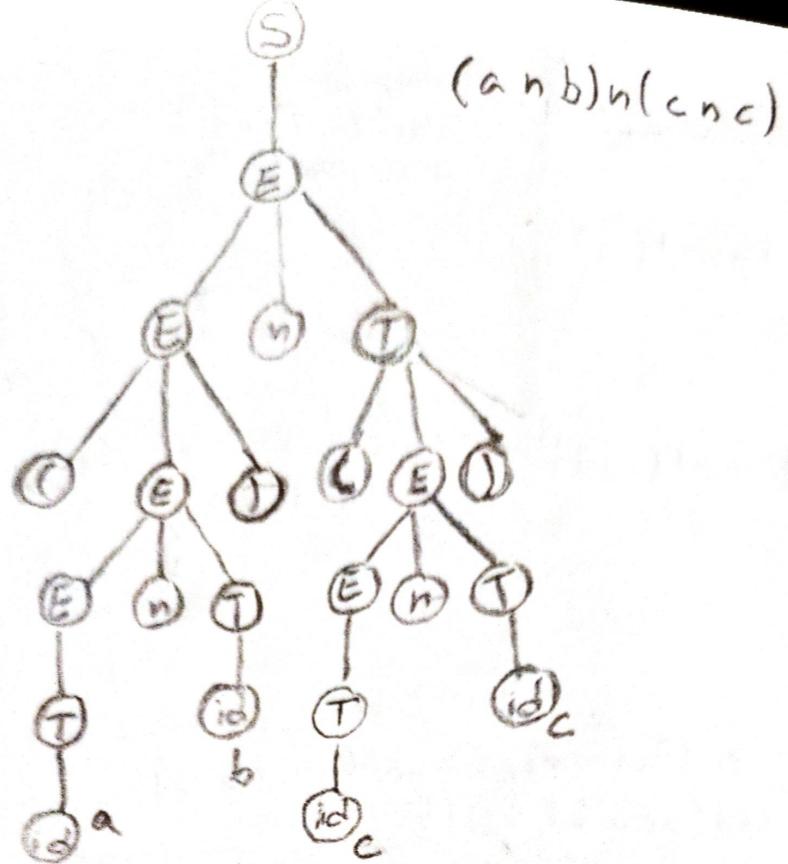


TP 4
4a)

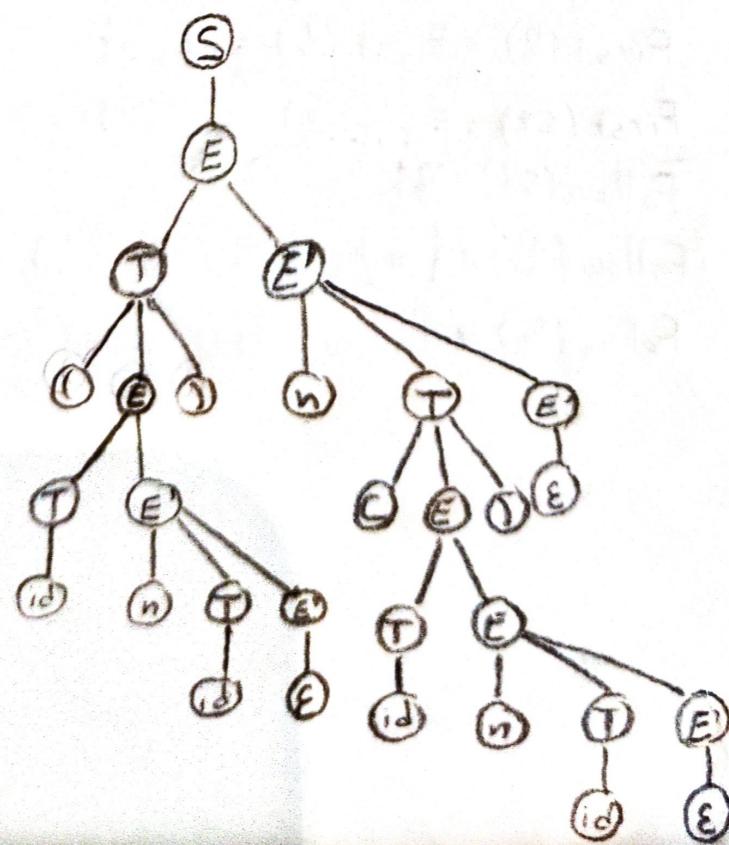


$(a+b)n(c*c)$

b) Left-recursion on $E \rightarrow E n T$

c) $S \rightarrow E \$$
 $E \rightarrow TE'$
 $E' \rightarrow nTE'$
 $E' \rightarrow \epsilon$
 $T \rightarrow (E)$
 $T \rightarrow id$

