & c_{22} & \cdots & c_{2p} \ dots & dots & \ddots & dots \ c_{n1} & c_{n2} & \cdots & c_{np} \end{pmatrix}$$

such that

$$c_{ij}=a_{i1}b_{1j}+\cdots+a_{im}b_{mj}=\sum_{k=1}^m a_{ik}b_{kj},$$

for i = 1, ..., n and j = 1, ..., p.

Input

Python commands.

Output

Result from executing the input command.

Example

Input (from keyboard)	Output (on screen)
A=read_matrix();print(mult_c(0.5,A))	[[0.5, 1.0], [1.0, 1.5], [1.5, 1.0]]
3	
1 2	
2 3	
3 2	
<pre>A=read_matrix();B=read_matrix();print(mult(A,B))</pre>	[[14.0, 14.0], [6.0, 7.0], [12.0, 14.0]]
3	
1 2 3	
1 1 1	
2 2 2	
3	
1 2	
2 3	
3 2	