d)



e)

$$S \rightarrow E \$$$

$$E \rightarrow TE'$$

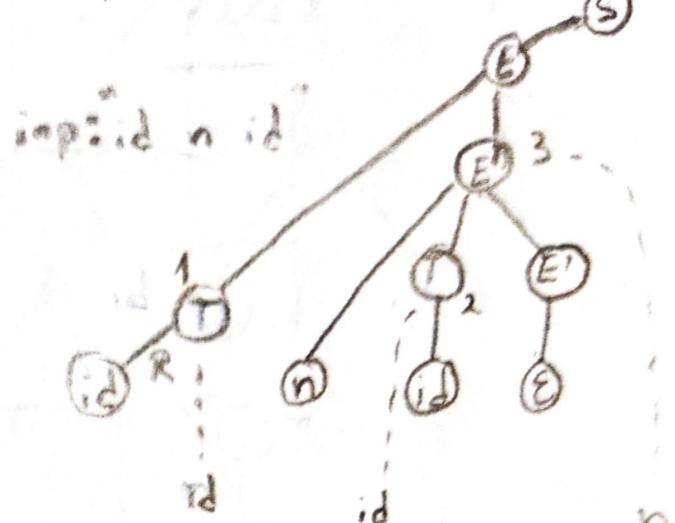
$$E' \rightarrow nTE' \{ \text{print}(n) \}$$

$$E' \rightarrow E$$

$$T \rightarrow (E)$$

$$T \rightarrow id \{ \text{print}(id) \}$$

Assumindo
shift-reduce
parsing



(Pseudo-código)

f) $S \rightarrow E \$ \{ \$\$ = \text{new}(\text{Program}); \$\$.add(\text{new}(\$1)) \}$

$$E \rightarrow TE' \{ \$\$.add(\text{new}(\$1, \$2)) \}$$

$$E' \rightarrow nTE' \{ \$\$.add(\text{new}(\$1, \$2, \$3)) \}$$

$$E' \rightarrow E \{ \}$$

$$T \rightarrow (E) \{ \$\$.add(\text{new}(\$2)) \}$$

$$T \rightarrow id \{ \$\$.add(\text{new}(\$1) \$1.\text{token}) \}$$

(Também dava para fazer sem nodes
de tipo Term e Expression)

out: id id n

in: id n id

out: Program

Expression

Name

Term

id

token

Term

id

token

③

- 0 $S \rightarrow St \$$
- 1 $St \rightarrow L = R$
- 2 $St \rightarrow R$
- 3 $L \rightarrow !R$
- 4 $L \rightarrow id$
- 5 $R \rightarrow L$

a) $\text{First}(L) = \{ !, id \}$

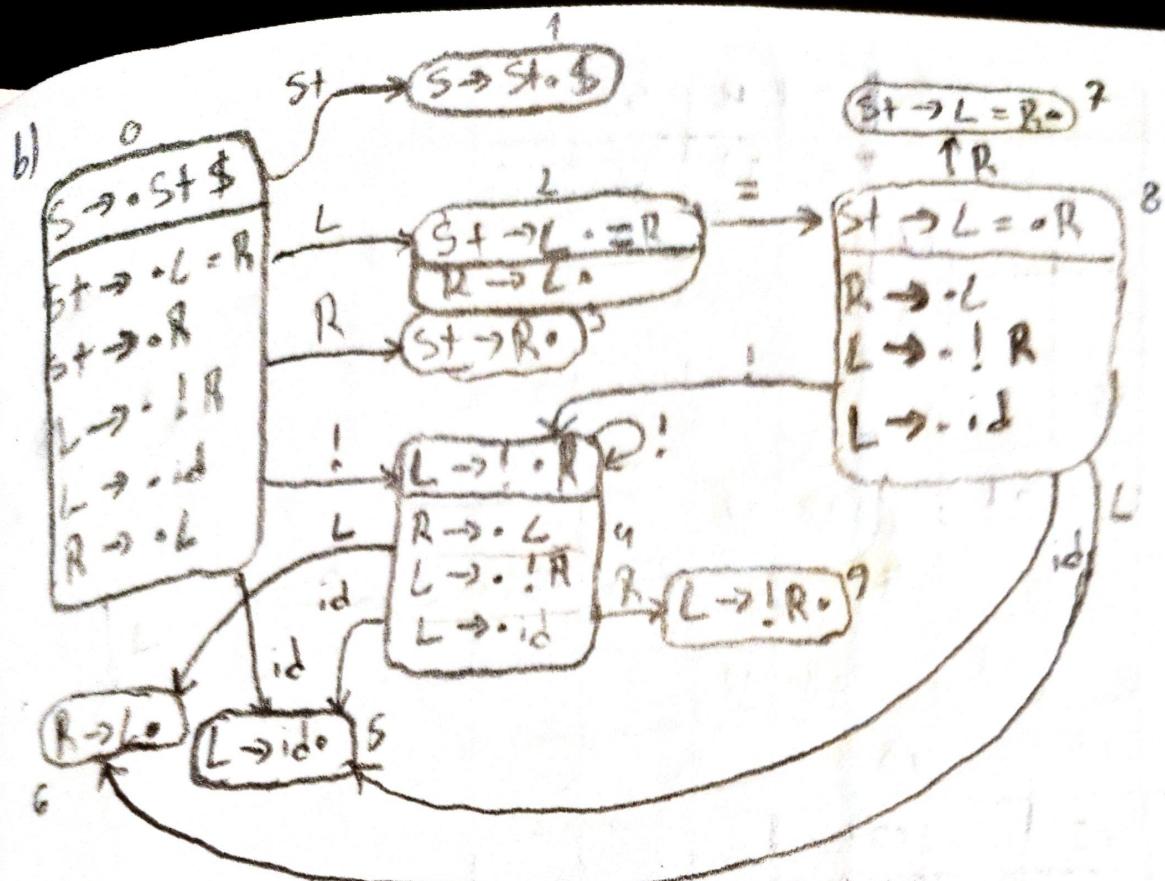
$$\text{First}(R) = \text{First}(L) = \{ !, id \}$$

$$\text{First}(St) = \text{First}(R) \cup \text{First}(L) = \{ !, id \}$$

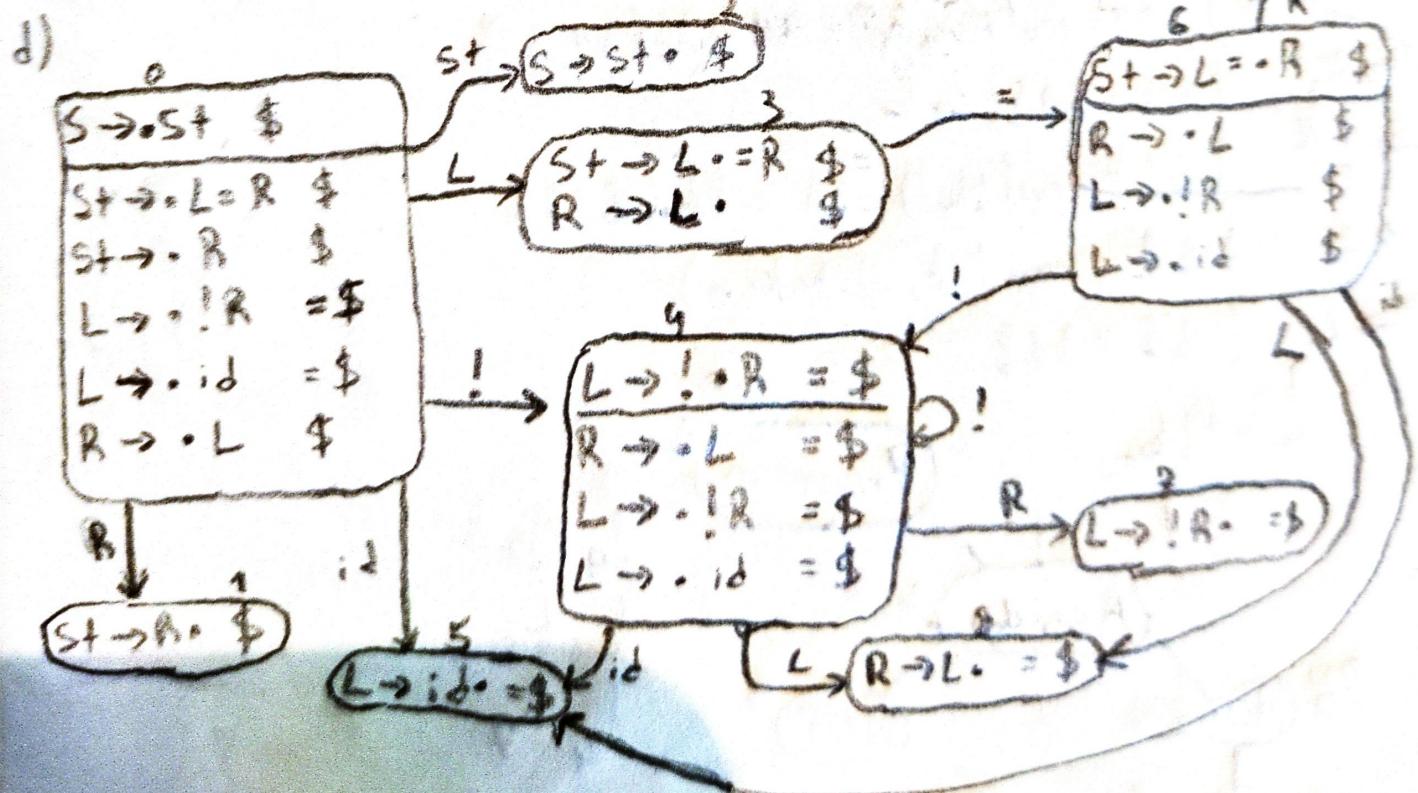
$$\text{Follow}(St) = \{ \$ \}$$

$$\text{Follow}(L) = \{ = \} \cup \text{Follow}(R) = \{ \$, = \}$$

$$\text{Follow}(R) = \text{Follow}(St) \cup \text{Follow}(L) = \{ \$, = \}$$



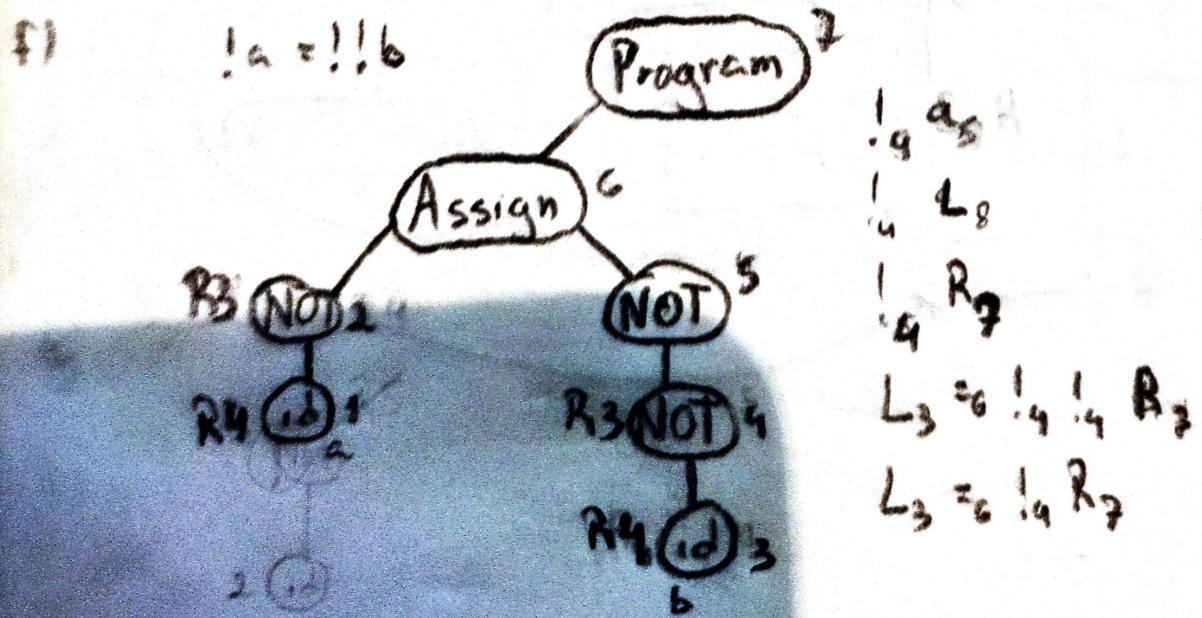
c) Se for construir a tabela, obviamente verter em shift-reduce resultaria em $T[2, \cdot]$ porque $= \in Follow(R)$, mas também há uma instrução de $= \in Follow(L)$, nessa mesma entrada; portanto, não é SLR.



id	=	!	\$	L	R	St	S
0	s5		s4	g3	g1	g2	
1				r2			
2				A			
3		s6		r5			
4	s5		s9	g8	g7		
5		r9		r4			
6	s5		s9	g8	g9		
7		r3		r3			
8		r5		r5			
9				r1			

e) YACC / BISON

- 0 $S \rightarrow St \$ \{ \$\$ = \text{newl}(\text{program}); \$$.add(\$1) \}$
- 1 $St \rightarrow L = R \{ \$\$ = \text{newl}(\text{Assign}); \$$.add(\$1, \$3) \}$
- 2 $St \rightarrow R \quad \{ \$\$ = \$1 \}$
- 3 $L \rightarrow ! R \quad \{ \$\$ = \text{newl}(\text{Not}); \$$.add(\$2) \}$
- 4 $L \rightarrow id \quad \{ \$\$ = \text{newl}(id, id.\text{token}) \}$
- 5 $R \rightarrow L \quad \{ \$\$ = \$1 \}$



- ④ a) $S \rightarrow S+t\$$
- 1 $S+t \rightarrow E ;$
 - 2 $S+t \rightarrow \{ S+t \}$
 - 3 $S+t \rightarrow S+t S+t$
 - 4 $S+t \rightarrow \epsilon$
 - 5 $E \rightarrow id = E$
 - 6 $E \rightarrow id$

Nullable = {S+t}

$$\begin{aligned} \text{First}(E) &= \{id\} \\ \text{First}(S+t) &= \text{First}(S) \cup \{\epsilon\} = \{id, \{, \epsilon\}\} \\ \text{First}(S) &= \text{First}(E) \cup \{\$\} = \{id, \$\} \\ \text{Follow}(S+t) &= \{\$\} \\ \text{Follow}(S+t) &= \{\$\} \cup \text{First}(S+t) = \{\$, \epsilon\} \\ \text{Follow}(E) &= \{\epsilon\} \end{aligned}$$

b), c), d) Mesmo de sempre

- e) $S \rightarrow S+t\$$
- 1 $S+t \rightarrow E ;$
 - 2 $S+t \rightarrow \{ S+t \}$
 - 3 $S+t \rightarrow S+t S+t$
 - 4 $S+t \rightarrow \epsilon$
 - 5 $E \rightarrow id E'$
 - 6 $E' \rightarrow \epsilon E'$
 - 7 $E' \rightarrow \epsilon$
 - 8 $\epsilon \rightarrow \epsilon$

$$\begin{aligned} \text{First}(E') &= \{E, \epsilon\} \\ \text{First}(E) &= \{id\} \\ \text{First}(S+t) &= \{\{, \epsilon\}\} \cup \text{First}(E) = \{\{, id\}\} \\ \text{First}(S+t) &= \{\epsilon\} \cup \text{First}(S+t) = \{\epsilon, \{, id\}\} \\ \text{Follow}(S+t) &= \{\$\} \cup \text{First}(S+t) \setminus \{E\} \cup \text{Follow}(S+t) = \{\$, \{, id\}\} \\ \text{Follow}(S+t) &= \{\epsilon\} \cup \text{Follow}(S+t) \\ \text{Follow}(E) &= \{\epsilon\} \cup \text{Follow}(E') = \{\epsilon\} \\ \text{Follow}(E') &= \text{Follow}(E) = \{\epsilon\} \end{aligned}$$

i	$=$	id	$\{$	$\}$	$\$$
S		0	0		
$S+t$		1	2		
$S+t$		3	3	4	
E		5			
E'	7	6			